

check out all these logos



Verb Physics

and factor graphs

Max Forbes pretending to be Yejin Choi

January 29, 2020
CSE 447 / 547

Today's takeaways

1. NLP needs commonsense
2. We can learn (some) commonsense from text!

Today's takeaways

1. NLP needs commonsense

PART I

2. We can learn (some) commonsense from text!

PART II

Today's takeaways

1. NLP needs commonsense

PART I

2. We can learn (some) commonsense from text!

PART II

Factor graphs
PART II – INTERLUDE

PART I

NLP needs commonsense

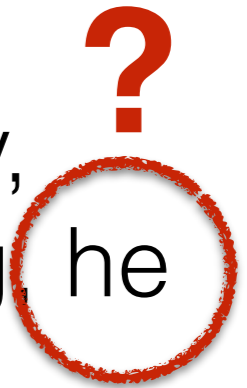
COMMONSENSE IN: SYNTACTIC PARSING

I shot the elephant in my pajamas.



COMMONSENSE IN: COREFERENCE RESOLUTION

Obama met Jobs to discuss the economy,
technology, and education. After the meeting, he
signed a bill to introduce [...]



COMMONSENSE IN: SPEECH RECOGNITION

“... go ahead and grill the ██████”

dish	0.5
fish	0.3
miss	0.1
...	

?



VS



COMMONSENSE IN: NATURAL LANGUAGE GENERATION

- Preheat the oven to 350 F.
- Tenderize the chicken with a large mallet.
- Season the chicken with the spice mixture.
- Serve chicken on top of a bed of rice.

Done!?



COMMONSENSE IN: AI CHALLENGES

The large ball crashed right through the table because it was made of **steel**.

What was made of **steel**?

The large ball crashed right through the table because it was made of **styrofoam**.

What was made of **styrofoam**?

PART II

Verb Physics



[Gao et al., 2016]



[Angeli and Manning, 2014]



[Gordon and Schubert, 2012]



[Li et al., 2014]

Physical properties of objects

What is the **physical** world like?

size

How big are dogs?
Tennis balls? Cars?

weight

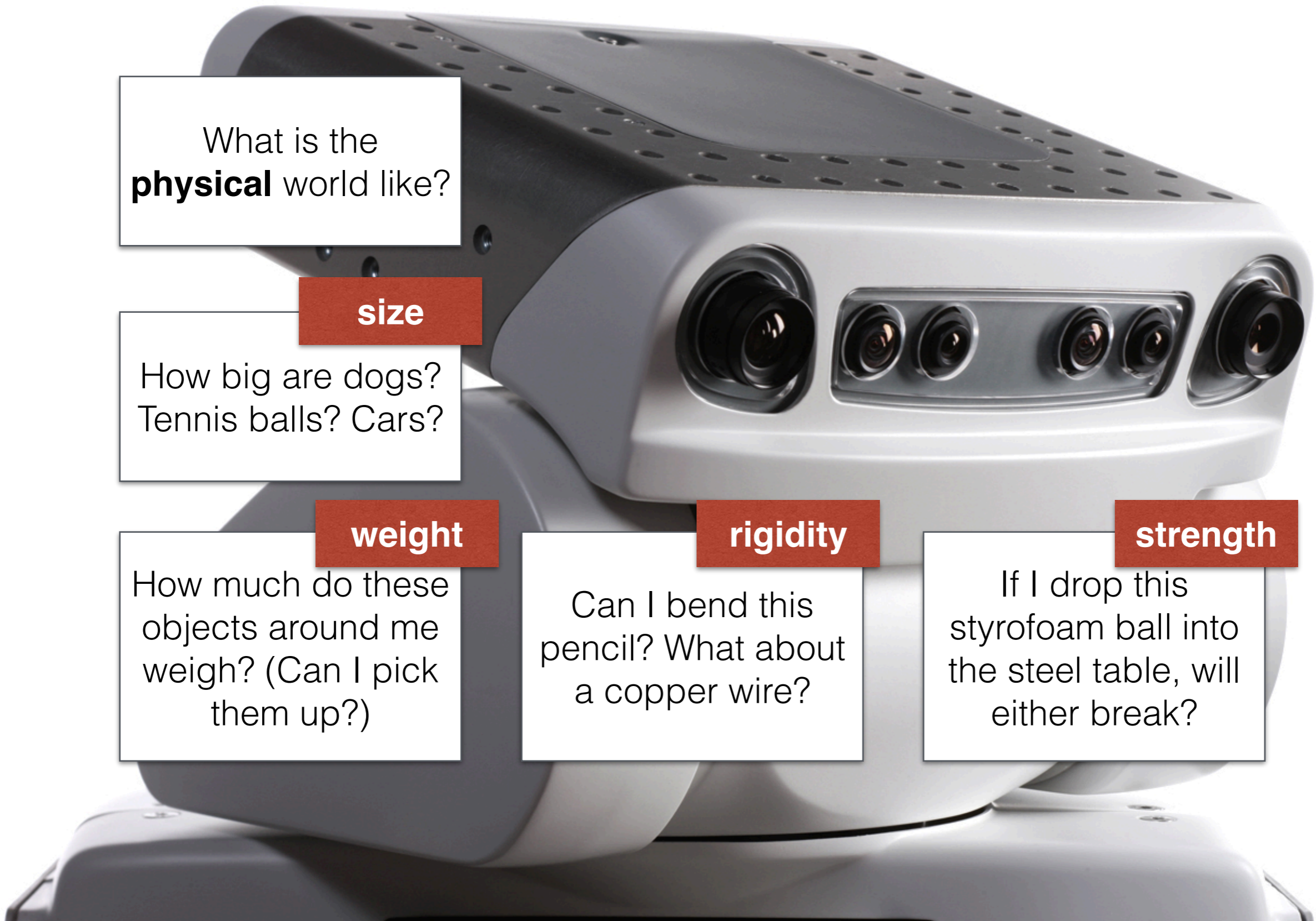
How much do these
objects around me
weigh? (Can I pick
them up?)

rigidity

Can I bend this
pencil? What about
a copper wire?

strength

If I drop this
styrofoam ball into
the steel table, will
either break?



“I am larger than a chair”

~~*“I am larger than a chair”*~~

~~*“I am larger than a pen”*~~

~~*“I am larger than a stone”*~~

~~*“I am larger than a chair”*~~

~~*“I am larger than a ball”*~~

~~*“I am larger than a towel”*~~

*“The horse was as
small as a dog!”*

⇒ horse =size dog ?



“Hey robot, pass me the <unk>.”

“OK.” (attempts to pick up table)

“I **picked up** the <thing>.”

“I took a **drink from** the <thing>.”

“The <thing> **shattered** when it hit the ground



Two related problems

Physical properties implied by predicates

“I **picked up** the <thing>.”

“I took a **drink from** the <thing>.”

“The <thing> **shattered** when it hit the ground

Physical properties of objects



strength



1. Introduction
2. Related work
- 3. Approach**
4. Model
5. Data
6. Evaluation

Two related problems

Physical properties implied by predicates

“I **picked up** the <unk>.”

“I took a **drink from** the <unk>.”

“The <unk> **shattered** when it hit the ground

Physical properties of objects

size



weight



strength



Attributes

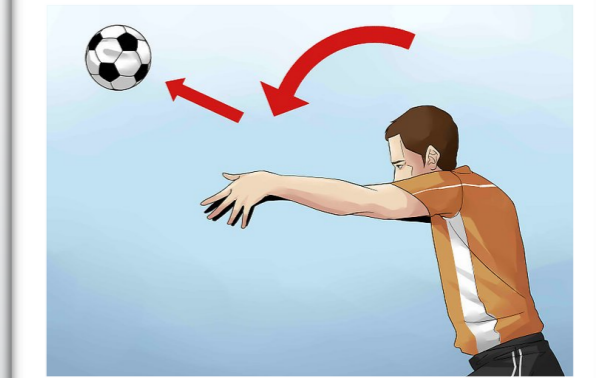
x > size y



x > weight y



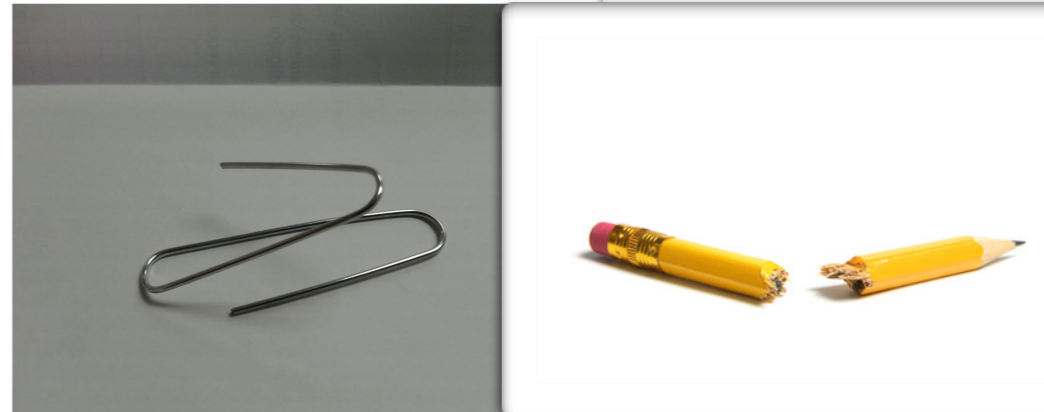
x > speed y



x > strength y



x < rigidness y



$x \succ_{\text{size}} y$

$x \succ_{\text{weight}} y$

$x \prec_{\text{rigidness}} y$

$x \prec_{\text{strength}} y$

$x \prec_{\text{speed}} y$

Individual-level

Always true

Stage-level

**True in window
surrounding predicate**

“I threw the _____”

“I threw the _____”

ball

stone

chair

“I threw the _____”

ball

stone

chair

~~*game*~~

~~*party*~~



“I threw the _____”

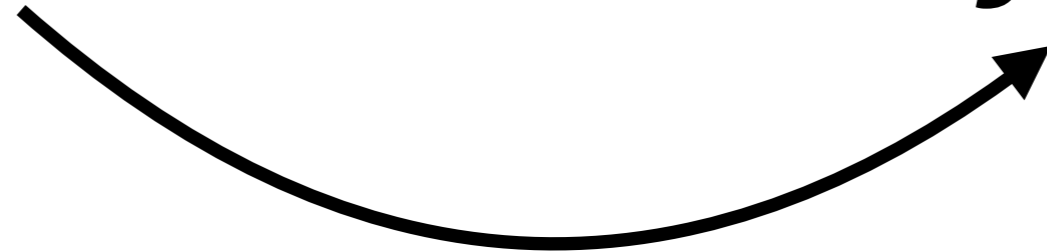
ball

stone

chair

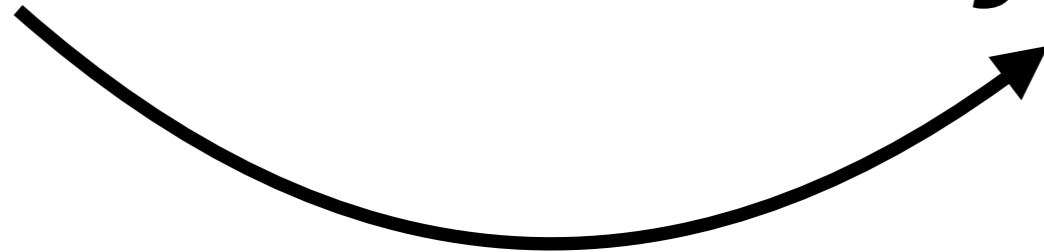
x threw *y*

x* threw *y



x* is bigger than *y

x threw y



x is bigger than y

x weighs more than y

as a result, y will be moving faster than x

Action frame

x threw y

$\Rightarrow x >_{\text{size}} y$

$\Rightarrow x >_{\text{weight}} y$

$\Rightarrow x <_{\text{speed}} y$

Terminology

Action frames — *simple syntax-based verb constructions that compare two objects*

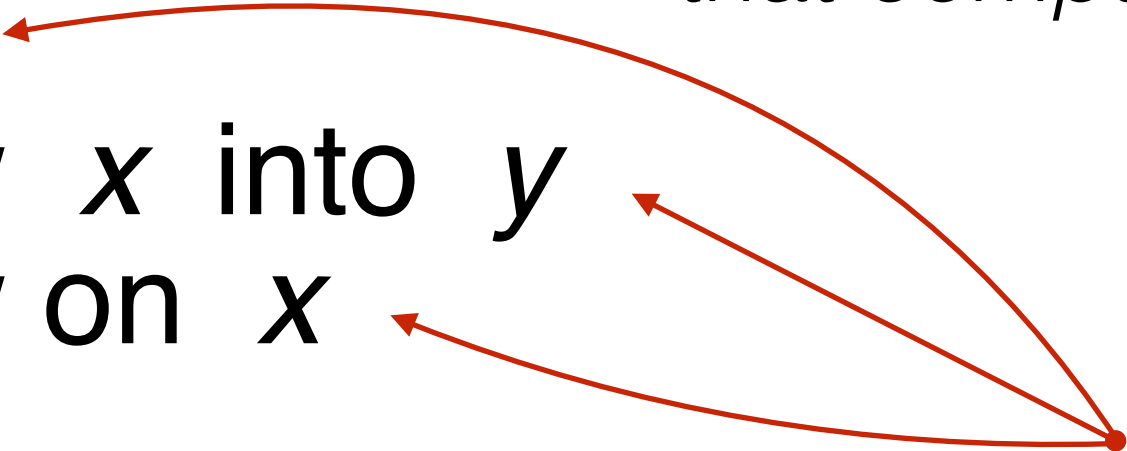
Terminology

Action frames — *simple syntax-based verb constructions that compare two objects*

x* threw *y

PERSON threw *x* into *y*

PERSON threw on *x*



distinct action frames for the same verb

Terminology

Action frames — *simple syntax-based verb constructions that compare two objects*

x threw *y*

PERSON threw *x* into *y*

PERSON threw on *x*

Objects — *non-abstract nouns*

✓ ball

✗ ~~evil~~

✓ train

✗ ~~time~~

Two related problems

Physical properties implied by predicates

“I **picked up** the <thing>.”

“I took a **drink from** the <thing>.”

“The <thing> **shattered** when it hit the ground

Physical properties of objects

size



weight



strength



Two related problems

Physical properties implied by predicates

Example

takes values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$

$F = \text{“}x \text{ threw } y\text{”}$

attribute: size

correct value: $\boxed{>}$

intuition: “ x threw y ”

$\implies x >^{\text{size}} y$

Physical properties of objects

size



weight



strength



Two related problems

Physical properties implied by predicates

Example

takes values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$

$F =$ “x threw y”

attribute: size

correct value: $\boxed{>}$

intuition: “x threw y”

$\implies x >^{\text{size}} y$

Physical properties of objects

Example

takes values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$

$J_{p,q} =$ (person, ball)

attribute: size

correct value: $\boxed{>}$

intuition: people are
generally larger
than balls

Solving both puzzles together

x threw y

Action frame

FRAME KNOWLEDGE

Solving both puzzles together

x threw y

FRAME KNOWLEDGE

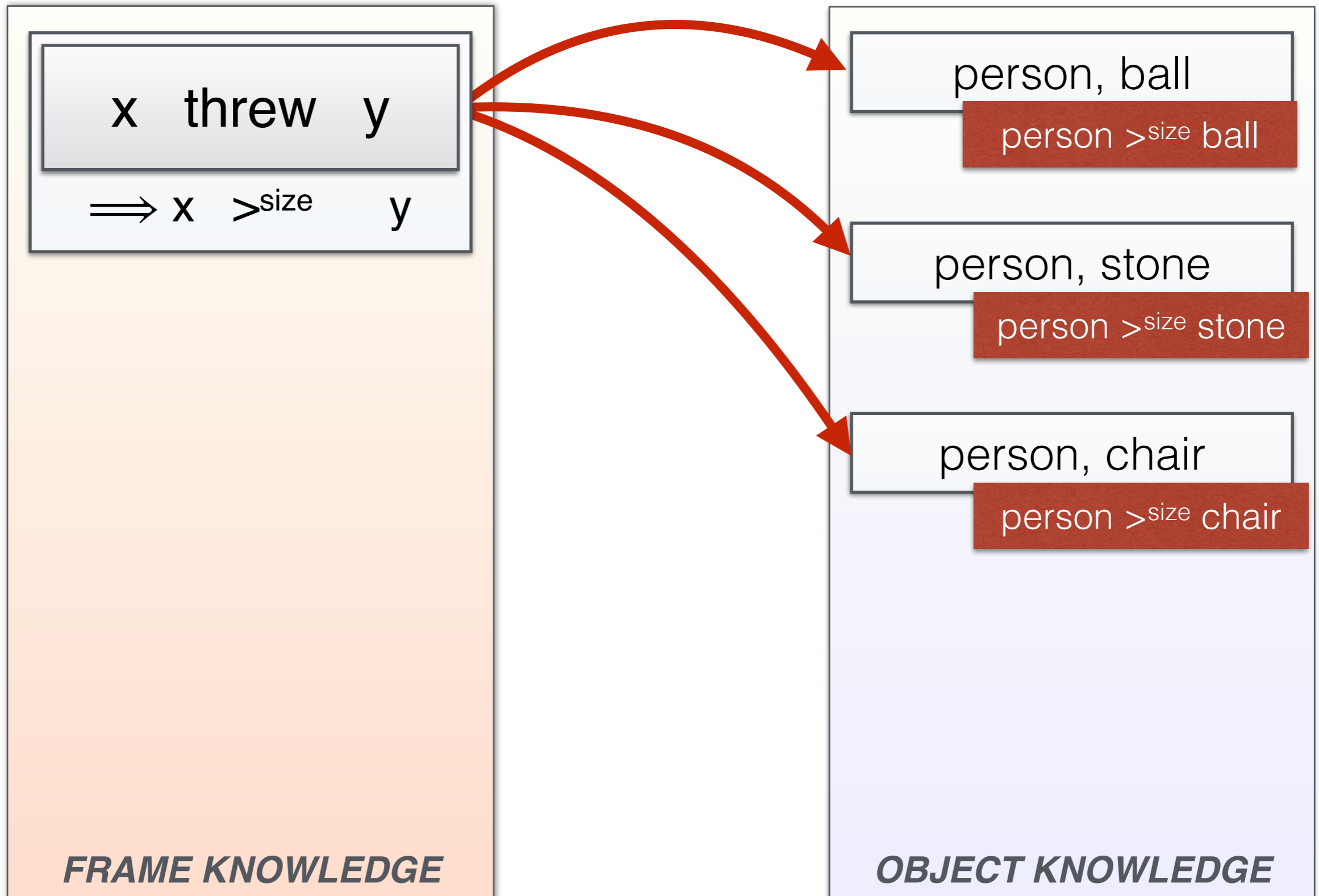
person, ball

person, stone

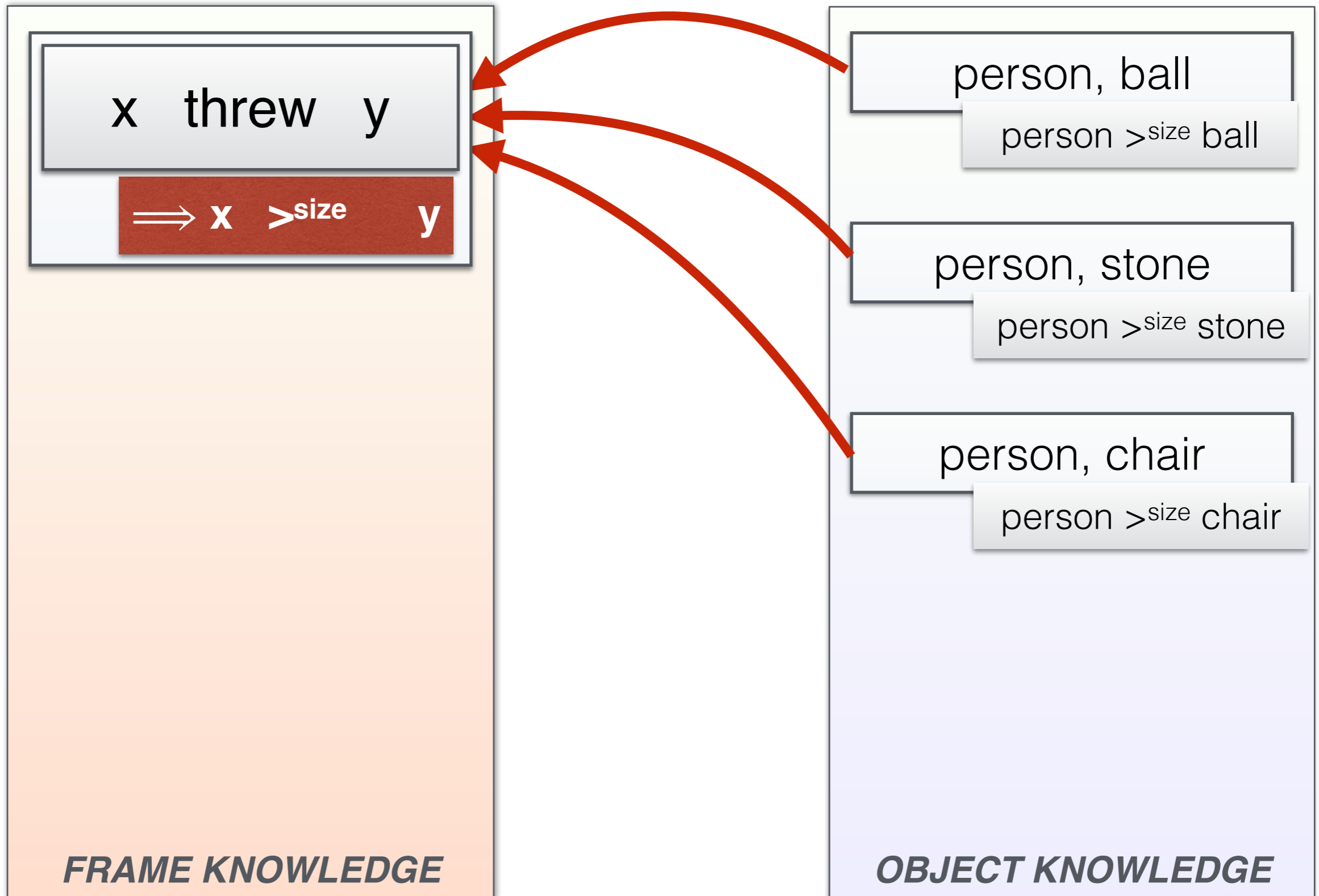
person, chair

OBJECT KNOWLEDGE

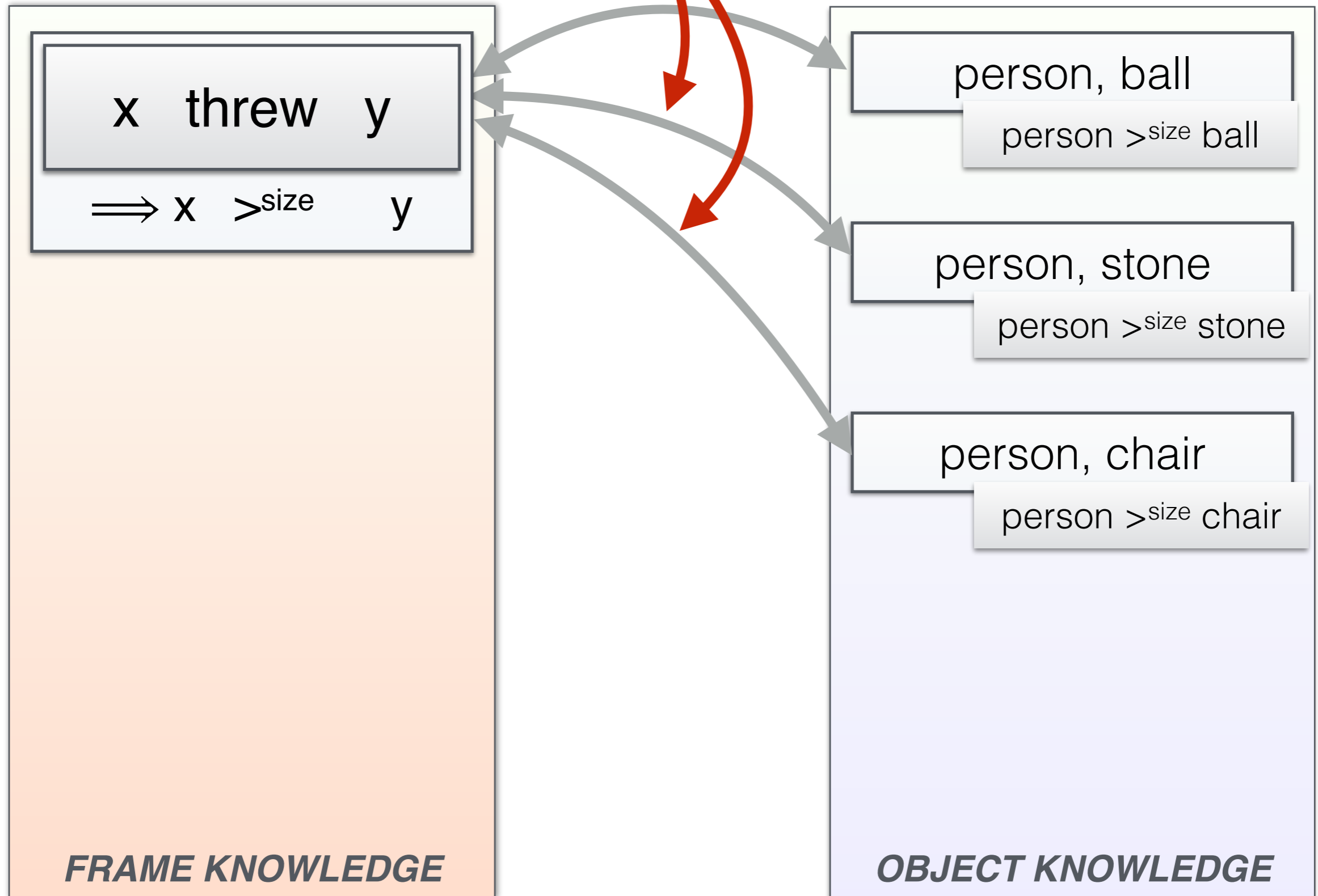
Solving both puzzles together



Solving both puzzles together



OBSERVABLE IN LANGUAGE (!)



