

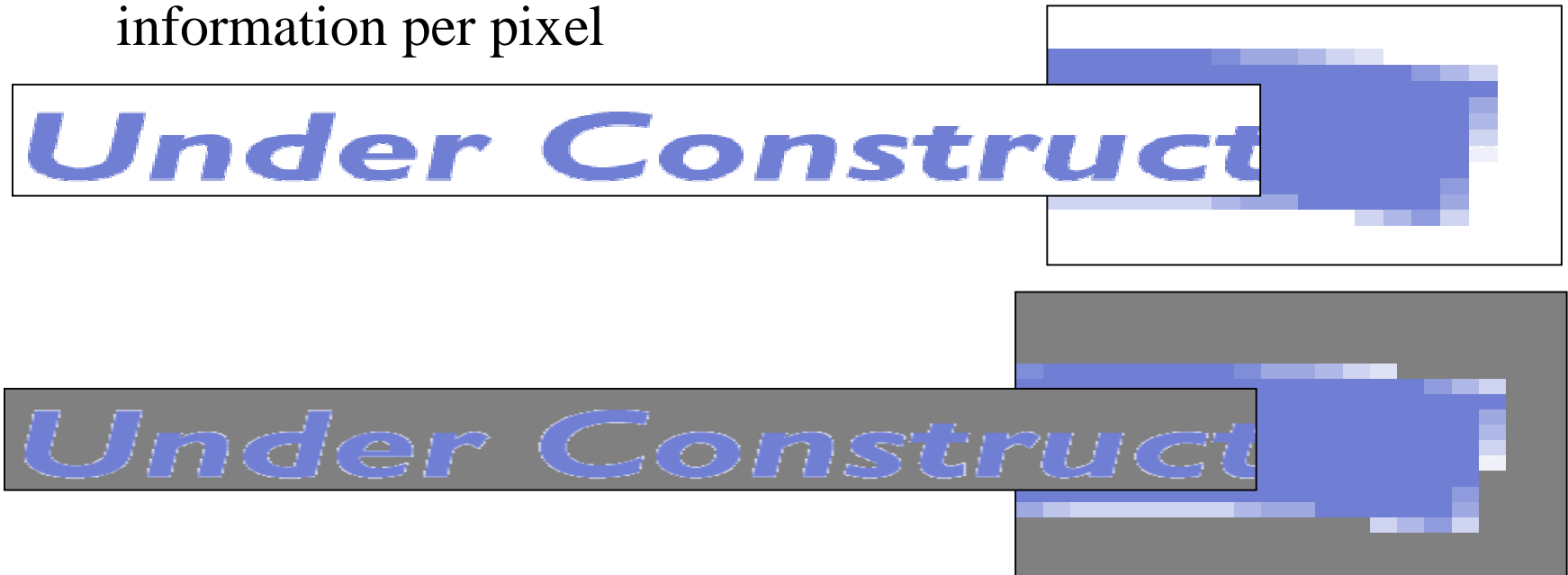
Lecture 5: Image Compositing

Compositing Motivation

- Sometimes, a single image needs to be constructed out of parts.
 - Mixing 3D graphics with film
 - adding a backdrop to a scene
 - Painting objects into a scene
- Sometimes, it's just better to do things in parts
 - Can save time in rendering
 - A small problem in one part can easily be fixed in the final image
- Need a method for building up an image from a set of components
 - Ideally, invent a general “algebra” of **compositing**

Image Matting

- To assemble images from parts, we associate a **matte** with each part
 - Record which pixels belong to the foreground, which to the background
 - Discard background pixels when assembling
- Problem: The matte must record more than a single bit of information per pixel



The Alpha Channel

- To make compositing work, we store an alpha value along with color information for every pixel.
- α records how much a pixel is covered by the given color
 - The set of alpha values for an image is called the **alpha channel**
 - Transparent when $\alpha = 0$
 - Opaque when $\alpha = 1$
- Relationship between α and RGB:
 - computed at same time
 - Need comparable resolution
 - Can manipulate in almost exactly the same way

The Meaning of Alpha

- How might we store the information for a pixel that's 50% covered by red?
- It turns out that we'll always want to multiply the color components by α , so store (R,G,B,α) in premultiplied form:
 - What do the premultiplied R, G and B values look like?
 - What does $(0,0,0,1)$ represent?
 - What about $(0,0,0,0)$?

