CSEP 527 Computational Biology

Genes and Gene Prediction

Gene Finding: Motivation

Sequence data flooding in What does it mean?

protein genes, RNA genes, mitochondria, chloroplast, regulation, replication, structure, repeats, transposons, unknown stuff, ...

More generally, how do you: learn from complex data in an unknown language, leverage what's known to help discover what's not

Protein Coding Nuclear DNA

Focus of these slides

Goal: Automated annotation of new seq data

State of the Art:

In Eukaryotes:

predictions ~ 60% similar to real proteins

~80% if database similarity used

Prokaryotes

better, but still imperfect

Lab verification still needed, still expensive

Largely done for Human; unlikely for most others and *non-*coding is poorly understood even in human

Biological Basics

Central Dogma:

DNA transcription RNA translation Protein

Codons: 3 bases code one amino acid

Start codon

Stop codons

3', 5' Untranslated Regions (UTR's)





Translation: mRNA \rightarrow Protein



Ribosomes



DNA (thin lines), RNA Pol (Arrow), mRNA with attached Ribosomes (dark circles)



Figure 3-7. Coupled transcription/translation in bacteria is visualized. Oscar Miller and colleagues lysed *E. coli* cells and immediately collected the cell contents on electron microscope grids. They saw threads of mRNA still associated with DNA (thin lines), and ribosomes—several at a time—were already translating protein along the mRNA. Thus, in bacterial cells, the picture of information recovery and use, at least in broad outline, was complete: mRNA was made on demand; ribosomes recognized the 5' end of the mRNA, bound, and began protein synthesis even before the mRNA had been completely synthesized. (In this photo, the arrow indicates a presumptive RNA polymerase [the faint disk to the left of the first ribosome]. The DNA thread at the top is being copied into mRNA, but the one at the bottom is not. Both are presumably double stranded.) (Reprinted, with permission, from Miller et al. 1970 [©AAAS].)

Darnell, p120

Codons & The Genetic Code

			Secon	d Base			
		U	С	A	G		
		Phe	Ser	Tyr	Cys	U	
	11	Phe	Ser	Tyr	Cys	С	
		Leu	Ser	Stop	Stop	Α	
		Leu	Ser	Stop	Trp	G	
	С	Leu	Pro	His	Arg	U	
		Leu	Pro	His	Arg	С	
e		Leu	Pro	Gln	Arg	Α	e e
Bas		Leu	Pro	Gln	Arg	G	Bas
irst		lle	Thr	Asn	Ser	U	hird
	Δ	lle	Thr	Asn	Ser	С	F
		lle	Thr	Lys	Arg	Α	
		Met/Start	Thr	Lys	Arg	G	
		Val	Ala	Asp	Gly	U	
	G	Val	Ala	Asp	Gly	С	
		Val	Ala	Glu	Gly	Α	
		Val	Ala	Glu	Gly	G	

- Arg : Arginine
- Asn : Asparagine
- Asp : Aspartic acid
- Cys : Cysteine
- Gln : Glutamine
- Glu : Glutamic acid
- Gly : Glycine
- His : Histidine
- Ile : Isoleucine
- Leu : Leucine
- Lys : Lysine
- Met : Methionine
- Phe : Phenylalanine
- Pro : Proline
- Ser : Serine
- Thr : Threonine
- Trp : Tryptophane
- Tyr : Tyrosine

Val

: Valine

Idea #1: Find Long ORF's

Reading frame: which of the 3 possible sequences of triples does the ribosome read? Open Reading Frame: No internal stop codons In random DNA average ORF ~ 64/3 = 21 triplets 300bp ORF once per 36kbp per strand But average protein ~ 1000bp

A Simple ORF finder

start at left end scan triplet-by-non-overlapping triplet for AUG then continue scan for STOP repeat until right end repeat all starting at offset 1 repeat all starting at offset 2 then do it again on the other strand



* In bacteria, GUG is sometimes a start codon...