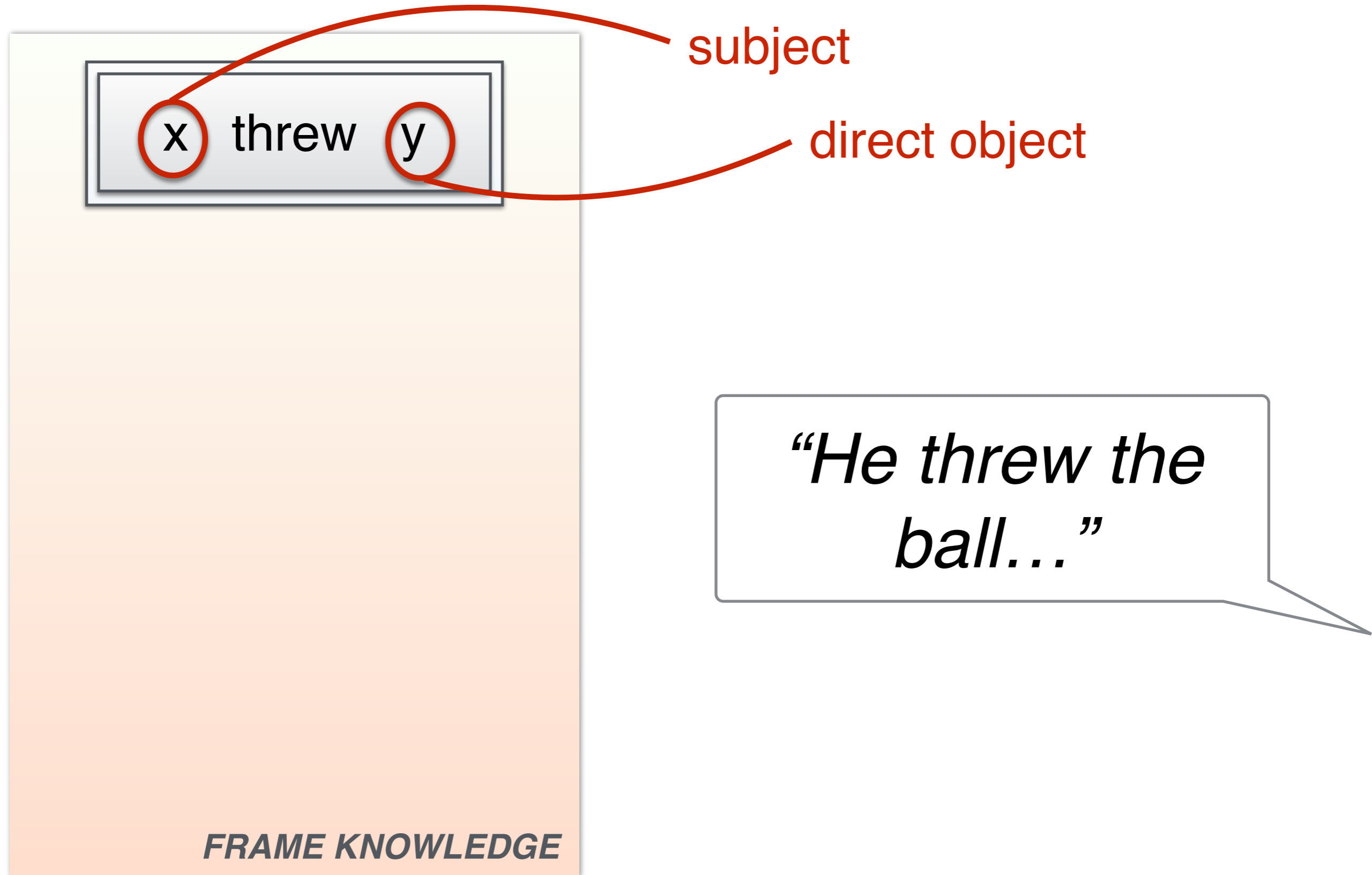
Action frame constructions

x threw y

*“He threw the
ball...”*

FRAME KNOWLEDGE

Action frame constructions



subject

direct object

*“He threw the
ball...”*

FRAME KNOWLEDGE

Action frame constructions

x threw y

x walked into y

subject

object of
preposition

*“I walked into my
office ...”*

*“I walked into the
library ...”*

FRAME KNOWLEDGE

Action frame constructions

x threw y

x walked into y

FRAME KNOWLEDGE

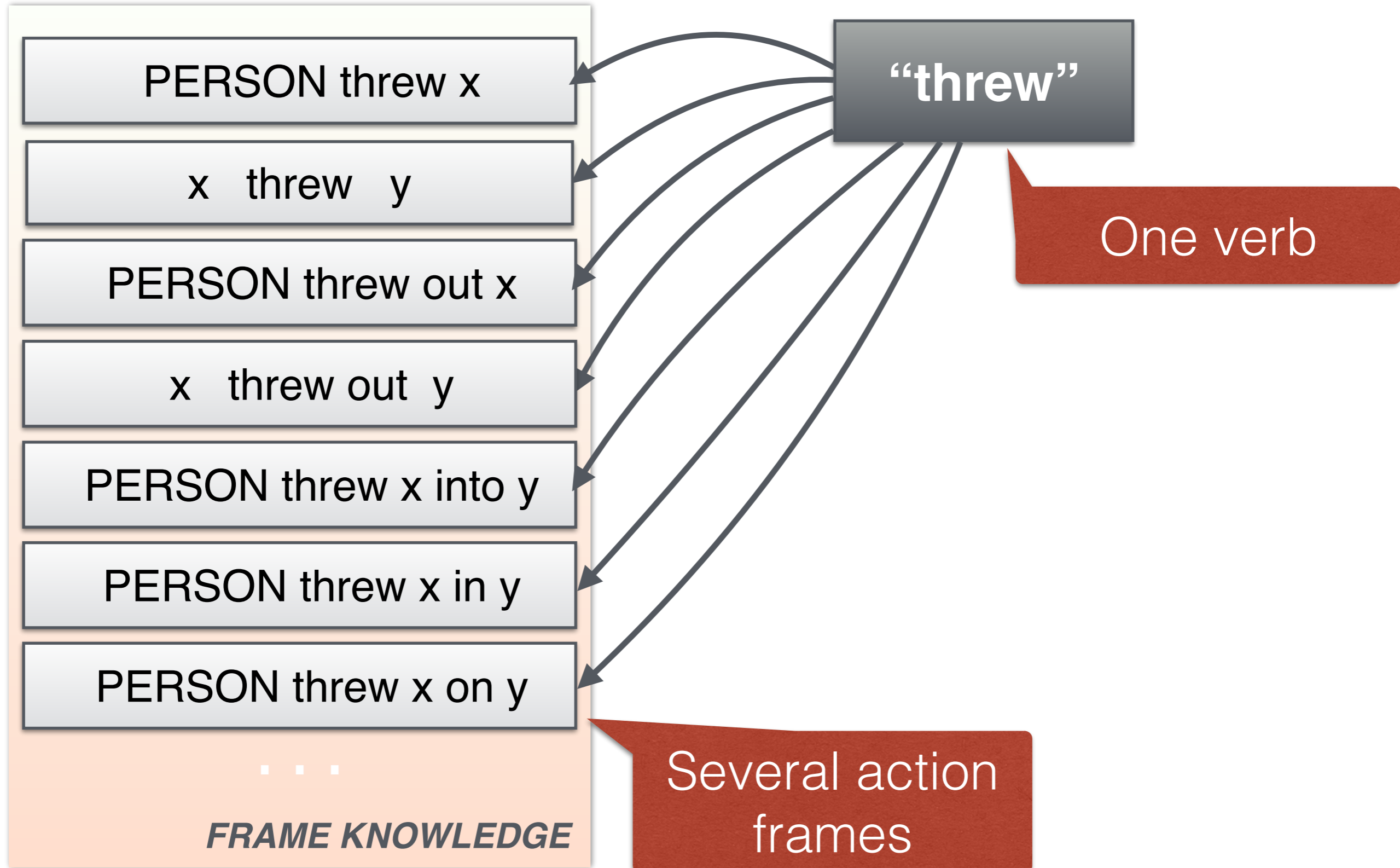
I squashed x with y

direct object

object of
preposition

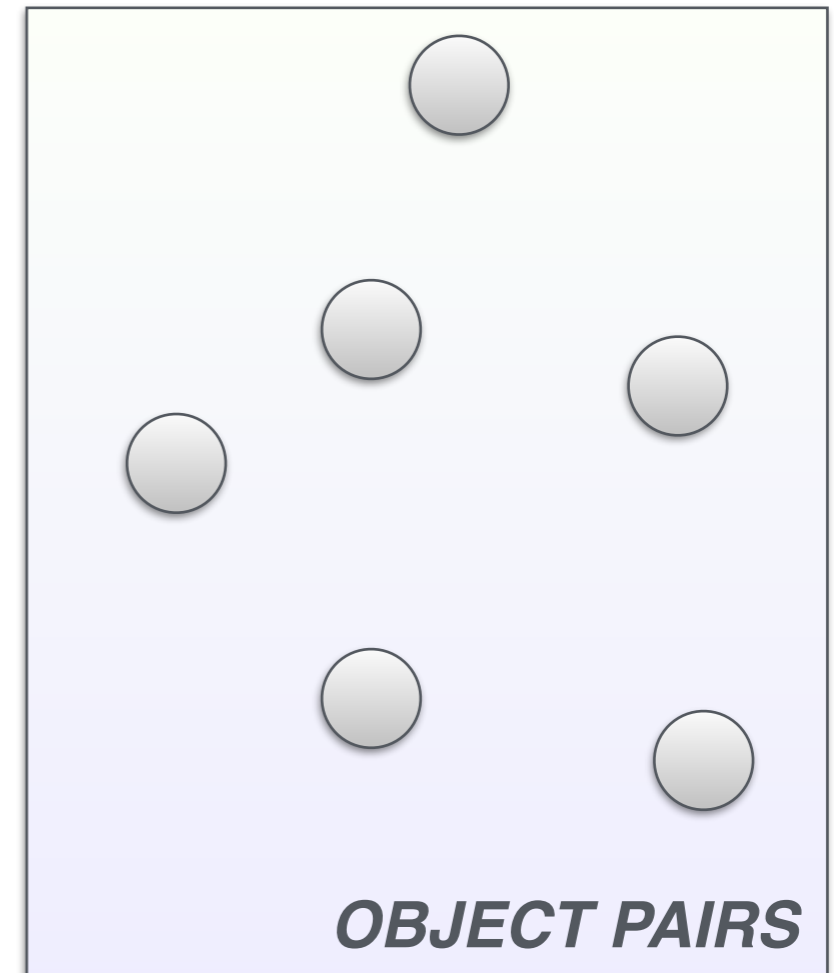
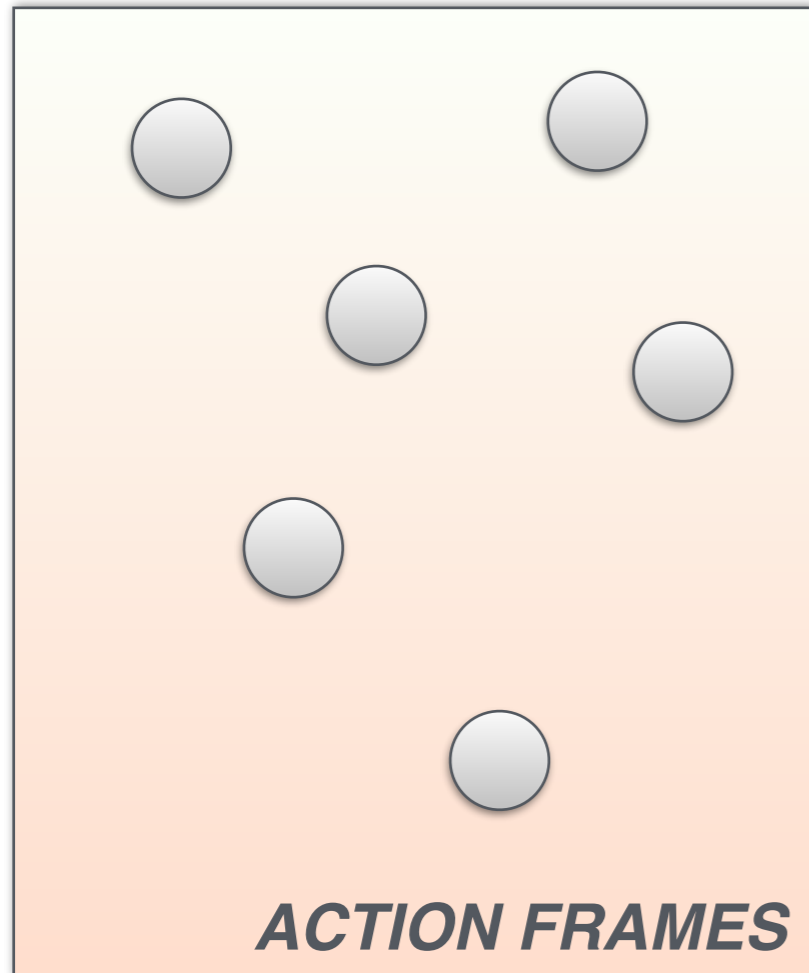
*“I squashed the
bug with my*

Action frame constructions

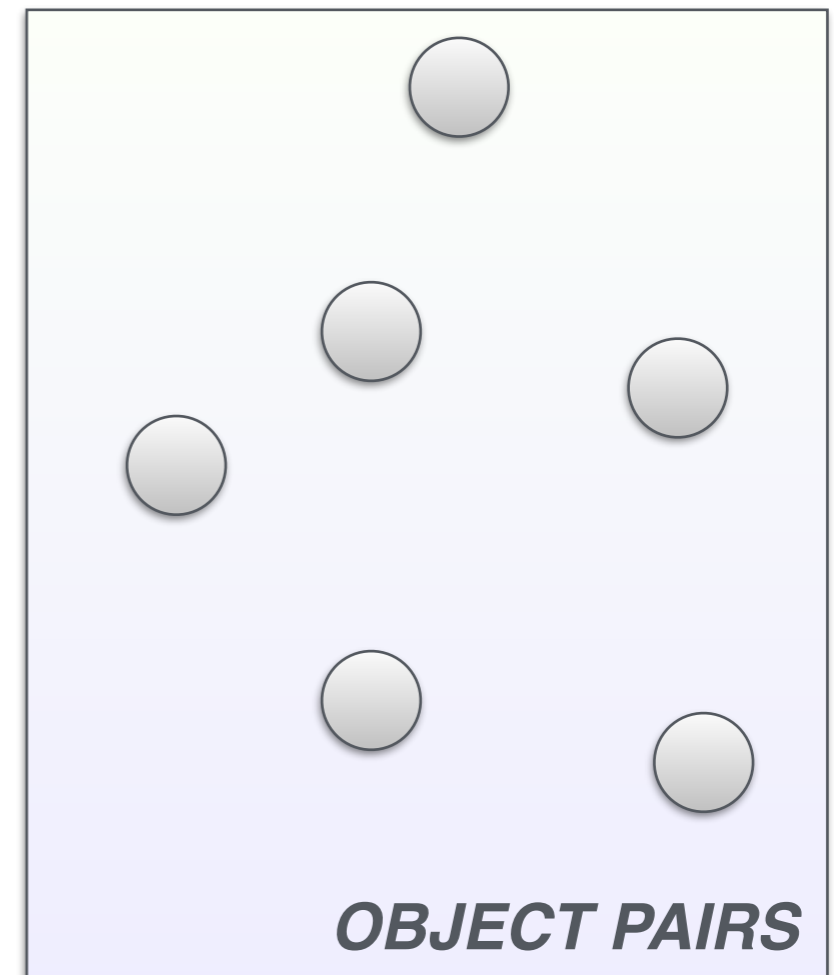
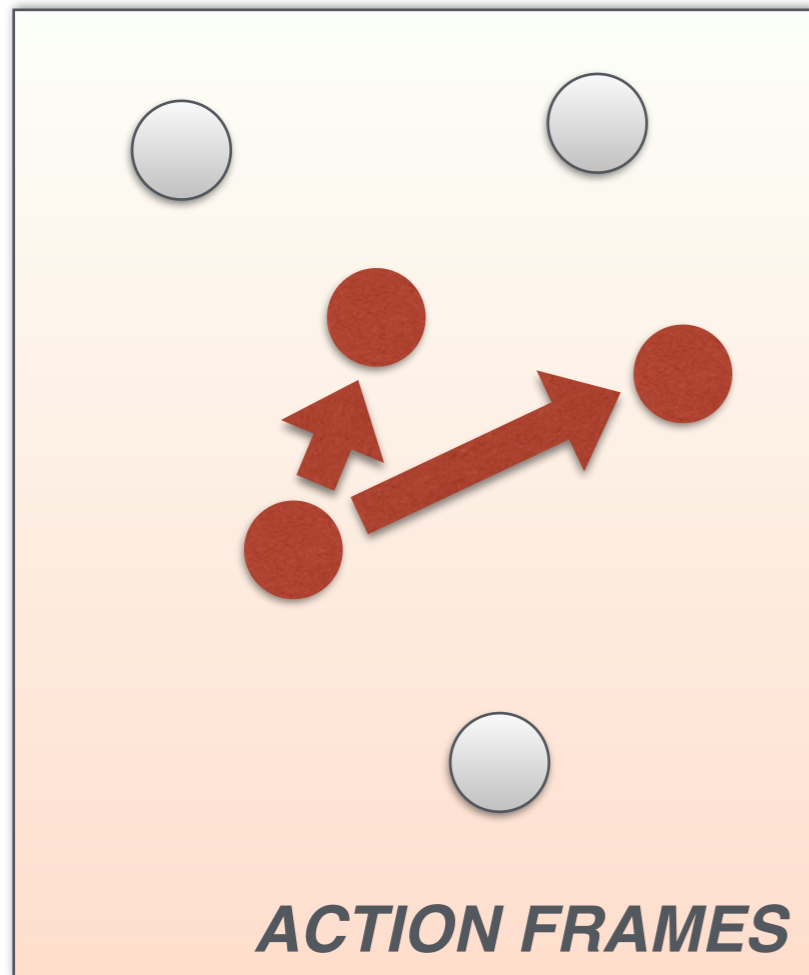


1. Introduction
2. Related work
3. Approach
- 4. Model**
5. Data
6. Evaluation

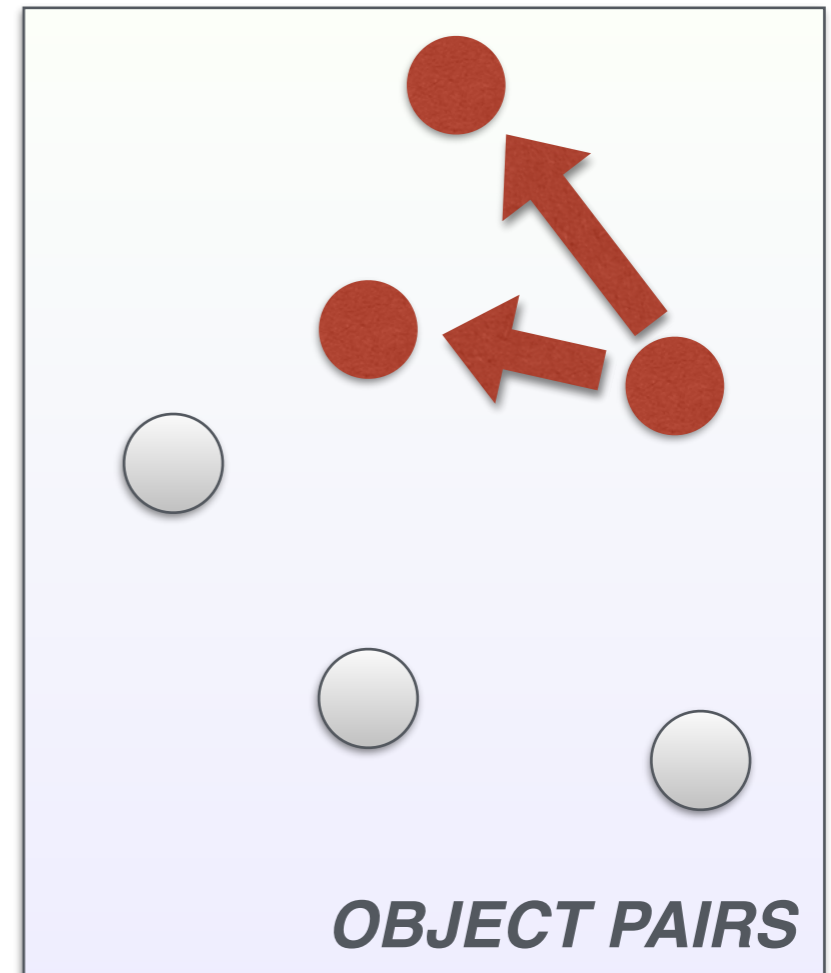
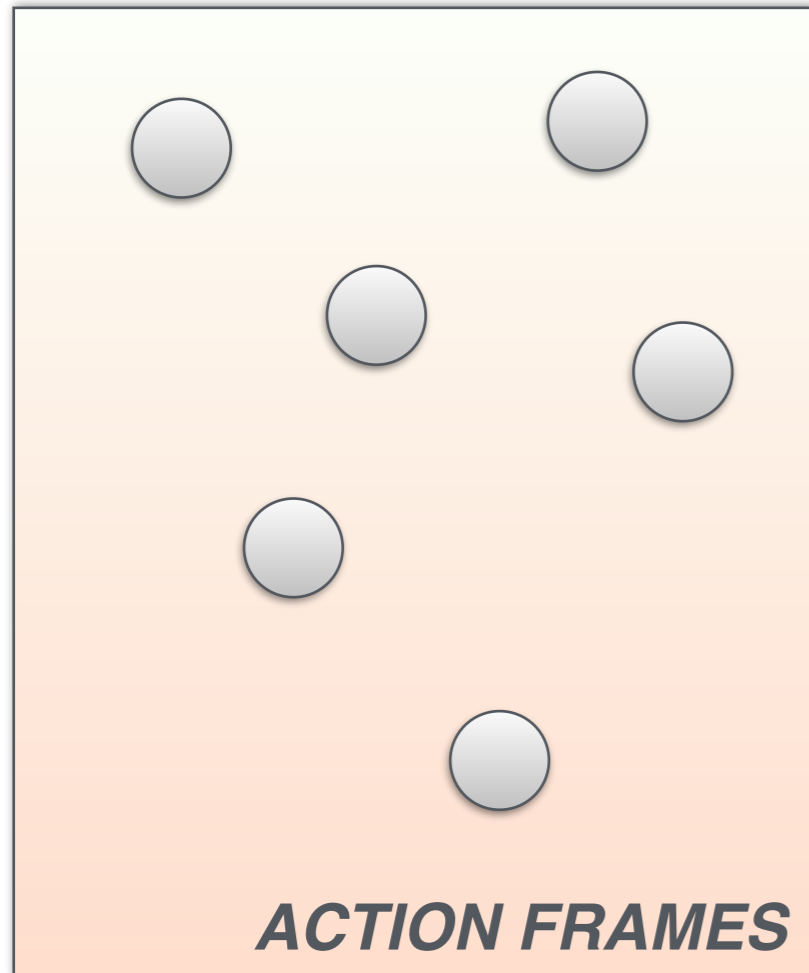
High level model



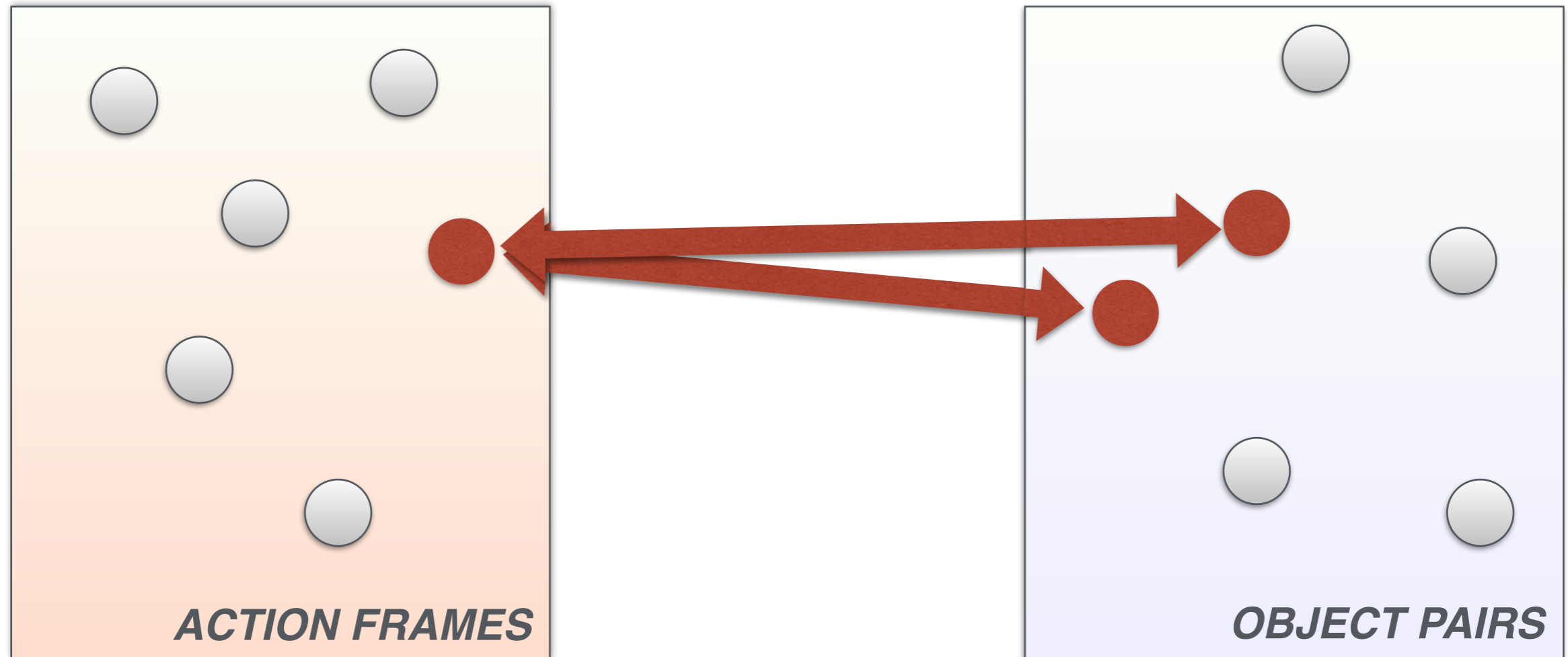
High level model



High level model

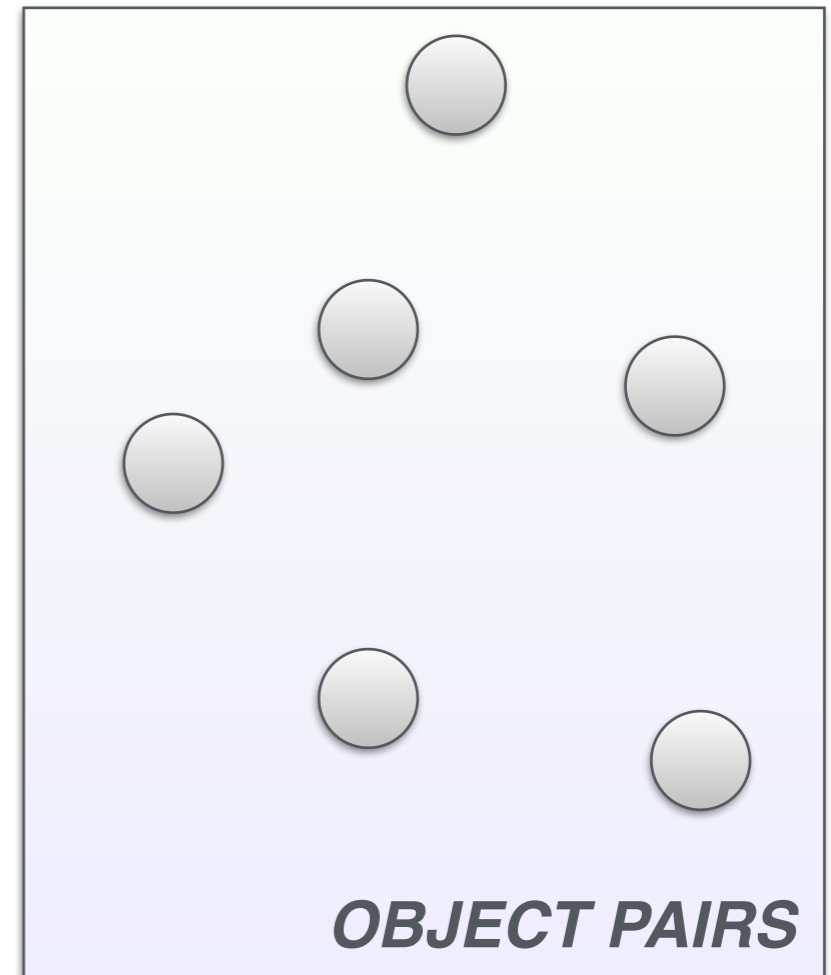
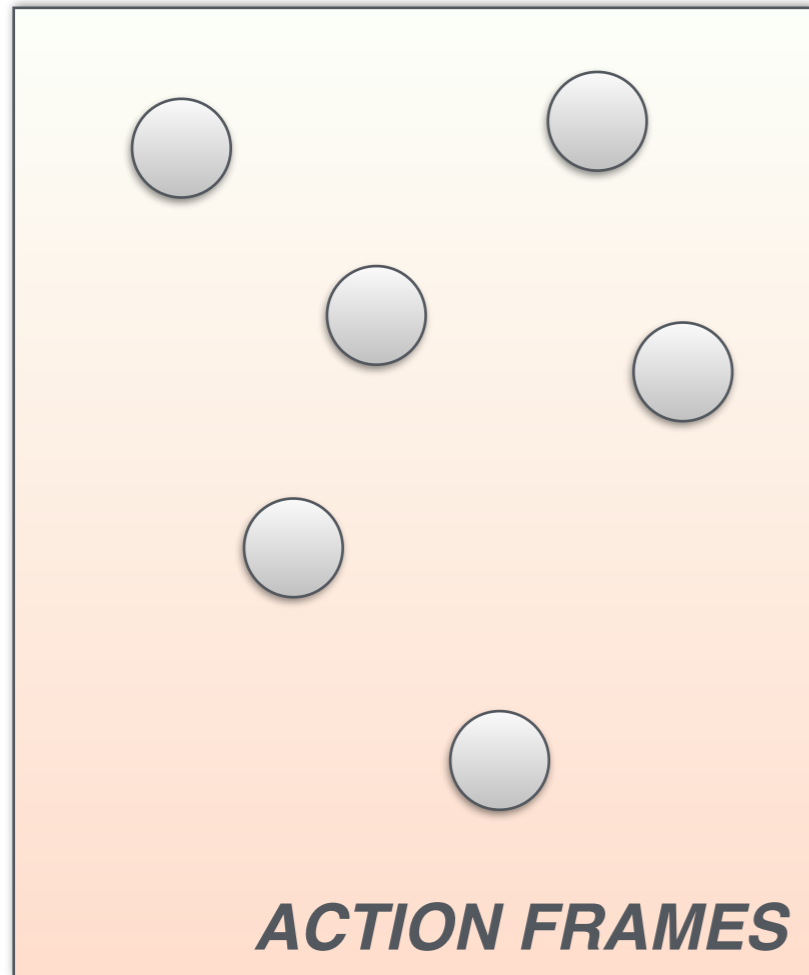


High level model



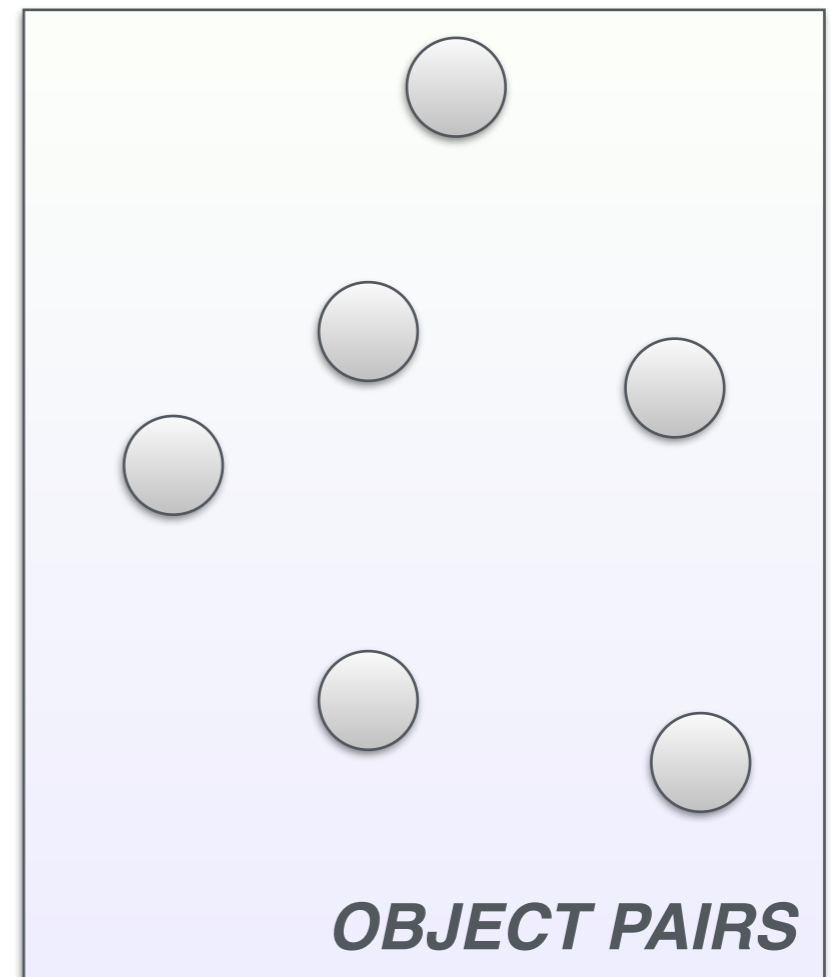
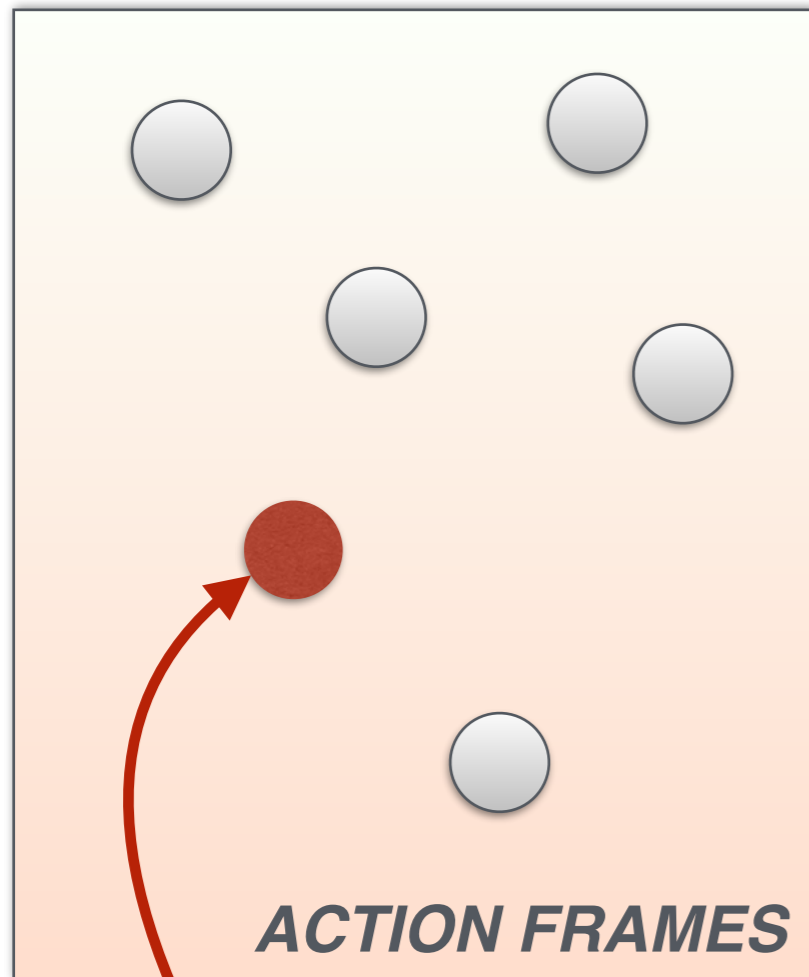
Random variables $F_{v_t}^a$

