DATA516/CSED516 Scalable Data Systems and Algorithms

Lecture 1 Relational Model, SQL

Course Staff

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Course Aims

- Study design of big data systems
 - Historical perspective
 - Sample of modern systems
 - Breadth of designs (relational, streaming, graph, etc.)
- Study scalable data processing algorithms
- Gain hands-on experience with big data systems

Course Content

- Query processing: single-sever, distributed
- MapReduce, successors
- Streaming, Column Stores, Graph engines
- See the calendar on the course website (subject to change)

Course Format

- 5pm ~7:50pm: Lectures
- ~8pm 8:50pm: Section
 Bring your laptop!
- Office hours: By zoom

See the course website

Grading

- 15%: Reading assigned papers
- 60%: Homework assignments
- 25%: Final project

Homeworks

- HW1: Amazon Redshift
- HW2: Spark/Databricks
- HW3: Snowflake
- HW4: mini-homeworks stay tuned

Save free credits for the project!

Project

Choose a topic:

- Don't worry about novelty
- Recommended: Benchmark projects
- Other ideas are welcome too
- I posted a few ideas, but you are encouraged to come up with your own

See the course website

Communication

- Course webpage: all important stuff
 https://courses.cs.washington.edu/courses/csed516/23au/
- Discussion Board: Canvas
- Class email: only for important announcements

How to Turn In

Homework and project:

• https://gitlab.cs.washington.edu/

Reviews

Canvas

See the course website



Now onward to the world of databases!

Quick Review

- Database = a collection of files
 - Examples: products database; movies database
- Database management system (DBMS) = a piece of software to help manage that data
 Examples: Postgres, Oracle, sqlite

DBMS Functionality

- DBMS does many things:
 - Complex queries, updates, concurrency, recovery, access control, integrity checks, data distribution, etc, etc
- Some DBMS are more specialized for some tasks than others

