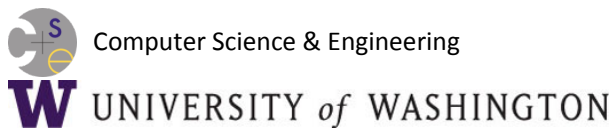


Introduction to Computer Networks

Overview of the Physical Layer



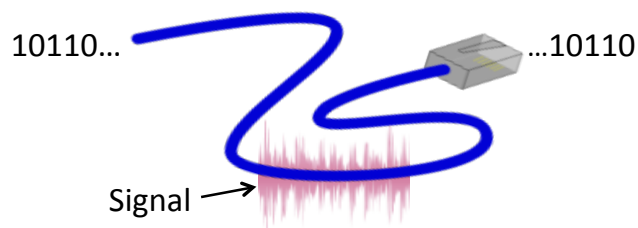
Where we are in the Course

- Beginning to work our way up starting with the Physical layer

Application
Transport
Network
Link
Physical

Scope of the Physical Layer

- Concerns how signals are used to transfer message bits over a link
 - Wires etc. carry analog signals
 - We want to send digital bits

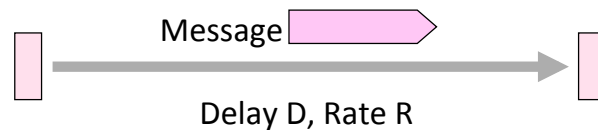


Topics

1. Properties of media
 - Wires, fiber optics, wireless
2. Simple signal propagation
 - Bandwidth, attenuation, noise
3. Modulation schemes
 - Representing bits, noise
4. Fundamental limits
 - Nyquist, Shannon

Simple Link Model

- We'll end with abstraction of a physical channel
 - Rate (or bandwidth, capacity, speed) in bits/second
 - Delay in seconds, related to length



- Other important properties:
 - Whether the channel is broadcast, and its error rate

Message Latency

- Latency is the delay to send a message over a link
 - Transmission delay: time to put M-bit message “on the wire”
 - Propagation delay: time for bits to propagate across the wire
 - Combining the two terms we have:

Message Latency (2)

- Latency is the delay to send a message over a link
 - Transmission delay: time to put M-bit message “on the wire”

$$T\text{-delay} = M \text{ (bits)} / \text{Rate (bits/sec)} = M/R \text{ seconds}$$
 - Propagation delay: time for bits to propagate across the wire

$$P\text{-delay} = \text{Length} / \text{speed of signals} = L/c = D \text{ seconds}$$
 - Combining the two terms we have: Latency = $M/R + D$

Metric Units

- The main prefixes we use:

Prefix	Exp.	prefix	exp.
K(ilo)	10^3	m(illi)	10^{-3}
M(ega)	10^6	μ (micro)	10^{-6}
G(iga)	10^9	n(ano)	10^{-9}

- Use powers of 10 for rates, 2 for storage
 - 1 Mbps = 1,000,000 bps, 1 KB = 1024 bytes
- “B” is for bytes, “b” is for bits

Latency Examples

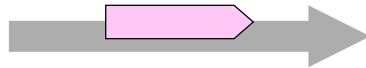
- “Dialup” with a telephone modem:
 - $D = 5\text{ms}$, $R = 56\text{ kbps}$, $M = 1250\text{ bytes}$
- Broadband cross-country link:
 - $D = 50\text{ms}$, $R = 10\text{ Mbps}$, $M = 1250\text{ bytes}$

Latency Examples (2)

- “Dialup” with a telephone modem:
 - $D = 5\text{ms}$, $R = 56\text{ kbps}$, $M = 1250\text{ bytes}$
 - $L = 5\text{ms} + (1250 \times 8) / (56 \times 10^3)\text{ sec} = 184\text{ms!}$
- Broadband cross-country link:
 - $D = 50\text{ms}$, $R = 10\text{ Mbps}$, $M = 1250\text{ bytes}$
 - $L = 50\text{ms} + (1250 \times 8) / (10 \times 10^6)\text{ sec} = 51\text{ms}$
- A long link or a slow rate means high latency
 - Often, one delay component dominates

Bandwidth-Delay Product

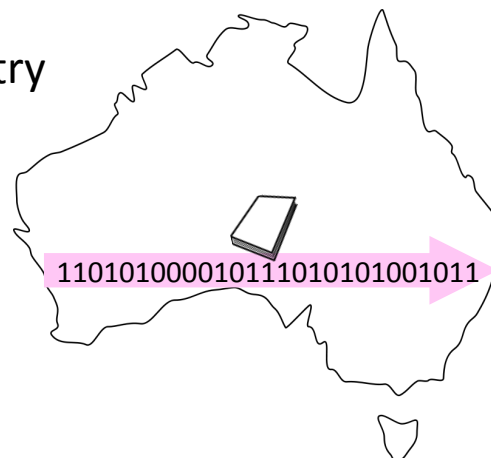
- Messages take space on the wire!