Take values in $\{\boxed{>}, \boxed{<}, \boxed{=}\}$



Random variables $F_{v_t}^a$

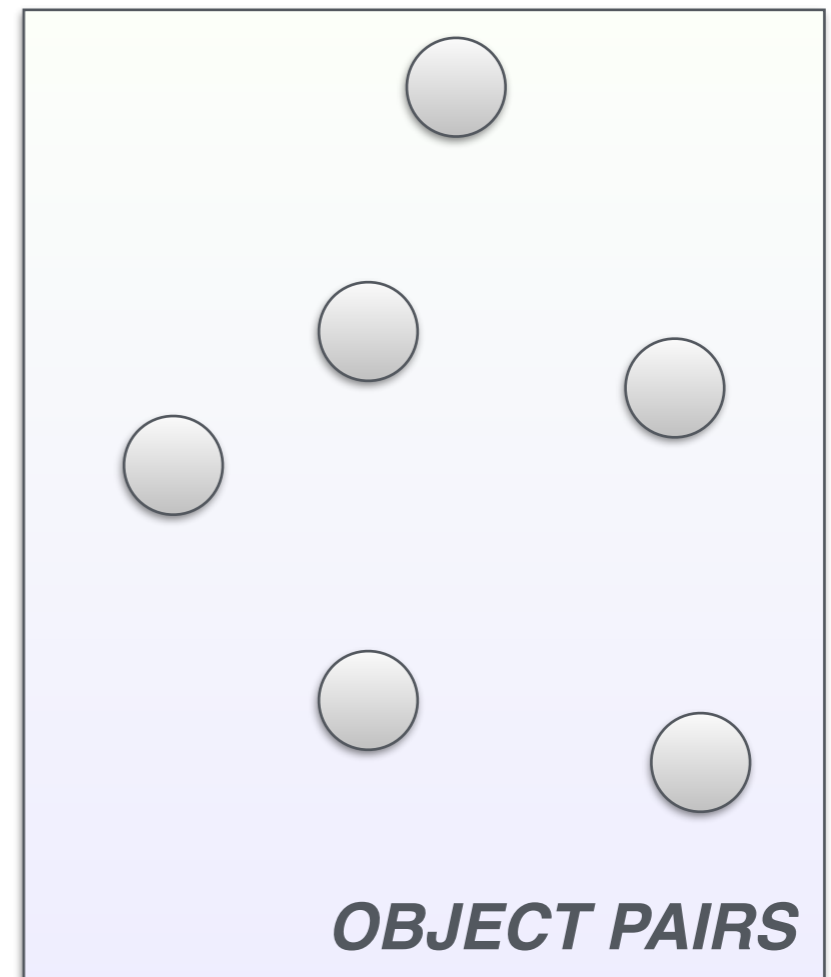
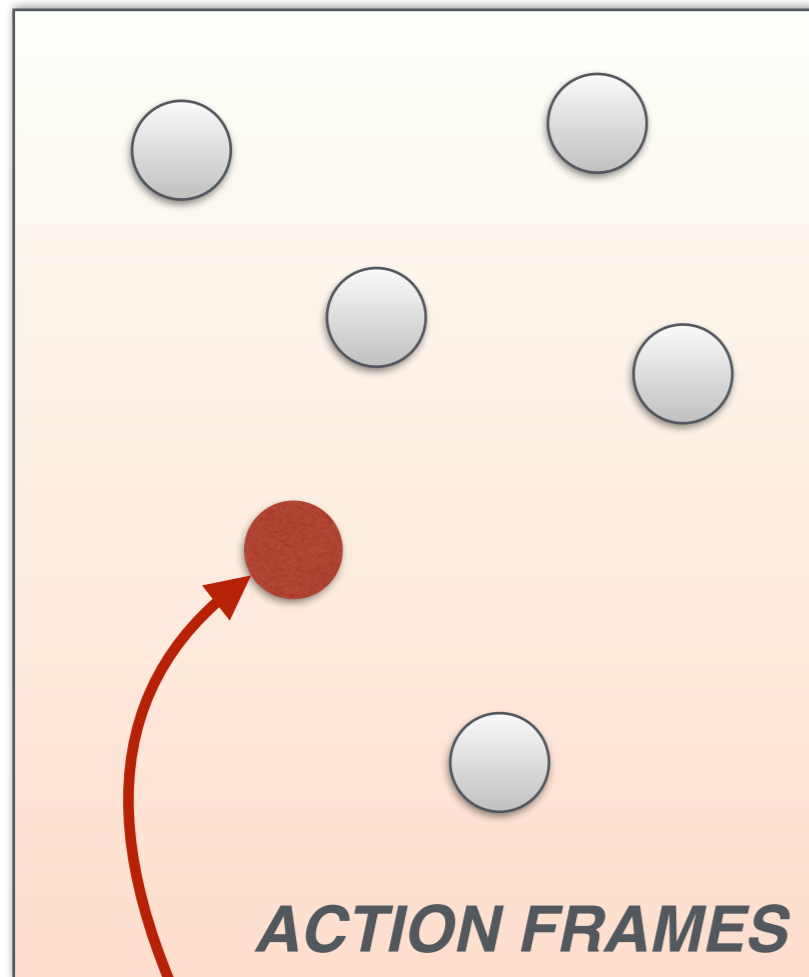
Take values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$



$F_{\text{threw}_1}^{\text{size}} \approx \text{“}x \text{ threw } y\text{”}$

Random variables $F_{v_t}^a$

Take values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$

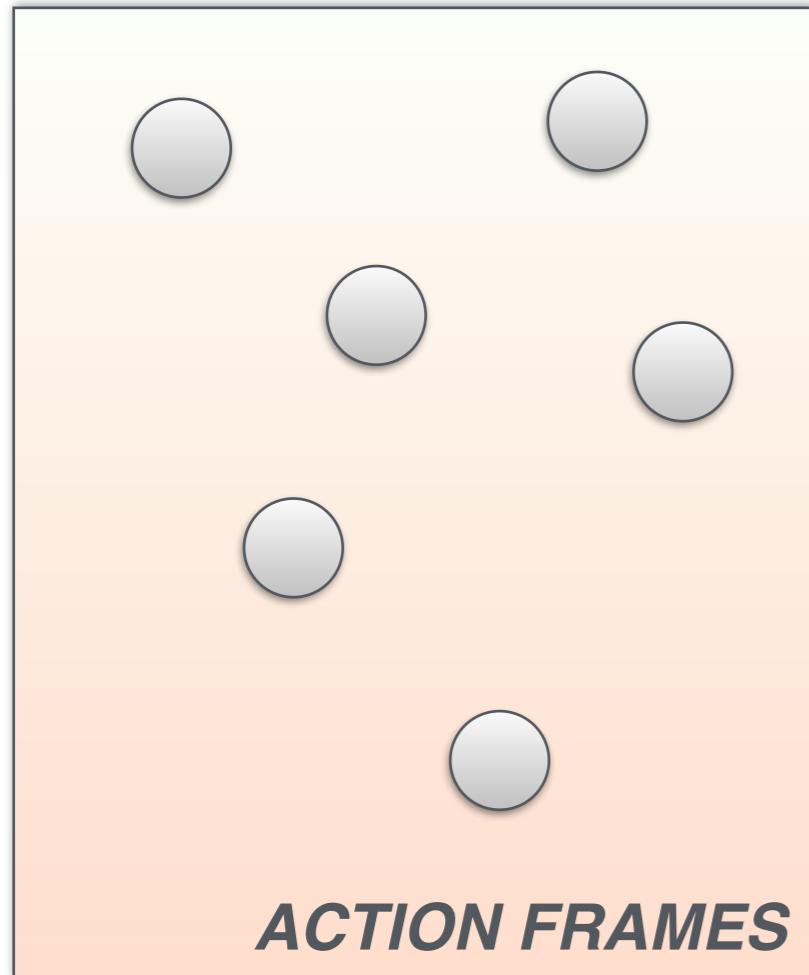


$F_{\text{threw}_1}^{\text{size}} \approx \text{“}x \text{ threw } y\text{”}$

$$p(F_{\text{threw}_1}^{\text{size}} = \boxed{>}) := p(\text{“}x \text{ threw } y\text{”} \Rightarrow x >^{\text{size}} y)$$

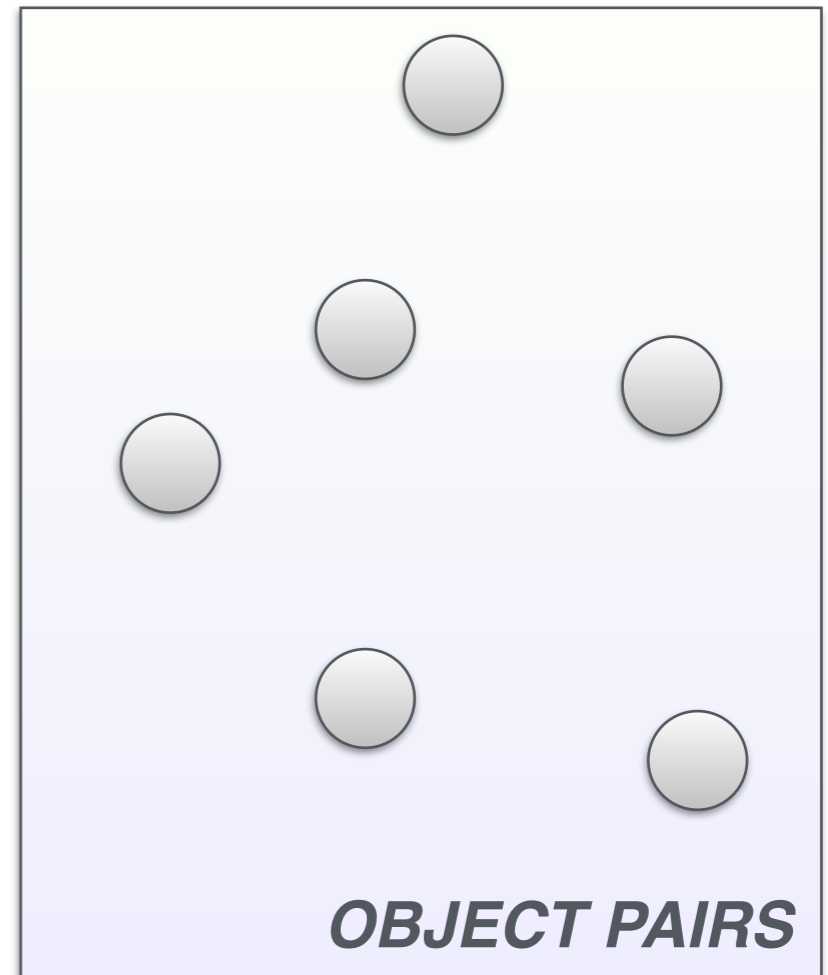
Random variables $F_{v_t}^a$

Take values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$



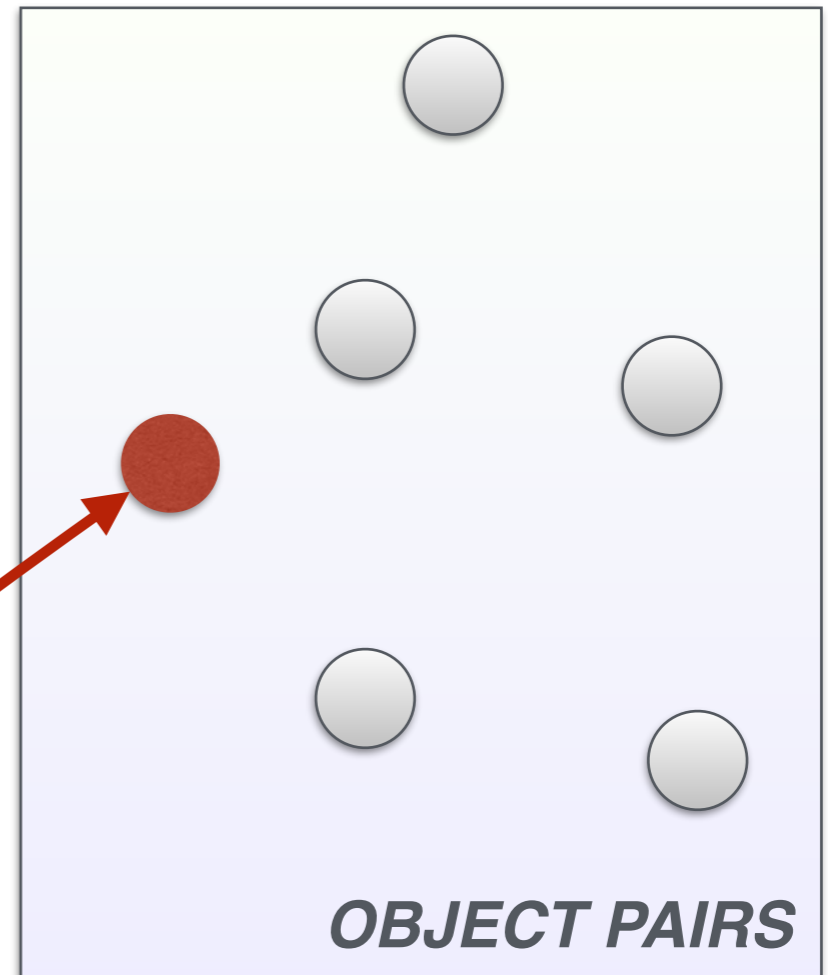
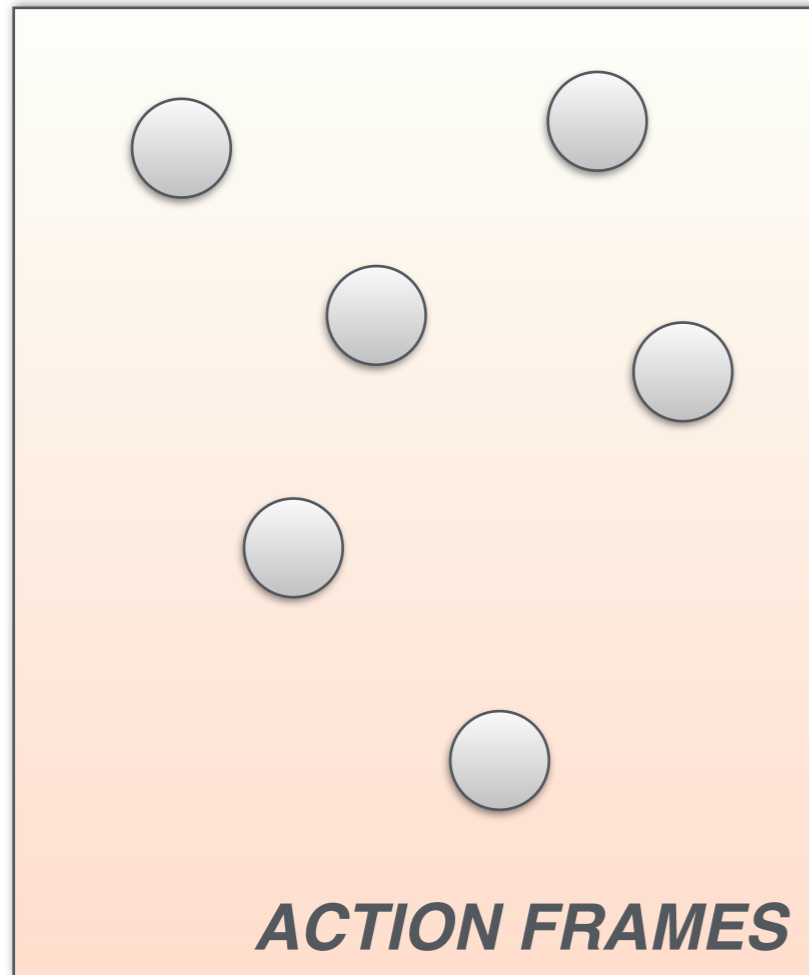
Random variables $J_{p,q}^a$

Take values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$



Random variables $F_{v_t}^a$
Take values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$

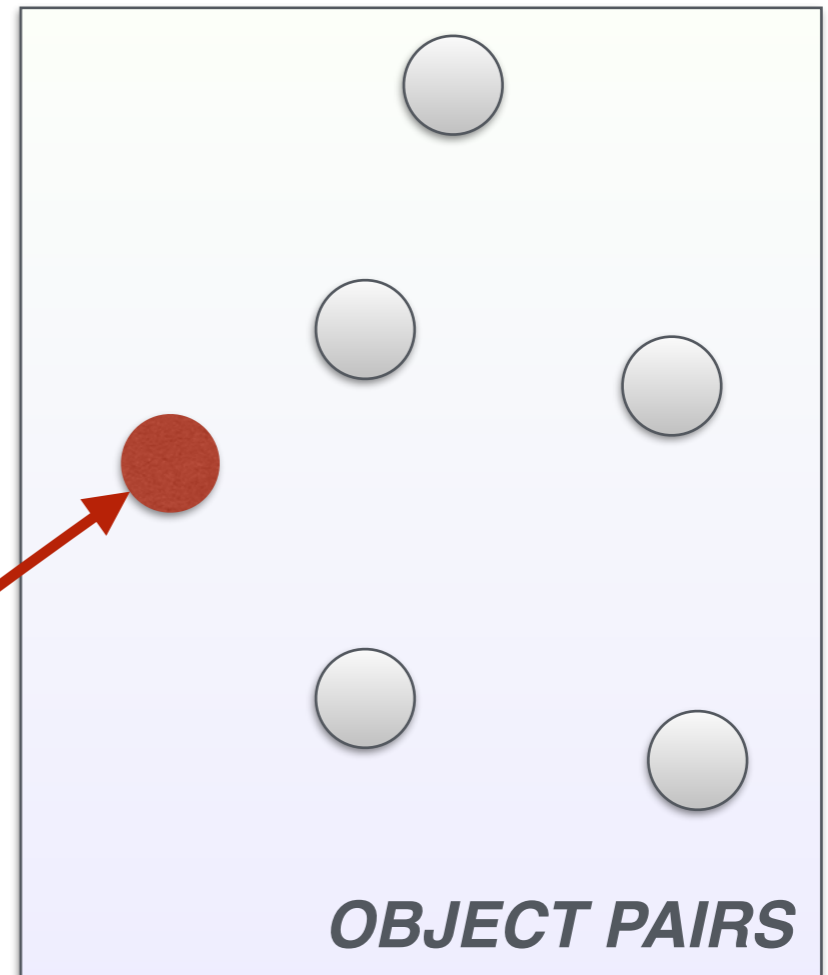
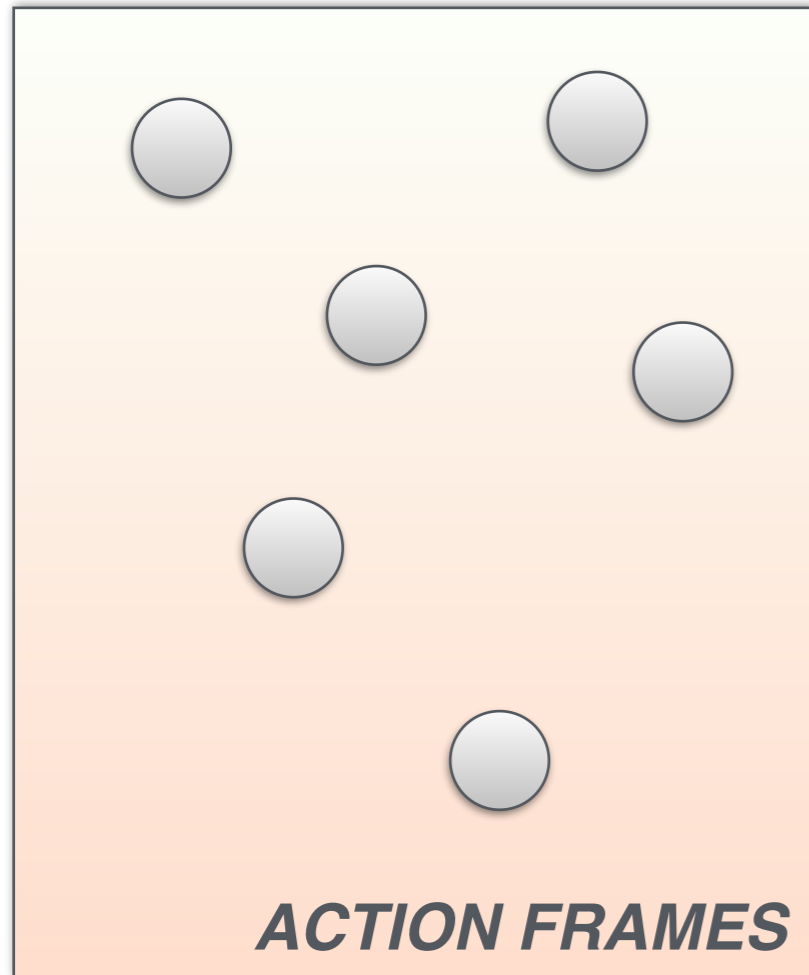
Random variables $J_{p,q}^a$
Take values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$



$J_{\text{PERSON},ball}^{\text{size}} \approx (\text{PERSON}, \text{ball})$

Random variables $F_{v_t}^a$
 Take values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$

Random variables $J_{p,q}^a$
 Take values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$

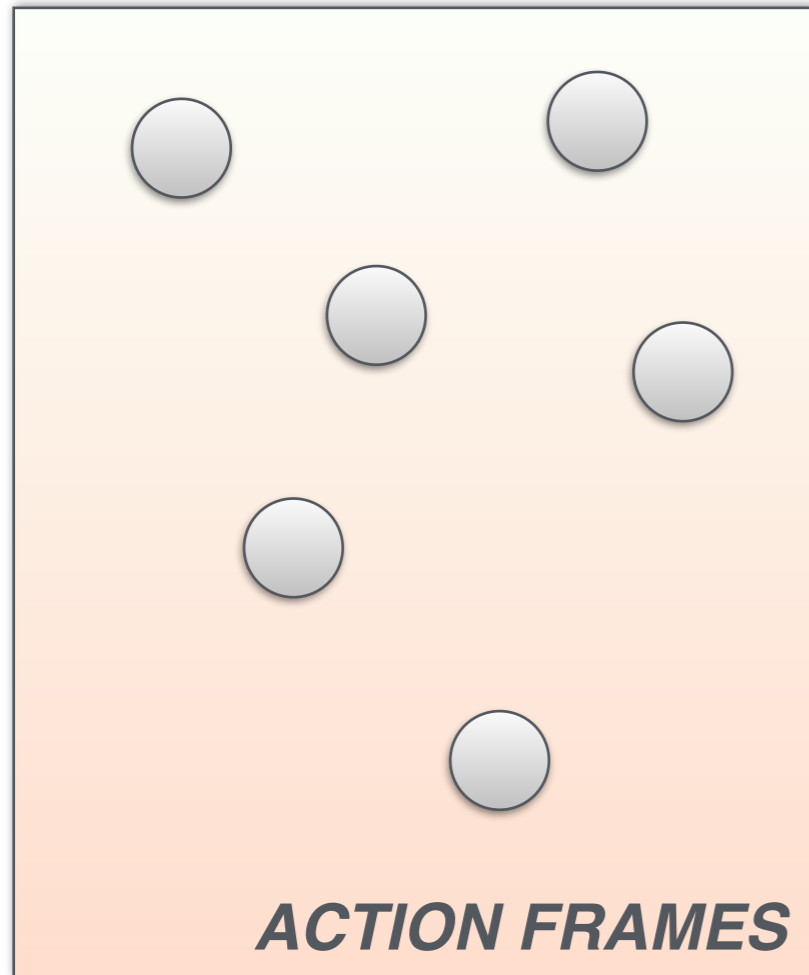


$$J_{\text{PERSON}, \text{ball}}^{\text{size}} \approx (\text{PERSON}, \text{ball})$$

$$p(J_{\text{PERSON}, \text{ball}}^{\text{size}} = \boxed{>}) := p(\text{PERSON} >^{\text{size}} \text{ball})$$