Idea #2: Codon Frequency

In random DNA

- Leucine : Alanine : Tryptophan = 6 : 4 : 1
- But in real protein, ratios $\sim 6.9: 6.5: 1$

So, coding DNA is not random

Even more: synonym usage is biased (in a species dependant way)

examples known with 90% AT 3rd base

Why? E.g. efficiency, histone, enhancer, splice interactions

Idea #3: Non-Independence

Not only is codon usage biased, but residues (aa or nt) in one position are *not independent* of neighbors

How to model this? Markov models

Markov Chains

A sequence x_1, x_2, \ldots of random variables is a *k-th order Markov chain* if, for all *i*, *i*th value is independent of all but the previous *k* values:

$$P(x_i \mid \underbrace{x_1, x_2, \dots, x_{i-1}}_{i-1}) = P(x_i \mid \underbrace{x_{i-k}, x_{i-k+1}, \dots, x_{i-1}}_{k \text{ typically } \ll i-1})$$

Example 1: Uniform random ACGT $\left. \begin{array}{c} 0^{th} \\ order \end{array} \right\}$ Example 2: Weight matrix model $\left. \begin{array}{c} 1^{st} \\ 0^{th} \\$

A Markov Model (1st order)



Pr of emitting sequence x

$$\begin{aligned} x &= x_1 \, x_2 \, \dots \, x_n \\ P(x) &= P(x_1, x_2, \dots, x_n) \underbrace{a_{(\text{"the chain rule"})}^{a_{(\text{whe chain rule"})}} \\ &= P(x_1) \cdot P(x_2 \mid x_1) \cdots P(x_n \mid x_{n-1}, \dots, x_1) \\ &= P(x_1) \cdot P(x_2 \mid x_1) \cdots P(x_n \mid x_{n-1}) \underbrace{f_{i=1}^{s_i} a_{x_i, x_{i+1}}} \\ &= \prod_{i=0}^{n-1} a_{x_i, x_{i+1}} \quad \text{(with Begin state)} \end{aligned}$$

Discrimination/Classification

Log likelihood ratio of CpG model vs background model

$$S(x) = \log \frac{P(x | \text{model} +)}{P(x | \text{model} -)} = \sum_{i=1}^{L} \log \frac{a_{x_{i-1}x_i}^+}{a_{x_{i-1}x_i}^-} = \sum_{i=1}^{L} \beta_{x_{i-1}x_i}$$

β	A	С	G	Т
А	-0.740	0.419	0.580	-0.803
С	-0.913	0.302	1.812	-0.685
G	-0.624	0.461	0.331	-0.730
Т	-1.169	0.573	0.393	-0.679

CpG Island Scores



Figure 3.2 Histogram of length-normalized scores.

A Gene Finding Example

All +-strand ORFs in a prokaryote

"Truth" based on stop codon matching a Genbank-annotated protein coding gene

Built ROC curve for classification by:

length

6-th order Markov model

both

2nd order Markov Model



kth Order Markov Model

4^k states, each in/out-degree 4, joined as follows:



(where xyz is a length k-1 string over {A,C,G,T}, and, e.g., Axyz and xyzA are the *same* state when $xyz=A^{k-1}$)





TPR

FPR



Summary

In prokaryotes, most DNA is coding

E.g. ~ 70% in *H. influenzae*

Long ORFs + codon/nucleotide stats do well

Can improve by modeling associated features (TATA boxes, promoters, etc.)

e.g. via WMM or higher-order Markov models

But obviously won't be perfect

short genes, frame shifts, 5' & 3' UTR's, ...

Eukaryotes

As in prokaryotes (but maybe more variable) promoters start/stop transcription start/stop translation

And then...





Nobel Prize of the week: P. Sharp, 1993, Splicing

Mechanical Devices of the Spliceosome: Motors, Clocks, Springs, and Things

Jonathan P. Staley and Christine Guthrie

CELL Volume 92, Issue 3, 6 February 1998, Pages 315-326

Figure 2. Spliceosome Assembly, Rearrangement, and Disassembly Requires ATP, Numerous DExD/H box Proteins, and Prp24. The snRNPs are depicted as circles. The pathway for *S. cerevisiae* is shown.





Hints to Origins?



Tetrahymena thermophila

(A)



nucleotide

Genes in Eukaryotes

As in prokaryotes (but maybe more variable)

- promoters
- start/stop transcription
- start/stop translation
- New Features:
 - introns, exons, splicing branch point signal alternative splicing polyA site/tail



Characteristics of human genes

(Nature, 2/2001, Table 21)

	Median	Mean	Sample (size)
Internal exon	122 bp	145 bp	RefSeq alignments to draft genome sequence, with confirmed intron boundaries (43,317 exons)
Exon number	7	8.8	RefSeq alignments to finished seq (3,501 genes)
Introns	1,023 bp	3,365 bp	RefSeq alignments to finished seq (27,238 introns)
3′ UTR	400 bp	770 bp	Confirmed by mRNA or EST on chromo 22 (689)
5′ UTR	240 bp	300 bp	Confirmed by mRNA or EST on chromo 22 (463)
Coding seq	1,100 bp	1340 bp	Selected RefSeq entries (1,804)*
(CDS)	367 aa	447 aa	
Genomic span	14 kb	27 kb	Selected RefSeq entries (1,804)*

* 1,804 selected RefSeq entries were those with fulllength unambiguous alignment to finished sequence

Big Genes

Many genes are over 100 kb long,

Max known: dystrophin gene (DMD), 2.4 Mb.