- The amount of data in flight is the bandwidth-delay (BD) product
 - Measure in bits, or in messages
 - Small for LANs, big for “long fat” pipes

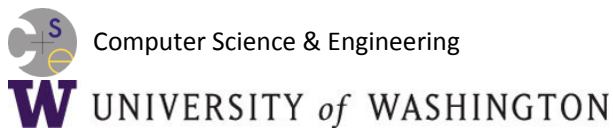
Bandwidth-Delay Example

- Fiber at home, cross-country
 $R=40$ Mbps, $D=50$ ms
 $BD = 40 \times 50 \times 10^3$ bits
 $= 250$ KB
- That's quite a lot of data
 “in the network”!



Introduction to Computer Networks

Media (Wires, etc.) (§2.2, 2.3)

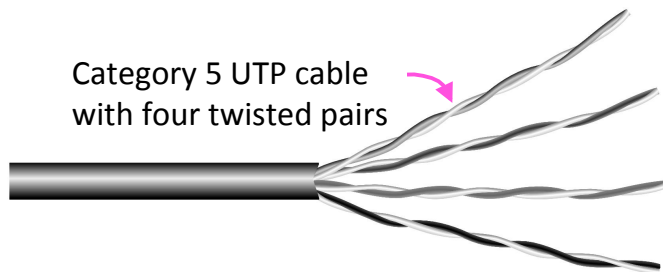


Types of Media

- Media propagate signals that carry bits of information
- We'll look at some common types:
 - Wires »
 - Fiber (fiber optic cables) »
 - Wireless »

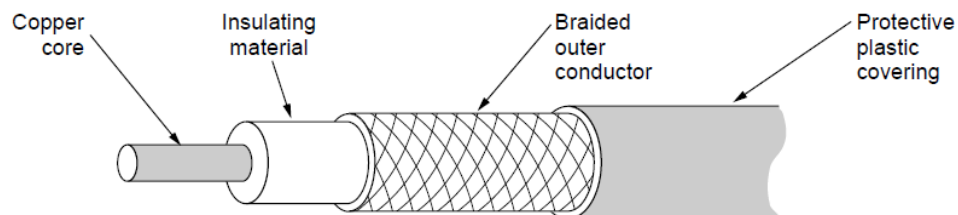
Wires – Twisted Pair

- Very common; used in LANs and telephone lines
 - Twists reduce radiated signal



Wires – Coaxial Cable

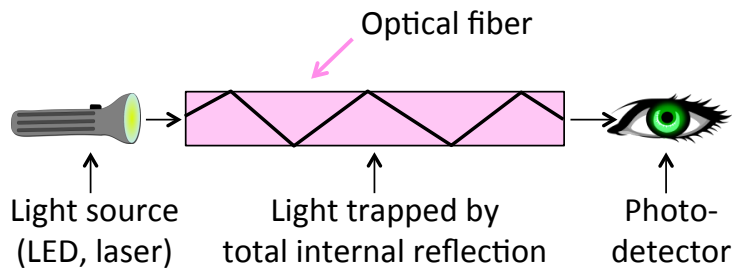
- Also common. Better shielding for better performance



- Other kinds of wires too: e.g., electrical power

Fiber

- Long, thin, pure strands of glass
 - Enormous bandwidth over long distances

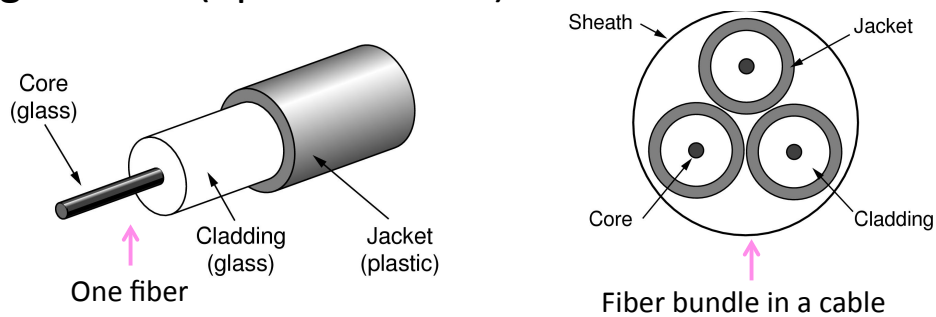


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Fiber (2)