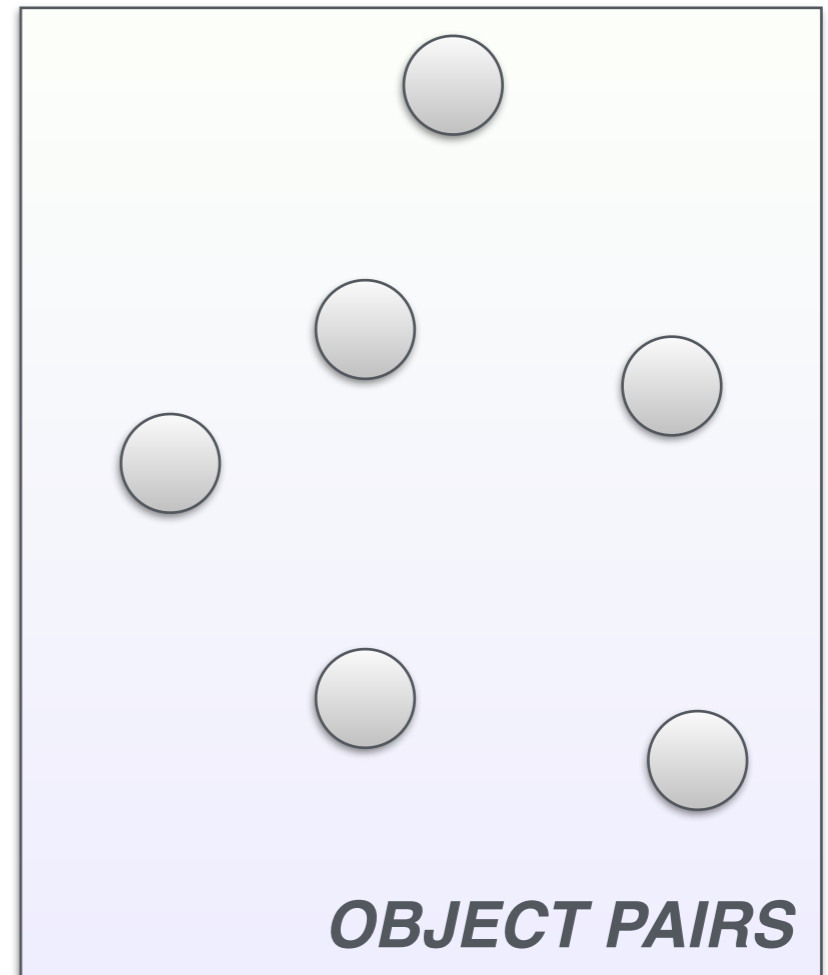
Random variables $F_{v_t}^a$

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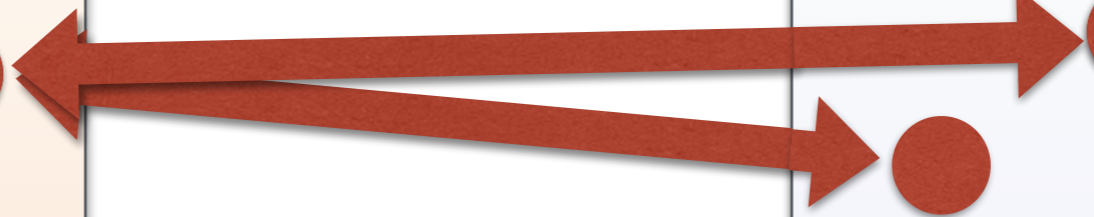
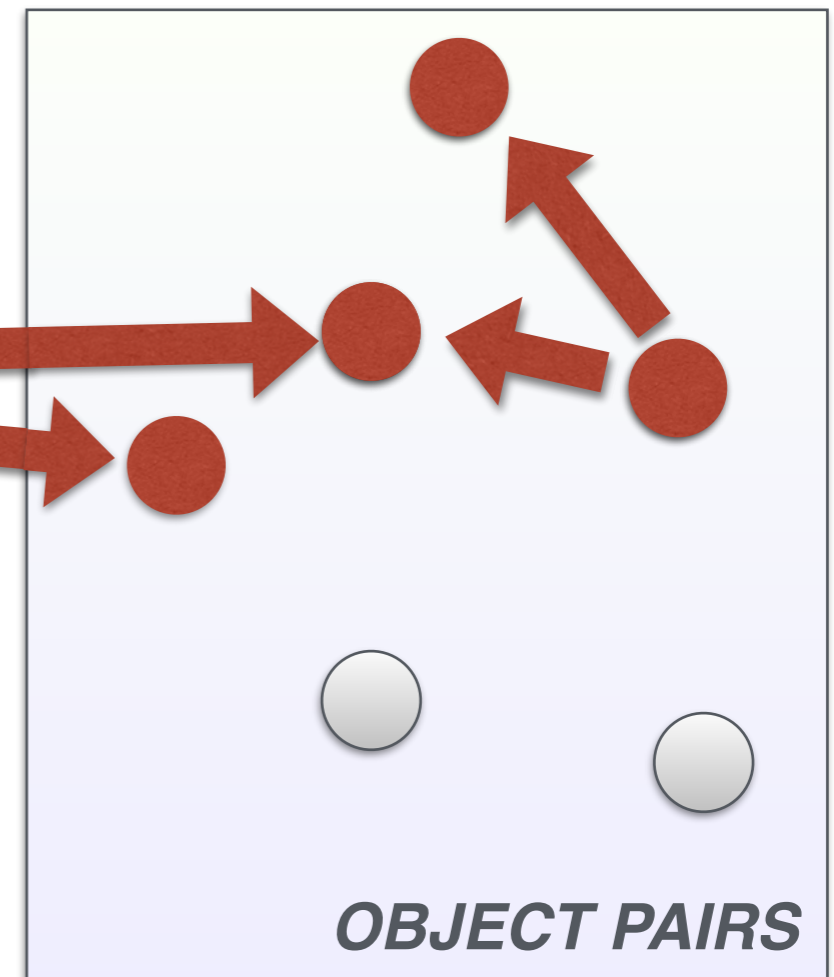
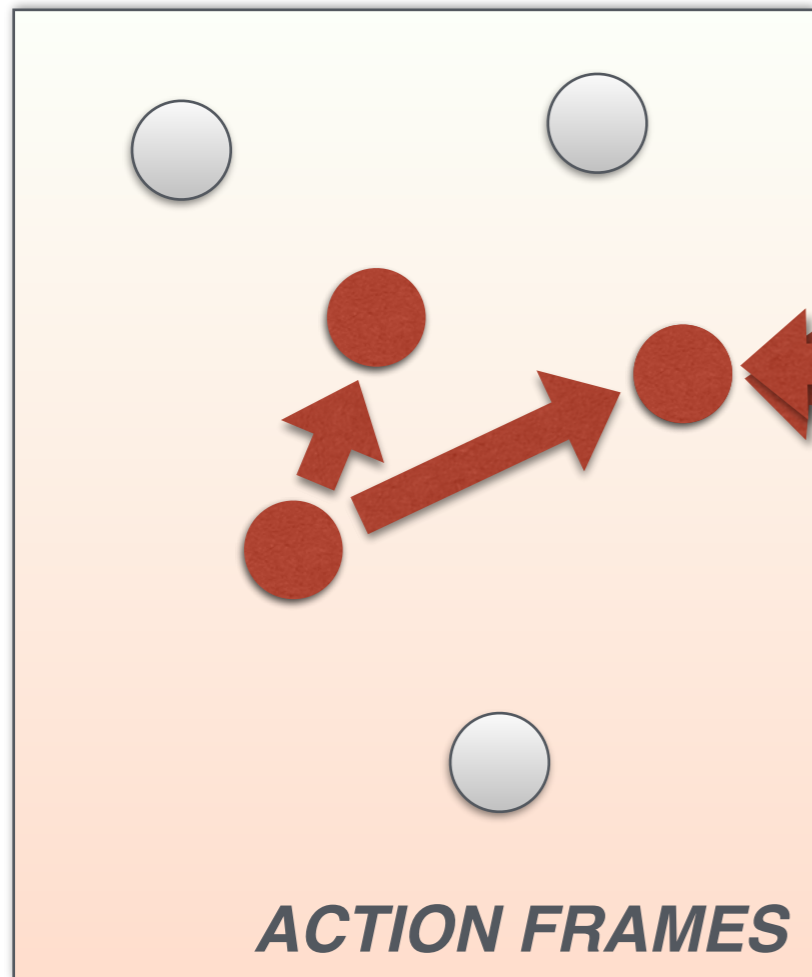
Random variables $J_{p,q}^a$

Take values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$



Random variables $F_{v_t}^a$
Take values in $\{\boxed{>}, \boxed{<}, \boxed{\approx}\}$

Random variables $J_{p,q}^a$
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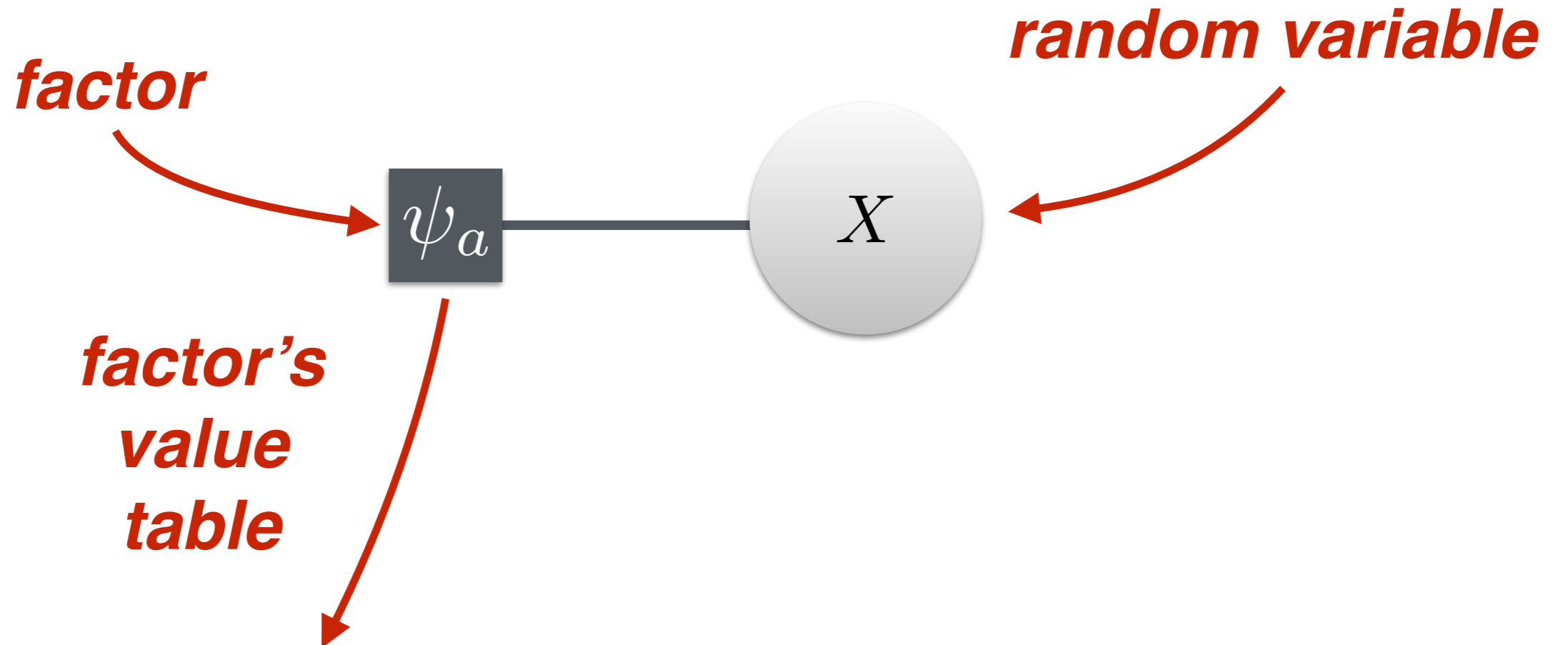


PART II — INTERLUDE

Factor graphs

FACTOR GRAPHS

BASICS



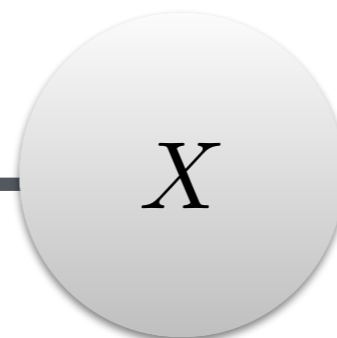
value	number
$X=x$	$\mathbb{R} \geq 0$
$X=y$	$\mathbb{R} \geq 0$
$X=z$	$\mathbb{R} \geq 0$

FACTOR GRAPHS

BASICS

value	number
rain	0.7
sun	0.2
snow	0.1

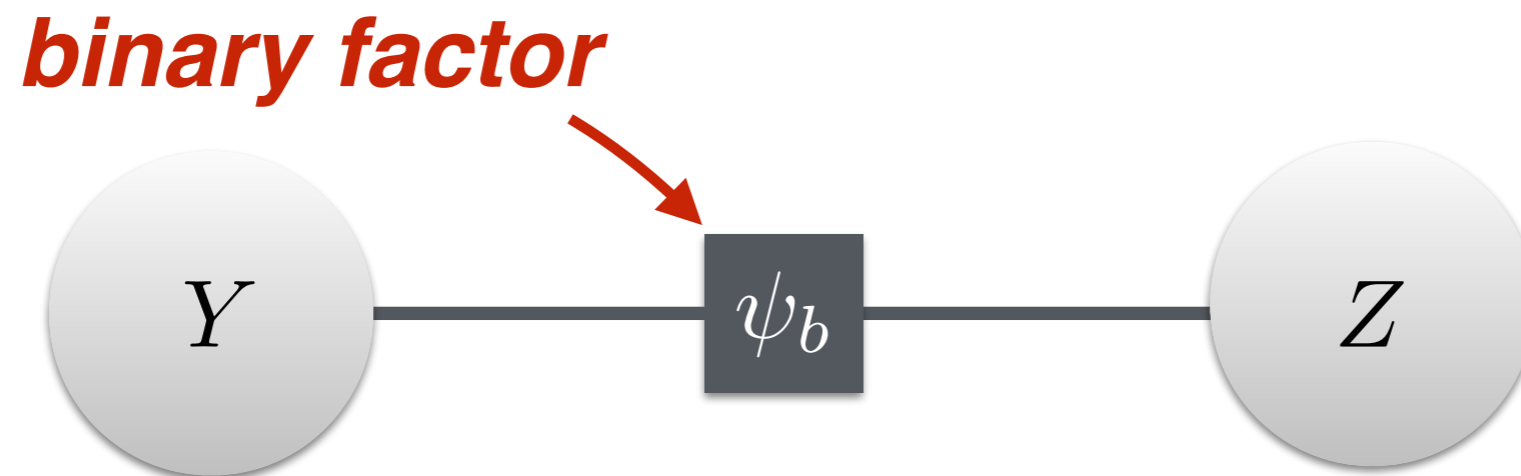
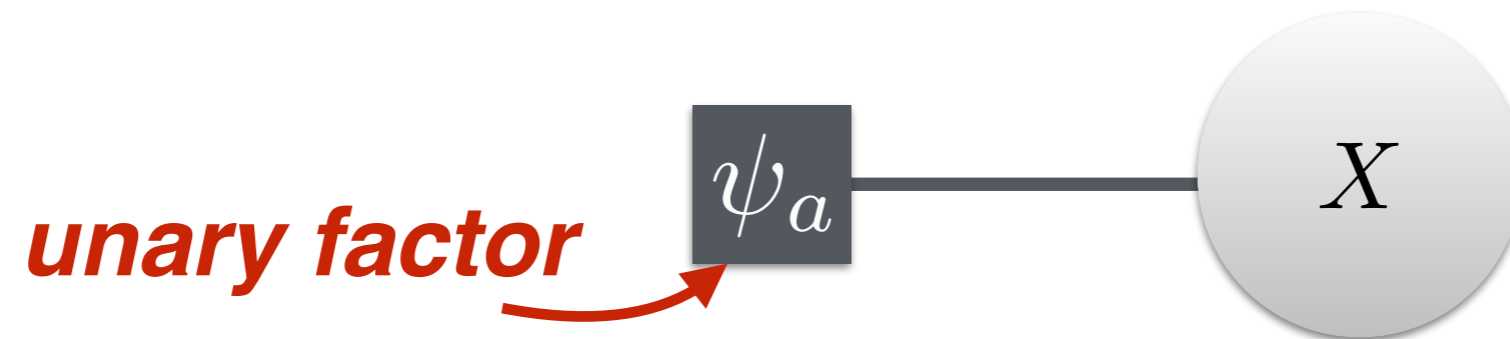
ψ_a



weather today

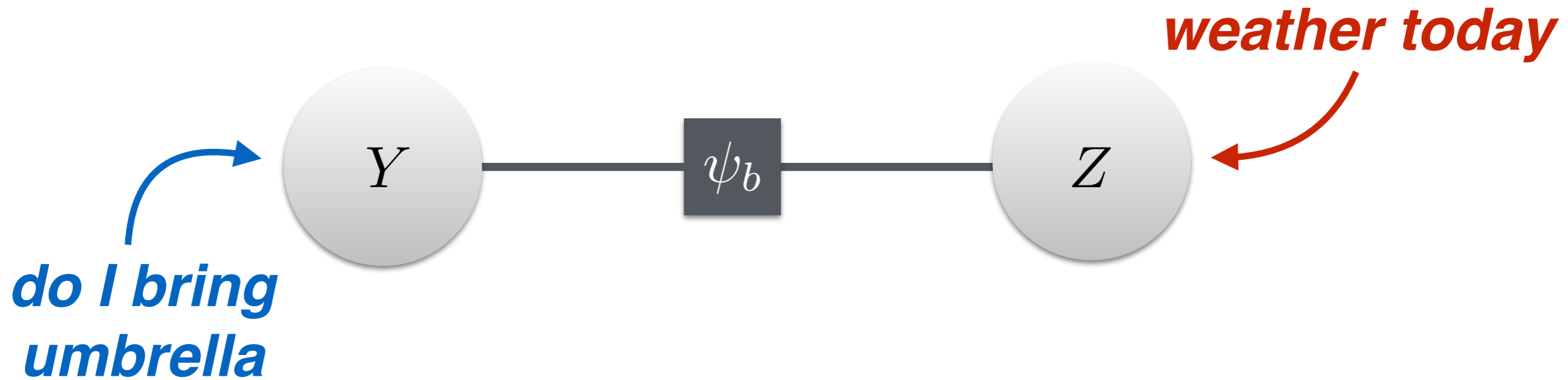
FACTOR GRAPHS

BINARY FACTORS



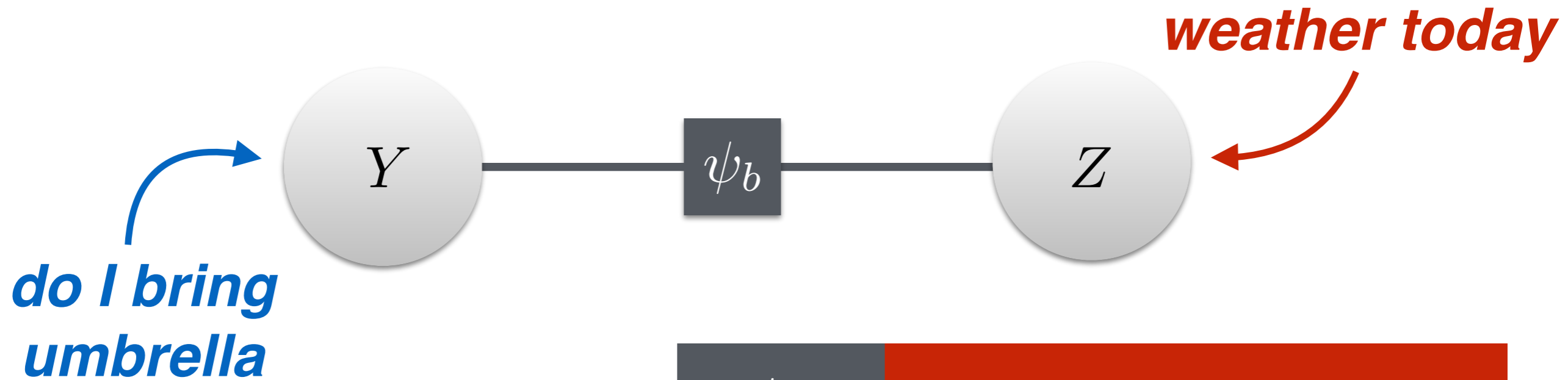
FACTOR GRAPHS

BINARY FACTORS



FACTOR GRAPHS

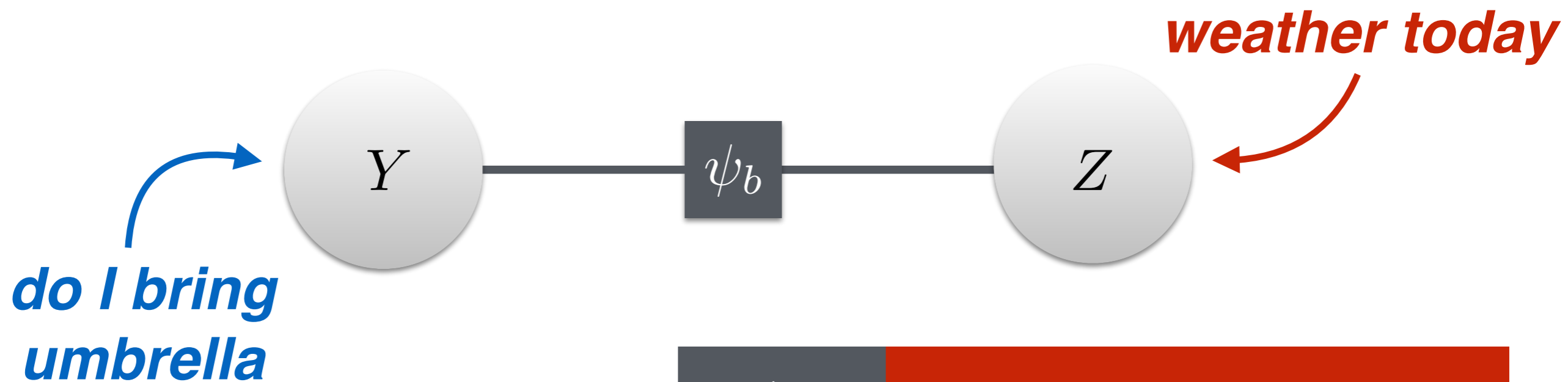
BINARY FACTORS



ψ_b	sun	rain	snow
yes	?	?	?
no	?	?	?

FACTOR GRAPHS

BINARY FACTORS



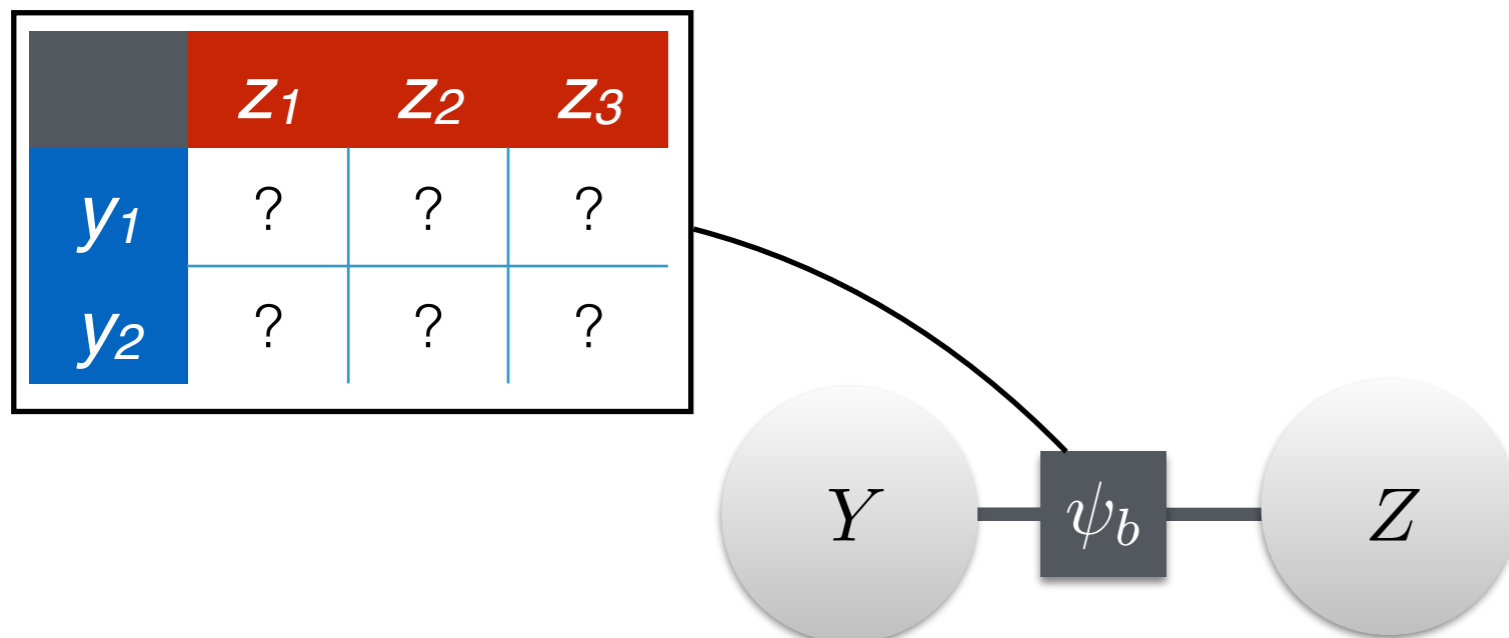
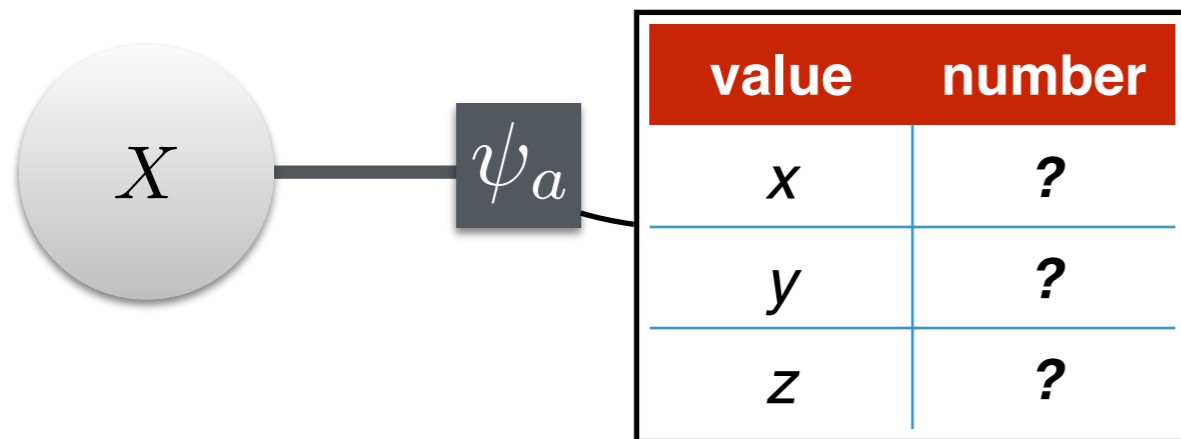
ψ_b	sun	rain	snow
yes	0.1	0.8	0.7
no	0.9	0.2	0.3

$p(\text{umbrella}|\text{weather})$

FACTOR GRAPHS

DESIGN SPACE

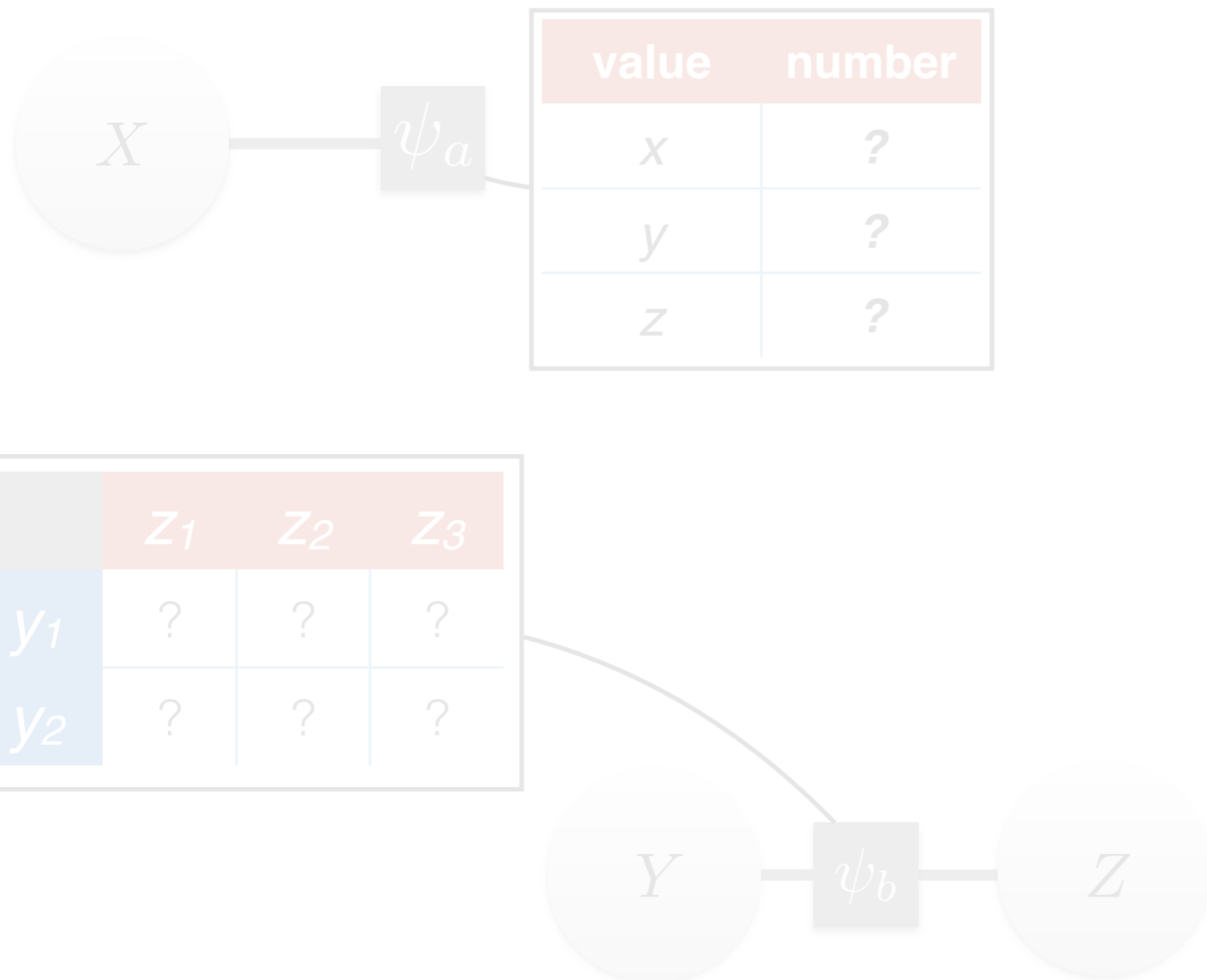
What numbers are in the factors' value tables?



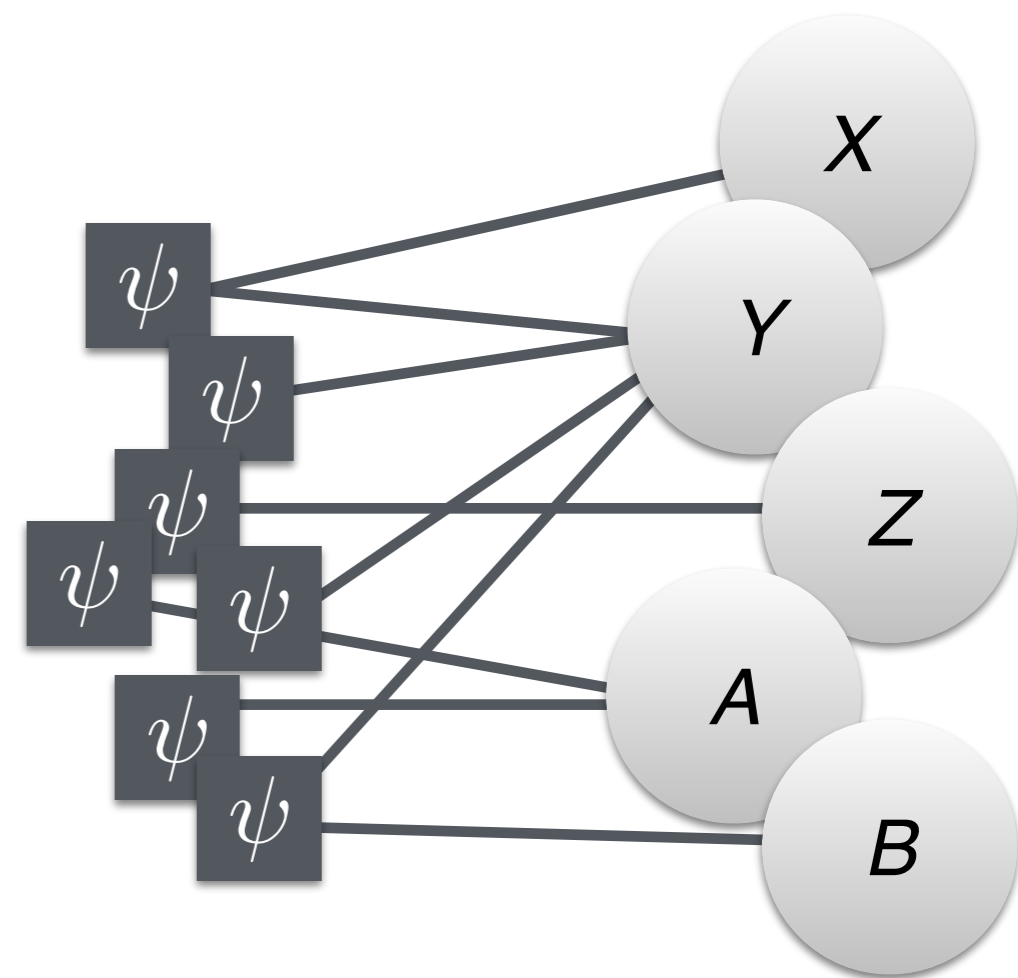
FACTOR GRAPHS

DESIGN SPACE

What numbers are in the factors' value tables?



