value means that the user has not read the joke, but doesn't mean that the rating should be zero. A more reasonable choice is to minimize the MSE only on rated joke. Let's define a loss function:

$$L\Big(\{u_i\},\{v_j\}\Big) := \sum_{(i,j)\in T} (\langle u_i, v_j \rangle - R_{i,j})^2 + \lambda \sum_{i=1}^n \|u_i\|_2^2 + \lambda \sum_{j=1}^m \|v_j\|_2^2,$$

where T and  $R_{i,j}$  here are from the training set and  $\lambda > 0$  is the regularization coefficient. Implement an algorithm to learn vector representations by minimizing the loss function  $L(\{u_i\}, \{v_j\})$ . Note that you may need to tune the hyper-parameter  $\lambda$  to optimize the performance.

#### • HW3 problem 4c

sparse data, replacing an missing values by zero is not a completely satisfying solution. A missing e means that the user has not read the joke, but doesn't mean that the rating should be zero. A more snable choice is to minimize the MSE only on rated joke. Let's define a loss function:

$$L\Big(\{u_i\},\{v_j\}\Big) := \sum_{(i,j)\in T} (\langle u_i, v_j \rangle - R_{i,j})^2 + \lambda \sum_{i=1}^n \|u_i\|_2^2 + \lambda \sum_{j=1}^m \|v_j\|_2^2,$$

re T and  $R_{i,j}$  here are from the training set and  $\lambda > 0$  is the regularization coefficient. Implement lgorithm to learn vector representations by minimizing the loss function  $L(\{u_i\}, \{v_j\})$ . Note that you

Compute 
$$\nabla U_{ik} = \sum_{\substack{(i,j) \in T \\ i \in i,j \in T \\ i \in i,j \in T \\ i \in i,j \in T \\ i \in k}} \nabla U_{ik} (U_{i}^{T}V_{i} - R_{i,j}) + 2\lambda U_{ik}$$
  

$$U_{ik} = \left(\sum_{\substack{(i,j) \in T \\ i \in i,j \in T \\ i \in k}} V_{i}V_{i}^{T} + \lambda I\right)^{-1} \left(\sum_{\substack{(i,j) \in T \\ i \in i,j \in T \\ i \in k}} R_{i,j}V_{i}\right)$$

$$V_{ik} = \left(\sum_{\substack{(i,j) \in T \\ i \in j \in T \\ i \in k}} U_{i}U_{i}^{T} + \lambda I\right)^{-1} \left(\sum_{\substack{(i,j) \in T \\ i \in j \in T \\ i \in k}} R_{i,j}U_{i}\right)$$

### Announcements

• HW3 problem 4c  
Given 
$$\{(x_i, y_i)\}_{i=1}^n$$
  $L(w) = \left(\sum_{i=1}^n (y_i - x_i^T w)^2\right) + \lambda \|w\|_2^2$   
What is  $\nabla w L(w)$ ? What is again  $L(w)$ ?  
 $\nabla L(w) = \left(\sum_{i=1}^n 2(y_i - x_i^T w)(-x_i)\right) + 2\lambda w$   
 $= \sum_{i=1}^n 2x_i(x_i^T w - y_i) + 2\lambda w$   
 $\nabla u \|U\| = 0$   $\left(\sum_{i=1}^n x_i x_i^T + \lambda \right) w = \sum_{i=1}^n x_i y_i$   
 $\widehat{w} = \left(\sum_{i=1}^n x_i x_i^T + \lambda \right)^{-1} \left(\sum_{i=1}^n x_i y_i\right)$ 

### Announcements

• HW3 problem 4c

# Sequences and Recurrent Neural Networks

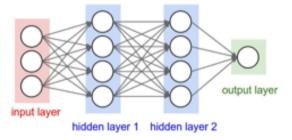
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November 30, 2017

### Variable length sequences

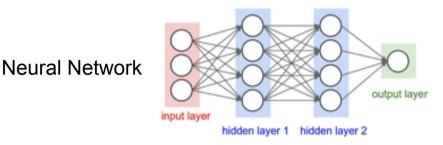
Images are usually standardized to be the same size (e.g., 256x256x3)