Compositing Assumptions

- The goal of compositing is to approximate the behaviour of overlaid images inside partially-covered pixels
 - We don't know *how* the pixel is covered, just how much
 - We need to make assumptions about the nature of this coverage
- We'll consider two cases:
 - Two semi-transparent objects; alpha channel records transparency
 - Two hard-edged opaque objects; alpha channel records coverage

Compositing Semi-Transparent Objects

- If we wish to composite two semi-transparent pixels over a background, things are a little easier.
- Suppose we wish to composite colors A and B with opacities α_A and α_B over a background G
- How much of G shows through A and B?
- How much of G is blocked by A and passed by B?
- How much of G is blocked by B and passed by A?
- How much of G is blocked by A and B?

Compositing Opaque Objects

- Assume that a pixel is partially covered by two objects, A and B.
 - We can use α_A and α_B to encode what fractions of the pixel are covered by A and B respectively
- How does A divide the pixel?
- How does B divide the pixel?
- *How does A divide B?*
- Compositing assumption: A and B are uncorrelated
 - This lets us make educated guesses about the color of the composed pixel
 - Works well in practice

Pixel Pieces

- Given the compositing assumption, we can state the areas of different parts of the pixel:

$$\overline{A}I \quad \overline{B}$$

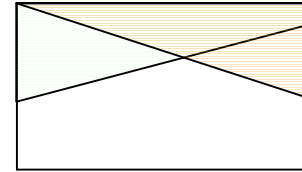
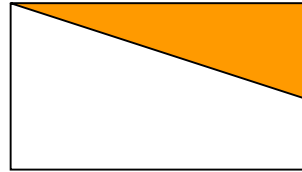
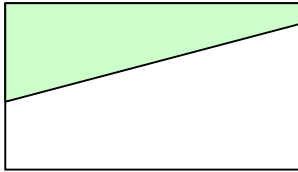
$$\overline{A}I \quad B$$

$$AI \quad \overline{B}$$

$$AI \quad B$$

- Why do these areas depend on lack of correlation?

Compositing Possibilities



- The contributions of A and B to the pixel divide the pixel area into four regions. When compositing, we have to choose what will be visible in each region.

<i>Name</i>	<i>Description</i>	<i>Possibilities</i>
<i>0</i>	$\overline{A} \text{ I } \overline{B}$	<i>0</i>
<i>A</i>	$A \text{ I } \overline{B}$	<i>0, A</i>
<i>B</i>	$\overline{A} \text{ I } B$	<i>0, B</i>
<i>AB</i>	$A \text{ I } B$	<i>0, A, B</i>

- According to this enumeration, how many binary compositing operators are there?

The 12 Compositing Operators

- We can define a compositing operator by giving a 4-tuple listing what to keep in the regions 0, A, B and AB.

(0,0,0,0)

(0,A,0,A)

(0,0,B,B)

(0,A,B,A)

(0,A,B,B)

(0,0,0,A)

(0,0,0,B)

(0,A,0,0)

(0,0,B,0)

(0,0,B,A)

(0,A,0,B)

(0,A,B,0)

The “plus” operator

- All the operators are all-or-nothing in region AB. Sometimes we want to show a blend of A and B in AB, for example when dissolving from one image to another.
- We define A **plus** B using the tuple $(0, A, B, AB)$ where AB represents a blend of A and B.

