

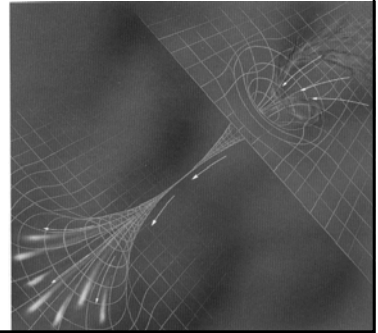
A Graph Theoretic Framework for Preventing the Wormhole Attack in Wireless Sensor Networks

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Wormholes - Hope for time travel

Wormhole: A space-time distortion that links two points in the Universe via a shorter path in distance/duration than the direct path.

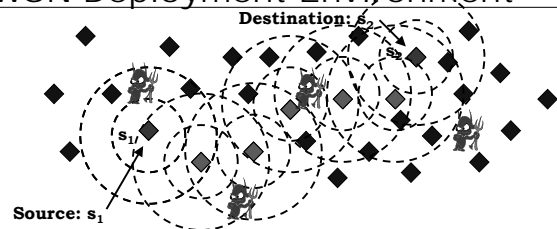
Can be a problem in wrong hands!



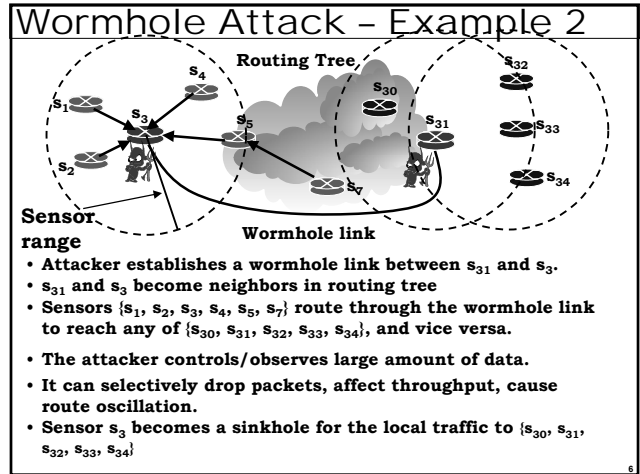
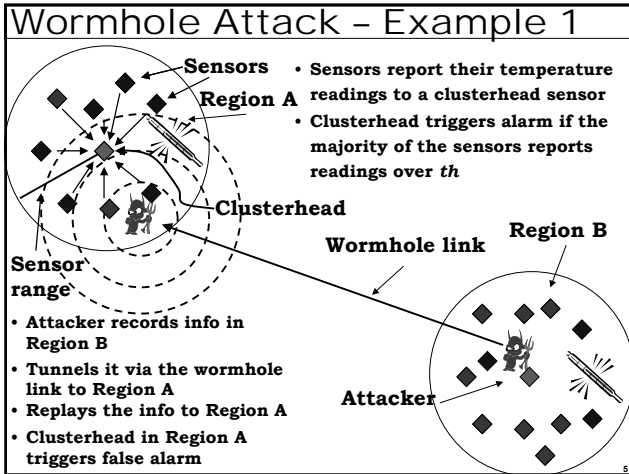
Outline

- **The Wormhole threat in Wireless Sensor Networks (WSN)**
- **Graph Theoretic Formulation**
- **Related Work**
- **Our Approach: Local broadcast Keys**
- **Security Analysis**
- **Conclusions**

WSN Deployment Environment



- **Ad hoc mode of communication - Distributed algorithms based on a cooperative principle**
- **Exchange of information locally**
- **Deployment region may be hostile**



Impact of the Wormhole Threat

- **WSN Applications**
 - **Monitoring**
 - **Access Control**
 - **Localization**
- **Network Protocols**
 - **Routing**
 - **Neighbor discovery**

Wormhole Attack Properties

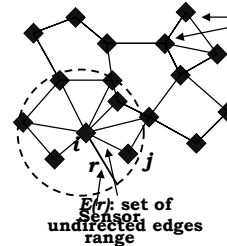
- **Type: Replay attack**
 - The integrity and authenticity of the communication is not compromised
 - The success of the attack is independent of the strength of cryptographic primitives.
 - Freshness can be guaranteed by a speedy direct link.