Neural Network

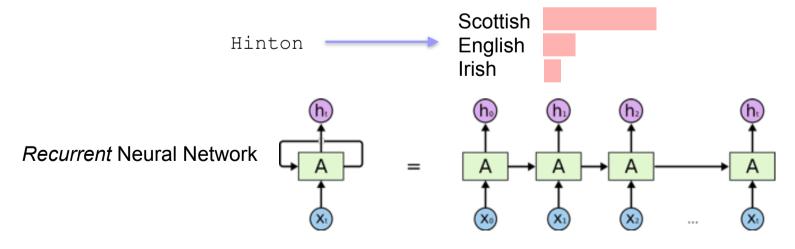


### Variable length sequences

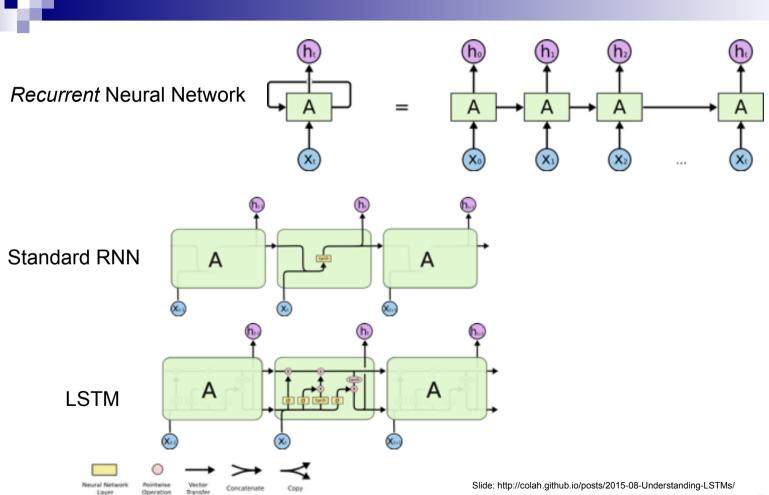
Images are usually standardized to be the same size (e.g., 256x256x3)



But what if we wanted to do classification on country-of-origin for names?



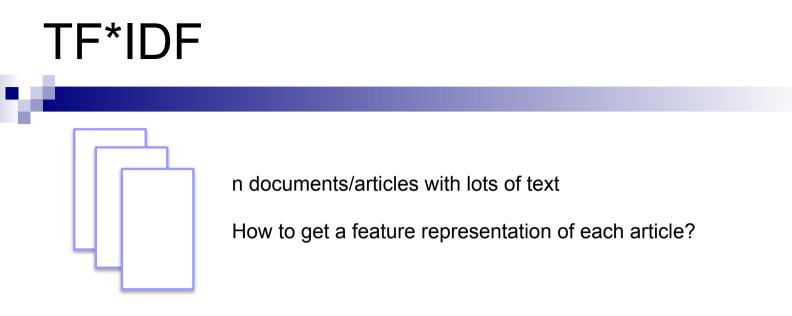
### Variable length sequences



### **Basic Text/Document Processing**

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1. For each document *d* compute the proportion of times word *t* occurs out of all words in *d*, i.e. **term frequency** 

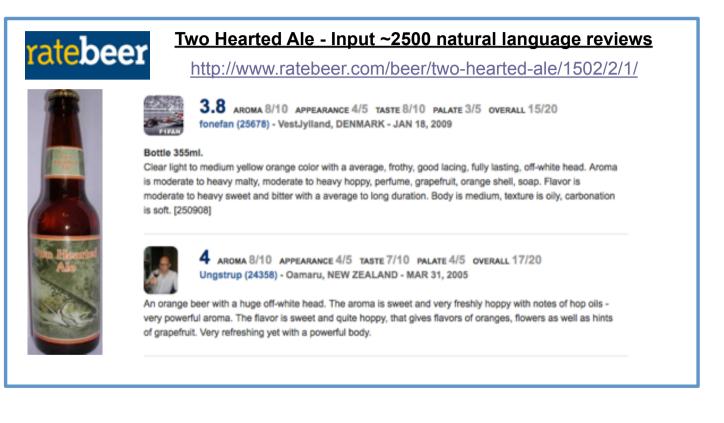
#### $TF_{d,t}$

2. For each word *t* in your corpus, compute the proportion of documents out of *n* that the word *t* occurs, i.e., **document frequency** 

