

# **Approximation of POMDPs:** Active Localization

Localization so far: **passive** integration of sensor information





# Actions

- Target point **relative** to robot
- Two-dimensional search space
- Choose action based on **utility** and **cost**



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## **Experimental Results**



- Random navigation failed in 9 out of 10 test runs
- Active localization succeeded in all 20 test runs



## **Active Sensing**

- Sensors have limited coverage & range
- Question: Where to move / point sensors?
- Typical scenario: Uncertainty in only one type of state variable
  - Robot location [Fox et al., 98; Kroese & Bunschoten, 99; Roy & Thrun 99]
  - Object / target location(s) [Denzler & Brown, 02; Kreuchner et al., 04, Chung et al., 04]
- Predominant approach: Minimize expected uncertainty (entropy)

# Active Sensing in Multi-State Domains

- Uncertainty in multiple, different state variables Robocup: robot & ball location, relative goal location, ...
- Which uncertainties should be minimized?
- Importance of uncertainties changes over time.
  - Ball location has to be known very accurately before a kick.
  - Accuracy not important if ball is on other side of the field.
- Has to consider sequence of sensing actions!
- RoboCup: typically use hand-coded strategies.





## Why Reinforcement Learning?

- No accurate model of the robot and the environment.
- Particularly difficult to assess how (projected) entropies evolve over time.
- Possible to simulate robot and noise in actions and observations.

### **Least-squares Policy Iteration**

- Model-free approach
- Approximates Q-function by linear function of state features  $Q^{\pi}(s,a) \approx \hat{Q}^{\pi}(s,a;w) = \sum_{k=1}^{k} \phi_{i}(s,a) w_{i}$
- No discretization needed
- No iterative procedure needed for policy evaluation
- Off-policy: can re-use samples

[Lagoudakis and Parr '01,'03]

# Least-squares Policy Iteration



- Repeat
  - $\pi \leftarrow \cdot$
  - Estimate Q-function from samples  ${\sf S}$

$$w^{\pi} \leftarrow \text{STD } Q(S, \gamma, \pi)$$

$$\hat{Q}^{\pi}(s,a;w) \leftarrow \underline{\gamma} \phi_{j}(s,a) w_{j}$$

$$\pi(s) = \arg \max \hat{Q}^{\pi}(s, a, w)$$

• Until ( 
$$\pi \approx \pi$$
 )

# Application: Active Sensing for Goal Scoring

- Task: AIBO trying to score goals
- Sensing actions: looking at ball, or the goals, or the markers
- Fixed motion control policy: Uses most likely states to dock the robot to the ball, then kicks the ball into the goal.
- Find sensing strategy that "best" supports the given control policy.



# Experiments Strategy learned from simulation Episode ends when: Scores (reward +5) Misses (reward 1.5 - 0.1) Loses track of the ball (reward -5) Fails to dock / accidentally kicks the ball away (reward -5) Applied to real robot Compared with 2 hand-coded strategies Panning: robot periodically scans Pointing: robot periodically looks up at markers/goals





## Learned Strategy

- Initially, robot learns to dock (only looks at ball)
- Then, robot learns to look at goal and markers
- Robot looks at ball when docking
- Briefly before docking, adjusts by looking at the goal
- Prefers looking at the goal instead of markers for location information

#### **Results on Real Robots**

• 45 episodes of goal kicking

	Goals	Misses	Avg. Miss Distance	Kick Failures
Learned	31	10	6±0.3cm	4
Pointing	22	19	9±2.2cm	4
Panning	15	21	22±9.4cm	9





## **Summary**

- Learned effective sensing strategies that make good trade-offs between uncertainties
- Results on a real robot show improvements over carefully tuned, hand-coded strategies
- Augmented-MDP (with projections) good approximation for RL
- LSPI well suited for RL on augmented state spaces