DBMS Architectures and Workloads

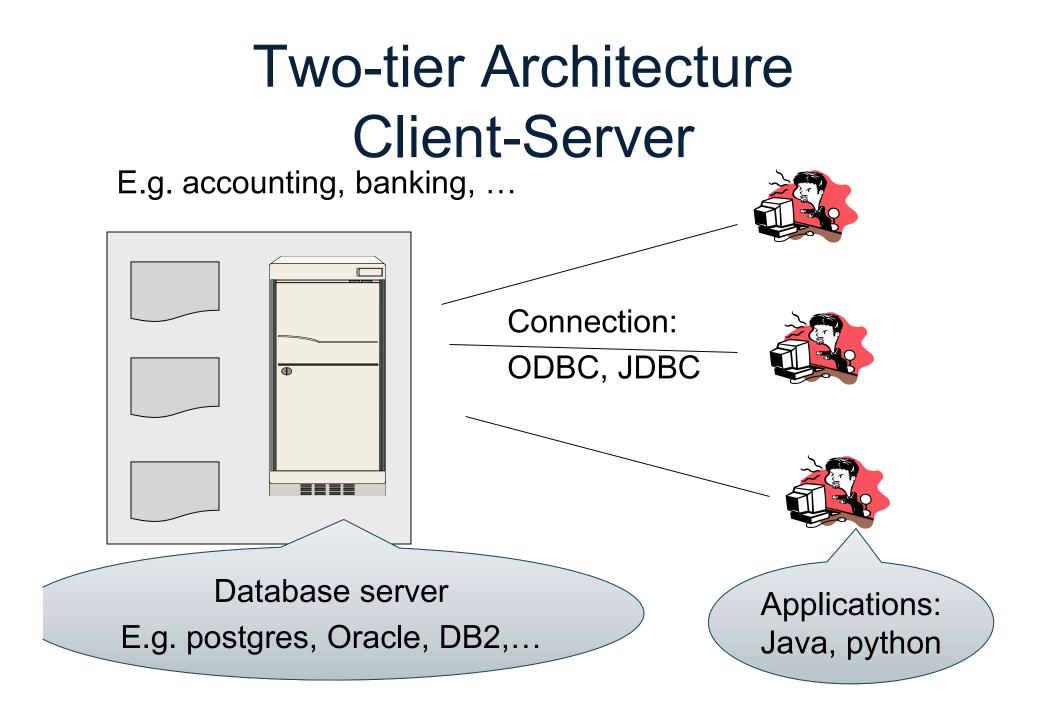
Single Client

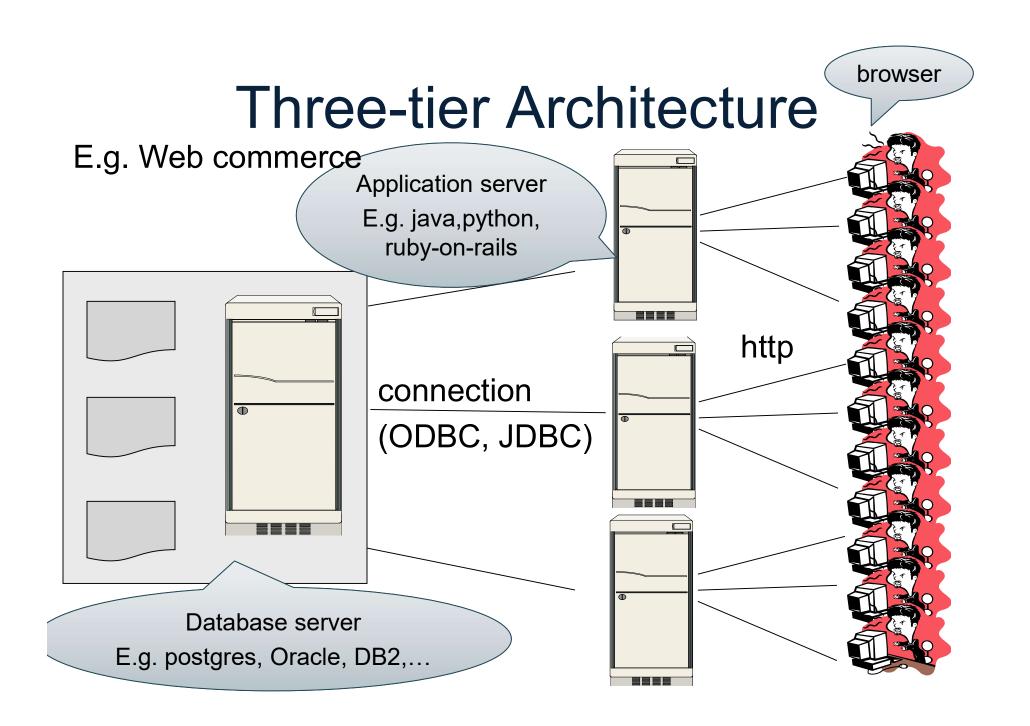
E.g. data analytics



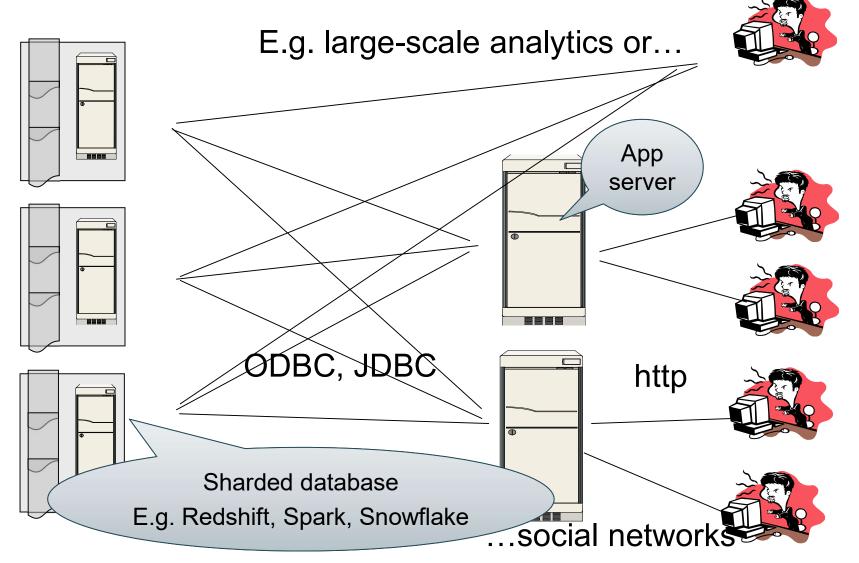
Application and database on the same computer

E.g. sqlite, postgres





Cloud Databases



Workloads

- OLTP online transaction processing
 Not interesting for data science
- OLAP online analytics processing, a.k.a. Decision Support
 – Critical for scalable data science

Relational Data Model

Relational Data Model

Modeling the data: schema + data

- Database = collection of relations
- Relation (a.k.a. table) = a set of tuples
- A Tuple (row, record) = $(v_1, ..., v_n)$

Modeling the query:

• Set-at-a-time, relational query language

Schema

- Relation schema: describes column heads
 - Relation name
 - Name of each field (or column, or attribute)
 - Domain of each field
 - The <u>arity</u> of the relation = # attributes
- Database schema: set of all relation schemas

Instance

- Relation instance: concrete table content
 - Set of records matching the schema
 - The <u>cardinality</u> or <u>size</u> of the relation = # tuples

• Database instance: set of relation instances

What is the schema? What is the instance?

Supplier

sno	sname	scity	sstate
1005	ACME	Seattle	WA
1006	Freddie	Austin	ТХ
1007	Joe's	Seattle	WA
1008	ACME	Austin	ТХ

What is the schema? What is the instance?

Schema

Supplier(<u>sno: integer</u>, sname: string, scity: string, sstate: string)

Supplier

sno	sname	scity	sstate
1005	ACME	Seattle	WA
1006	Freddie	Austin	TX
1007	Joe's	Seattle	WA
1008	ACME	Austin	ТХ

What is the schema? What is the instance?

Schema

Supplier(<u>sno: integer</u>, sname: string, scity: string, sstate: string)

Supplier

sno	sname	scity	sstate	
1005	ACME	Seattle	WA	
1006	Freddie	Austin	ТХ	
1007	Joe's	Seattle	WA	instance
1008	ACME	Austin	TX]]

In class: discuss keys, foreign keys, FD

Discussion

• Rows in a relation:

Data independence!

- Ordering immaterial (a relation is a set)
- All rows are distinct set semantics
- Query answers may have duplicates bag semantics

Discussion

• Rows in a relation:

Data independence!

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- Columns in a tuple:

Or is it?

- Ordering is immaterial
- Applications refer to columns by their names

Discussion

• Rows in a relation:

Data independence!

- Ordering immaterial (a relation is a set)
- All rows are distinct set semantics
- Query answers may have duplicates bag semantics
- Columns in a tuple:

Or is it?

- Ordering is immaterial
- Applications refer to columns by their names
- Each Domain = a primitive type; no nesting!

Relational Query Language

- Set-at-a-time:
 - Inputs and outputs are relations
 - Contrast with python/Julia/java/etc: tuple-at-a-time
- Examples:
 - SQL, Relational Algebra, datalog, various graph query languages (Sparql, TigerGraph)

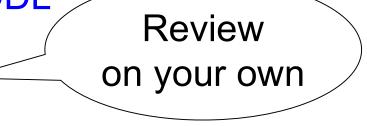


SQL

- Standard query language
- Introduced late 70's, now it ballooned
- We briefly review "core SQL" (whatever that means); study more on your own!
- Review: <u>A case against SQL</u>

Structured Query Language: SQL

- Data definition language: DDL
 - CREATE TABLE ...,
 CREATE VIEW ...,
 ALTER TABLE...



Data manipulation language: DML



SQL Query

SELECT<attributes>FROM<one or more relations>WHERE<conditions>

Supplier(sno, sname, scity, sstate)
Supply(sno, pno, qty, price)
Part(pno, pname, psize, pcolor)
Quick Review of SQL

SELECT*FROMPartWHEREpcolor = 'red'

What do these queries compute?

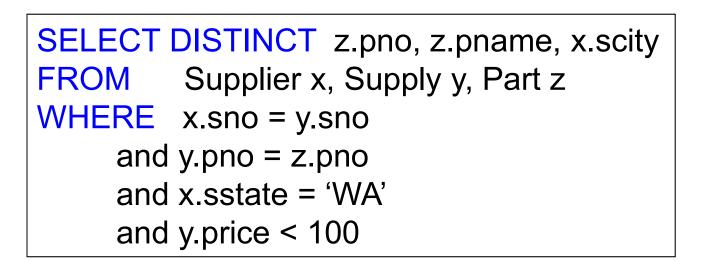
Supplier(<u>sno</u>, sname, scity, sstate) Supply(<u>sno</u>, pno, qty, price) Part(pno, pname, psize, pcolor) Quick Review of SQL

SELECT	*
FROM	Part
WHERE	pcolor = 'red'

SELECTx.sno, x.nameFROMSupplier xWHEREx.sstate = 'WA'



Supplier(<u>sno</u>, sname, scity, sstate) Supply(<u>sno</u>, pno, qty, price) Part(<u>pno</u>, pname, psize, pcolor) Quick Review of SQL



What does this query compute?

Supplier(<u>sno</u>, sname, scity, sstate) Supply(<u>sno</u>, pno, qty, price) Part(pno, pname, psize, pcolor) **Terminology**

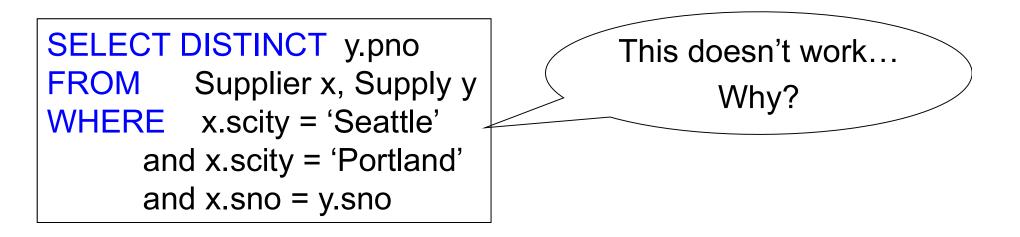
- Selection/filter: e.g. ... WHERE scity='Seattle'
- Projection: e.g. SELECT sname ...
- Join: e.g. ... FROM Supplier, Supply, Part ...