- Two varieties: multi-mode (shorter links, cheaper) and single-mode (up to ~100 km)

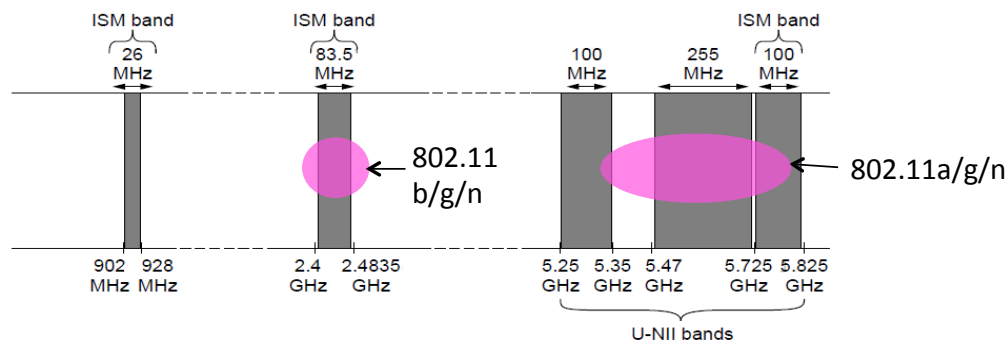


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Wireless (2)

- Microwave, e.g., 3G, and unlicensed (ISM) frequencies, e.g., WiFi, are widely used for computer networking

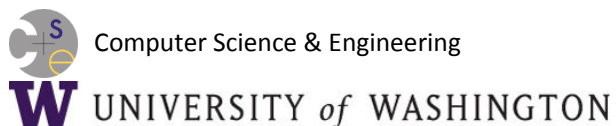


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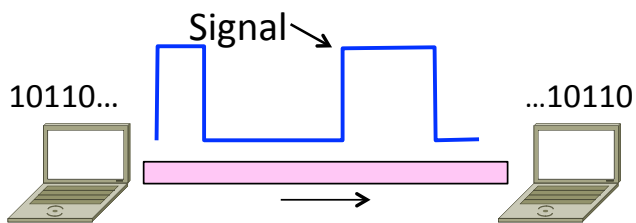
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Signals (§2.2)



Topic

- Analog signals encode digital bits. We want to know what happens as signals propagate over media



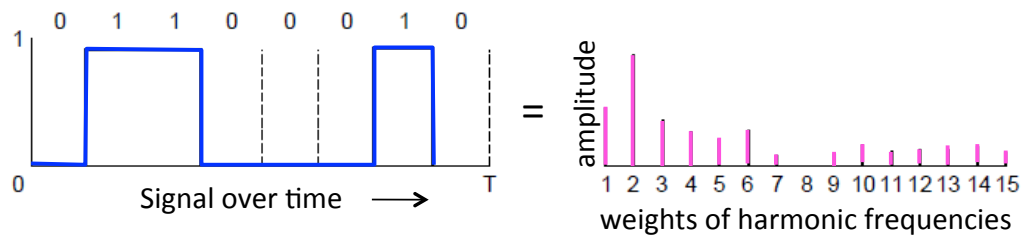
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Frequency Representation

- A signal over time can be represented by its frequency components (called Fourier analysis)

$$g(t) = \frac{1}{2}c + \sum_{n=1}^{\infty} a_n \sin(2\pi nft) + \sum_{n=1}^{\infty} b_n \cos(2\pi nft)$$