What is the graph structure?



FACTOR GRAPHS

DESIGN SPACE

Factors can contain

1. conditional probability tables

can use to construct “old-school” graphical models

$p(\text{umbrella}|\text{weather})$

	sun	rain	snow
yes	0.1	0.8	0.7
no	0.9	0.2	0.3

col $\Sigma = 1.0$

$p(\text{u}=\text{“no”}|\text{w}=\text{“snow”})$

FACTOR GRAPHS

DESIGN SPACE

Factors can contain

1. conditional probability tables

can use to construct "old-school" graphical models

2. potential functions
(arbitrary nonnegative values)

can use to construct Markov random fields (MRFs) (AKA "Markov networks")

$\Phi(\mathbf{u}=\text{"no"}; \mathbf{w}=\text{"snow"})$

	sun	rain	snow
yes	0.01	29.7	0.17
no	14.0	1.2	0.13

$\Phi(\text{umbrella}; \text{weather})$

FACTOR GRAPHS

DESIGN SPACE

Factors can contain

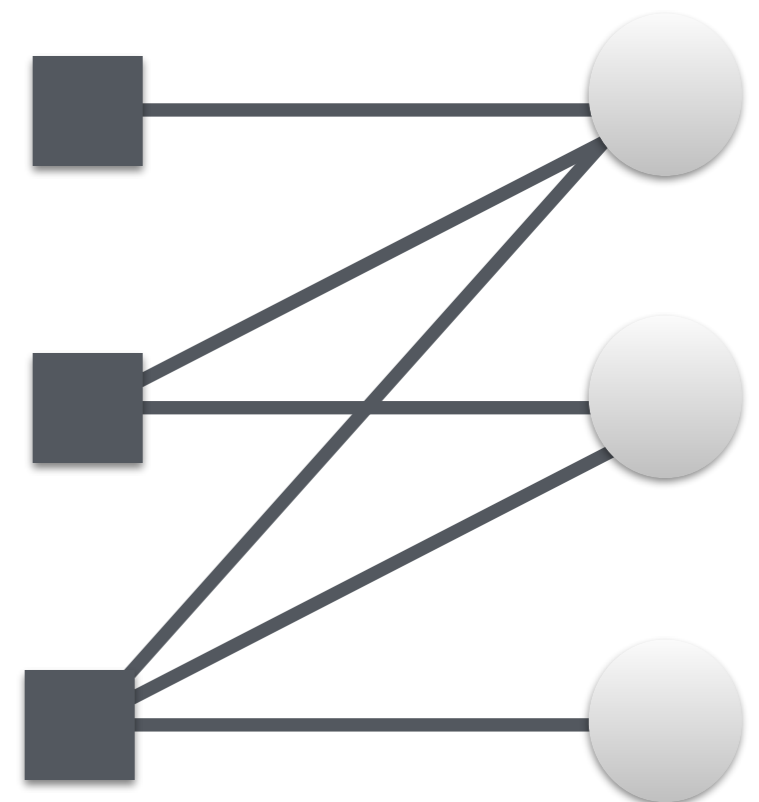
1. conditional probability tables
can use to construct “old-school” graphical models

2. potential functions
(arbitrary nonnegative values)

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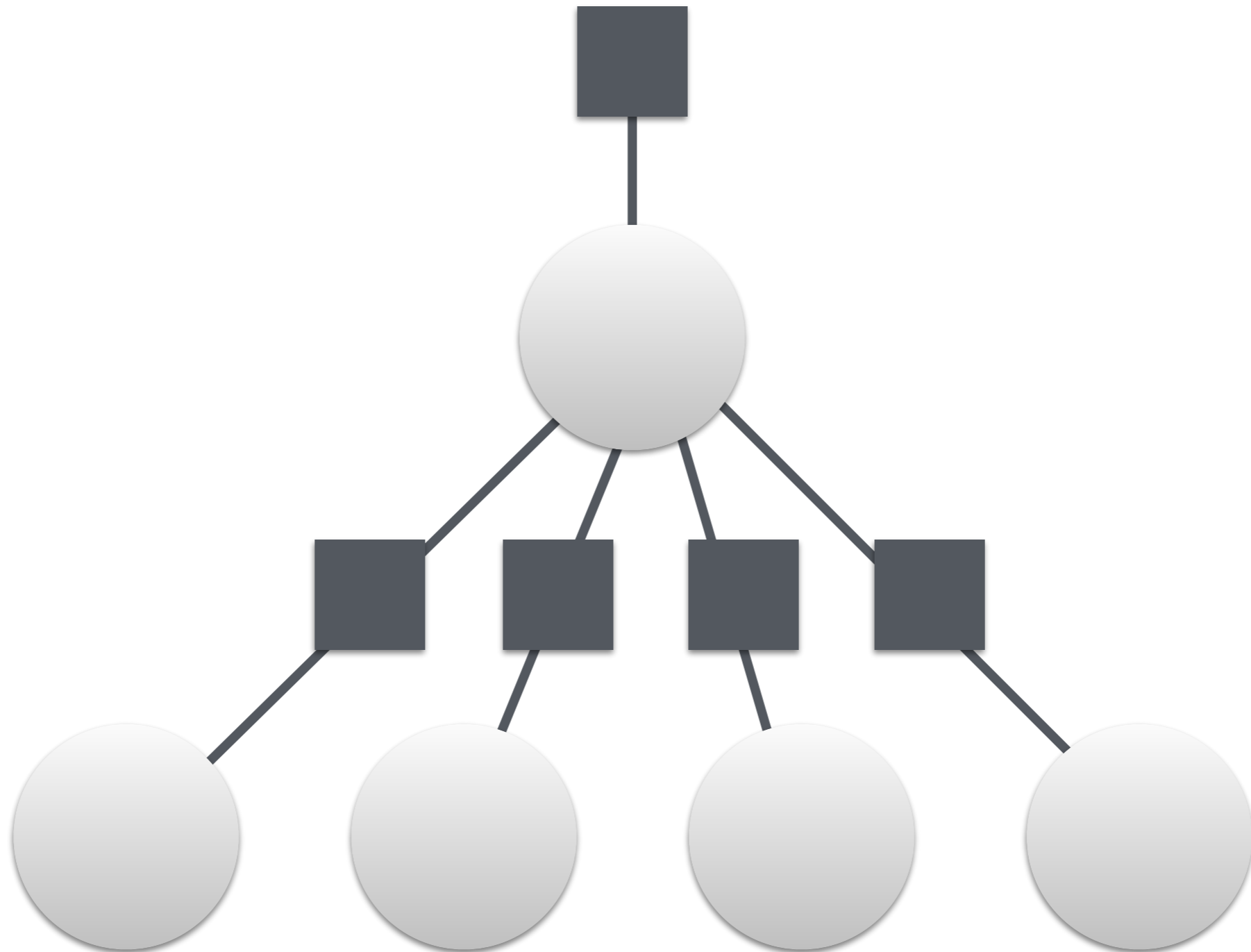
Graph structure

arbitrary bipartite graphs!



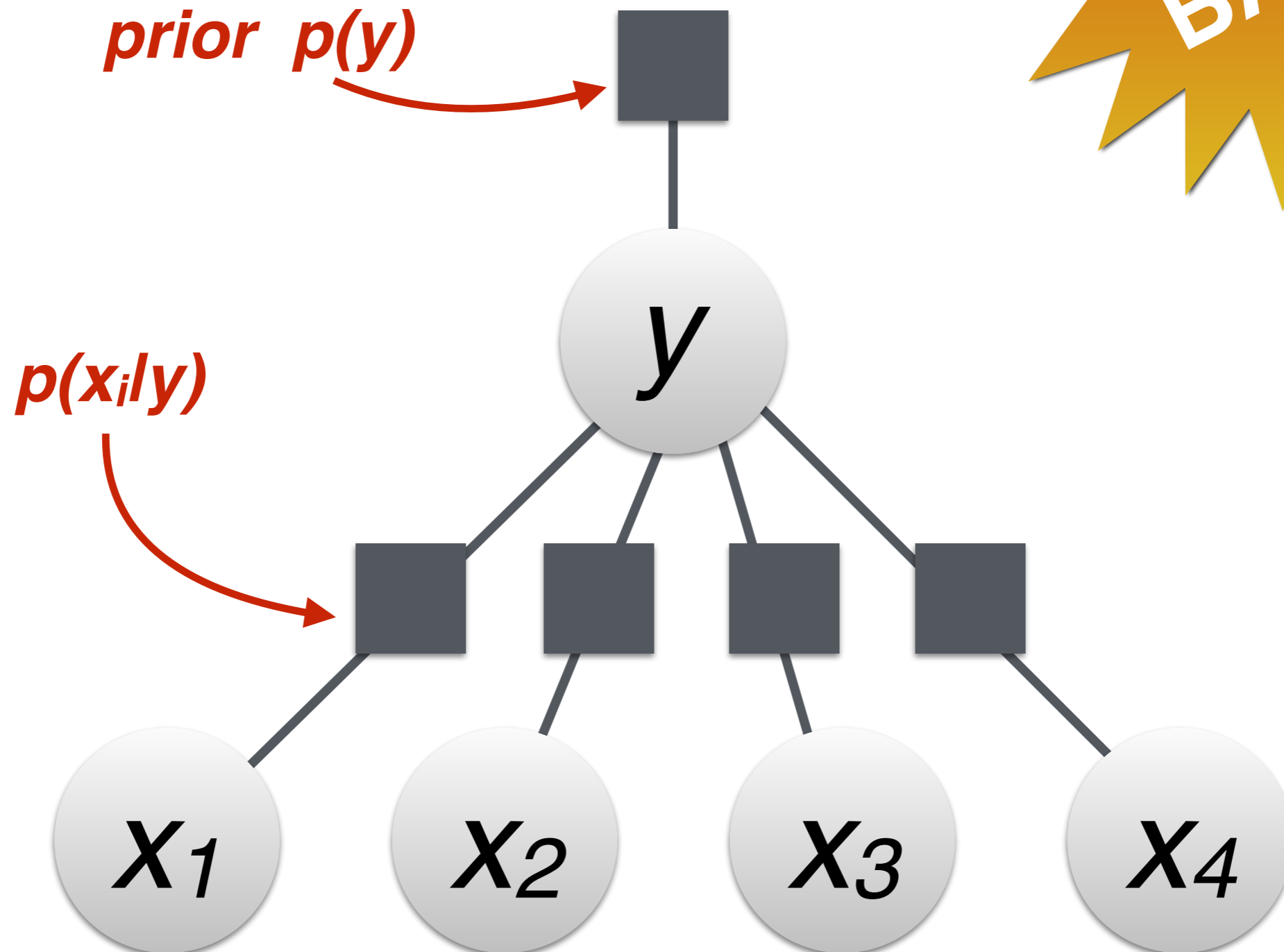
FACTOR GRAPHS

WHAT'S THAT MODEL?



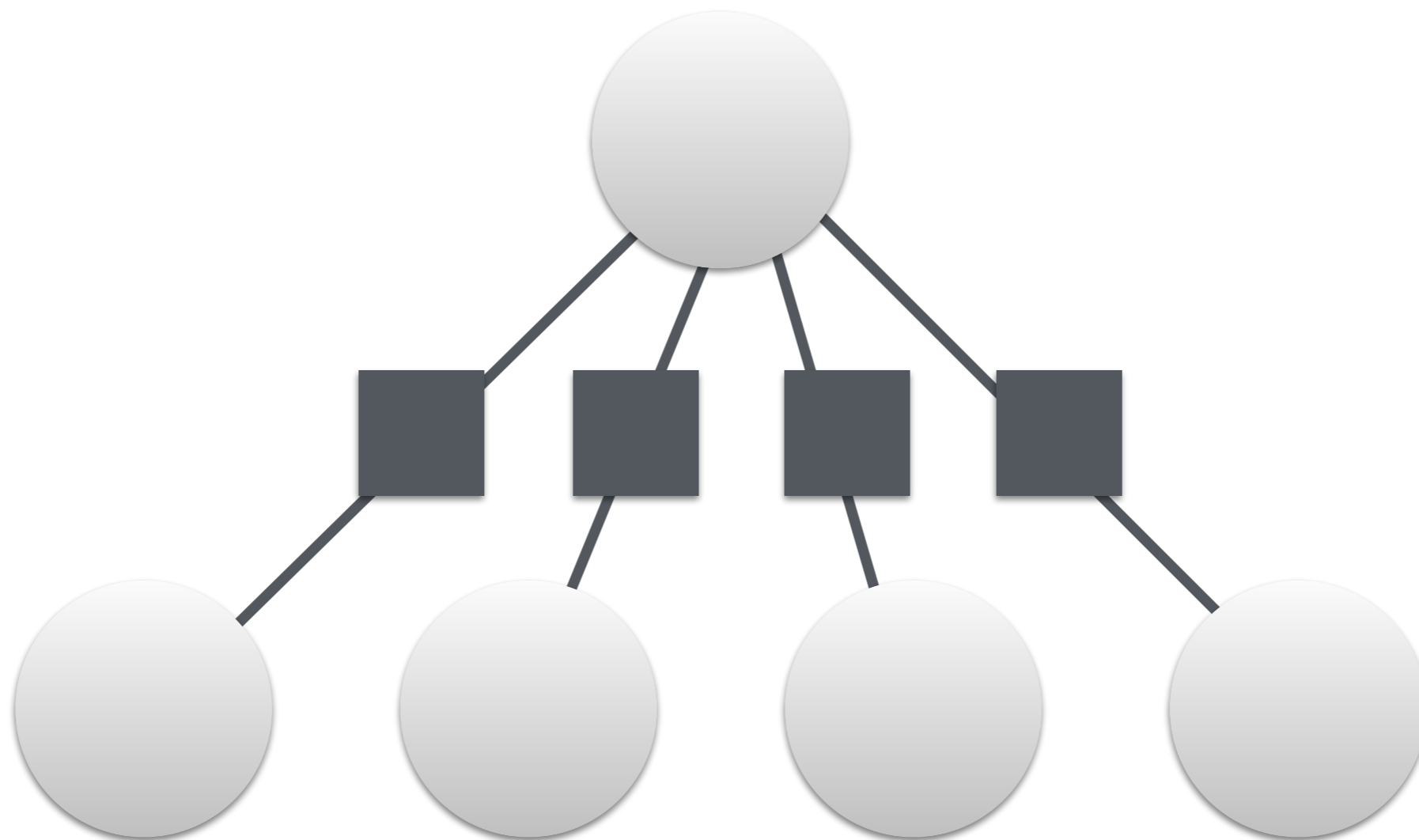
FACTOR GRAPHS

WHAT'S THAT MODEL?



FACTOR GRAPHS

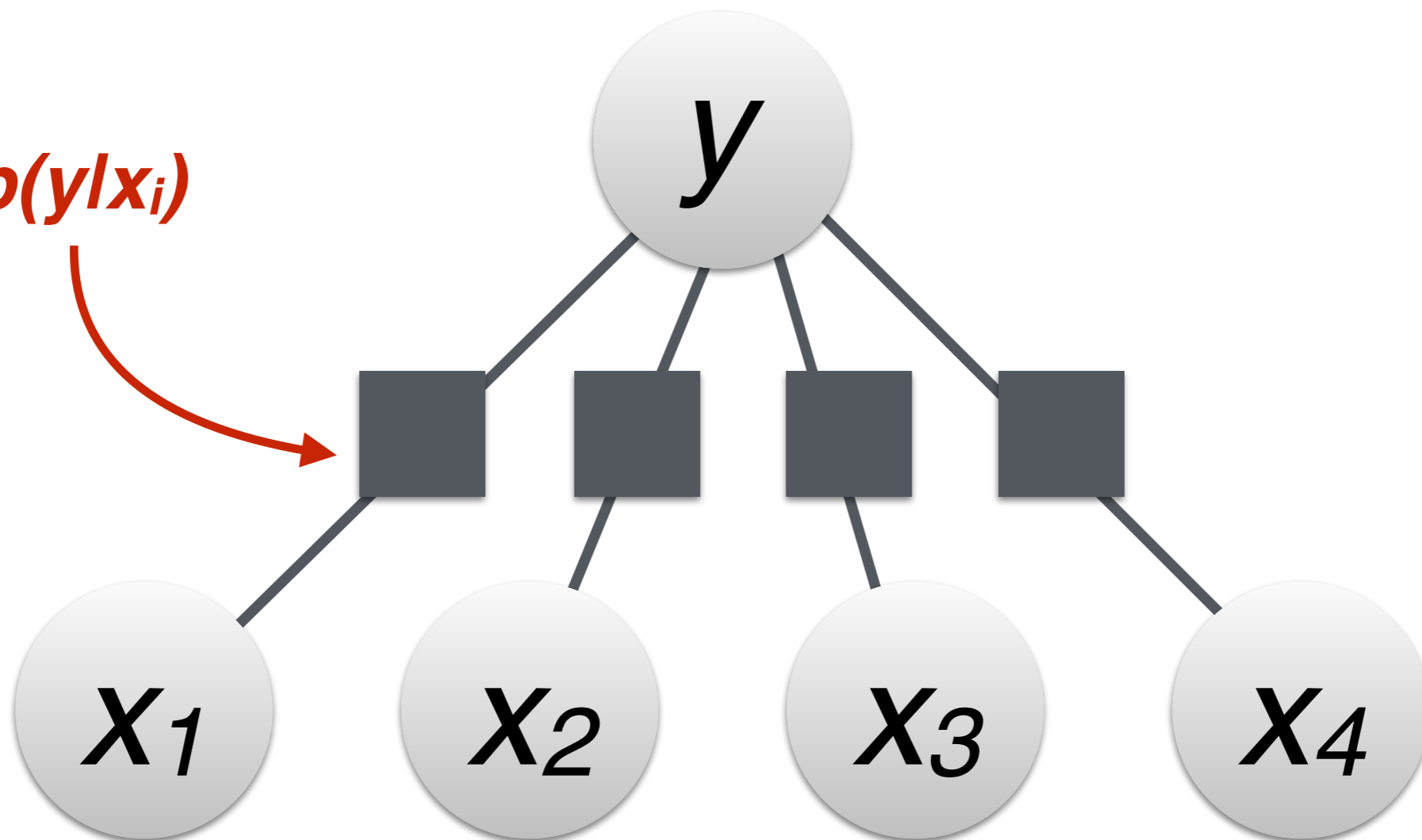
WHAT'S THAT MODEL?



FACTOR GRAPHS

WHAT'S THAT MODEL?

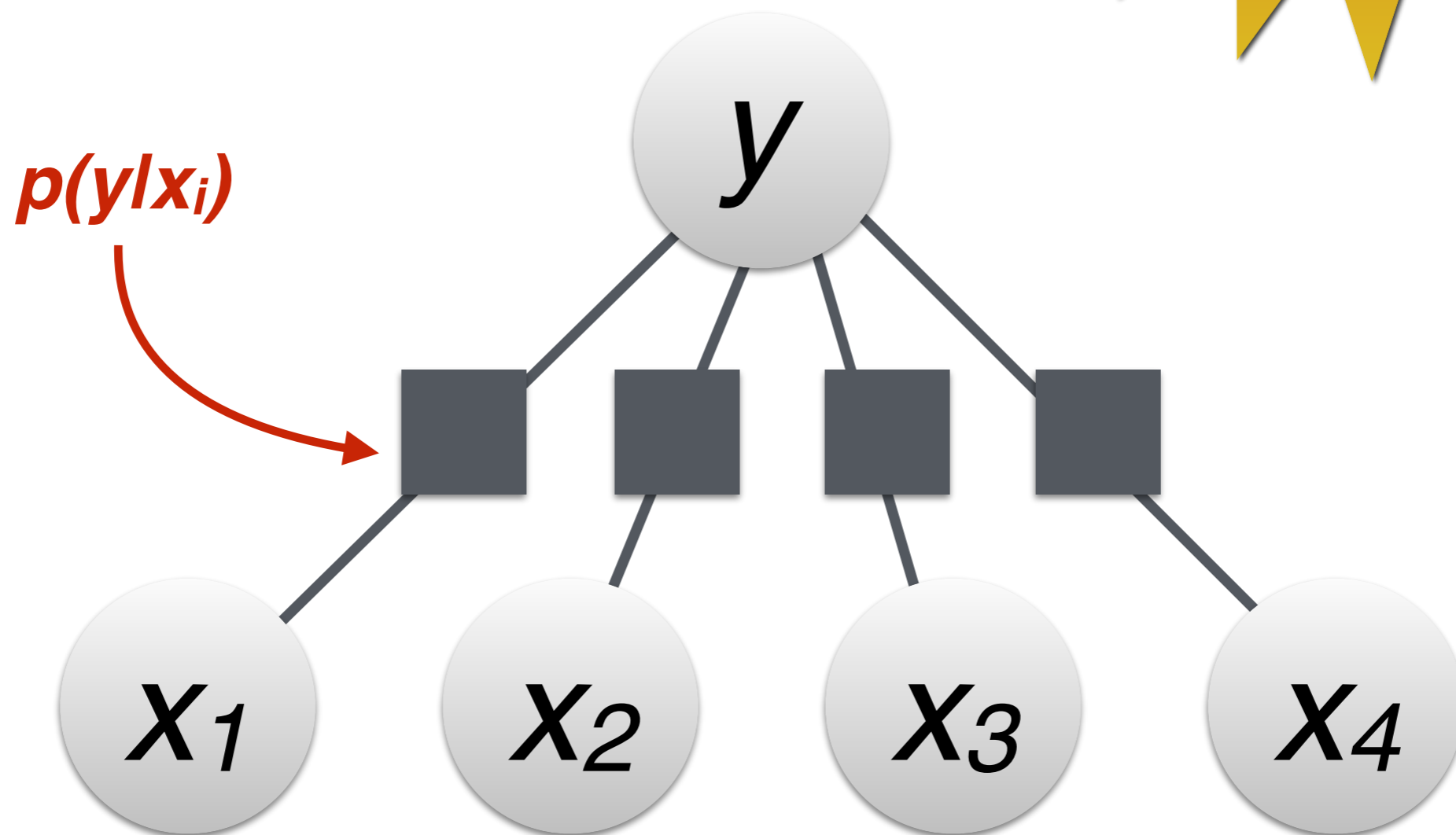
hint: $p(y|x_i)$



FACTOR GRAPHS

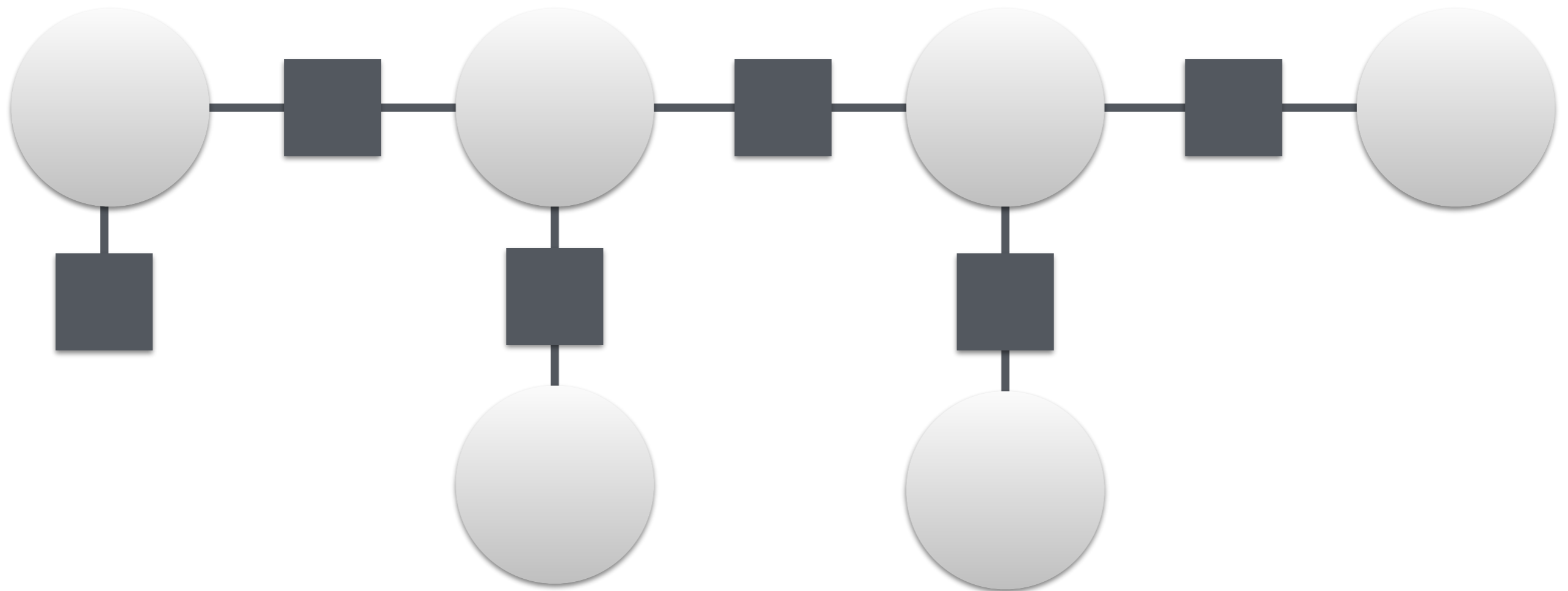
WHAT'S THAT MODEL?

LOGISTIC
REGRESSION



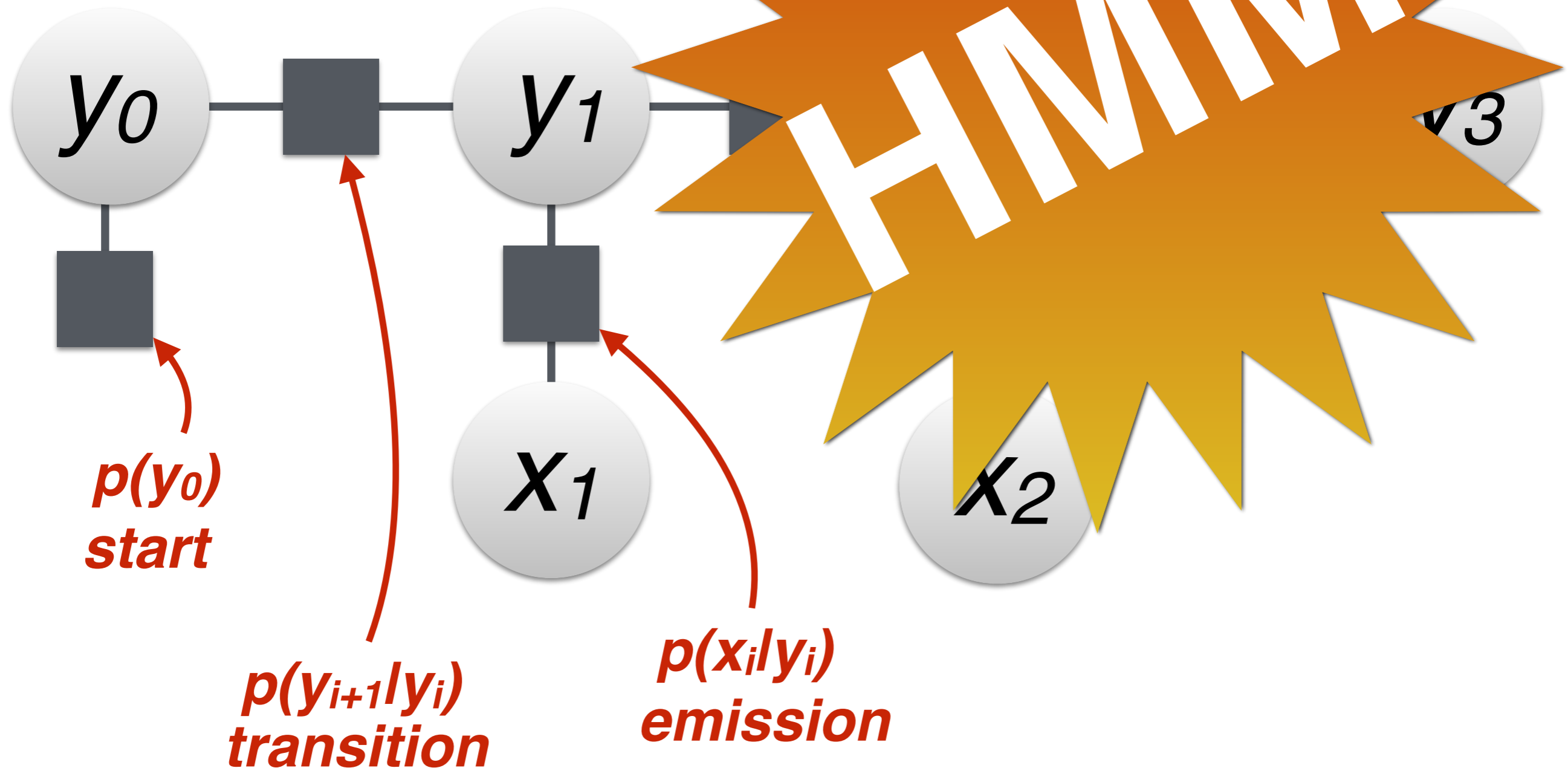
FACTOR GRAPHS

WHAT'S THAT MODEL?