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Graph Representation of WSN



V : set of vertices

WSN represented by a Geometric Graph $G(V, E(r))$

$$e(i, j) = \begin{cases} 1, & \text{if } \|i - j\| \leq r \\ 0, & \text{if } \|i - j\| > r \end{cases}$$

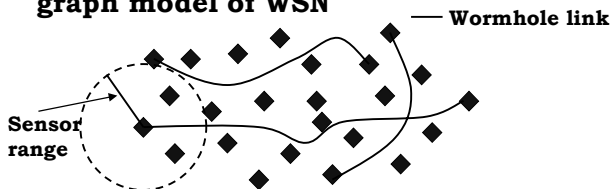
The Communication Graph $G(V, E_G)$ need not be identical to $G(V, E(r))$, but,

$$E_G \subseteq E(r)$$

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Graph Interpretation of Wormholes

- **Wormholes violate the geometric graph model of WSN**



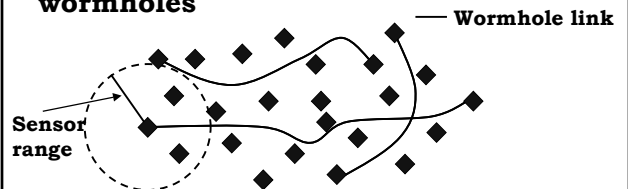
For a Communication Graph $G'(V, E_{G'})$ with wormholes $E_{G'} \not\subseteq E(r)$

Wormholes transform $G(V, E_G)$ to a Logical Graph $G'(V, E_{G'})$

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The Wormhole Problem

Given a logical graph $G'(V, E_{G'})$ with wormholes



Extract from G' the communication graph $G(V, E_G)$ with

$$E_G \subseteq E(r)$$

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Solving the Wormhole Problem

If $G(V, E(r))$ can be constructed (e.g. known locations of sensors) then:

$S: G \times G' \rightarrow G$ a transformation such as XOR operation between the connectivity matrices of G, G'

What if $G(V, E(r))$ is UNKNOWN?

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Packet Leashes - Hu et al.

A packet cannot travel further than a pre-defined distance

Uncertainty region

δ : synchronization error

δc

c : speed of light

$d(s_1, s_2) \leq d_{max} + \delta c$

Packet Leashes - Hu et al.

- Locations of the nodes are known
- Geographical Leashes

$s_1: (X_1, Y_1)$

$s_2: (X_2, Y_2)$

$(X_1, Y_1) || t_s$ Data

Timestamp, time sent

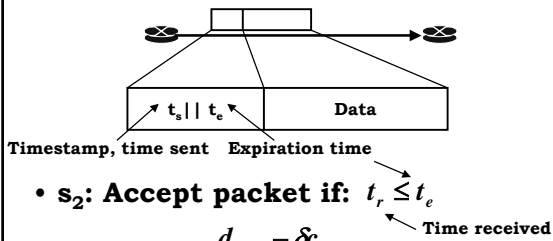
- s_2 : Accept packet if:

$$d(s_1, s_2) \leq (t_r - t_s + \delta)c$$

Time received \uparrow Synchronization error \uparrow Speed of light

Packet Leashes - Hu et al.

Temporal Leashes: Locations not known



- s_2 : Accept packet if: $t_r \leq t_e$
- For $t_e > t_s$: $d_{\max} > \delta c$

$$t_e - t_s = \frac{d_{\max} - \delta c}{c}$$

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Packet Leashes - Hu et al.