The variation in the size distribution of coding sequences and exons is less extreme, although there are remarkable outliers.

The titin gene has the longest currently known coding sequence at 80,780 bp; it also has the largest number of exons (178) and longest single exon (17,106 bp).

RNApol rate: 1.2-2.5 kb/min ≥16 hours to transcribe DMD



Nature 2/2001

Human

-Worm

- Fly

Figure 36 GC content

Nature 2/2001



a: Distribution of GC content in genes and in the genome. For 9,315 known genes mapped to the draft genome sequence, the local GC content was calculated in a window covering either the whole alignment or 20,000 bp centered on midpoint of the alignment, whichever was larger. Ns in the sequence were not counted. GC content for the genome was calculated for adjacent nonoverlapping 20,000bp windows across the sequence. Both distributions normalized to sum to one.



b: Gene density as a function of GC content (= ratios of data in a. Less accurate at high GC because the denominator is small)

c: Dependence of mean exon and intron lengths on GC content.

The local GC content, based on alignments to finished sequence only, calculated from windows covering the larger of feature size or 10,000 bp centered on it

Other Relevant Features

PolyA Tails

100-300 A's typically added to the 3' end of the mRNA after transcription-*not* templated by DNA

Processed pseudogenes

Sometimes mRNA (*after* splicing + polyA) is reverse-transcribed into DNA and re-integrated into genome

~14,000 in human genome

Alternative Splicing

Exon skipping/inclusion

Alternative 3' splice site

Alternative 5' splice site

Mutually exclusive exons

Intron retention



These are *regulated*, not just errors

Other Features (cont)

Alternative start sites (5' ends) Alternative PolyA sites (near 3' ends) Alternative splicing

Collectively, these affect an estimated 95% of genes, with ~5 (a wild guess) isoforms per gene (but can be huge; fly Dscam: 38,016, potentially)

Trans-splicing and gene fusions (rare in humans but important in some tumors)

Computational Gene Finding?

How do we algorithmically account for all this complexity...

A Case Study – Genscan

C Burge, S Karlin (1997), "Prediction of complete gene structures in human genomic DNA", Journal of Molecular Biology, 268: 78-94.

Training Data

238 multi-exon genes 142 single-exon genes total of 1492 exons total of 1254 introns total of 2.5 Mb

NO alternate splicing, none > 30kb, ...

Performance Comparison

	Accuracy								
	per n	per nuc. per exon							
Program	Sn	Sp	Sn	Sp	Avg.	ME	WE		
GENSCAN	0.93	0.93	0.78	0.81	0.80	0.09	0.05		
FGENEH	0.77	0.88	0.61	0.64	0.64	0.15	0.12		
GenelD	0.63	0.81	0.44	0.46	0.45	0.28	0.24		
Genie	0.76	0.77	0.55	0.48	0.51	0.17	0.33		
GenLang	0.72	0.79	0.51	0.52	0.52	0.21	0.22		
GeneParser2	0.66	0.79	0.35	0.40	0.37	0.34	0.17		
GRAIL2	0.72	0.87	0.36	0.43	0.40	0.25	0.11		
SORFIND	0.71	0.85	0.42	0.47	0.45	0.24	0.14		
Xpound	0.61	0.87	0.15	0.18	0.17	0.33	0.13		
GenelD‡	0.91	0.91	0.73	0.70	0.71	0.07	0.13		
GeneParser3	0.86	0.91	0.56	0.58	0.57	0.14	0.09		

After Burge&Karlin, Table 1. Sensitivity, Sn = TP/AP; Specificity, Sp = TP/PP

Generalized Hidden Markov Models

States: 1, 2, ...