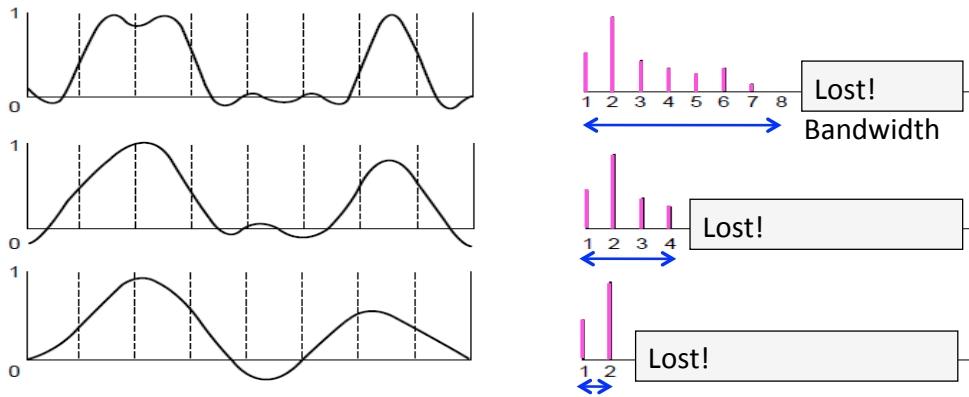


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Effect of Less Bandwidth

- Less bandwidth degrades signal (less rapid transitions)



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Signals over a Wire

- What happens to a signal as it passes over a wire?
 - The signal is delayed (propagates at $\frac{2}{3}c$)
 - The signal is attenuated (goes for m to km)
 - Noise is added to the signal (later, causes errors)
 - Frequencies above a cutoff are highly attenuated

EE: Bandwidth = width of frequency band, measured in Hz

CS: Bandwidth = information carrying capacity, in bits/sec

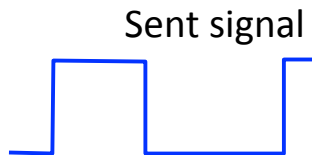
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Signals over a Wire (2)

- Example:

1: Attenuation:

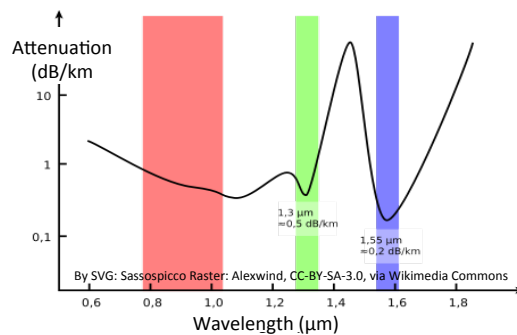


2: Bandwidth:

3: Noise:

Signals over Fiber

- Light propagates with very low loss in three very wide frequency bands
 - Use a carrier to send information

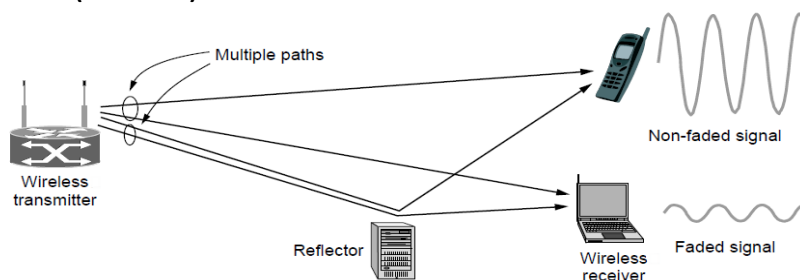


Signals over Wireless (§2.2)

- Signals transmitted on a carrier frequency
- Travel at speed of light, spread out and attenuate faster than $1/\text{dist}^2$
- Multiple signals on the same frequency interfere at a receiver
- Other effects are highly frequency dependent, e.g., multipath at microwave frequencies

Wireless Multipath

- Signals bounce off objects and take multiple paths
 - Some frequencies attenuated at receiver, varies with location
 - Messes up signal; handled with sophisticated methods (§2.5.3)



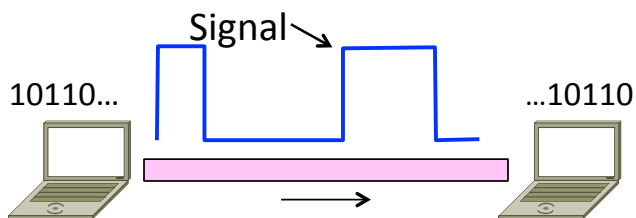
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Modulation (§2.5)



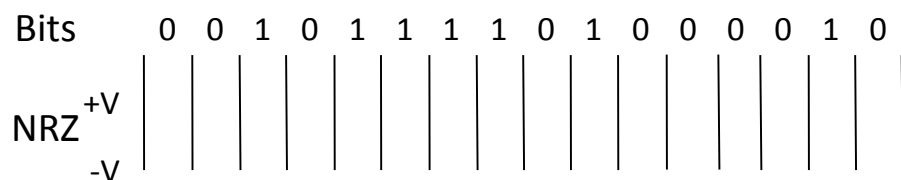
Topic

- We've talked about signals representing bits. How, exactly?
 - This is the topic of modulation