- **Packet Leashes can detect (and remove) wormholes if:**

- **Geographical leashes:** $r \leq (t_r - t_s + \delta)c$

Sensor communication range

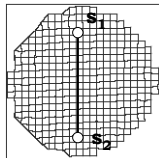
- **Temporal leashes:** $t_e - t_s = \frac{r}{c} - \delta$

- **Requires tight synchronization**
- Eg: For $t_e > t_s$, if $\delta = 0.5\text{msec} \rightarrow r > 150\text{m}$**

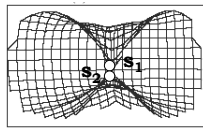
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Visualization of Wormholes - Wang

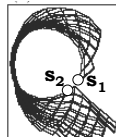
- **Construct a visual representation of the WSN**



Wormhole link



Wormhole between s_1, s_2 (front view)



Wormhole between two nodes (side view)

- **Idea: Wormholes shrink the distance between two points causing wraparound in the visual representation**

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Visualization of Wormholes - Wang

- **Central Authority (CA) collects distance measurements of each sensor to its neighbors.**
- **Using Multi Dimensional Scaling (MDS), CA computes the relative position of each sensor.**

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Our Approach : LBK

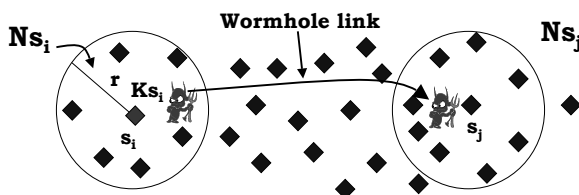
- **LBK: Local Broadcast Keys**



You need to be in the neighborhood to speak the same language and understand the message

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Local Broadcast Keys (LBKs)



- **Each sensor uses a key Ks_i ONLY KNOWN to its neighborhood Ns_i .**
- **Broadcast information encoded with Ks_i , cannot be decrypted outside Ns_i .**

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Correctness of the LBK Solution

- **Imposing LBKs to the “wormhole infected” logical graph $G(V, E_G)$,**

$$e(i, j) = \begin{cases} 1, & \text{if } j \text{ holds } Ks_i \\ 0, & \text{otherwise} \end{cases}$$

- **Since j holds Ks_i iff j is in the neighborhood of i ,**

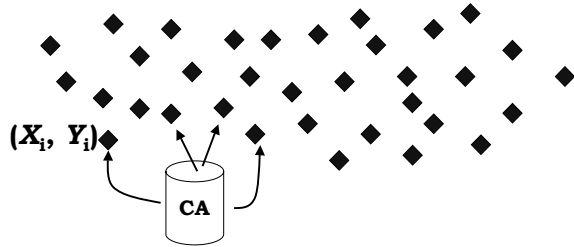
$$e(i, j) = \begin{cases} 1, & \text{if } \|i - j\| \leq r \\ 0, & \text{if } \|i - j\| > r \end{cases}$$

Geometric graph model is satisfied

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Establishment of LBKs (1)

A) Static Network: Locations of the sensors are known.

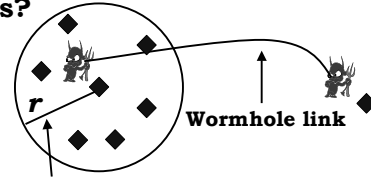


A Central Authority (CA) distributes the LBKs to sensors.

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Establishment of LBKs (2)

B) Locations of the sensors are unknown, how do sensors discover their neighbors?



Sensor range

Neighbor discovery schemes are vulnerable to wormholes

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Secure Neighbor Discovery

1. Perform distance bounding with neighbors – Requires:

- time measurements with nanosecond accuracy
- Nanosecond processing capable hardware

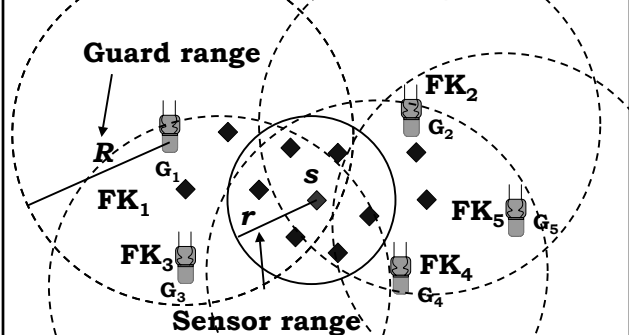
2. Perform Secure Localization (SeRLoc)