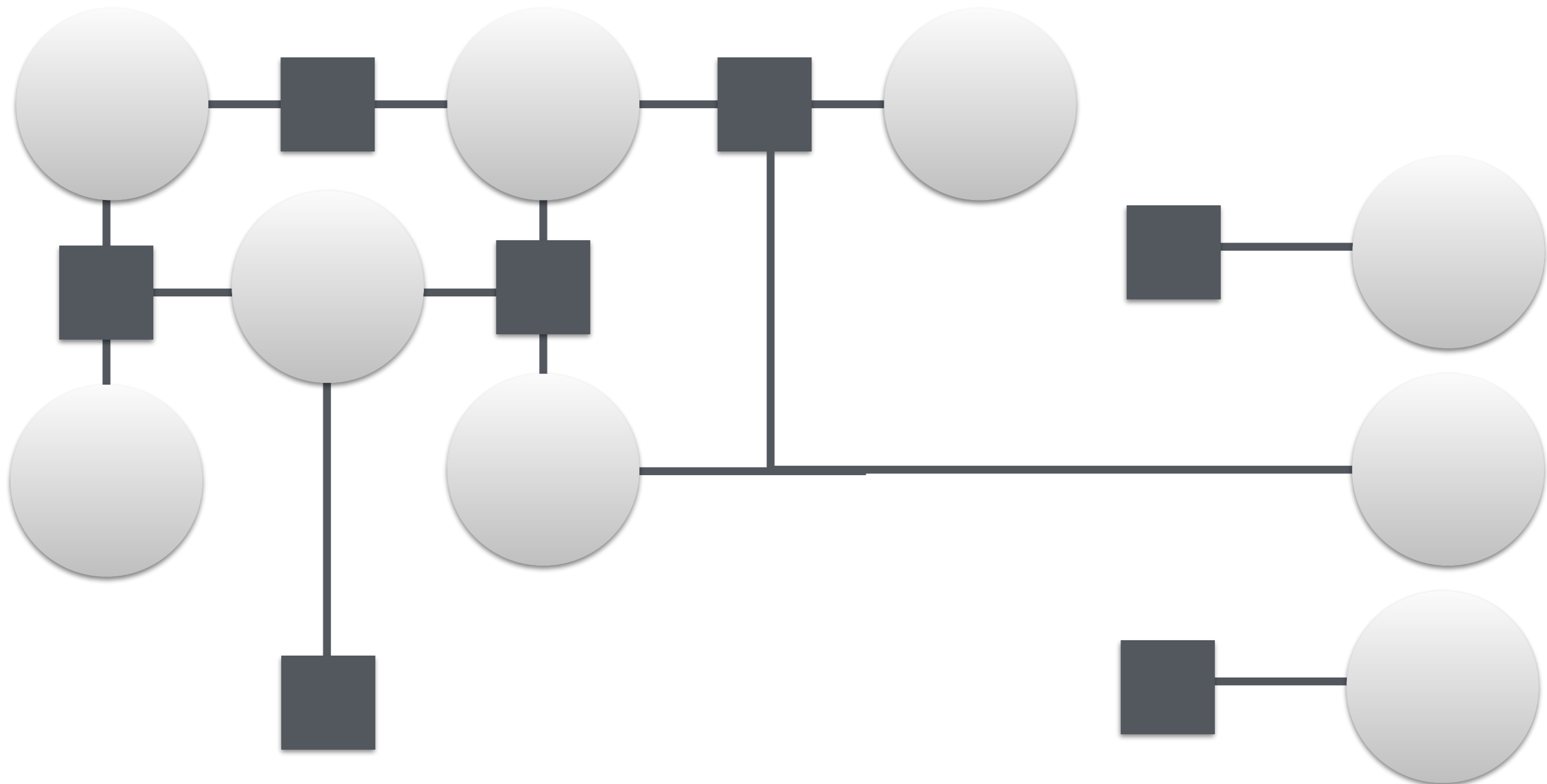
FACTOR GRAPHS

WHAT'S THAT MODEL?



FACTOR GRAPHS

WHAT'S THAT MODEL?



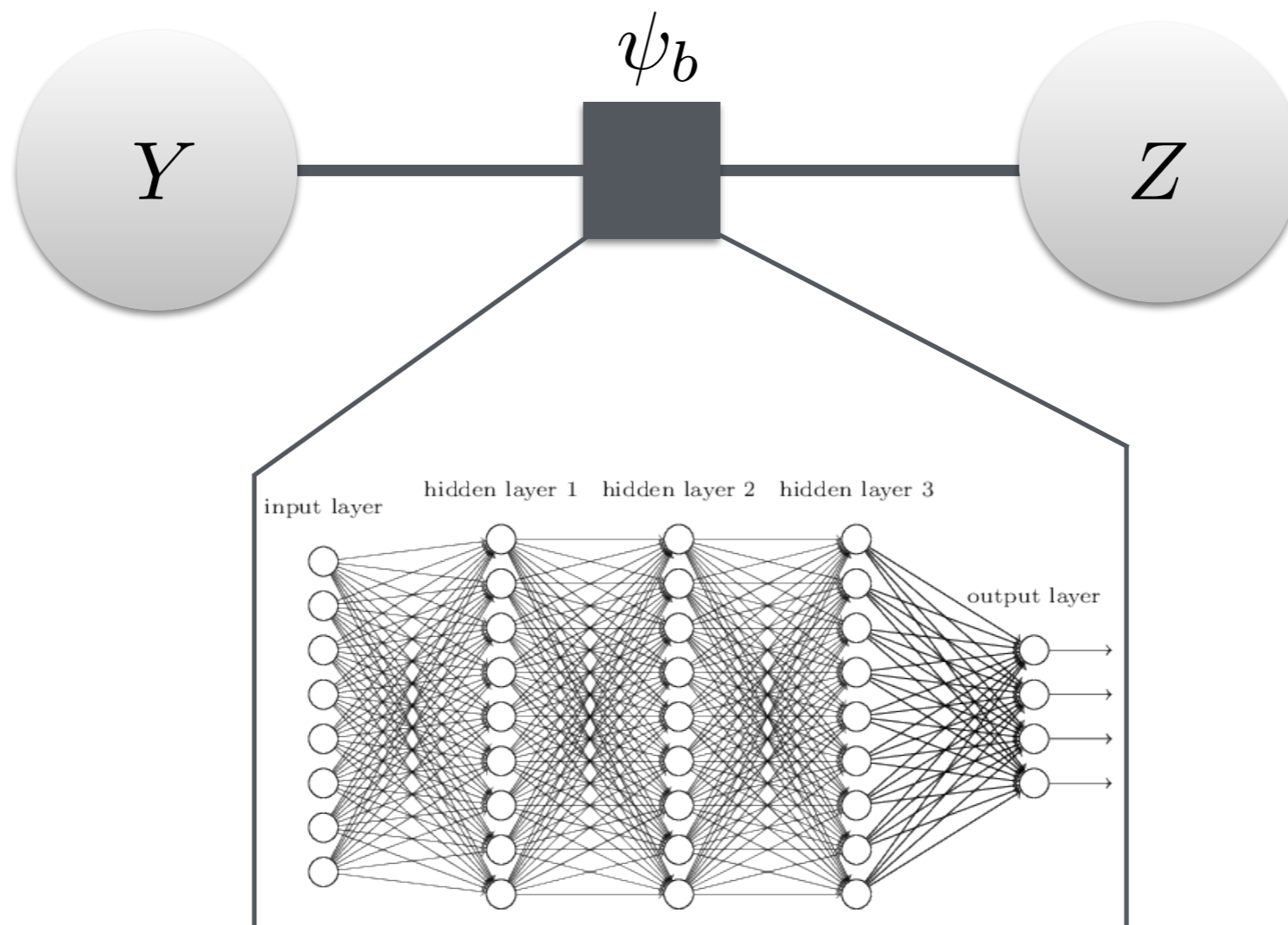
FACTOR GRAPHS

WHAT'S THAT MODEL?



FACTOR GRAPHS

IT'S 2020. PUT A NEURAL NET ON IT.



PART II — INTERLUDE

Factor graphs

] *finished*

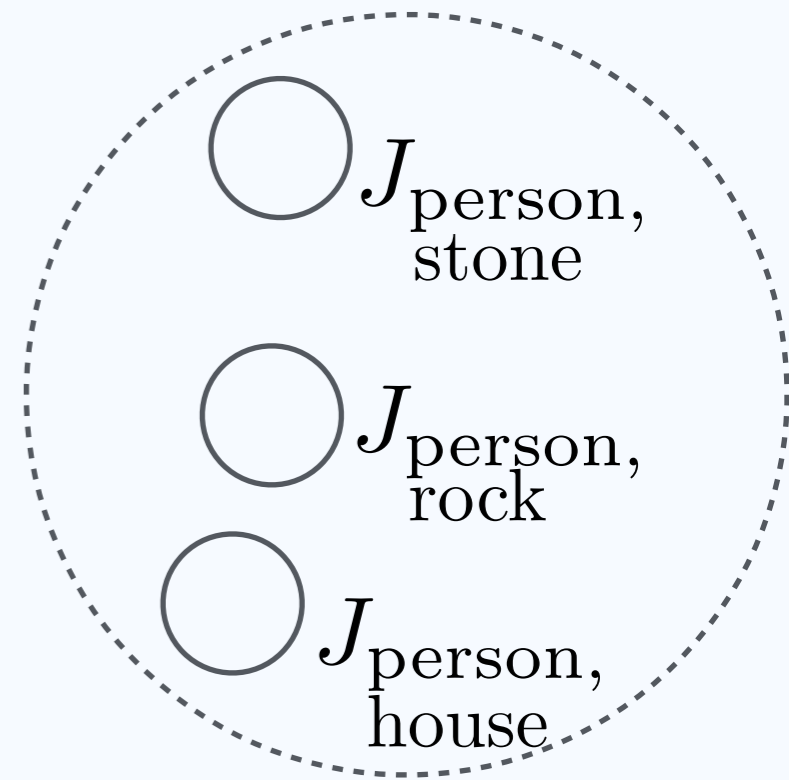
PART II

Verb Physics

] *resuming*

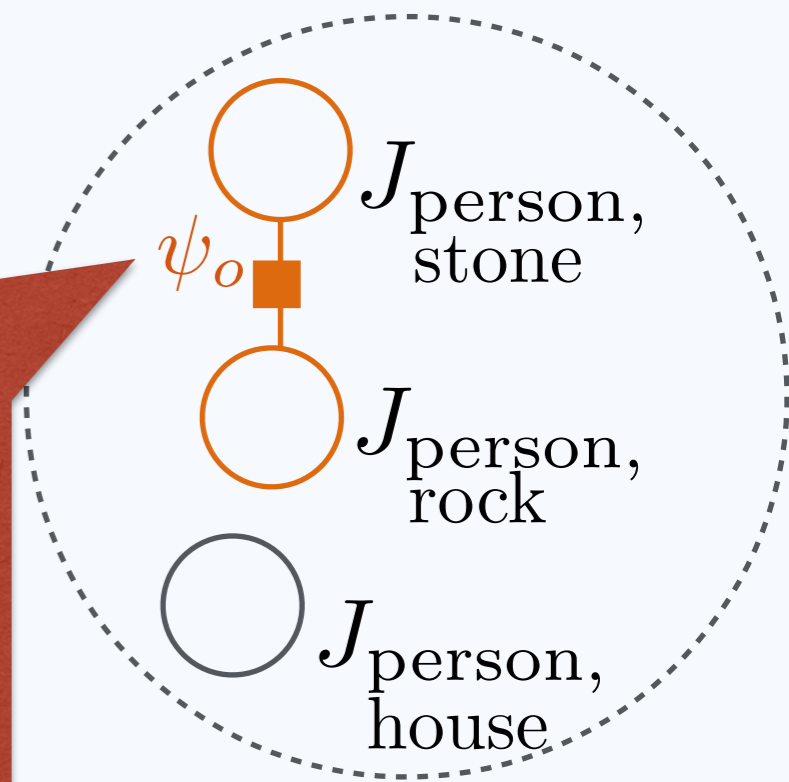
1. Introduction
2. Related work
3. Approach
- 4. Model**
5. Data
6. Evaluation

Object pair
random variables



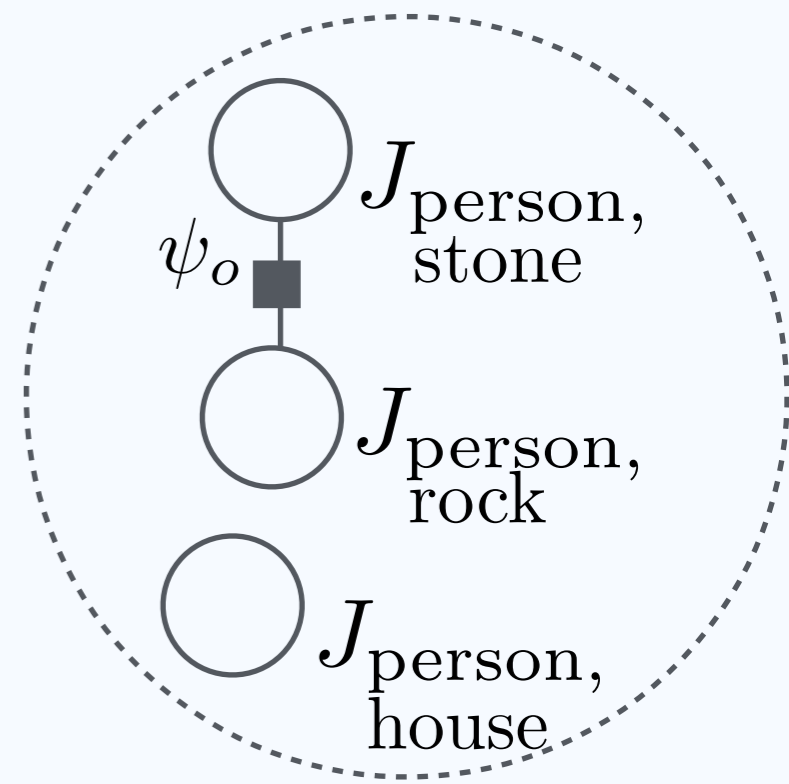
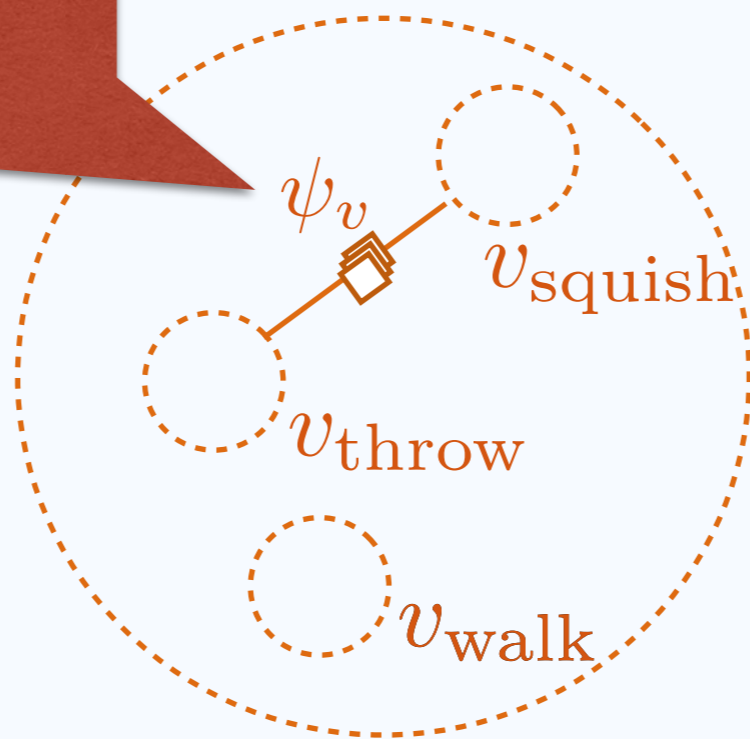
size

Object similarity binary factors



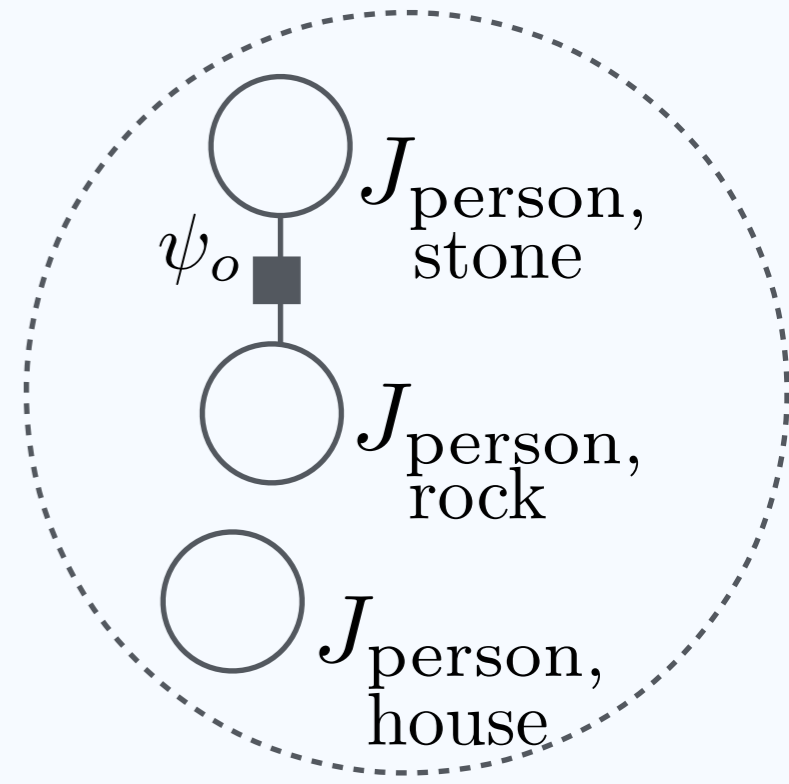
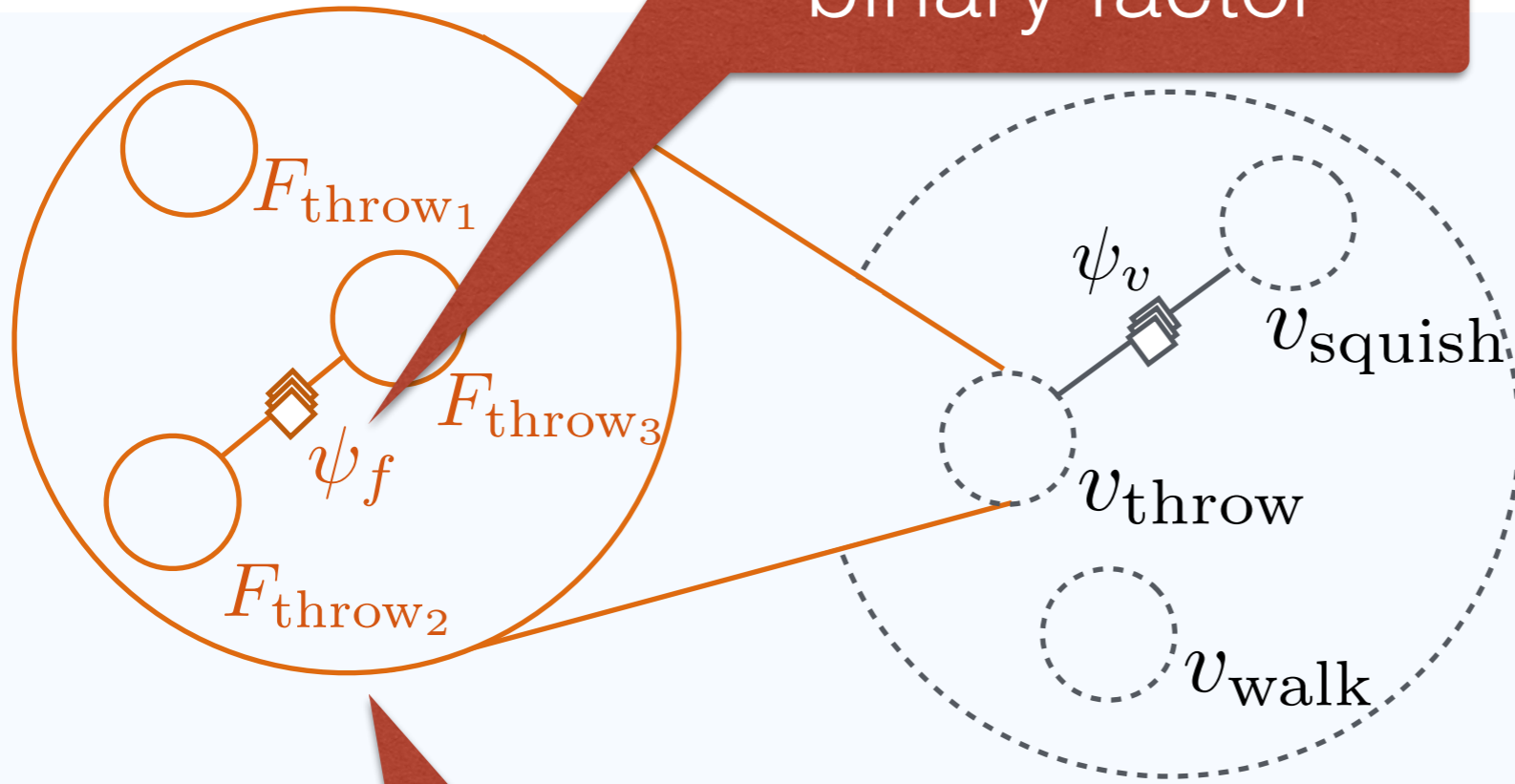
Verb similarity binary factors

size



Action frames
grouped by **verb**

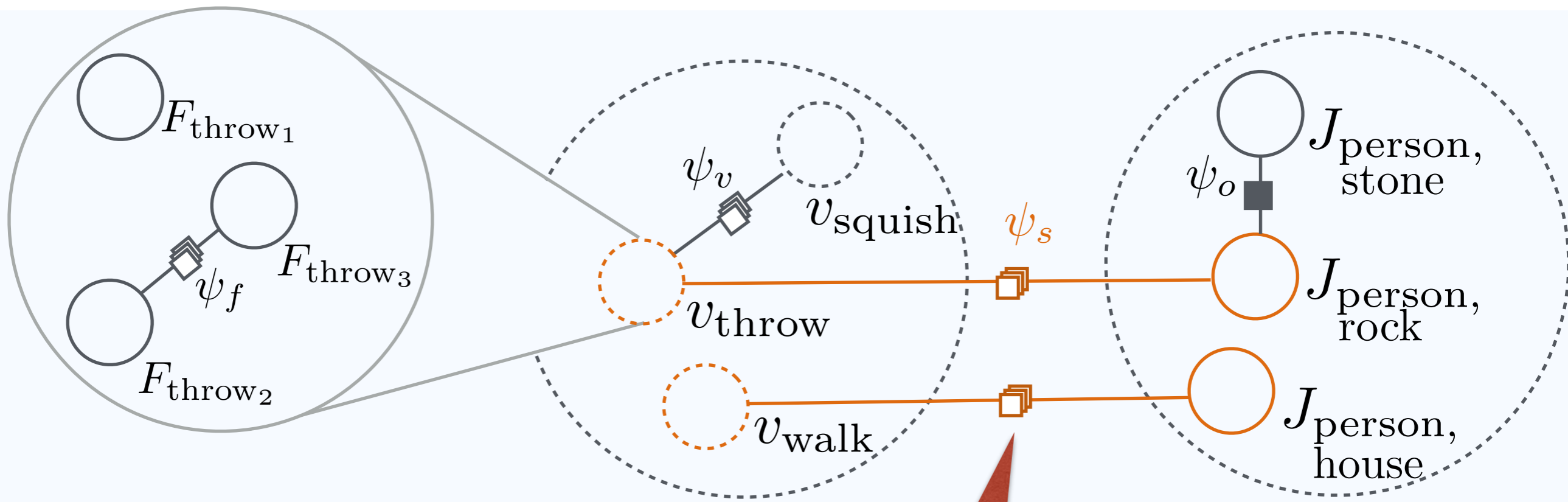
Similar frame
construction
binary factor



Several
action frames
per verb

size

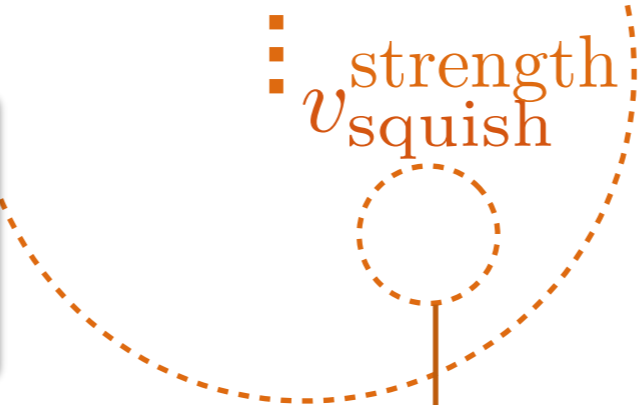
size



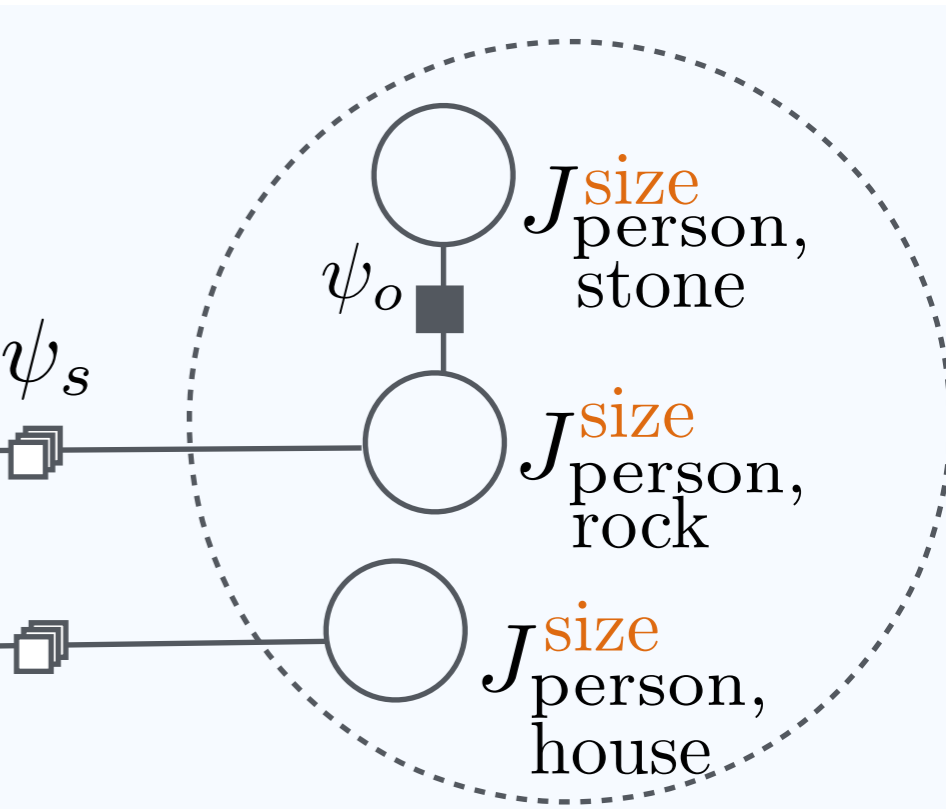
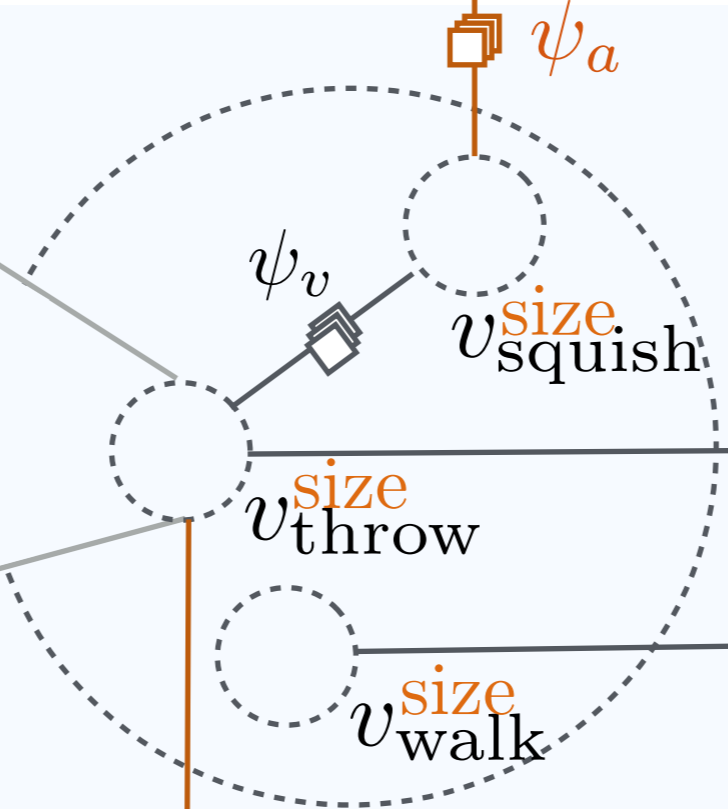
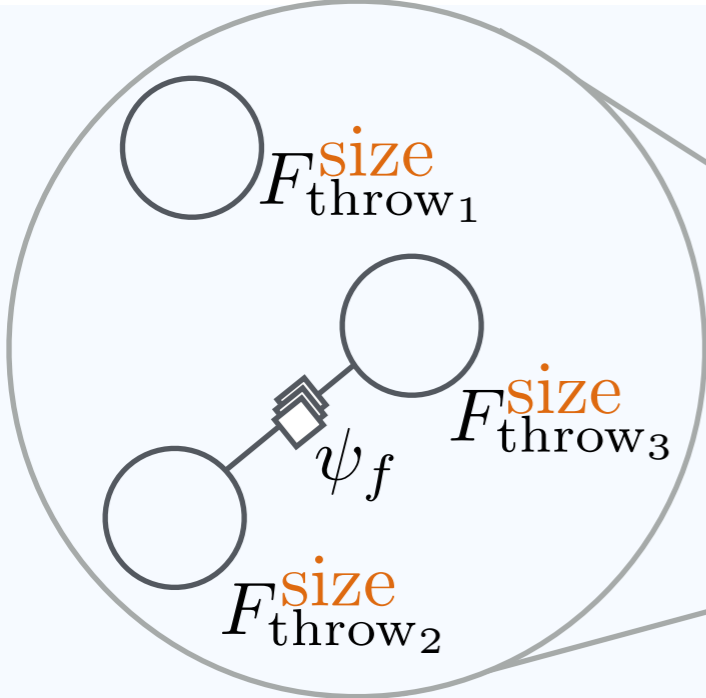
**Action-object
compatibility
binary factors**