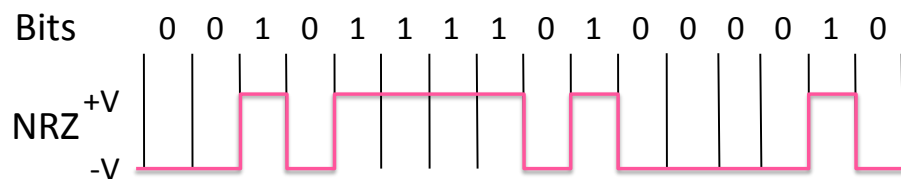
A Simple Modulation

- Let a high voltage (+V) represent a 1, and low voltage (-V) represent a 0
 - This is called NRZ (Non-Return to Zero)



A Simple Modulation (2)

- Let a high voltage (+V) represent a 1, and low voltage (-V) represent a 0
 - This is called NRZ (Non-Return to Zero)



Many Other Schemes

- Can use more signal levels, e.g., 4 levels is 2 bits per symbol
- Practical schemes are driven by engineering considerations
 - E.g., clock recovery »

Clock Recovery

- Um, how many zeros was that?
 - Receiver needs frequent signal transitions to decode bits

1 0 0 0 0 0 0 0 0 0 ... 0

- Several possible designs
 - E.g., Manchester coding and scrambling (§2.5.1)

Clock Recovery – 4B/5B

- Map every 4 data bits into 5 code bits with a transition that are sent
 - 0000 → 11110, 0001 → 01001, 1110 → 11100, ... 1111 → 11101
 - Has at most 3 zeros in a row

Clock Recovery – 4B/5B (2)

- 4B/5B code for reference:
 - 0000 → 11110, 0001 → 01001, 1110 → 11100, ... 1111 → 11101
- Message bits: 1 1 1 1 0 0 0 0 0 0 0 1

Coded Bits:

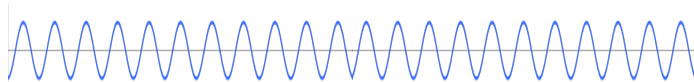
Signal: | | | | | | | | | | | | | | | |

Passband Modulation

- What we have seen so far is baseband modulation for wires
 - Signal is sent directly on a wire
- These signals do not propagate well on fiber / wireless
 - Need to send at higher frequencies
- Passband modulation carries a signal by modulating a carrier

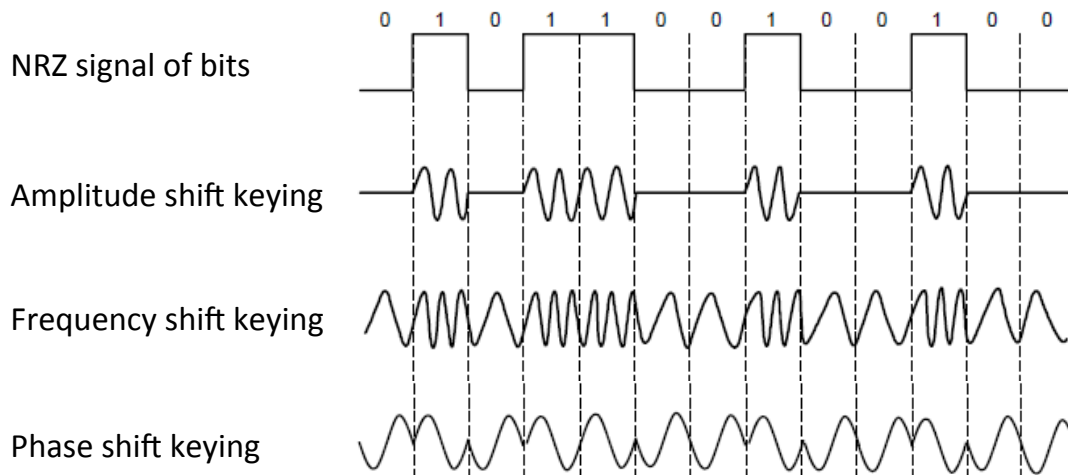
Passband Modulation (2)

- Carrier is simply a signal oscillating at a desired frequency:



- We can modulate it by changing:
 - Amplitude, frequency, or phase

Passband Modulation (3)



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Introduction to Computer Networks

Fundamental Limits (§2.2)