Supplier(<u>sno</u>, sname, scity, sstate) Supply(<u>sno</u>, pno, qty, price) Part(<u>pno</u>, pname, psize, pcolor) **Self-Joins**

Supplier(<u>sno</u>, sname, scity, sstate) Supply(<u>sno</u>, pno, qty, price) Part(<u>pno</u>, pname, psize, pcolor) Self-Joins

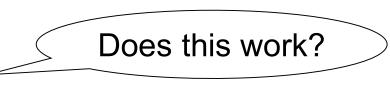
```
SELECT DISTINCT y.pno
FROM Supplier x, Supply y
WHERE x.scity = 'Seattle'
and x.scity = 'Portland'
and x.sno = y.sno
```

Supplier(<u>sno</u>, sname, scity, sstate) Supply(<u>sno</u>, pno, qty, price) Part(pno, pname, psize, pcolor) **Self-Joins**



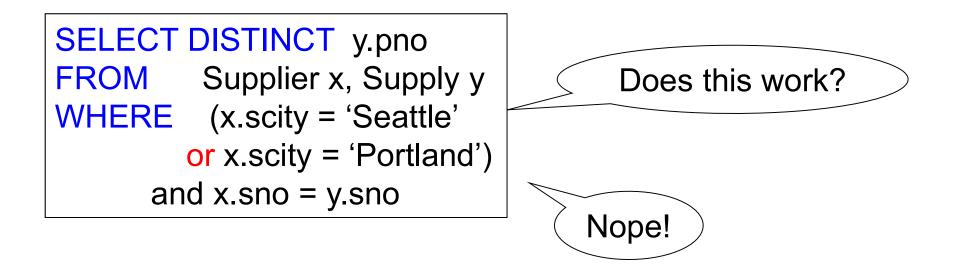
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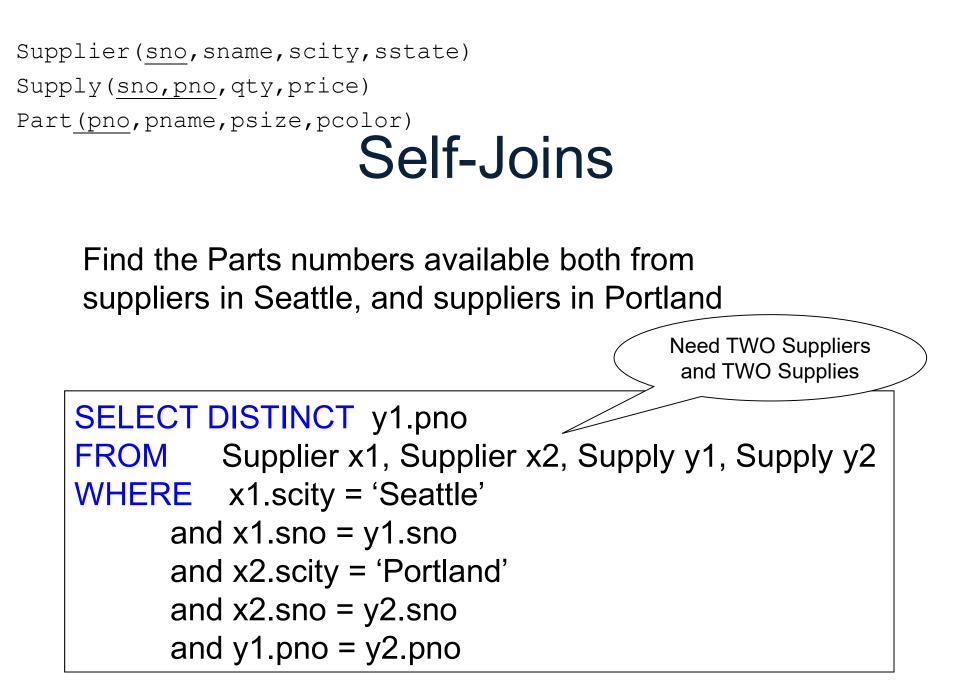
SELECT DISTINCT y.pno FROM Supplier x, Supply y WHERE (x.scity = 'Seattle' or x.scity = 'Portland') and x.sno = y.sno