 π : Initial state distribution

a_{ij}: Transition probabilities

One submodel per state



Outputs are *strings* generated by submodel Given length *L*

Pick start state q_1 (~ π)

While $\sum d_i < L$

Pick d_i & string s_i of length $d_i \sim$ submodel for q_i

Pick next state q_{i+1} (~ a_{ij})

Output $s_1 s_2 \dots$

Decoding

A "parse" ϕ of seq $s = s_1 s_2 \dots s_L$ is a pair $d = d_1 d_2 \dots d_k$, $q = q_1 q_2 \dots q_k$ with $\sum d_i \ge L$

A Viterbi-like alg calculates prob of most probable path emitting *s*; traceback gives ϕ

Similarly, forward/backward-like algs can find, e.g. *Pr*(emit $s_1s_2...s_i$ & end in state *j*)

(summing over possible predecessor states, possible $d_{k,}$ etc.)





Figure 4. Length distributions are shown for (a) 1254 introns; (b) 238 initial exons; (c) 1151 internal exons; and (d) 238 terminal exons from the 238 multi-exon genes of the learning set \mathscr{L} . Histograms (continuous lines) were derived with a bin size of 300 bp in (a), and 25 bp in (b), (c), (d). The broken line in (a) shows a geometric (exponential) distribution with parameters derived from the mean of the intron lengths; broken lines in (b), (c) and (d) are the smoothed empirical distributions of exon lengths used by GENSCAN (details given by Burge, 1997). Note different horizontal and vertical scales are used in (a), (b), (c), (d) and that multimodality in (b) and (d) may, in part, reflect relatively

Effect of G+C Content

Group	I	II	III	IV
C + G% range	<43	43-51	51-57	>57
Number of genes	65	115	99	101
Est. proportion single-exon genes	0.16	0.19	0.23	0.16
Codelen: single-exon genes (bp)	1130	1251	1304	1137
Codelen: multi-exon genes (bp)	902	908	1118	1165
Introns per multi-exon gene	5.1	4.9	5.5	5.6
Mean intron length (bp)	2069	1086	801	518
Est. mean transcript length (bp)	10866	6504	5781	4833
Isochore	L1+L2	H1+H2	H3	H3
DNA amount in genome (Mb)	2074	1054	102	68
Estimated gene number	22100	24700	9100	9100
Est. mean intergenic length	83000	36000	5400	2600
Initial probabilities:				
Intergenic (N)	0.892	0.867	0.54	0.418
Intron (I+, I-)	0.095	0.103	0.338	0.388
5' Untranslated region (F+, F-)	0.008	0.018	0.077	0.122
3' Untranslated region (T+, T-)	0.005	0.011	0.045	0.072

Submodels

- 5' UTR
 - $L \sim geometric(769 bp), s \sim MM(5)$
- 3' UTR

 $L \sim \text{geometric}(457 \text{ bp}), \text{ s} \sim \text{MM}(5)$

Intergenic

L ~ geometric(GC-dependent), s ~ MM(5) Introns

L ~ geometric(GC-dependent), s ~ MM(5)

Submodel: Exons

Inhomogenious 3-periodic 5th order Markov models

Separate models for low GC (<43%), high GC

Track "phase" of exons, i.e. reading frame.

Signal Models I: WMM's

Polyadenylation 6 bp, consensus AATAAA Translation Start 12 bp, starting 6 bp before start codon Translation stop A stop codon, then 3 bp WMM

Signal Models II: more WMM's

Promoter 70% TATA 15 bp TATA WMM s ~ null, L ~ Unif(14-20) 8 bp cap signal WMM 30% TATA-less 40 bp null

Signal Models III: W/WAM's

Acceptor Splice Site (3' end of intron)

[-20..+3] relative to splice site modeled by "1st order weight array model"

Branch point & polypyrimidine tract

Hard. Even weak consensus like YYRAY found in [-40..-21] in only 30% of training

"Windowed WAM": 2nd order WAM, but averaged over 5 preceding positions

"captures weak but detectable tendency toward YYY triplets and certain branch point related triplets like TGA, TAA, ..."

What do splice sites look like?



Signal Models IV: Maximum Dependence Decomposition

Donor splice sites (5' end of intron) show dependencies between non-adjacent positions, e.g. poor match at one end compensated by strong match at other end, 6 bp away