#### $DF_t$

3. Compute score for word *t* in document *d* as  $TF_{d,t} \log(\frac{1}{DF_{t}})$ 

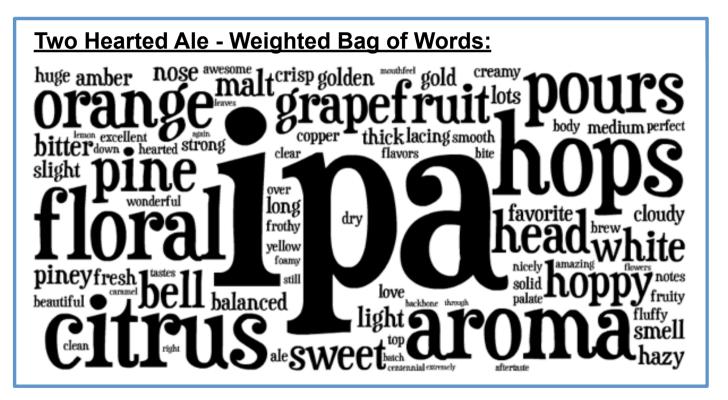
Algorithm requires feature representations of the beers  $\{x_1, \ldots, x_n\} \subset \mathbb{R}^d$ 



Reviews for each beer

Bag of Words weighted by TF\*IDF Get 100 nearest neighbors using cosine distance Non-metric multidimensional scaling

Algorithm requires feature representations of the beers  $\{x_1, \ldots, x_n\} \subset \mathbb{R}^d$ 



Reviews for each beer

Bag of Words weighted by TF\*IDF Get 100 nearest neighbors using cosine distance

Non-metric multidimensional scaling

Algorithm requires feature representations of the beers  $\{x_1, \ldots, x_n\} \subset \mathbb{R}^d$ 

Weighted count vector for the ith beer:

$$z_i \in \mathbb{R}^{400,000}$$

Cosine distance:

$$d(z_i, z_j) = 1 - \frac{z_i^T z_j}{||z_i|| \, ||z_j||}$$

**Two Hearted Ale - Nearest Neighbors: Bear Republic Racer 5 Avery IPA** Stone India Pale Ale (IPA) Founders Centennial IPA Smuttynose IPA Anderson Valley Hop Ottin IPA AleSmith IPA **BridgePort IPA Boulder Beer Mojo IPA** Goose Island India Pale Ale Great Divide Titan IPA New Holland Mad Hatter Ale Lagunitas India Pale Ale Heavy Seas Loose Cannon Hop3 Sweetwater IPA

Reviews for each beer

Bag of Words weighted by TF\*IDF Get 100 nearest neighbors using cosine distance Non-metric multidimensional scaling

Algorithm requires feature representations of the beers  $\{x_1, \ldots, x_n\} \subset \mathbb{R}^d$ 