3. Use Power Proximity to infer distance

4. Proposed Approach: Use special nodes we call GUARDS.

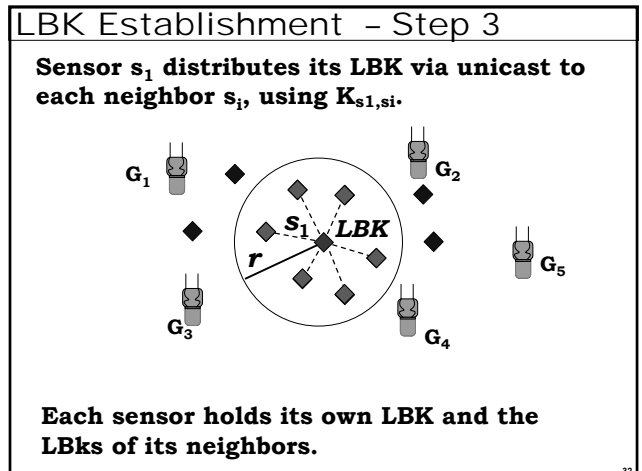
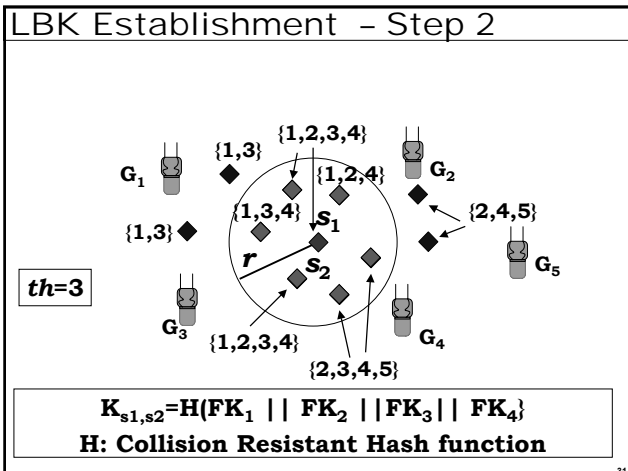
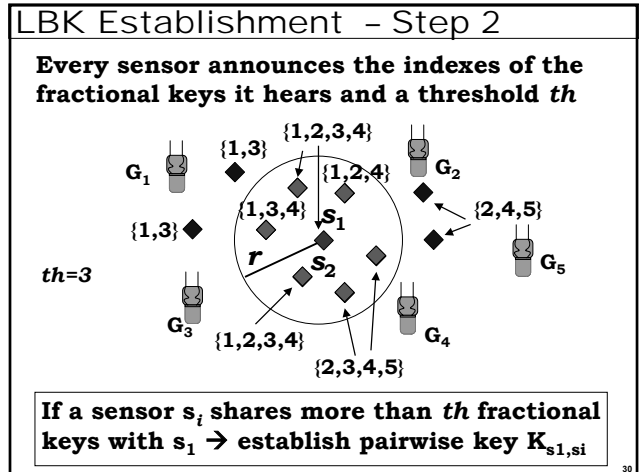
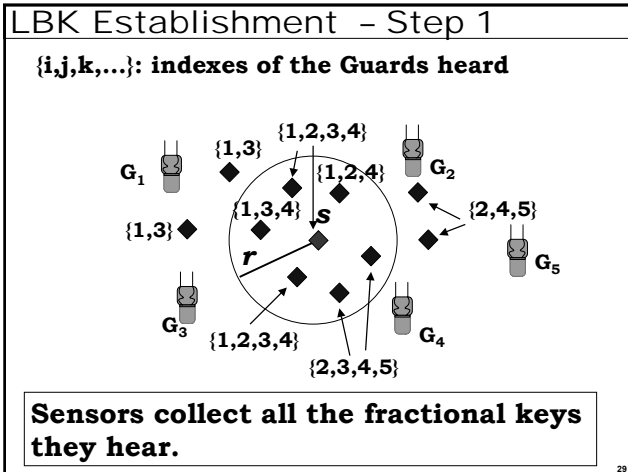
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LBK Establishment - Step 1