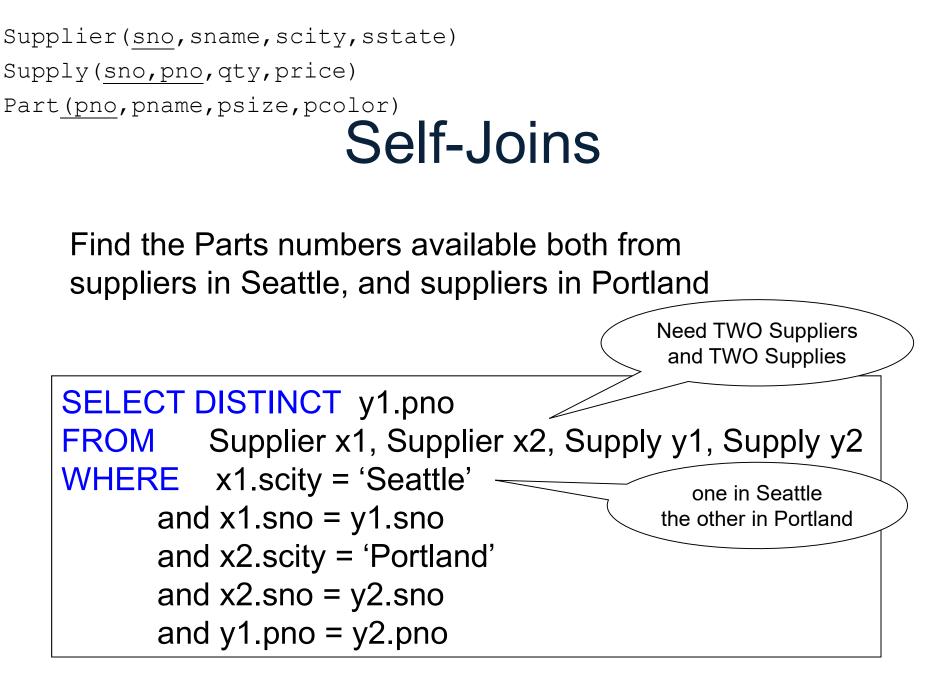


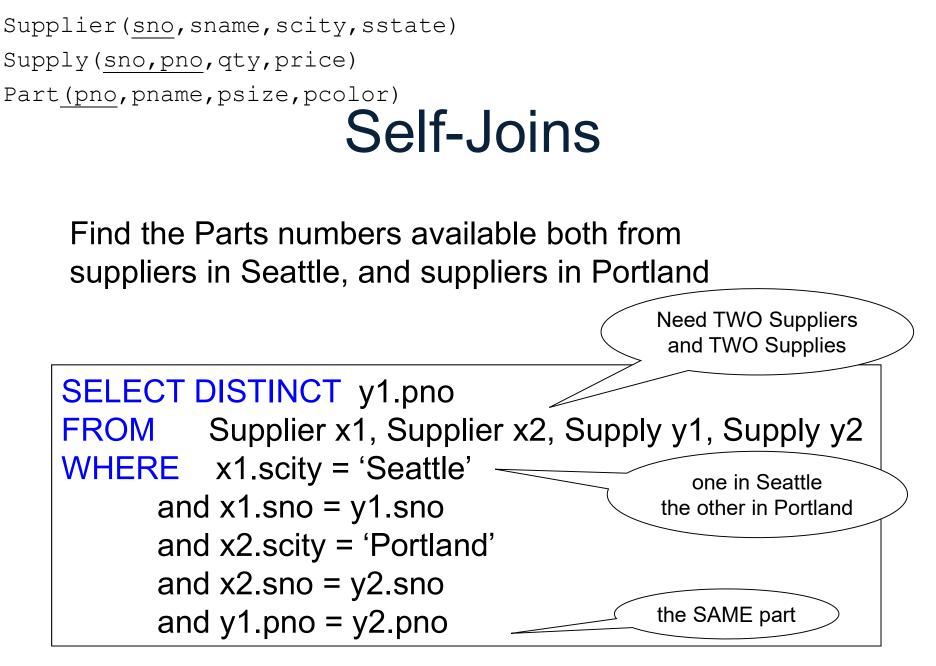
Supplier(<u>sno</u>, sname, scity, sstate) Supply(<u>sno</u>, pno, qty, price) Part(<u>pno</u>, pname, psize, pcolor) Self-Joins

Find the Parts numbers available both from suppliers in Seattle, and suppliers in Portland









Semantics

Semantics

- What does a SQL query compute?
- Simple semantics:
 - Nested Loop Semantics
- Allows optimizations
 Physical data independence

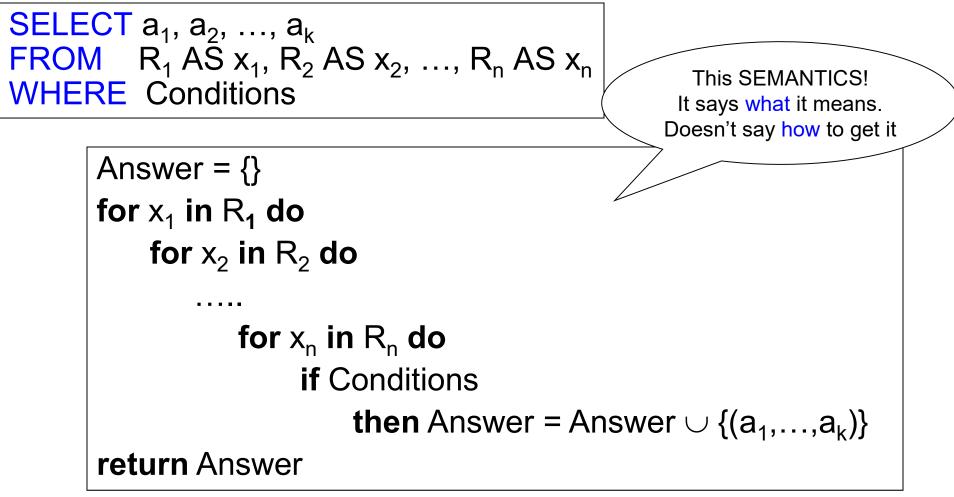
Answer = {}

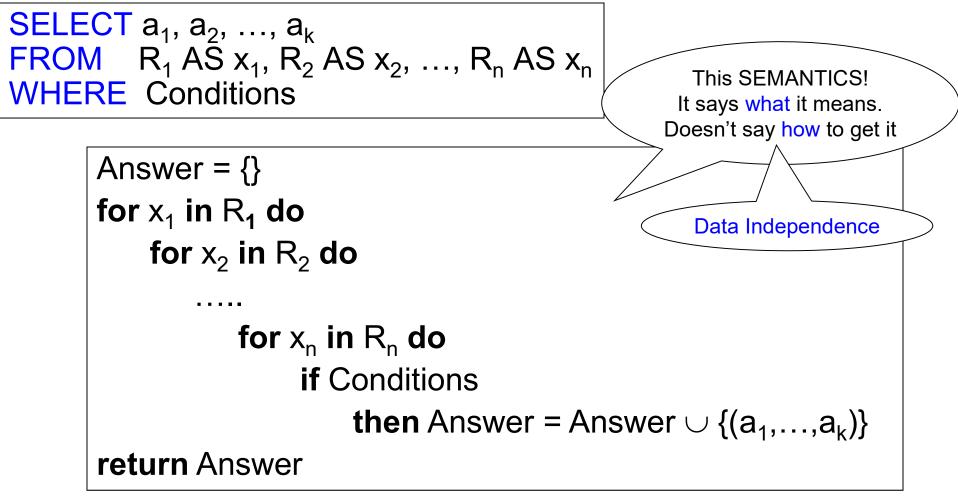
Answer = {} for x_1 in R_1 do

```
Answer = {}
for x_1 in R_1 do
for x_2 in R_2 do
```

```
Answer = {}
for x_1 in R_1 do
for x_2 in R_2 do
.....
for x_n in R_n do
```

Answer = {} for x_1 in R_1 do for x_2 in R_2 do for x_n in R_n do if Conditions then Answer = Answer $\cup \{(a_1,...,a_k)\}$ return Answer





Data Independence

```
Supply(sno,pno,qty,price)
Part(pno,pname,psize,pcolor)
```

Physical Data Independence

- The query is written independently of how it will be evaluated
- We write what data we want; optimizer decides how to get it

SELECT. *FROMSupply y, Part zWHEREy.price = 100 and z.pcolor = 'red' and y.pno = z.pno

Discuss in class how

Discussion

- Data independence is the main reason why the relational data model is the dominant data model today
- Reading next week: What Goes Around

NULL

NULLs in SQL

- A NULL value means missing, or unknown, or undefined, or inapplicable
- Common in Data Science
- The key should never be NULL

pno	pname	price	psize	pcolor
1	iPad	500	13	blue
2	Scooter	99	NULL	NULL
3	Charger	NULL	NULL	red
4	iPad	50	2	NULL

NULLs in WHERE Clause

Predicate in WHERE Clause

- Atomic: e.g. pcolor = 'red'
- AND / OR / NOT

When is the WHERE condition satisfied?

Three-Valued Logic

- False=0, Unknown=0.5, True=1
- pcolor = 'red'
 - False or True when pcolor is not NULL
 - Unknown when pcolor is NULL
- AND, OR, NOT are min, max, 1- ...