Computer Science & Engineering

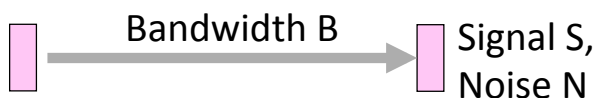
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Topic

- How rapidly can we send information over a link?
 - Nyquist limit (~1924) »
 - Shannon capacity (1948) »
- Practical systems are devised to approach these limits

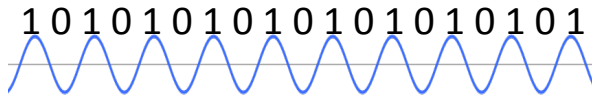
Key Channel Properties

- The bandwidth (B), signal strength (S), and noise strength (N)
 - B limits the rate of transitions
 - S and N limit how many signal levels we can distinguish



Nyquist Limit

- The maximum symbol rate is $2B$



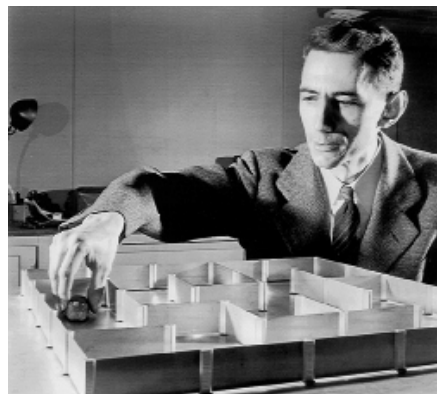
- Thus if there are V signal levels, ignoring noise, the maximum bit rate is:

$$R = 2B \log_2 V \text{ bits/sec}$$

Claude Shannon (1916-2001)

- Father of information theory
 - “A Mathematical Theory of Communication”, 1948
- Fundamental contributions to digital computers, security, and communications

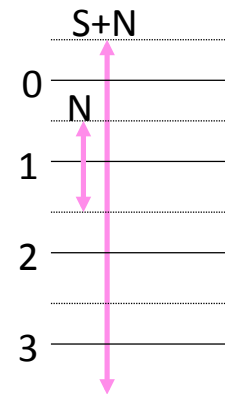
Electromechanical mouse
that “solves” mazes! →



Credit: Courtesy MIT Museum

Shannon Limit

- How many levels we can distinguish depends on S/N
 - Or SNR, the Signal-to-Noise Ratio
 - Note noise is random, hence some errors
- SNR given on a log-scale in decibels:
 - $\text{SNR}_{\text{dB}} = 10\log_{10}(S/N)$



Shannon Limit (2)

- Shannon limit is for capacity (C), the maximum information carrying rate of the channel:

$$C = B \log_2(1 + S/N) \text{ bits/sec}$$

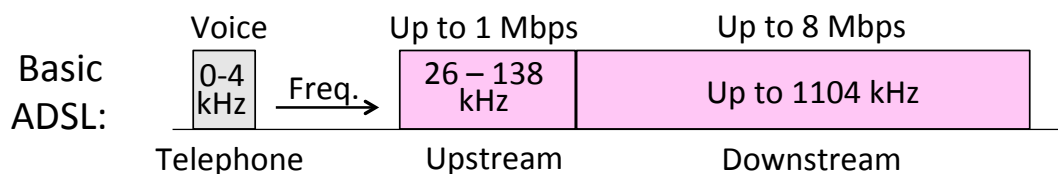
Putting it all together – DSL

- DSL (Digital Subscriber Line, see §2.6.3) is widely used for broadband; many variants offer 10s of Mbps
 - Reuses twisted pair telephone line to the home; it has up to ~2 MHz of bandwidth but uses only the lowest ~4 kHz



DSL (2)

- DSL uses passband modulation
 - Separate bands for upstream and downstream (larger)
 - Modulation called QAM varies both amplitude and phase
 - High SNR, up to 15 bits/symbol, low SNR only 1 bit/symbol



Wired/Wireless Perspective

- Wires, and Fiber
 - Engineer link to have requisite SNR and B
 - Can fix data rate
- Wireless
 - Given B, but SNR varies greatly, e.g., up to 60 dB!
 - Can't design for worst case, must adapt data rate

Wired/Wireless Perspective (2)

- Wires, and Fiber Engineer SNR for data rate
 - Engineer link to have requisite SNR and B
 - Can fix data rate
- Wireless Adapt data rate to SNR
 - Given B, but SNR varies greatly, e.g., up to 60 dB!
 - Can't design for worst case, must adapt data rate