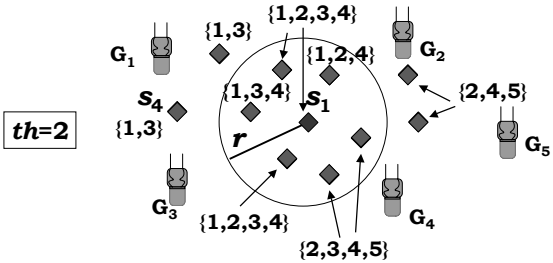
**All nodes are preloaded with a common key K_0
Each Guard G_i broadcasts an encrypted fractional key $E_{K_0}\{FK_i\}$**

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LBK Establishment - non-neighbors

What if a node outside the sensor range shares sufficient keys with s_1 ?

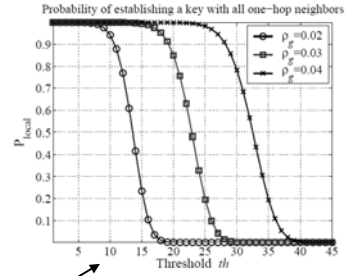
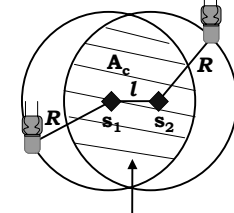


Threshold must be chosen carefully!
What do we mean by this?

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Deciding the Threshold value (1)

R: Guard range, l : distance between sensors ($l \leq r$)
 A_c : Common area - Guards heard to both s_1, s_2



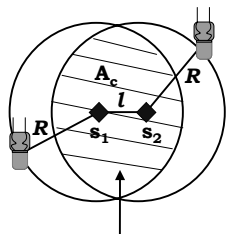
At least th guards need to lay within A_c , $l \leq r$

Computed as if all neighbors are at $l=r$

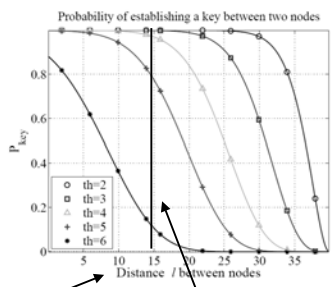
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Deciding the Threshold value (2)

Probability of establishing a LBK with non-immediate neighbors



At least th guards need to lie within A_c , $l > r$

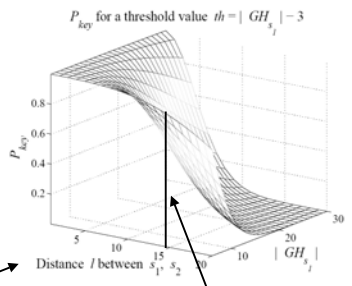


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Locally computed Threshold

• Locally decide for the threshold value th based on # of guards heard GH_s .

• The threshold is some function of GH_s
 $th = f(GH_s)$



$\rho_g=0.03$

Sensor range

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Wormholes against the FK distribution

- Attacker tunnels the transmissions of the FK via the wormhole link and replays at both ends.
- Sensors s_1, s_2 hear set of guards $GH_s = \{G_1 \dots G_7\}$
- s_1, s_2 establish a pairwise key and hence, a LBK
- If $th > 3$, s_1 cannot establish an LBK with any of its neighbors

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Detecting wormholes during the FK distribution

Guards include their coordinates with every transmission of Fractional Keys (FK).

Origin point

- If sensor s hears a FK multiple times it is under a wormhole attack
- If sensor s hears two guards more than $2R$ apart, it is under a wormhole attack

$$P_{det} \geq (1 - e^{-\rho_g A_c}) + e^{-\rho_g A_c} (1 - e^{-\rho_g A_1})^2$$

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Wormhole Attack Detection

- P_{det} during the distribution of fractional keys

Once attack is detected execute challenge-response scheme to identify the closest guard

A lower bound on P_{det}

99.48%

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Conclusions

- We showed: Any candidate solution eliminates wormholes if the communication graph produced satisfies the geometric graph constraints
- We proposed: A scheme for eliminating wormholes when sensors have unknown location and are not time synchronized

Main idea behind the solution: If broadcasted information is encrypted at each neighborhood with a different Local Broadcast Key, it cannot be decrypted at some other neighborhood

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