Model is basically a decision tree

Uses χ^2 test to quantitate dependence

					(·	All don	or splic	e sites						
Pos	A%	C%	G%	U %	l		(1254)			Pos	A%	C%	G%	U%
-3	33	36	19	13				\searrow		-3	35	44	16	6
-2	56	15	15	15			\sim			-2	85	4	7	5
-1	9	4	78	9		35 5		Н5		-1	2	1	97	0
+3	44	3	51	3	(1	.057)		(197))	+3	81	3	15	2
+4	75	4	13	9			$< \sim$			+4	51	28	9	12
+6	14	18	19	49			\mathbf{i}			+6	22	20	30	28
-3	34	37	18	11		V	\mathbf{X}		_	-3	29	31	21	18
-2	59	10	15	16	(G	5G.1		G5H.1		-2	43	30	17	11
+3	40	4	53	3	(8	323)		(234)		+3	56	0	43	0
+4	70	4	16	10		<u> </u>	くし	·		+4	93	2	3	3
+6	17	21	21	42			1			+6	5	10	10	76
-3	37	42	18	3	<u> </u>		> 2	C P		-3	29	30	18	23
+3	39	5	51	5	650	3-1A-2		5G-1D	-2	+3	42	1	56	1
+4	62	5	22	11	(4	87)		(336)		+4	80	4	8	8
+6	19	20	25	36						+6	14	21	16	49
-3	32	40	23	5	C-C			Cala	V)	-3	39	43	15	2
+3	27	4	59	10	050.	[A.20	տ լար	G-1A-2	• 6]	+3	46	6	46	3
+4	51	5	25	19		7)		(310)	\mathcal{I}	+4	69	5	20	7
All sites: Position Many														
		Base	-3	-2	-1	+1	+2	+3	+4	+5	+6	d	epen	dencies,
		A% C% G% U%	33 37 18 12	60 13 14 13	8 4 81	0 0 100 0	0 0 100	49 3 45 3	71 7 12 9	6 5 84 5	15 19 20 46	s c e	uch a ompe .g. G	s 5'/3' ensation, $_1$ vs G ₅ /H ₅
U1	snRN/	A: 3'	G	U	С	С	Α	U	U	С	Α	5'		57

χ^2 test : Are events A & B independent ?

	В	not B		E	Ξv
A	8	4	12	, c	20
not A	2	6	8	ې ل	วโเ
	10	10	20	r	na

Event counts plus marginals

 $\chi^2 = \sum_{i} \frac{(observed_i - expected_i)^2}{expected_i}$

"Expected" means expected assuming independence, e.g. expect B 10/20; A 12/20; both 120/400*20 = 6, etc.

Significance: table look up (or approximate as normal)

χ^2 test for independence of nucleotides in donor sites

i	Con	j: -3	-2	-1	+3	+4	+5	+6	Sum
-3	c/a		61.8*	14.9	5.8	20.2*	11.2	18.0*	131.8*
-2	A	115.6*		40.5*	20.3*	57.5*	59.7*	42.9*	336.5*
-1	G	15.4	82.8*		13.0	61.5*	41.4*	96.6*	310.8*
+3	a/g	8.6	17.5*	13.1		19.3*	1.8	0.1	60.5*
+4	A	21.8*	56.0*	62.1*	64.1*		56.8*	0.2	260.9*
+5	G	11.6	60.1*	41.9*	93.6*	146.6*		33.6*	387.3*
+6	t	22.2*	40.7*	103.8*	26.5*	17.8*	32.6*		243.6*

* means chi-squared p-value < .001

Technically – build a 2 x 4 table for each (i,j) pair: Pos i does/does not match consensus vs pos j is A, C, G, T calculate χ^2 as on previous slide, e.g. χ^2 for +6 vs -1 = 103.8 If independent, you'd expect $\chi^2 \le 16.3$ all but one in a 1000 times.



Summary of Burge & Karlin

Coding DNA & control signals are nonrandom

Weight matrices, WAMs, etc. for controls

Codon frequency, etc. for coding

GHMM nice for overall architecture

Careful attention to small details pays

Problems with BK training set

- 1 gene per sequence
- Annotation errors
- Single exon genes over-represented?
- Highly expressed genes over-represented?
- Moderate sized genes over-represented? (none > 30 kb) ...
- Similar problems with other training sets, too (Of course we can now do better for human, mouse, etc., but

what about cockatoos or cows or endangered frogs, or ...)

Problems with all methods

Pseudo genes (~ 14,000 in human) Short ORFs Sequencing errors Non-coding RNA genes & spliced UTR's **Overlapping genes** Alternative TSS/polyadenylation/splicing Hard to find novel stuff – not in training Species-specific weirdness – spliced leaders, polycistronic transcripts, RNA editing...

Other important ideas

Database search - does gene you're predicting look anything like a known protein? If that protein is an important player in some pathway, are related genes also present?

Comparative genomics - what does this region look like in related organisms?