Three-Valued Logic

- False=0, Unknown=0.5, True=1
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WHERE condition: returns the tuple when True

select *
from Part
where price < 100
and (psize=2 or pcolor='red')</pre>

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Three-Valued Logic

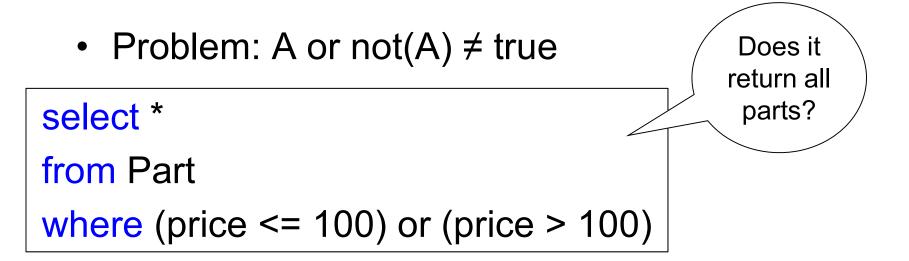
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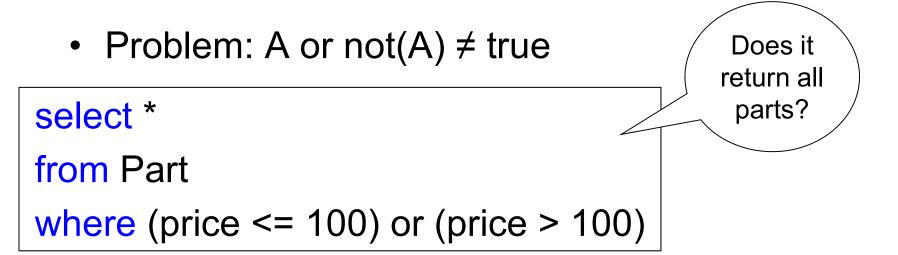
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Three-Valued Logic

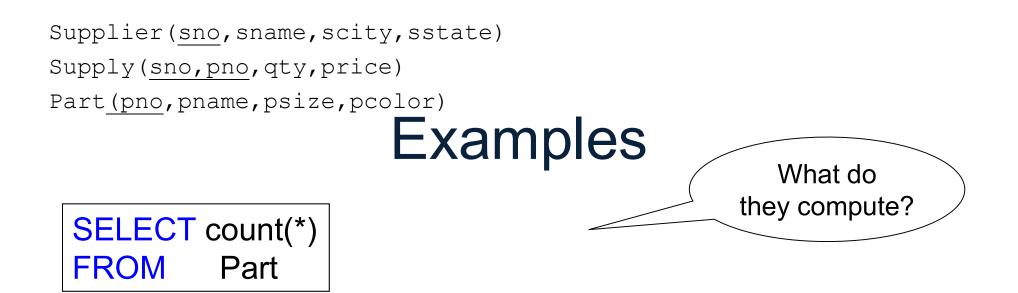


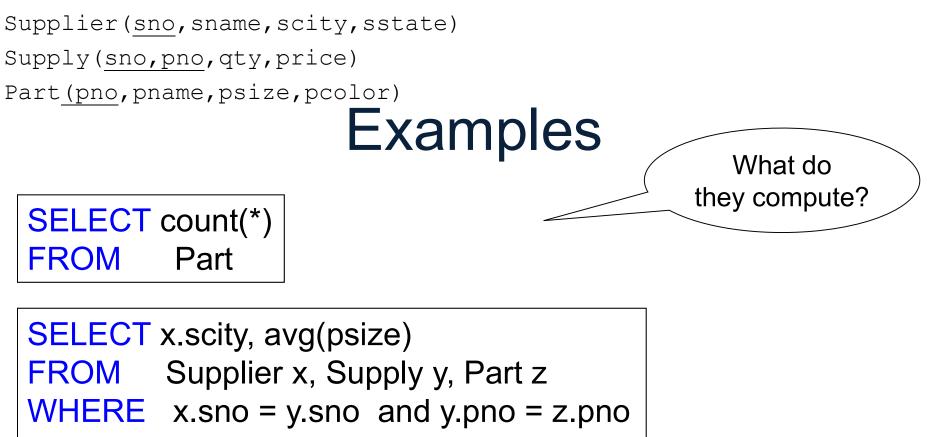
Three-Valued Logic



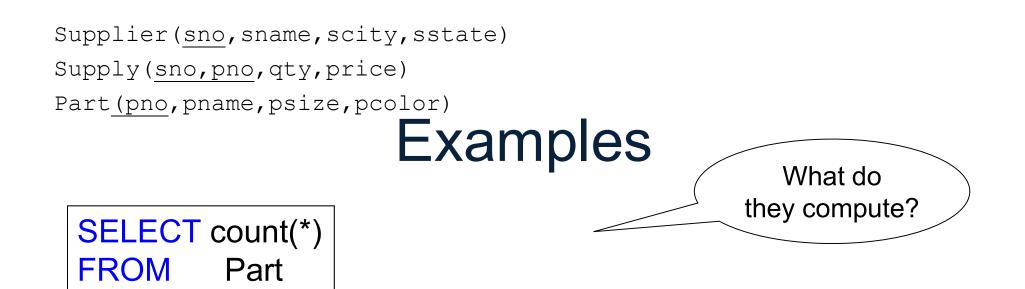
-- solution to return all parts: select * from Part where (price <= 100) or (price > 100) or isNull(price)

Aggregates





GROUP BY x.scity



```
SELECT x.scity, avg(psize)
FROM Supplier x, Supply y, Part z
WHERE x.sno = y.sno and y.pno = z.pno
GROUP BY x.scity
```

```
SELECT x.scity, avg(psize)
FROM Supplier x, Supply y, Part z
WHERE x.sno = y.sno and y.pno = z.pno
GROUP BY x.scity
HAVING count(*) > 200
```

Discussion

- Aggregates = important for data science!
- Semantics:
 - 1. FROM-WHERE (nested-loop semantics)
 - 2. GROUP BY attrs
 - 3. Apply HAVING predicates on groups
 - 4. Apply SELECT aggregates on groups
- count, sum, min, max, avg
- DISTINCT is special case of GROUP BY

Outer Joins





Retrieve all products and stores. Include products that never sold

Product

Name	Category
Gizmo	gadget
Camera	Photo
OneClick	Photo

Purchase

Store
Wiz
Ritz
Wiz



Outer joins

Retrieve all products and stores. Include products that never sold

SELECT x.name, x.category, y.store FROM Product x, Purchase y WHERE x.name = y.prodName

Product

Ρι	irch	nase

Name	Category
Gizmo	gadget
Camera	Photo
OneClick	Photo

ProdName	Store
Gizmo	Wiz
Camera	Ritz
Camera	Wiz



Outer joins

Retrieve all products and stores. Include products that never sold

SELECT x.name, x.category, y.store FROM Product x, Purchase y WHERE x.name = y.prodName

Product	
Name	Category
Gizmo	gadget
Camera	Photo
OneClick	Photo
	1

missing

Purchase

ProdName	Store
Gizmo	Wiz
Camera	Ritz
Camera	Wiz

Output

Name	Category	Store
Gizmo	gadget	Wiz
Camera	Photo	Ritz
Camera	Photo	Wiz





Retrieve all products and stores. Include products that never sold

SELECT x.name, x.category, y.store FROM Product x LEFT OUTER JOIN Purchase y ON x.name = y.prodName

Product			Purchase		Output		
Name	Category		ProdName	Store	Name	Category	Store
Gizmo	gadget		Gizmo	Wiz	Gizmo	gadget	Wiz
Camera	Photo		Camera	Ritz	Camera	Photo	Ritz
OneClick	Photo		Camera	Wiz	Camera	Photo	Wiz
			OneClick	Photo	NULL		
Now it's present							

Left Outer Join (Details)

from R left outer join S on C1 where C2

- 1. Compute cross product R×S
- 2. Filter on C1
- 3. Add all R records without a match
- 4. Filter on C2

Joins

- Inner join
- Left outer join
- Right outer join
- Full outer join

SQL: Beyond Relations

Beyond Relations

- Sparse vectors, matrices
- Graph databases
- Important to data science!