strength

More attributes

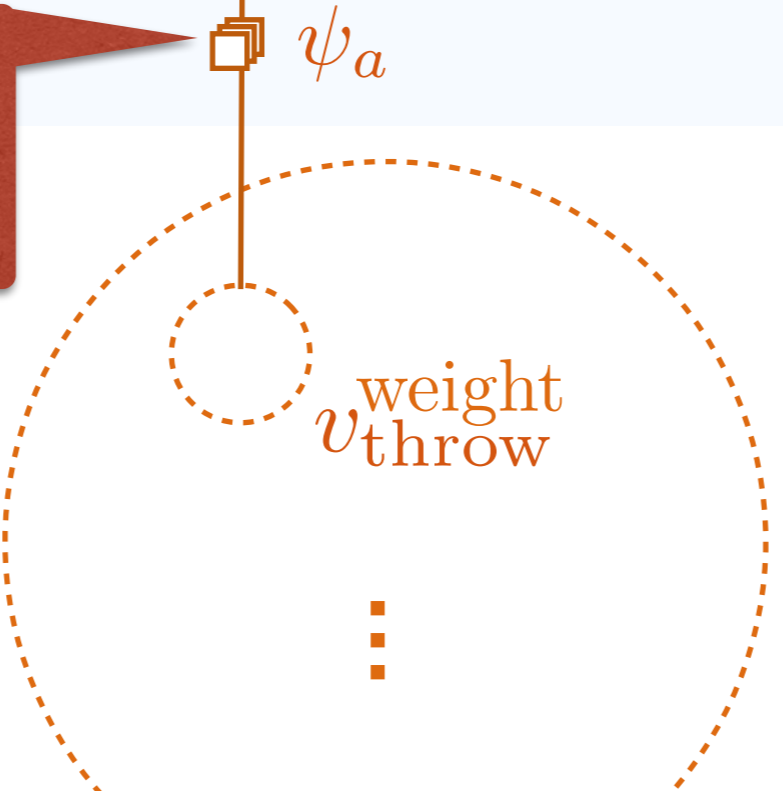


size



Similar attribute binary factors

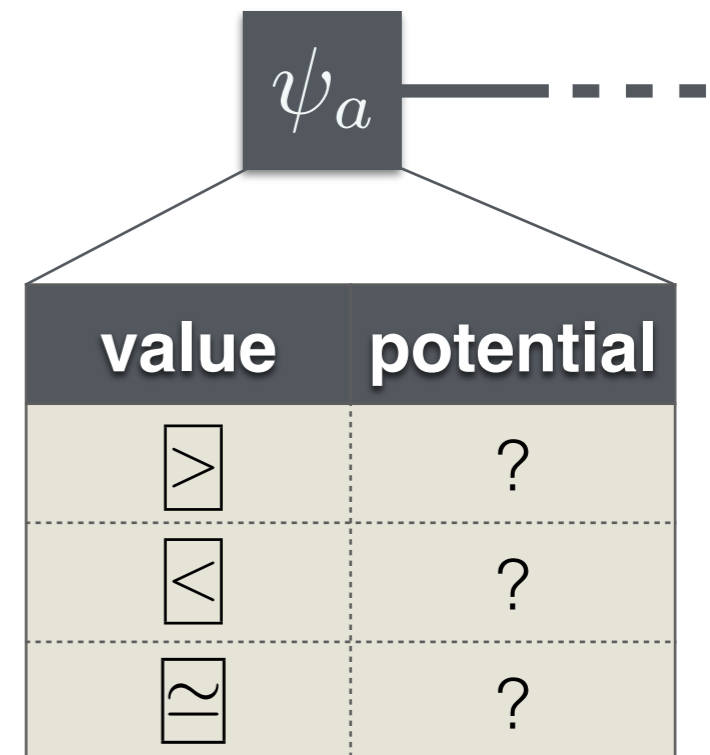
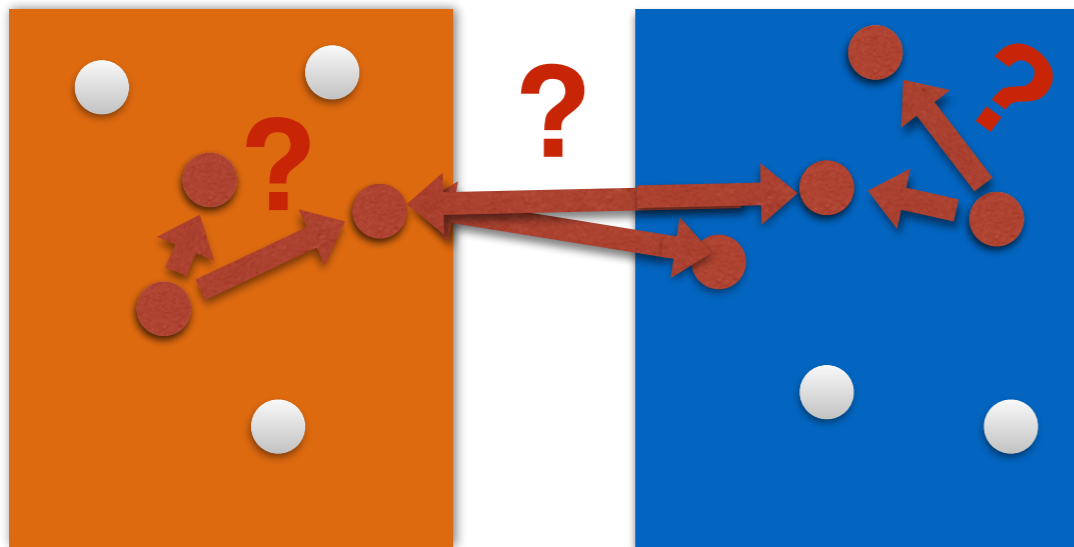
weight



Two main model questions

(1) What subset of nodes should we **connect** with each type of factor?

(2) What should the **potential** functions be?



Model: (1) Connections

Unary factors



Model: (1) Connections

Unary factors



- **Max-ent** factors (all nodes)
- **Seed** factors (nodes in seed set)

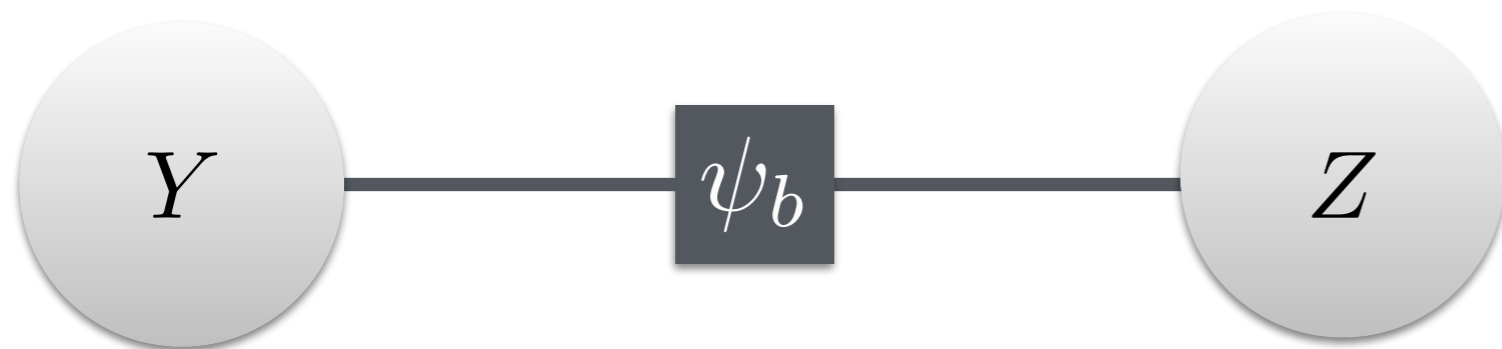
Model: (1) Connections

Unary factors



- **Max-ent** factors (all nodes)
- **Seed** factors (nodes in seed set)

Binary factors



Model: (1) Connections

Unary factors



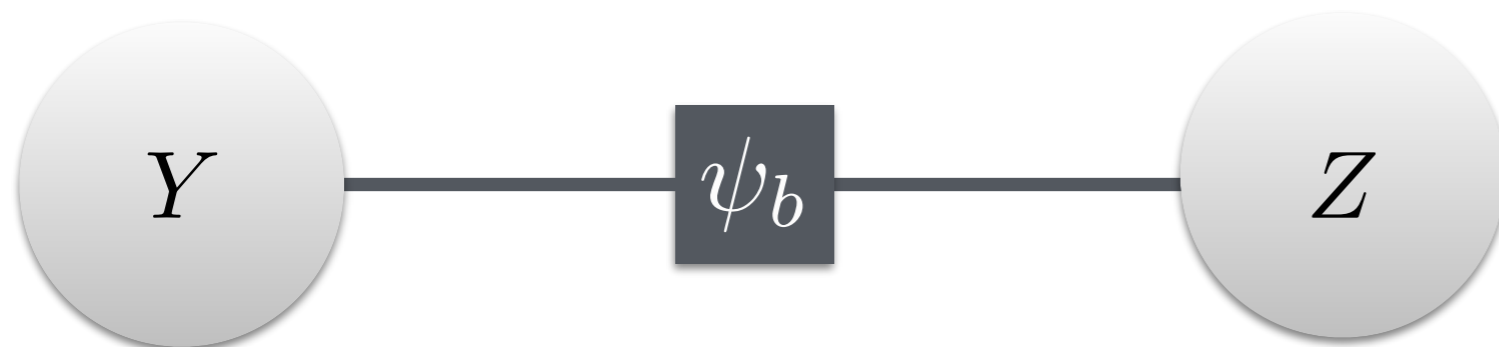
- **Max-ent** factors (all nodes)
- **Seed** factors (nodes in seed set)

NOTE:



*advanced topic
not covered today*

Binary factors



Similarity metrics
(e.g., cosine similarity of word embeddings)

Model: (1) Connections

Unary factors



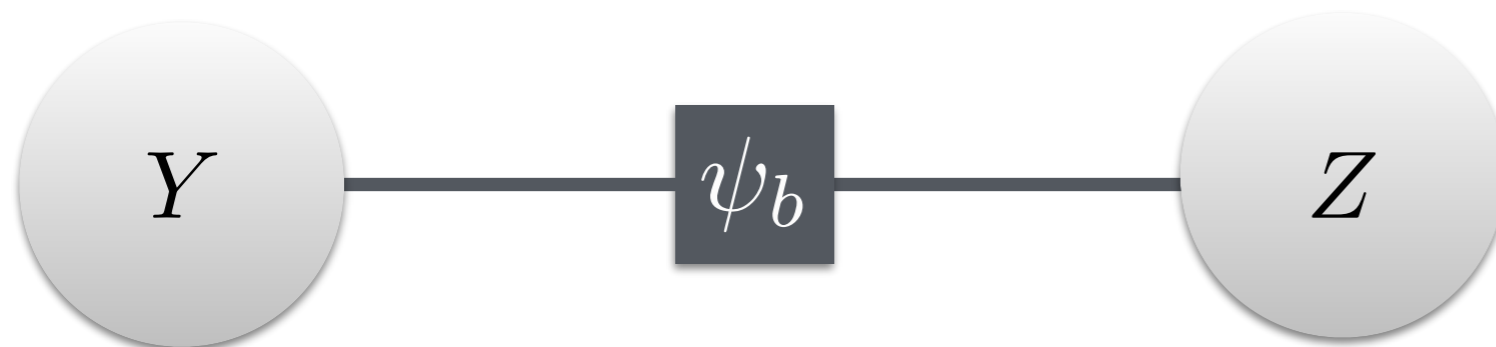
- **Max-ent** factors (all nodes)
- **Seed** factors (nodes in seed set)

NOTE:



*advanced topic
not covered today*

Binary factors



Similarity metrics
(e.g., cosine similarity of word embeddings)

Empirical agreement

(on seed set)

Model: (1) Connections

Unary factors



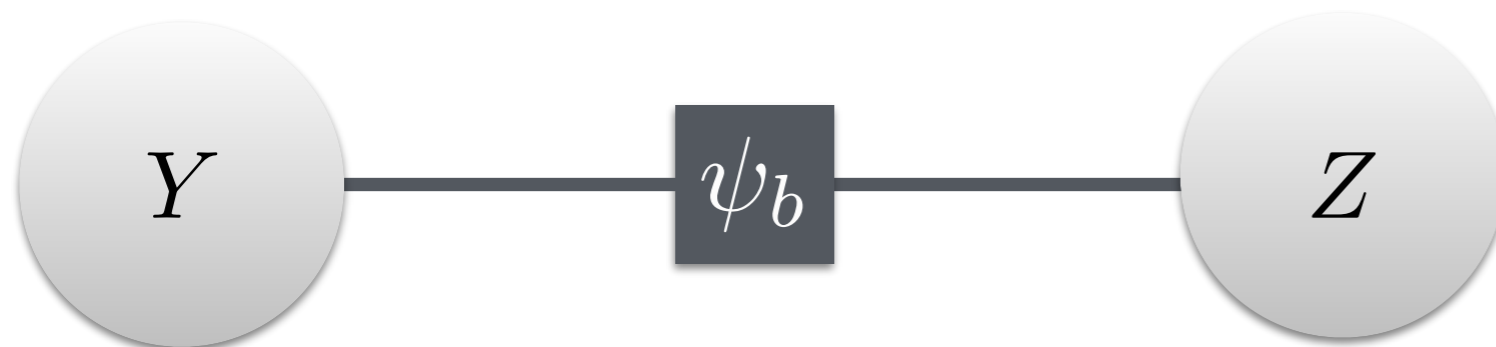
- Max-ent factors (all nodes)
- Seed factors (nodes in seed set)

NOTE:



*advanced topic
not covered today*

Binary factors



Similarity metrics

(e.g., cosine similarity of word embeddings)

Empirical agreement

(on seed set)

Usage in text

(e.g., high PMI using Google Syntax Ngrams; for action-object compatibility)

Model: (2) Potential functions



Log-linear classifier

$$p(X^a = v) \propto e^{w_a \cdot f(X^a)}$$

Model: (2) Potential functions



Log-linear classifier

$$p(X^a = v) \propto e^{w_a \cdot f(X^a)}$$

Object feature function

$$f(O_{p,q}^a) := \langle g(p), g(q) \rangle$$

Reference

$g(\cdot)$ GloVe

Model: (2) Potential functions



Log-linear classifier

$$p(X^a = v) \propto e^{w_a \cdot f(X^a)}$$

Object feature function

$$f(O_{p,q}^a) := \langle g(p), g(q) \rangle$$

A diagram illustrating the object feature function. It shows two blue squares labeled p and two green squares labeled q . A blue arc connects the left p to the right q , and a green arc connects the right p to the left q .

Reference

$g(\cdot)$ GloVe
.....

Model: (2) Potential functions



Log-linear classifier

$$p(X^a = v) \propto e^{w_a \cdot f(X^a)}$$

Object feature function

$$f(O_{p,q}^a) := \langle g(p), g(q) \rangle$$

The equation $f(O_{p,q}^a) := \langle g(p), g(q) \rangle$ is shown. The p and q in the subscript and the p and q in the vector components are enclosed in blue and green boxes, respectively. Curved lines connect the boxes in the subscript to the corresponding boxes in the vector components.

Example

$$f(O_{\text{PERSON}, \text{ball}}^{\text{size}}) := \langle g(\text{PERSON}), g(\text{ball}) \rangle$$

The example equation $f(O_{\text{PERSON}, \text{ball}}^{\text{size}}) := \langle g(\text{PERSON}), g(\text{ball}) \rangle$ is shown. The PERSON and ball in the subscript and the PERSON and ball in the vector components are enclosed in blue and green boxes, respectively. Curved lines connect the boxes in the subscript to the corresponding boxes in the vector components.

Reference

$g(\cdot)$ GloVe
.....

Model: (2) Potential functions



Log-linear classifier

$$p(X^a = v) \propto e^{w_a \cdot f(X^a)}$$

Object feature function

$$f(O_{p,q}^a) := \langle g(p), g(q) \rangle$$

A diagram illustrating the object feature function. It shows two blue squares labeled p and two green squares labeled q . A blue arc connects the left p to the right p , and a green arc connects the left q to the right q . Additionally, a blue arc connects the left p to the right q , and a green arc connects the left q to the right p .

Frame feature function

$$f(F_{v_t}^a) := \langle h(t), g(v), g(t) \rangle$$

Reference

$g(\cdot)$ GloVe

$h(\cdot)$ One-hot frame type

Model: (2) Potential functions



Log-linear classifier

$$p(X^a = v) \propto e^{w_a \cdot f(X^a)}$$

Object feature function

$$f(O_{p,q}^a) := \langle g(p), g(q) \rangle$$

A diagram illustrating the object feature function. It shows two blue boxes labeled 'p' and two green boxes labeled 'q'. Below them are two blue boxes labeled 'g(p)' and two green boxes labeled 'g(q)'. A blue arc connects the first 'p' to the first 'g(p)', and a green arc connects the first 'q' to the first 'g(q)'. A second blue arc connects the second 'p' to the second 'g(q)', and a second green arc connects the second 'q' to the second 'g(p)'.

Frame feature function

$$f(F_{v,t}^a) := \langle h(t), g(v), g(t) \rangle$$

A diagram illustrating the frame feature function. It shows three orange boxes labeled 't', 'v', and 't'. Below them are three orange boxes labeled 'h(t)', 'g(v)', and 'g(t)'. An orange arc connects the first 't' to the first 'g(t)', and another orange arc connects the second 't' to the second 'g(t)'. A red arc connects the 'v' box to the 'g(v)' box.

Reference

$g(\cdot)$ GloVe

$h(\cdot)$ One-hot frame type

Model: (2) Potential functions



Log-linear classifier

$$p(X^a = v) \propto e^{w_a \cdot f(X^a)}$$

Object feature function

$$f(O_{p,q}^a) := \langle g(p), g(q) \rangle$$

The equation $f(O_{p,q}^a) := \langle g(p), g(q) \rangle$ is shown. The variables p and q are highlighted in blue and green boxes respectively. Blue and green arcs connect these boxes to the corresponding $g(p)$ and $g(q)$ terms in the vector.

Frame feature function

$$f(F_{vt}^a) := \langle h(t), g(v), g(t) \rangle$$

The equation $f(F_{vt}^a) := \langle h(t), g(v), g(t) \rangle$ is shown. The variables v and t are highlighted in orange boxes. Orange arcs connect these boxes to the corresponding $h(t)$, $g(v)$, and $g(t)$ terms in the vector.

Example

“PERSON threw x into y ”

$$f(F_{\text{threw}_4}^{\text{size}}) := \langle [0, 0, 0, 1, 0], g(\text{threw}), g(\text{into}) \rangle$$

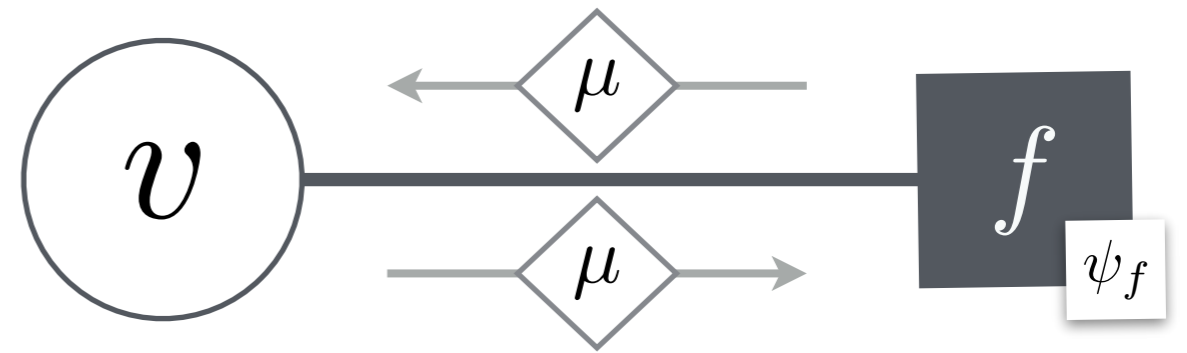
The example feature function is shown: $f(F_{\text{threw}_4}^{\text{size}}) := \langle [0, 0, 0, 1, 0], g(\text{threw}), g(\text{into}) \rangle$. The vector $[0, 0, 0, 1, 0]$ and the words threw and into are highlighted in orange boxes. Orange arcs connect the vector components to the words in the sentence above.

Reference

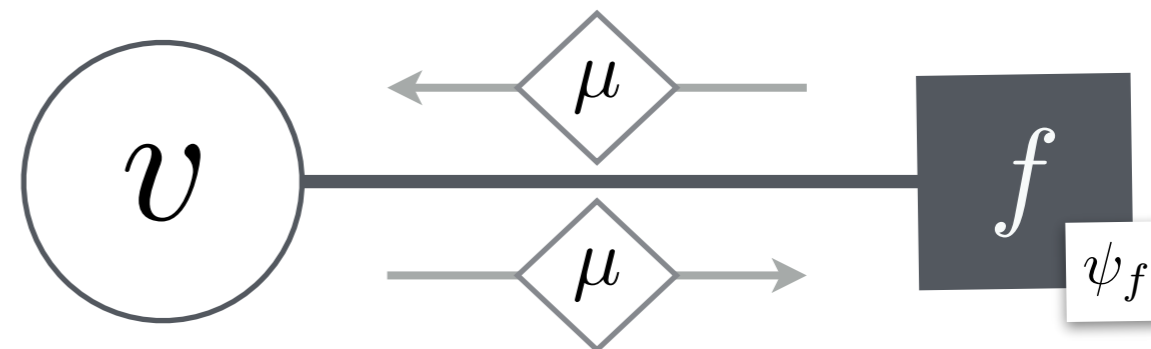
$g(\cdot)$ GloVe

$h(\cdot)$ One-hot frame type

Loopy belief propagation



Loopy belief propagation

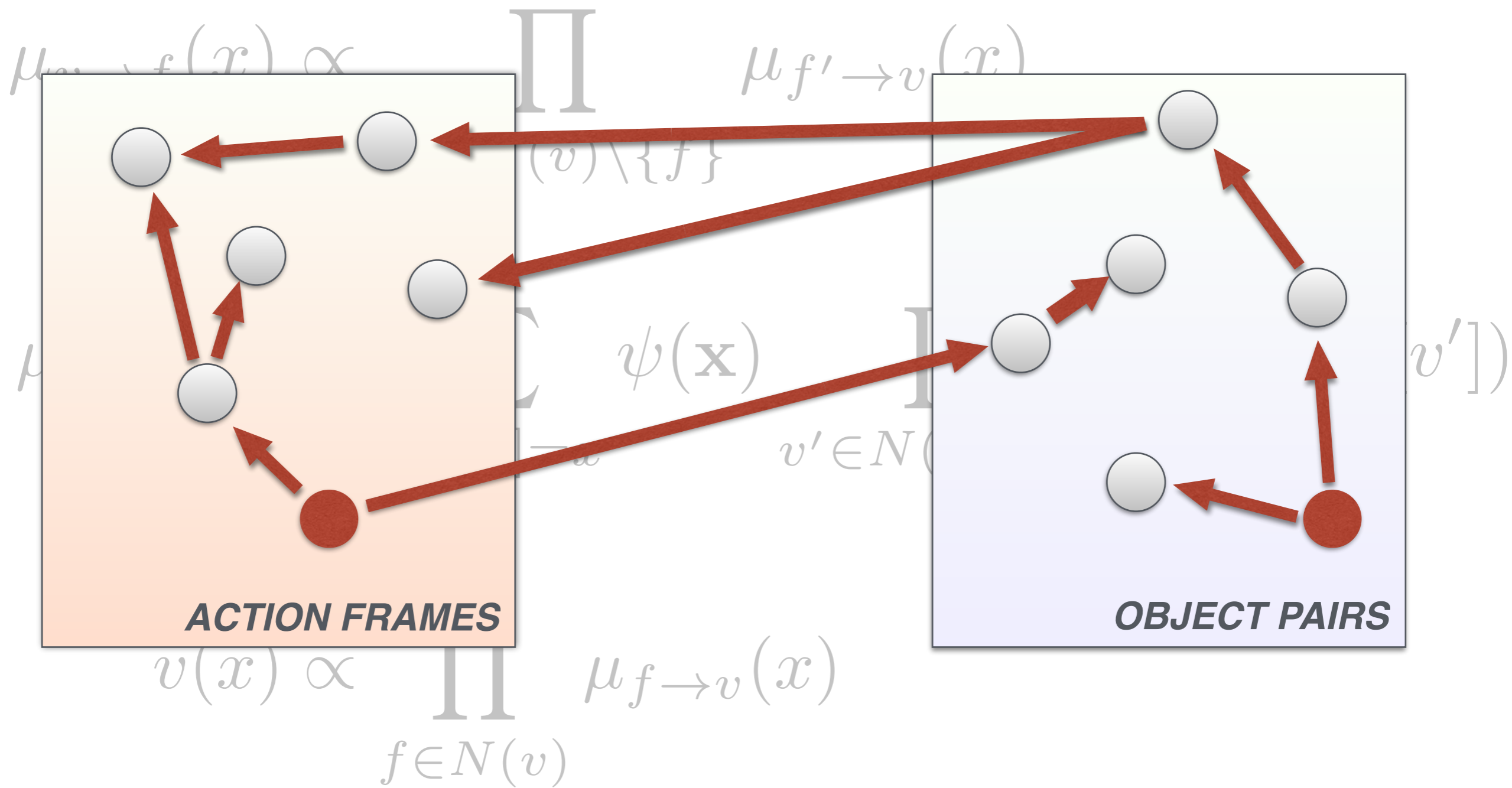
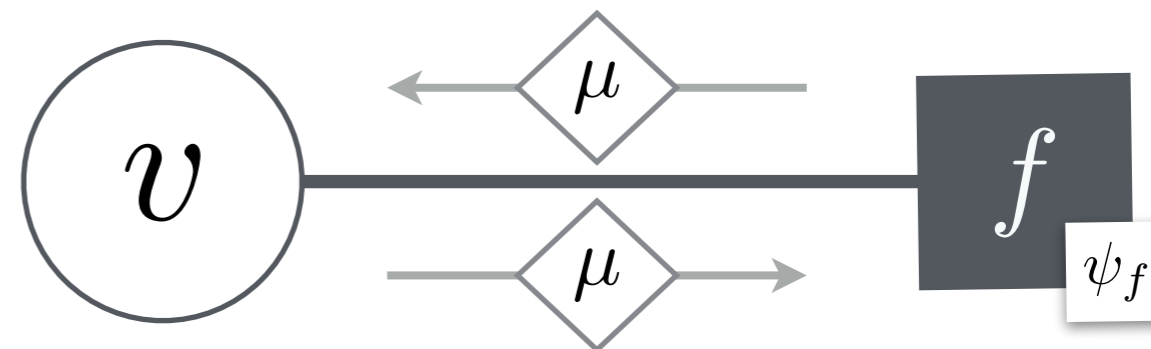


$$\mu_{v \rightarrow f}(x) \propto \prod_{f' \in N(v) \setminus \{f\}} \mu_{f' \rightarrow v}(x)$$

$$\mu_{f \rightarrow v}(x) \propto \text{sum}_{\mathbf{x}: \mathbf{x}[v]=x} \psi(\mathbf{x}) \text{ product}_{v' \in N(f) \setminus \{v\}} \mu_{v' \rightarrow f}(\mathbf{x}[v'])$$

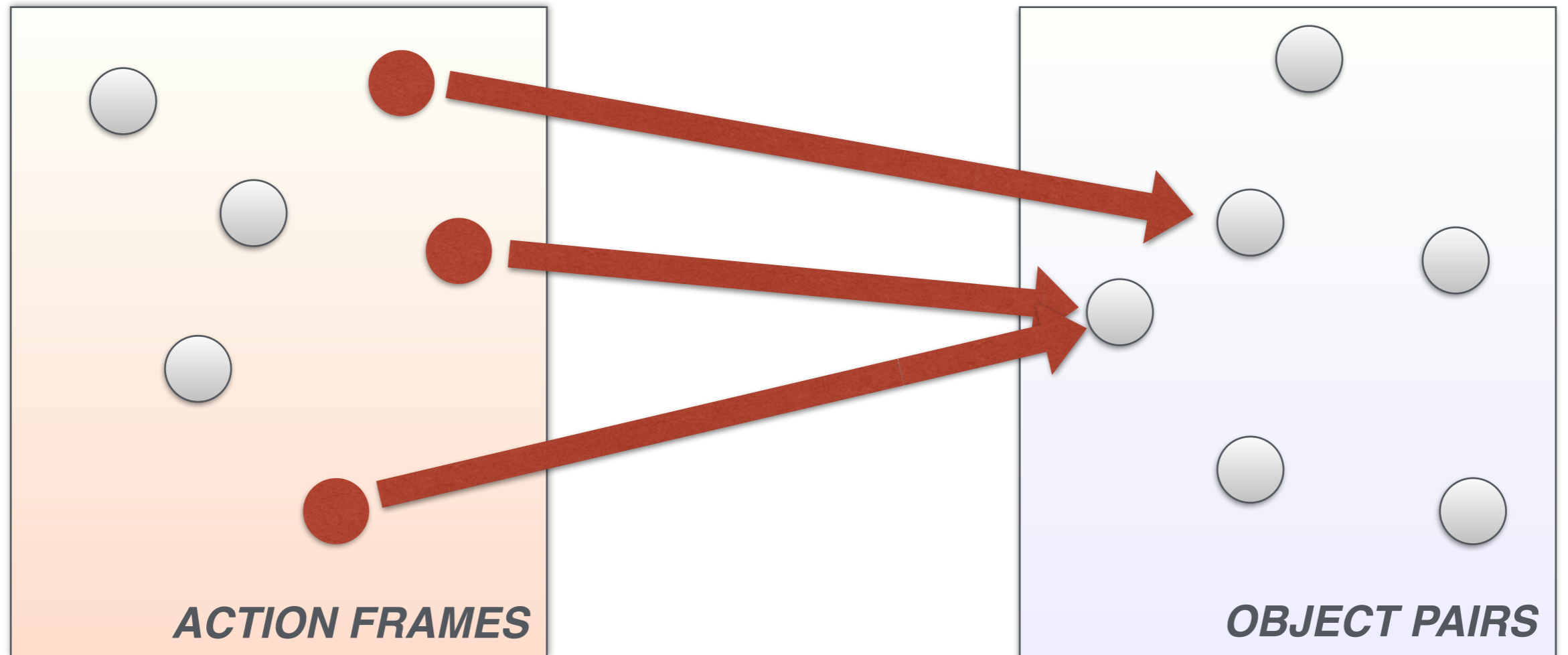
$$v(x) \propto \prod_{f \in N(v)} \mu_{f \rightarrow v}(x)$$

