Texture Mapping

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Texture mapping

Texture mapping (Woo et al., fig. 9:1)

Texture mapping allows you to take a simple polygon and give it the appearance of something much more complex.

- Due to Ed Catmull, PhD thesis, 1974
- Refined by Blinn & Newell, 1976

A texture can modulate just about any parameter – diffuse color, specular color, specular exponent, ...

Implementing texture mapping

A texture lives in its own abstract image coordinates parameterized by $(u, v)$ in the range $([0..1], [0..1])$:

It can be wrapped around many different surfaces:

With a ray caster, we can do the sphere and cylinder mappings directly (as we will see later). For graphics hardware, everything gets converted to a triangle mesh with associated $(u, v)$ coordinates.

Note: if the surface moves/deforms, the texture goes with it.

Reading

Required

- Shirley, 11.1-11.2, 11.4-11.6

Recommended


Optional

- Woo, Neider, & Davis, Chapter 9
**Mapping to texture image coords**

The texture is usually stored as an image. Thus, we need to convert from abstract texture coordinates:

\((u, v)\) in the range \([0..1], [0..1]\)

to texture image coordinates:

\((utex, vtex)\) in the range \([0..w_{tex}], [0..h_{tex}]\)

**Q:** What do you do when the texture sample you need lands between texture pixels?

**Texture resampling**

We need to resample the texture:

Thus, we seek to solve for: \( T(a, b) = T(i + \Delta_x, j + \Delta_y) \)

A common choice is **bilinear interpolation**:

\[
T(i + \Delta_x, j + \Delta_y) = \frac{1}{4} T(i, j) + \frac{1}{4} T(i + 1, j) + \frac{1}{4} T(i, j + 1) + \frac{1}{4} T(i + 1, j + 1)
\]

\[
T(i + \Delta_x, j + 1) = \frac{1}{4} T(i, j) + \frac{1}{4} T(i + 1, j) + \frac{1}{4} T(i, j + 1) + \frac{1}{4} T(i + 1, j + 1)
\]

**Displacement mapping**

Textures can be used for more than just color.

In **displacement mapping**, a texture is used to perturb the surface geometry itself. Here’s the idea in 2D:

- These displacements “animate” with the surface
- In 3D, you would of course have \((u, v)\) parameters instead of just \(u\).

Suppose \(Q\) is a simple surface, like a cube. Will it take more work to render the modified surface \(\bar{Q}\)?

**Bump mapping**

In **bump mapping**, a texture is used to perturb the normal:

- Use the original, simpler geometry, \(Q(u)\), for hidden surfaces
- Use the normal from the displacement map for shading:

\[
\bar{N} = \text{normal}(\bar{Q}(u))
\]

What artifacts in the images would reveal that bump mapping is fake?
Displacement vs. bump mapping

Input texture

Rendered as displacement map over a rectangular surface

Displacement vs. bump mapping (cont'd)

Original rendering  Rendering with bump map wrapped around a cylinder

Bump map and rendering by Wyvern Aldinger

Solid textures

Q: What kinds of artifacts might you see from using a marble veneer instead of real marble?

One solution is to use solid textures:

- Use model-space coordinates to index into a 3D texture
- Like “carving” the object from the material

One difficulty of solid texturing is coming up with the textures.

Solid textures (cont'd)

Here's an example for a vase cut from a solid marble texture:

Solid marble texture by Ken Perlin, (Foley, IV-21)
Solid textures (cont’d)

\[ \text{in}(x, y, z) = \text{stripes}(x) \]
\[ \text{shift}(x, y, z) = K \cdot \text{noise}(x, y, z) \]
\[ \text{out}(x, y, z) = \text{stripes}(x + \text{shift}(x, y, z)) \]

Increasing K

Environment mapping

In environment mapping (also known as reflection mapping), a texture is used to model an object’s environment:

- Rays are bounced off objects into environment
- Color of the environment used to determine color of the illumination
- Environment mapping works well when there is just a single object – or in conjunction with ray tracing

This can be readily implemented (without interreflection) in graphics hardware, where the texture is stored in a “cube map” instead of a sphere.

With a ray tracer, the concept is easily extended to handle refraction as well as reflection (and interreflection).