Sparse Matrix

$$A = \begin{bmatrix} 5 & 0 & -2 \\ 0 & 0 & -1 \\ 0 & 7 & 0 \end{bmatrix}$$

How can we represent it as a relation?

Sparse Matrix

$$A = \begin{bmatrix} 5 & 0 & -2 \\ 0 & 0 & -1 \\ 0 & 7 & 0 \end{bmatrix}$$

Row	Col	Val
1	1	5
1	3	-2
2	3	-1
3	2	7

Matrix Multiplication in SQL

$$C = A \cdot B$$

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 $C_{ik} = \sum_{j} A_{ij} \cdot B_{jk}$

Matrix Multiplication in SQL

$$C = A \cdot B$$
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SELECT A.row, B.col, sum(A.val*B.val) FROM A, B WHERE A.col = B.row GROUP BY A.row, B.col;

Discussion

Matrix multiplication = join + group-by

• Try at home: write in SQL $Tr(A \cdot B \cdot C)$ where the trace is defined as: $Tr(X) = \sum_i X_{ii}$

Surprisingly, A + B is a bit harder...

Matrix Addition in SQL

C = A + B

Matrix Addition in SQL

C = A + B

SELECT A.row, A.col, A.val + B.val as valFROMA, BWHEREA.row = B.row and A.col = B.col

Matrix Addition in SQL

C = A + B

SELECT A.row, A.col, A.val + B.val as val FROM A, B WHERE A.row = B.row and A.col = B.col

Why is this wrong?

C = A + B

SELECT

FROM A full outer join B ON A.row = B.row and A.col = B.col;

C = A + B

SELECT

(CASE WHEN A.val is null THEN 0 ELSE A.val END) + (CASE WHEN B.val is null THEN 0 ELSE B.val END) as val FROM A full outer join B ON A.row = B.row and A.col = B.col;

C = A + B

SELECT (CASE WHEN A.row is null THEN B.row ELSE A.row END) as row,

(CASE WHEN A.val is null THEN 0 ELSE A.val END) + (CASE WHEN B.val is null THEN 0 ELSE B.val END) as val FROM A full outer join B ON A.row = B.row and A.col = B.col;

C = A + B

SELECT (CASE WHEN A.row is null THEN B.row ELSE A.row END) as row, (CASE WHEN A.col is null THEN B.col ELSE A.col END) as col, (CASE WHEN A.val is null THEN 0 ELSE A.val END) + (CASE WHEN B.val is null THEN 0 ELSE B.val END) as val FROM A full outer join B ON A.row = B.row and A.col = B.col;

Solution 2: Group By

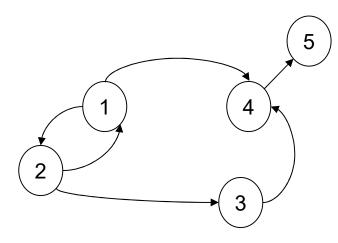
C = A + B

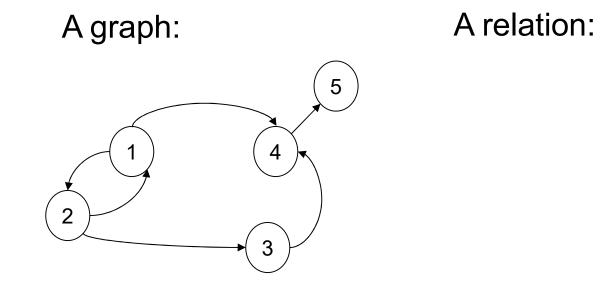
SELECT m.row, m.col, sum(m.val) FROM (SELECT * FROM A UNION ALL SELECT * FROM B) as m GROUP BY m.row, m.col;

A graph is a simple relational database

- Niche area: graph databases/languages
 E.g. Neo4J, TigerGraph, Sparql
- Do we need specialized graph engines?
 - Dan's answer: NO
 - We may need better languages: datalog

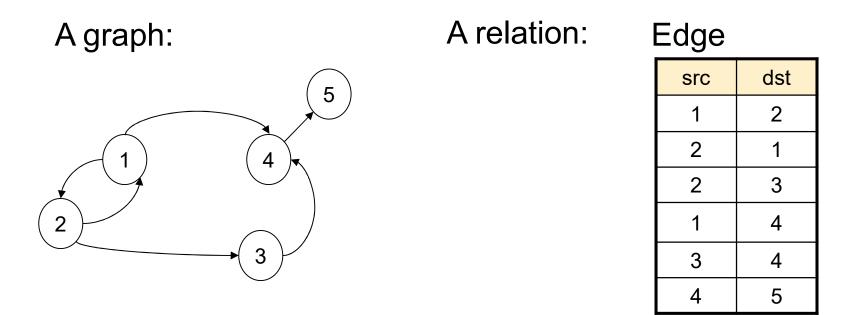
A graph:



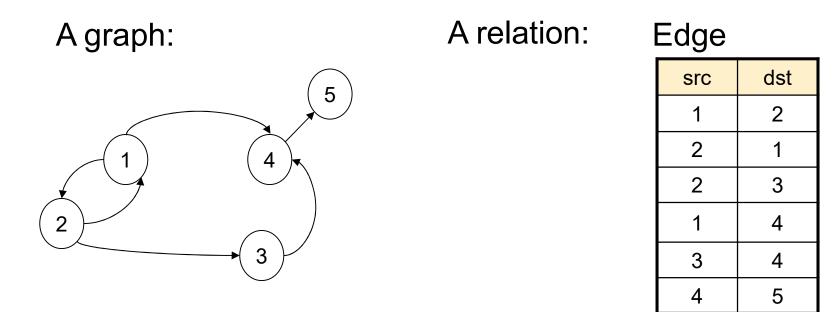


Euge		
src	dst	
1	2	
2	1	
2	3	
1	4	
3	4	
4	5	

Edao



Find nodes at distance 2: $\{(x, z) | \exists y Edge(x, y) \land Edge(y, z)\}$



Find nodes at distance 2: $\{(x, z) | \exists y Edge(x, y) \land Edge(y, z)\}$

SELECT DISTINCT e1.src as X, e2.dst as Z FROM Edge e1, Edge e2 WHERE e1.dst = e2.src;

- The Relational Data Model is <u>founded</u> on first order logic ("What goes around")
- SQL was designed as a more friendly language than FO
- Complex SQL queries are sometimes best understood in the framework of FO 105

Atomic predicates:

- Likes(x,y)
- Product(x,y,z)
 pid, name, color
- Product(x,y,'red')

Connectives: \land , \lor , \neg , \Rightarrow , \exists , \forall

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Connectives: \land , \lor , \neg , \Rightarrow , \exists , \forall

- ∃x P(x): there exists x s.t. P(x) is true
- ∀x P(x):
 for every x, P(x) is true

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What do these sentences say?