Loopy belief propagation

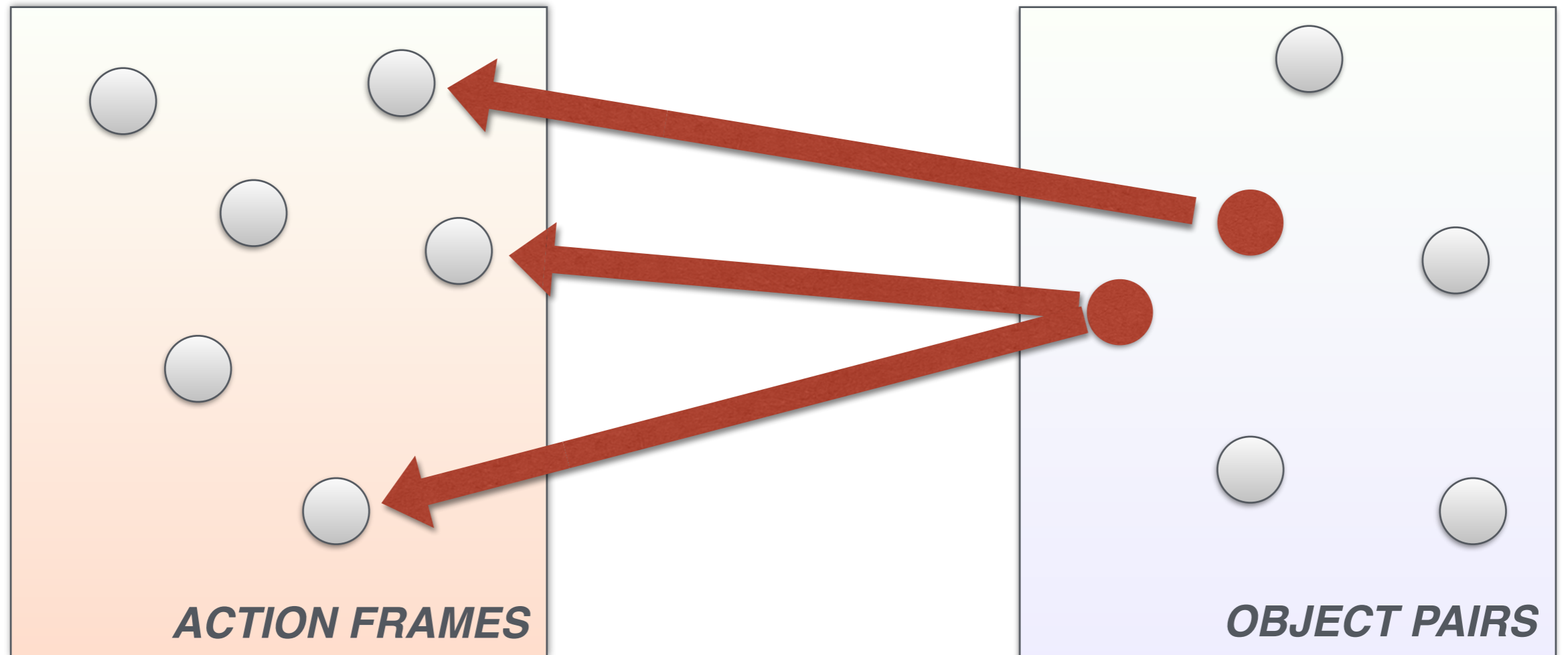


1. Introduction
2. Related work
3. Approach
4. Model
- 5. Data**
6. Evaluation

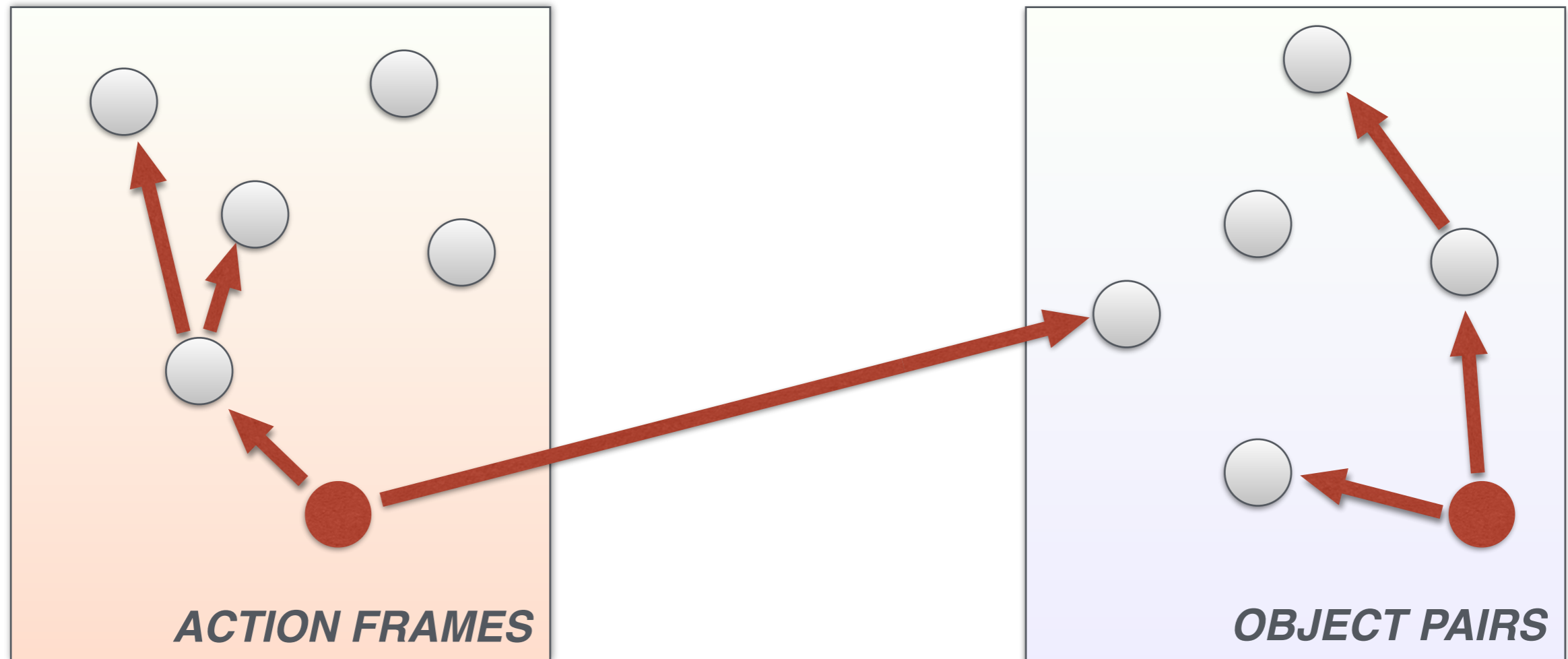
Why collect data?



Why collect data?



Why collect data?



- Small **seed set** (5%) breaks symmetry
- **Evaluate** generalizability (dev = 45%, test = 50%)

Selecting frames and objects

Verbs

- took
- grew
- washed
- trimmed
- squished
- got
- looked
- wrote
- entered
- kept
- lived
- played
- ...



“Action” verbs

[Levin, 1993]

Selecting frames and objects

Verbs

- took
- grew
- washed
- trimmed
- squished
- got
- looked
- wrote
- entered
- kept
- lived
- played
- ...

Action frames

- ...
- x squished y
- ~~x squished on y~~
- PERSON squished
x with y
- PERSON squished
x on y
- ...

**Syntax + surface +
crowdsourcing**

Selecting frames and objects

Verbs

- took
- grew
- washed
- trimmed
- squished
- got
- looked
- wrote
- entered
- kept
- lived
- played
- ...

Action frames

- ...
- x squished y
- ~~x squished on y~~
- PERSON squished
x with y
- PERSON squished
x on y
- ...

Object pairs

- ...
- spider, boot
- ~~spider, glee~~
- ...

PMI > 0 on
Google Syntax Ngrams

[Goldberg and Orwant, 1993]

not abstract via
Wordnet

[Miller, 1995]

Given the sentence fragment

“He squished x with y”

Given the sentence fragment

“He squished x with y”

What are some (physical, non-abstract)
examples of **x** and **y** ?

priming

- *He squashed the **bug** with his **boot***
- *He squashed the **fly** with the **newspaper***
- *...*

Given the sentence fragment

“He squished x with y”

What are some (physical, non-abstract) examples of **x** and **y** ?

In general, what does *“He squished **x** with **y**”* imply about the relative **size** of **x** and **y** ?

- x** is generally **bigger** than **y**
- x** is generally **smaller** than **y**
- x** is generally **about the same size as** **y**
- no general relation holds

For the two objects

person and shoe

In general, what are their relative sizes ?

- person is generally **bigger** than shoe
- person is generally **smaller** than shoe
- person is generally **about the same size as** shoe
- no general relation holds

... relative weight ?

... relative rigidness ?

...

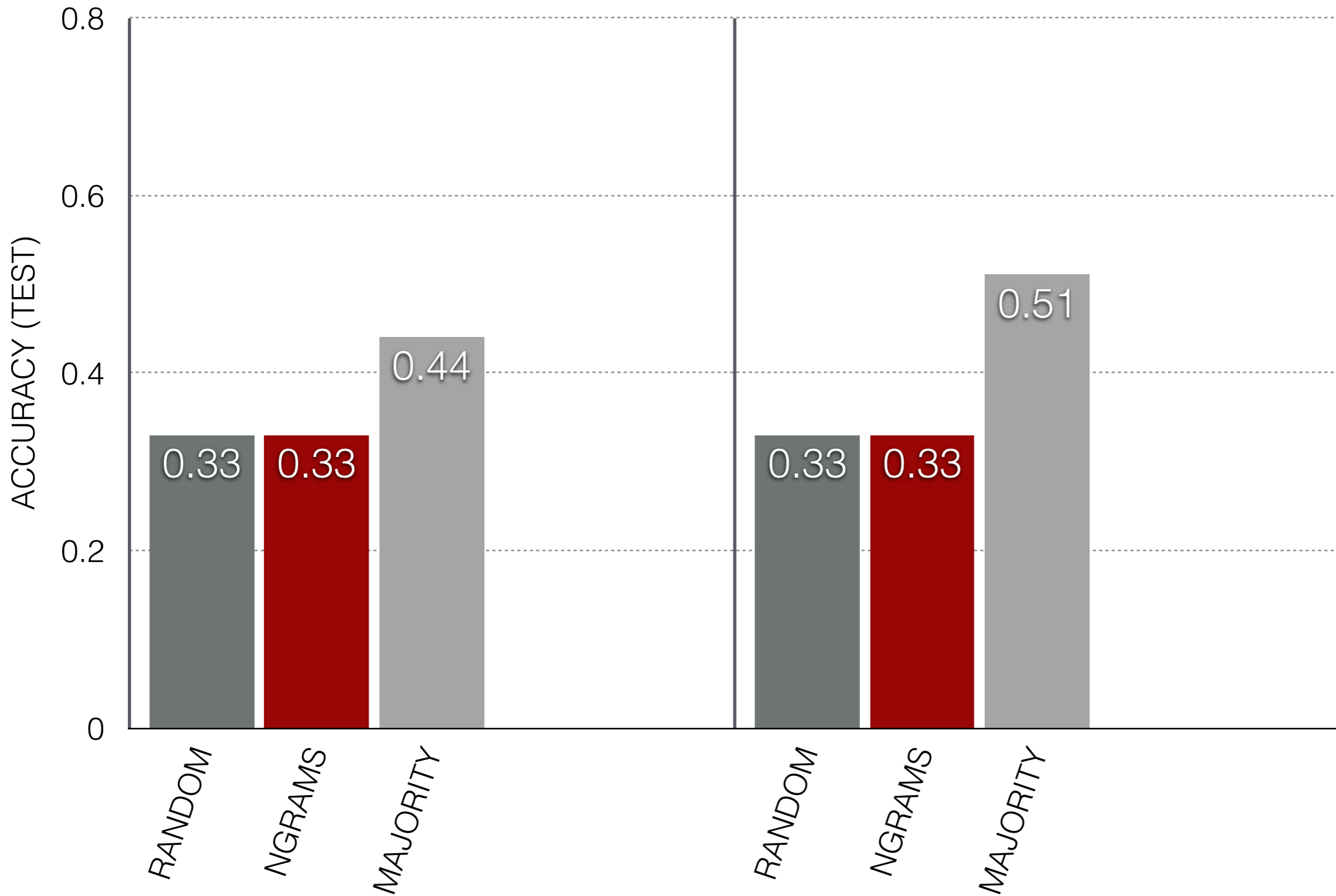
Data statistics

	Total
Verbs	100
Frames	813
Object pairs	3656

~8 action
frames / verb

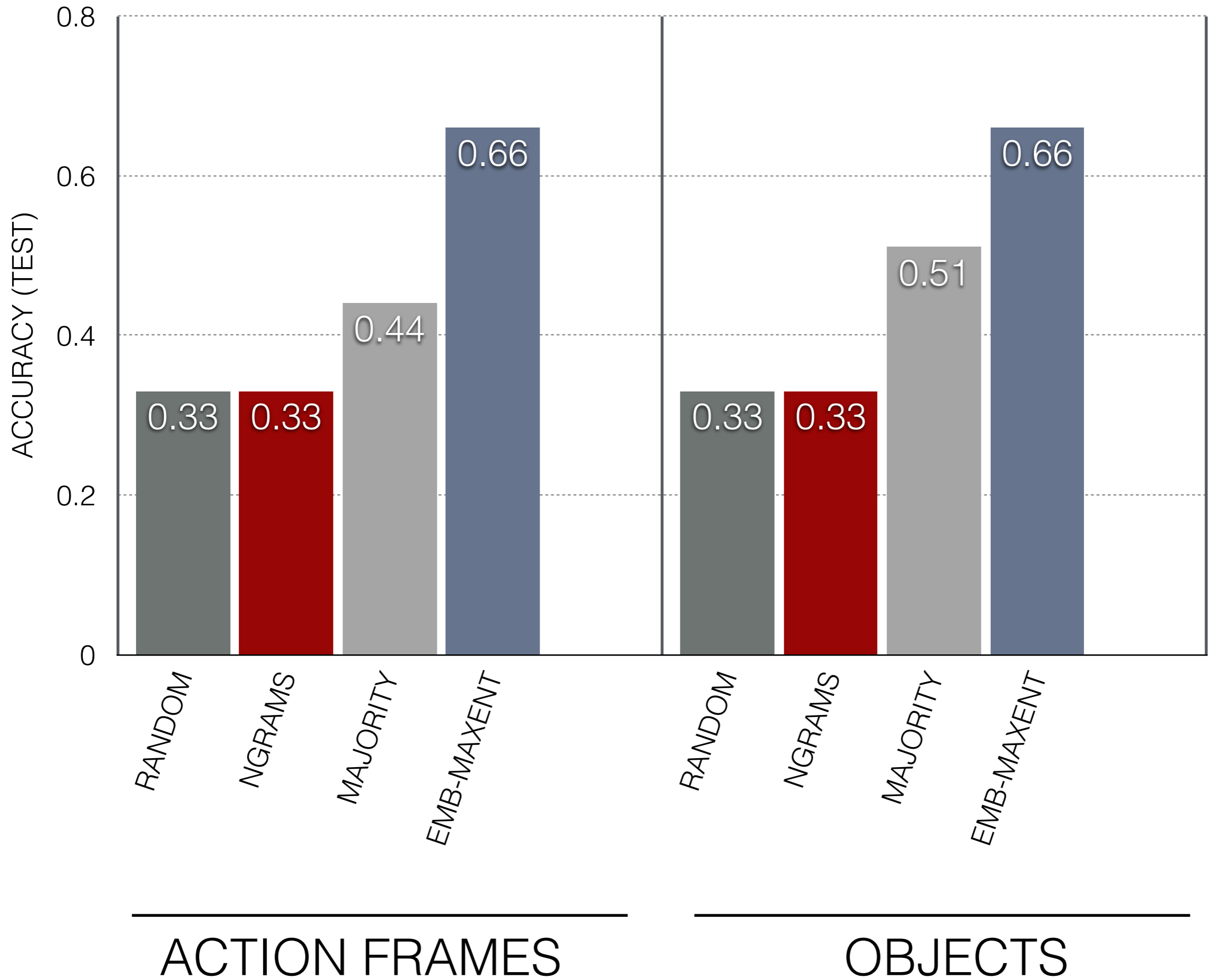
~200 distinct
objects

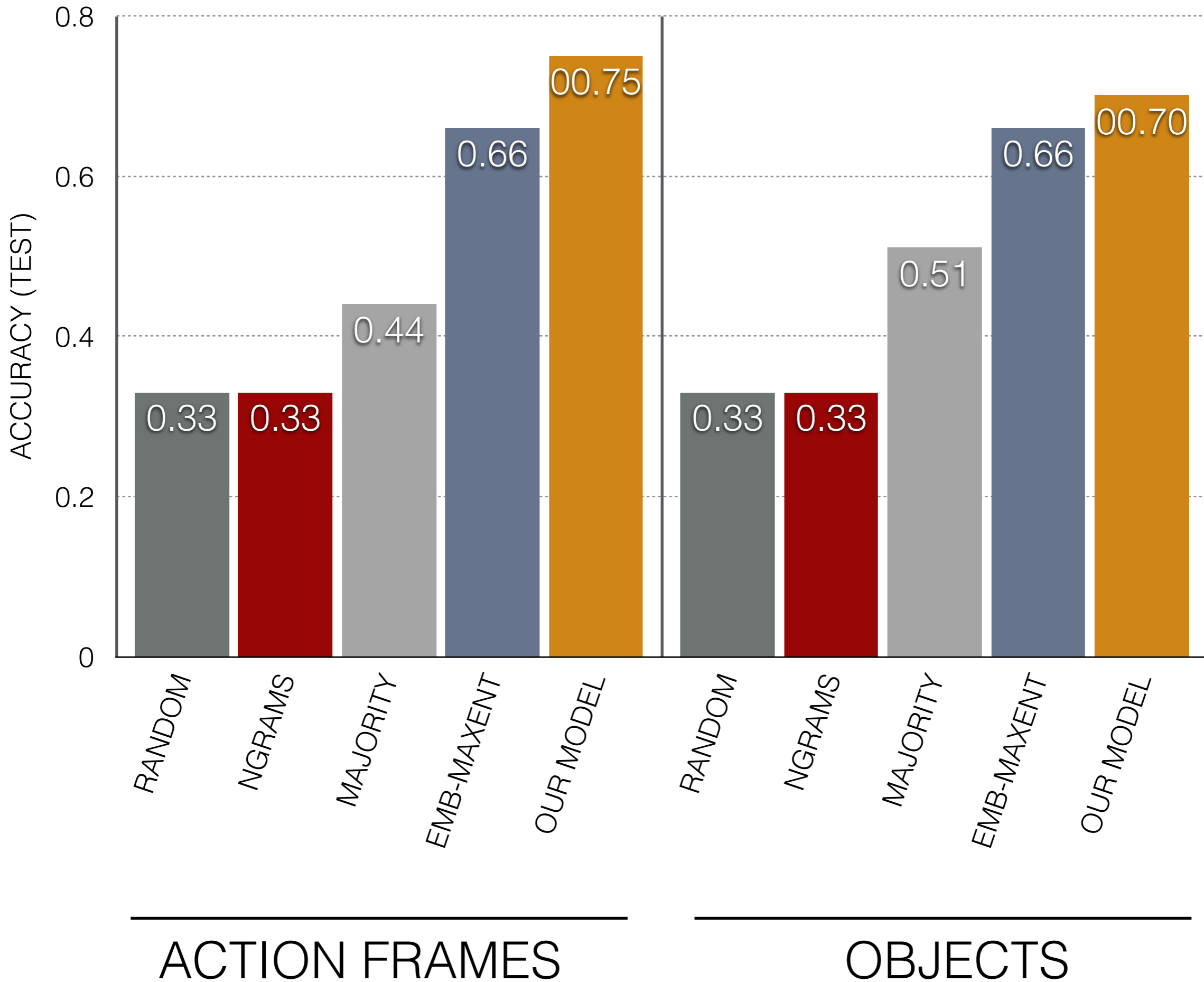
1. Introduction
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4. Model
5. Data
- 6. Evaluation**

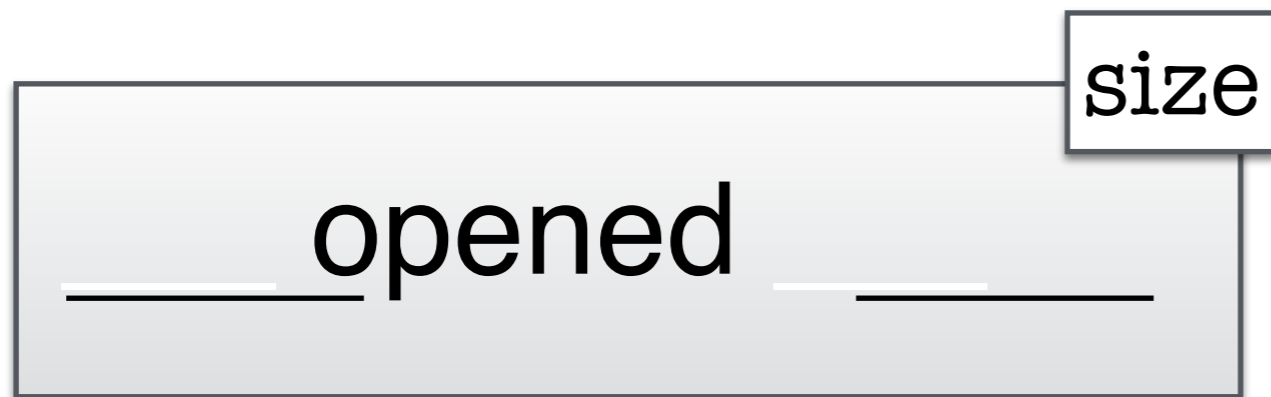


ACTION FRAMES

OBJECTS







“***She*** opened the ***jar*** of peanut butter.”



she >^{size} jar

weight

PERSON set _____ upon _____

“He set the ***kettle*** upon the ***stove.***”



kettle <^{weight} stove

Correct dev set examples

caught

speed

our model

she $>^{\text{speed}}$ runner

• “***She*** caught the ***runner*** in first.”

• “***She*** caught the ***baseball.***”

ground truth

she $<^{\text{speed}}$ baseball

polysemy

Incorrect dev set examples

PERSON stopped _____ with _____

weight

fly <^{weight} jar

our model

• “He stopped a **fly** with a **jar.**”

• “She stopped the **car** with the **brake.**”

car >^{weight} brake

ground truth

complex
physics

Incorrect dev set examples

size

PERSON drove _____ for _____

?

– “He drove the **car** for **work.**”

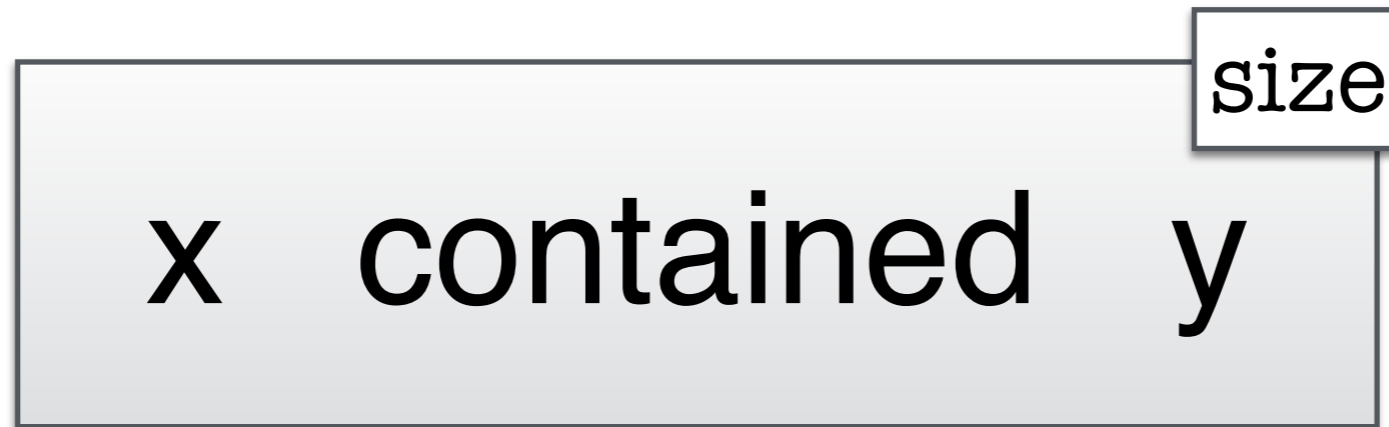
– “She drove the **car** for **hours.**”

?

nonsensical
comparison

Incorrect dev set examples

Metaphorical language?



$\implies x >^{\text{size}} y$

Physical

x y

bag book
taco tomato
cup coffee

Metaphorical

x y

dictator revolution
firefighters forest fire

VerbPhysics Summary

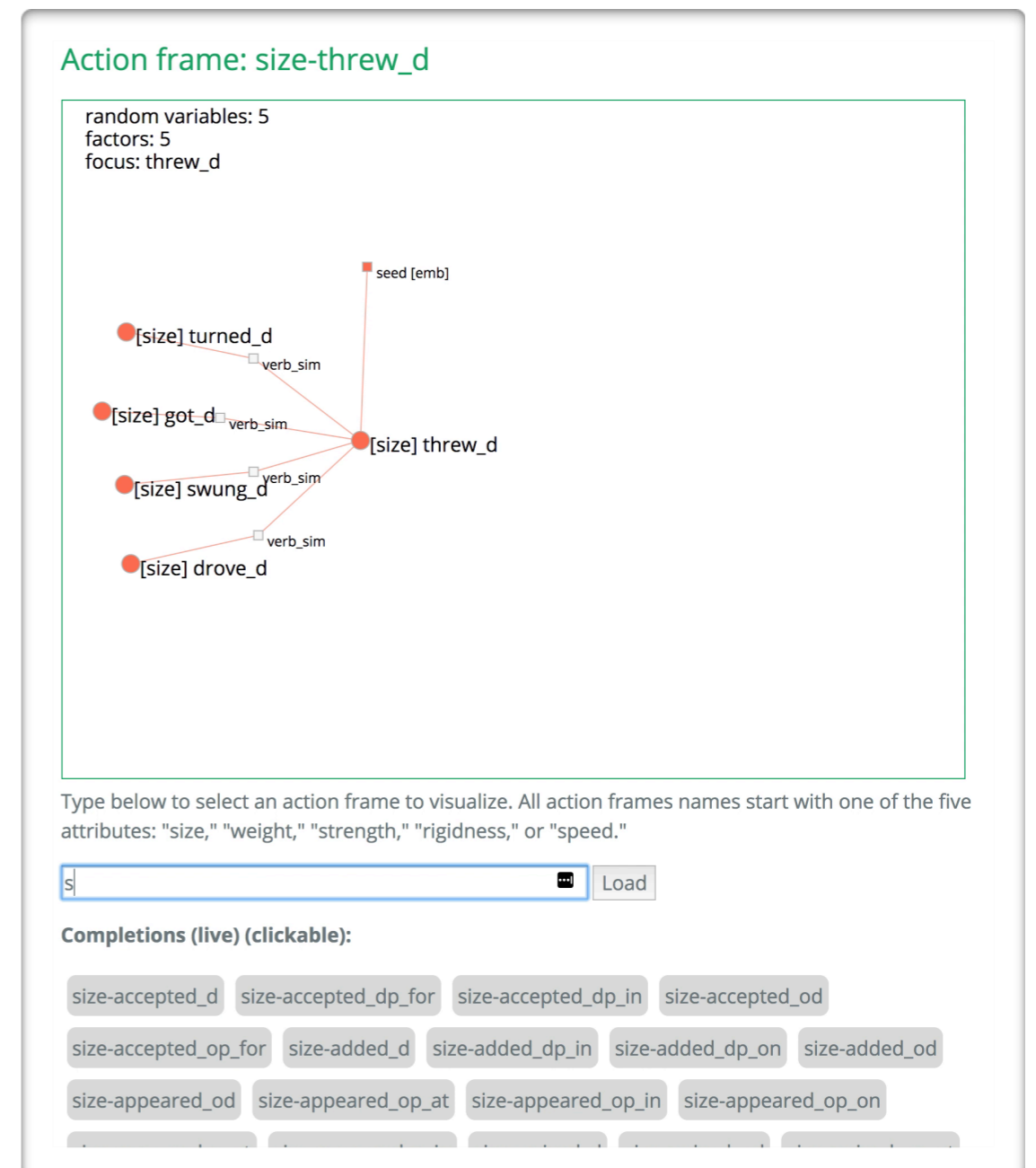
- Reverse engineer **commonsense physical knowledge**
- Overcome **reporting bias** by modeling frames and objects

VerbPhysics Summary

- Reverse engineer **commonsense physical knowledge**

- Overcome **reporting bias** by modeling frames and objects

- New dataset `VERBPHYSICS`
`uwnlp.github.io/verbphysics/`



Today's takeaways

1. NLP needs commonsense

PART I

2. We can learn (some) commonsense from text!

PART II

Factor graphs
PART II – INTERLUDE

References

Verb Physics

<https://arxiv.org/abs/1706.03799>

(contains actual citations for all references in Part II)

Factor Graphs and Loopy Belief Propagation Tutorial

<https://www.cs.cmu.edu/~mgormley/bp-tutorial/>

Noah Smith's factor graph slides

<https://courses.cs.washington.edu/courses/cse517/16wi/slides/angm-slides.pdf>

my Verb Physics code (python)

<https://github.com/uwnlp/verbphysics>

my factor graph code (python)

<https://github.com/mbforbes/py-factorgraph>