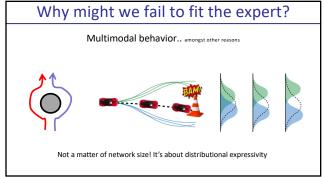
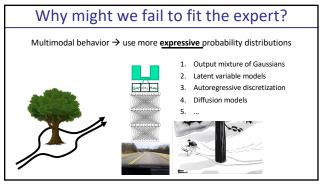


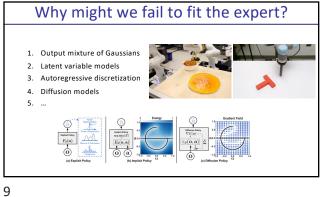
## can we make $p_{\text{data}}(\mathbf{o}_t) = p_{\pi_\theta}(\mathbf{o}_t)$ ? idea: instead of being clever about $p_{\pi_\theta}(\mathbf{o}_t)$ , be clever about $p_{\text{data}}(\mathbf{o}_t)$ ! **DAgger: Dataset Aggregation**goal: collect training data from $p_{\pi_\theta}(\mathbf{o}_t)$ instead of $p_{\text{data}}(\mathbf{o}_t)$ how? just run $\pi_\theta(\mathbf{a}_t|\mathbf{o}_t)$ but need labels $\mathbf{a}_t$ ! 1. train $\pi_\theta(\mathbf{a}_t|\mathbf{o}_t)$ from human data $\mathcal{D} = \{\mathbf{o}_1, \mathbf{a}_1, \dots, \mathbf{o}_N, \mathbf{a}_N\}$ 2. run $\pi_\theta(\mathbf{a}_t|\mathbf{o}_t)$ to get dataset $\mathcal{D}_\pi = \{\mathbf{o}_1, \dots, \mathbf{o}_M\}$ 3. Ask human to label $\mathcal{D}_\pi$ with actions $\mathbf{a}_t$ 4. Aggregate: $\mathcal{D} \leftarrow \mathcal{D} \cup \mathcal{D}_\pi$

5 6



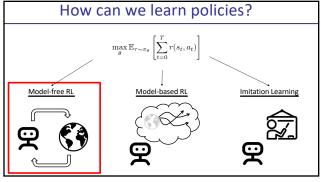


7



Perspectives on Imitation – don't believe everything you see online  $\pi_{\theta}(\mathbf{a}_t|\mathbf{o}_t)$  Easy to use, no additional infra Can sometimes be unreasonably effective Challenges of compounding error, multimodality Doesn't really generalize • Very expensive in terms of data collection!

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What if we just performed gradient ascent?  $\max_{\theta} \mathbb{E}_{\tau \sim \pi_{\theta}} \left[ \sum_{t=0}^{T} r(s_t, a_t) \right]$  $=\int p_{\theta}(\tau)R(\tau)d\tau$ REINFORCE gradient descent (RL Standard gradient descent (supervised learning)  $\nabla_{\theta} \mathbb{E}_{x \sim g(x)} \left[ f_{\theta}(x) \right]$  $\nabla_{\theta} \mathbb{E}_{x \sim p_{\theta}(x)} \left[ f(x) \right]$ 

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Taking the gradient of return 
$$\nabla_{\theta}J(\theta) = \mathbb{E}_{\tau \sim p_{\theta}(\tau)} \left[ \nabla_{\theta} \log p_{\theta}(\tau) \sum_{t=0}^{T} r(s_{t}, a_{t}) \right]$$
 
$$\nabla_{\theta}J(\theta) = \mathbb{E}_{\substack{s_{0} \sim p(s_{0})\\s_{t+1} \sim p(s_{t+1}|s_{t}, a_{t})\\a_{t} \sim \pi(a_{t}|s_{t})}} \left[ \sum_{t=0}^{T} \nabla_{\theta} \log \pi_{\theta}(a_{t}|s_{t}) \sum_{t'=0}^{T} r(s_{t}, a_{t}) \right]$$
 
$$\approx \frac{1}{N} \sum_{i=0}^{N} \sum_{t=0}^{T} \nabla_{\theta} \log \pi_{\theta}(a_{t}^{i}|s_{t}^{i}) \sum_{t'=0}^{T} r(s_{t'}^{i}, a_{t'}^{i}) \text{ (approximating using samples)}$$