Computing F_A and F_B

- All that remains is to compute F_A and F_B .
 - Depends on and determines the compositing operator
 - Can be derived by inspection of the compositing diagrams

<i>Operation</i>	F_A	F_B
clear		
A		
B		
A over B		
A in B		
A plus B		

Unary Operators

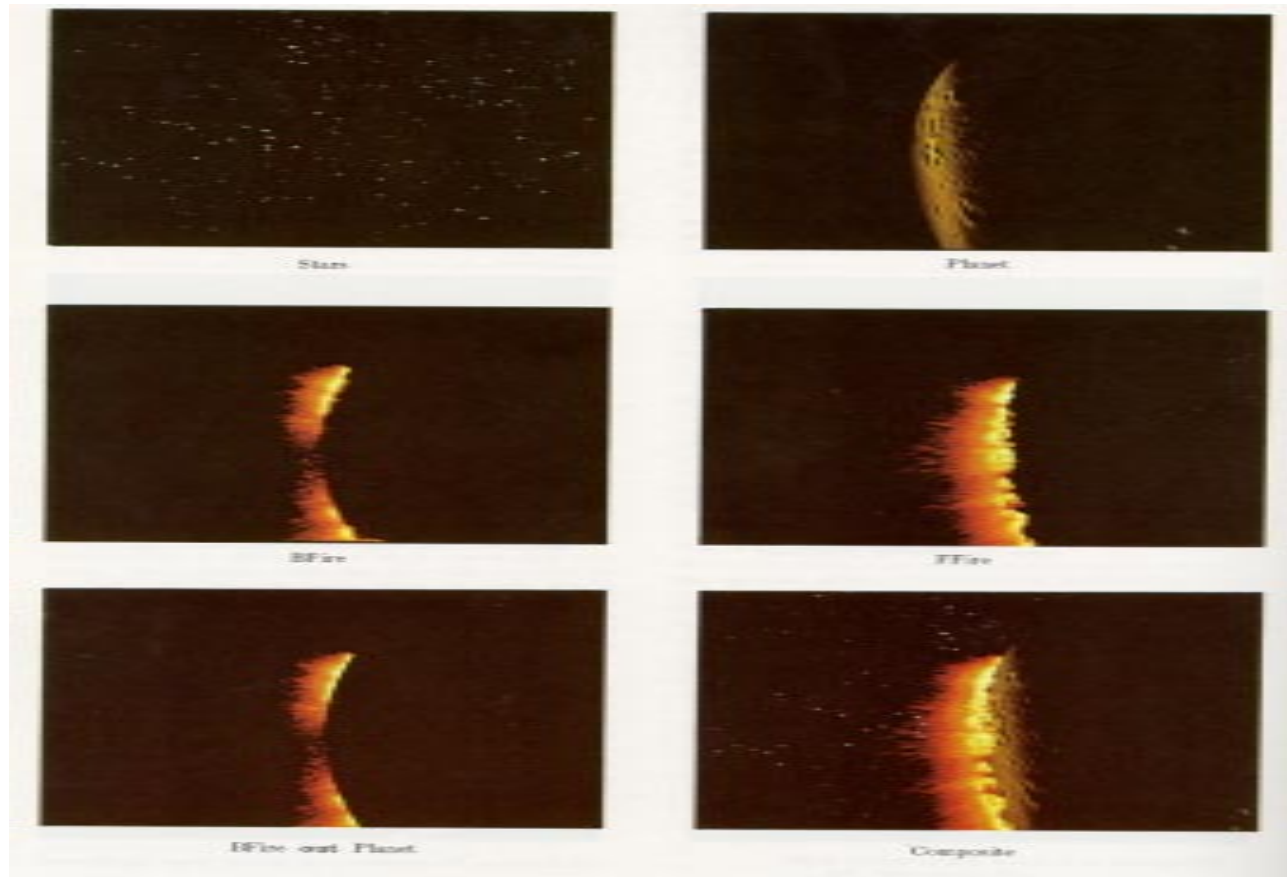
- There are also some useful unary operators

darken(R,G,B, α , ϕ) =

dissolve(R,G,B, α , δ) =

Example

- Example from the Genesis Effect:



(FFire plus (BFire out Planet)) over darken(Planet, 0.8) over Stars

Summary

- Reasons for doing compositing
- The meaning of alpha and the alpha channel
- Definition of compositing operators
- Definition and implications of the compositing assumption
- Computation of composited images
- Practical use of compositing