∃x(Likes('Alice',x)∧Likes('Bob',x))

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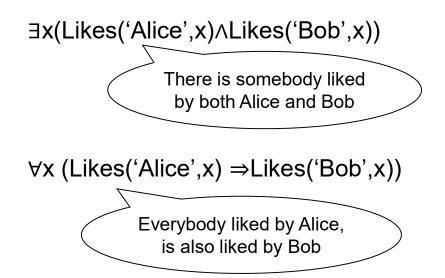
 $\forall x (Likes('Alice', x) \Rightarrow Likes('Bob', x))$

Atomic predicates:

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- Product(x,y,z)
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- Product(x,y,'red')

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- ∀x P(x):
 for every x, P(x) is true

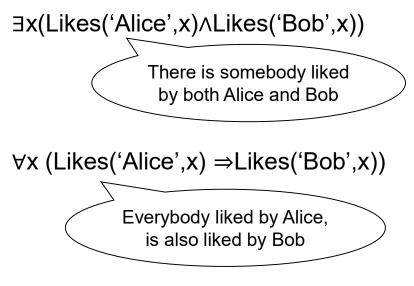


Atomic predicates:

- Likes(x,y)
- Product(x,y,z)
 pid, name, color
- Product(x,y,'red')

Connectives: \land , \lor , \neg , \Rightarrow , \exists , \forall

- ∃x P(x):
 there exists x s.t. P(x) is true
- ∀x P(x):
 for every x, P(x) is true



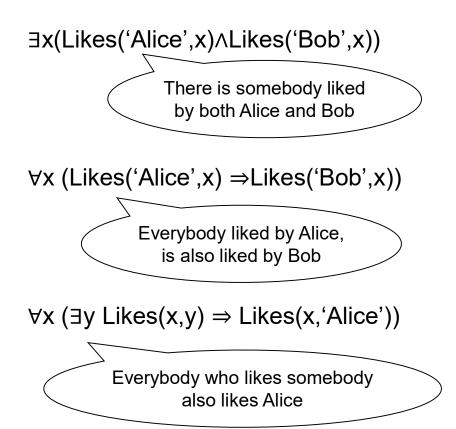
$$\forall x (\exists y \ Likes(x,y) \Rightarrow Likes(x, 'Alice'))$$

Atomic predicates:

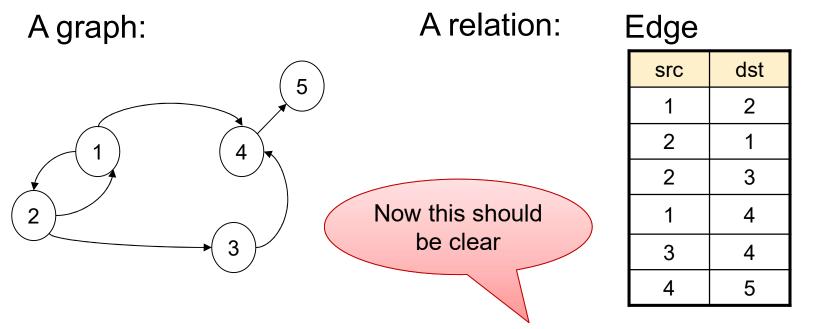
- Likes(x,y)
- Product(x,y,z)
 pid, name, color
- Product(x,y,'red')

Connectives: \land , \lor , \neg , \Rightarrow , \exists , \forall

- ∃x P(x): there exists x s.t. P(x) is true
- ∀x P(x):
 for every x, P(x) is true



Graph Databases

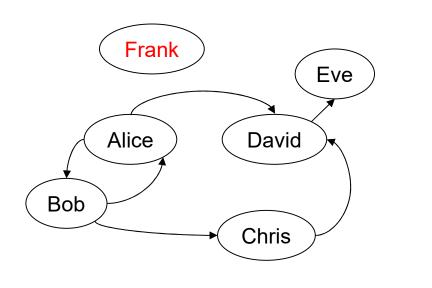


Find nodes at distance 2: $\{(x, z) | \exists y Edge(x, y) \land Edge(y, z)\}$

SELECT DISTINCT e1.src as X, e2.dst as Z FROM Edge e1, Edge e2 WHERE e1.dst = e2.src;

Other Representation

Representing nodes separately; needed for "isolated nodes" e.g. Frank



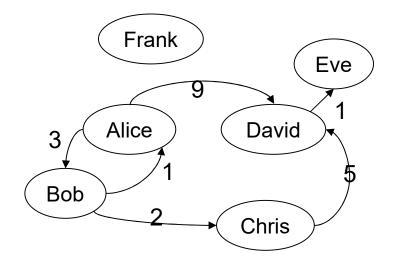
Node				
src				
Alice				
Bob				
Chris				
David				
Eve				
Frank				

Edge	
------	--

src	dst
Alice	Bob
Bob	Alice
Bob	Chris
Alice	David
Chris	David
David	Eve

Other Representation

Adding edge labels Adding node labels...



Node				
src				
Alice				
Bob				
Chris				
David				
Eve				
Frank				

Edge	
------	--

src	dst	weight
Alice	Bob	3
Bob	Alice	1
Bob	Chris	2
Alice	David	9
Chris	David	5
David	Eve	1

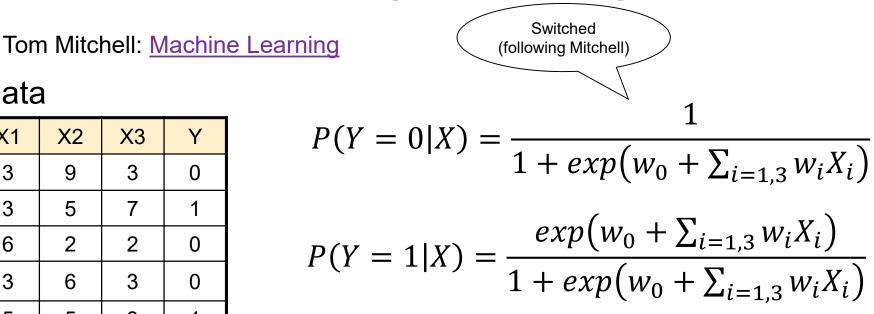
Limitations of SQL

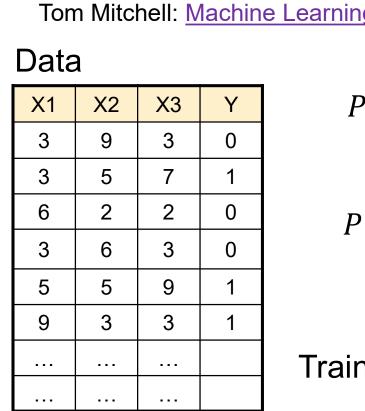
- No recursion!
- Data Science often requires recursion
- Datalog is designed for recursion
 - later in the quarter
- Practical solution
 - Use some external driver, e.g. pyton

Tom Mitchell: Machine Learning

X1	X2	X3	Y
3	9	3	0
3	5	7	1
6	2	2	0
3	6	3	0
5	5	9	1
9	3	3	1

Data X1 X2 X3 Y





$$P(Y = 0|X) = \frac{1}{1 + exp(w_0 + \sum_{i=1,3} w_i X_i)}$$

$$P(Y = 1|X) = \frac{exp(w_0 + \sum_{i=1,3} w_i X_i)}{1 + exp(w_0 + \sum_{i=1,3} w_i X_i)}$$

Train weights w_0, w_1, w_2, w_3 to minimize loss:

$$L(w_0, ..., w_3) = \sum_{\ell=1, N} (Y^{\ell} \cdot \ln P(Y = 1 | X^{\ell}) + (1 - Y^{\ell}) \cdot \ln P(Y = 0 | X^{\ell}))$$

Tom Mitchell: Machine Learning

Gradient Descent:

X1	X2	X3	Y
3	9	3	0
3	5	7	1
6	2	2	0
3	6	3	0
5	5	9	1
9	3	3	1

$$w_i \leftarrow w_i + \eta \sum_{\ell=1,N} X_i^{\ell} (Y^{\ell} - P(Y = 1 | X^{\ell}))$$

Tom Mitchell: Machine Learning

Gradient Descent:

X1	X2	X3	Y	$w_i \leftarrow w_i + \eta \sum X_i^{\ell} (Y^{\ell} - P(Y = 1 X^{\ell}))$
3	9	3	0	$\ell = 1.N$
3	5	7	1	$\tau = 1, Iv$
6	2	2	CF	REATE TABLE W (k int primary key, w0 real, w1 real, w2 real, w3 real);
3	6	3	(IN	SERT INTO W VALUES (1, 0, 0, 0, 0);
5	5	9	1	
9	3	3	1	

Tom Mitchell: Machine Learning

Gradient Descent:

X1	X2	X3	Y	$w_i \leftarrow w_i + \eta \sum X_i^{\ell} (Y^{\ell} - P(Y = 1 X^{\ell}))$
3	9	3	0	$\int_{\ell=1,N} u_{\ell} \left(1 - 1 \right) d\ell$
3	5	7	1	t - 1, IV
6	2	2	CF	REATE TABLE W (k int primary key, w0 real, w1 real, w2 real, w3 real)
3	6	3		SERT INTO W VALUES (1, 0, 0, 0, 0);
	_	-	4	
	M data ERE W			

Tom Mitchell: Machine Learning

Gradient Descent:

X1	X2	X3	Y	$w_i \leftarrow w_i + \eta \sum_{\ell=1}^{N} X_i^{\ell} (Y^{\ell} - P(Y = 1 X^{\ell}))$
3	9	3	0	$\int_{\ell=1,N} \prod_{n=1}^{N} \prod_{n=1$
3	5	7	1	t - 1, N
6	2	2	CF	REATE TABLE W (k int primary key, w0 real, w1 real, w2 real, w3 real);
3	6	3		SERT INTO W VALUES (1, 0, 0, 0, 0);
	_	_		
	ECT .w0+0.()1*sum	n(d.Y -	1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3))) as w0,
	OM data ERE W			

Tom Mitchell: Machine Learning

Gradient Descent:

X1	X2	X3	Y	$w_i \leftarrow w_i + \eta \sum_{\ell=1}^{N} X_i^{\ell} (Y^{\ell} - P(Y = 1 X^{\ell}))$
3	9	3	0	$\ell = 1.N$
3	5	7	1	t-1, N
6	2	2	CF	REATE TABLE W (k int primary key, w0 real, w1 real, w2 real, w3 real);
3	6	3		SERT INTO W VALUES (1, 0, 0, 0, 0);
	_			
	w0+0.0		•	1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3))) as w0, (d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3)))) as w1,
	M data ERE W	•		

Tom Mitchell: Machine Learning

Gradient Descent:

X1	X2	X3	Y	$w_i \leftarrow w_i + \eta \sum_{\ell=1}^{N} X_i^{\ell} (Y^{\ell} - P(Y = 1 X^{\ell}))$				
3	9	3	0	$\int_{\ell=1.N} n_{\ell} \left(1 - 1 \left(1 - 1 \right) \right)$				
3	5	7	1	t = 1, N				
6	2	2	CF	REATE TABLE W (k int primary key, w0 real, w1 real, w2 real, w3 real);				
3	6	3		SERT INTO W VALUES (1, 0, 0, 0, 0);				
	_	_						
SEL	ECT							
W.	W.w0+0.01*sum(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3))) as w0,							
W. v	W.w1+0.01*sum(d.X1*(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3)))) as w1,							
H W.	W.w2+0.01*sum(d.X2*(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3)))) as w2,							
W.w3+0.01*sum(d.X3*(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3)))) as w3								
	FROM data d, W							
WHERE W k=1								

Tom Mitchell: Machine Learning

Gradient Descent:

X1	X2	X3	Y	$w_i \leftarrow w_i + \eta \sum_{\ell=1}^{N} X_i^{\ell} (Y^{\ell} - P(Y = 1 X^{\ell}))$				
3	9	3	0					
3	5	7	1	$\ell=1,N$				
6	2	2	CF	REATE TABLE W (k int primary key, w0 real, w1 real, w2 real, w3 real); SERT INTO W VALUES (1, 0, 0, 0, 0);				
3	6	3						
	_	•						
SEL	SELECT							
W.	W.w0+0.01*sum(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3))) as w0,							
W.'	W.w1+0.01*sum(d.X1*(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3)))) as w1,							
- W.	W.w2+0.01*sum(d.X2*(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3)))) as w2,							
	W.w3+0.01*sum(d.X3*(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3)))) as w3							
	FROM data d, W							
WHE	WHERE W k=1							
GRC	GROUP BY W.k, W.w0, W.w1, W.w2, W.w3;							

Tom Mitchell: Machine Learning

Gradient Descent:

X1	X2	X3	Y	$w_i \leftarrow w_i + \eta \sum X_i^{\ell} (Y^{\ell} - P(Y = 1 X^{\ell}))$					
3	9	3	0	$\ell = 1.N$					
3	5	7	1	$\tau - 1, N$					
6	2	2	CF	REATE TABLE W (k int primary key, w0 real, w1 real, w2 real, w3 real);					
3	6	3		SERT INTO W VALUES (1, 0, 0, 0, 0);					
	_	•	4						
SEL	ECT								
W.	W.w0+0.01*sum(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3))) as w0,								
W.	W.w1+0.01*sum(d.X1*(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3)))) as w1,								
- W.	W.w2+0.01*sum(d.X2*(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3)))) as w2,								
	W.w3+0.01*sum(d.X3*(d.Y - 1 + 1/(1+exp(W.w0+W.w1*d.X1+W.w2*d.X2+W.w3*d.X3)))) as w3								
	FROM data d, W								
GRC	GROUP BY W.k, W.w0, W.w1, W.w2, W.w3; Update W, then repeat this e.g. using python								

Lecture Summary

- One line takeaway:
 Relational model → data independence
- What you should do next:
 - Review SQL
 - Write reviews for next lecture
 - Start working on HW1 (redshift)