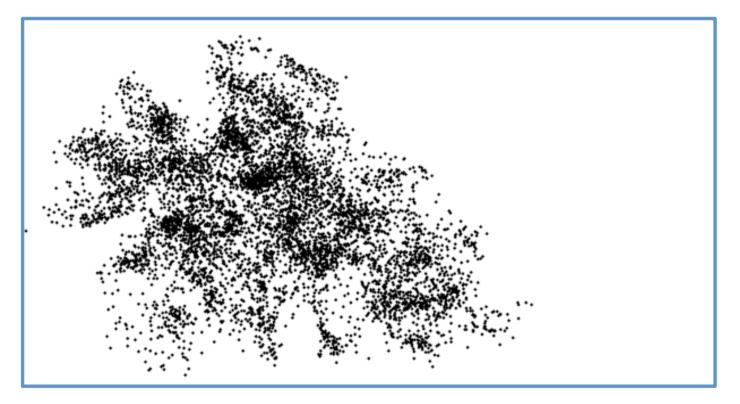
Find an embedding 
$$\{x_1, \ldots, x_n\} \subset \mathbb{R}^d$$
 such that  
 $||x_k - x_i|| < ||x_k - x_j||$  whenever  $d(z_k, z_i) < d(z_k, z_j)$   
for all 100-nearest neighbors. distance in 400,000  
(10<sup>7</sup> constraints, 10<sup>5</sup> variables)  
Solve with hinge loss and stochastic gradient descent.  
(20 minutes on my laptop)  $(d=2, \text{err}=6\%)$   $(d=3, \text{err}=4\%)$   
Could have also used local-linear-embedding,  
max-volume-unfolding, kernel-PCA, etc.

Reviews for each beer

Bag of Words weighted by TF\*IDF Get 100 nearest neighbors using cosine distance

Non-metric multidimensional scaling

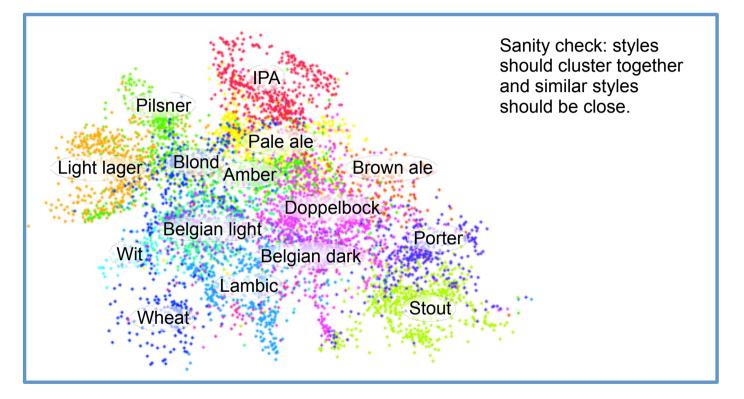
Algorithm requires feature representations of the beers  $\{x_1, \ldots, x_n\} \subset \mathbb{R}^d$ 



Reviews for each beer

Bag of Words weighted by TF\*IDF Get 100 nearest neighbors using cosine distance Non-metric multidimensional scaling

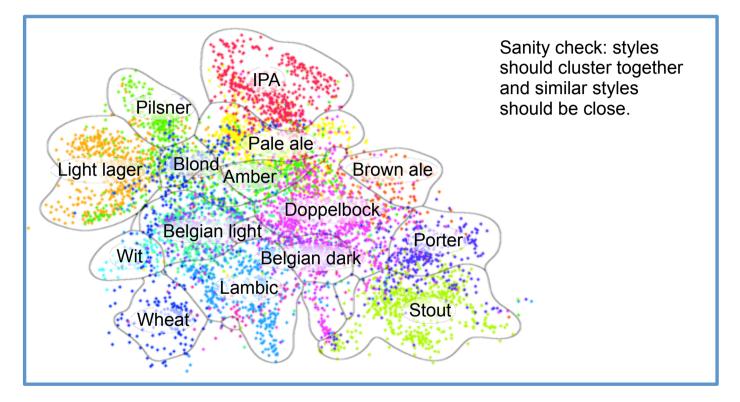
Algorithm requires feature representations of the beers  $\{x_1, \ldots, x_n\} \subset \mathbb{R}^d$ 



Reviews for each beer

Bag of Words weighted by TF\*IDF Get 100 nearest neighbors using cosine distance Non-metric multidimensional scaling

Algorithm requires feature representations of the beers  $\{x_1, \ldots, x_n\} \subset \mathbb{R}^d$ 



Reviews for<br/>each beerBag of Words<br/>weighted by<br/>TF\*IDFGet 100 nearest<br/>neighbors using<br/>cosine distanceNon-metric<br/>multidimensional<br/>scaling

# Other document modeling

Matrix factorization:

- 1. Construct word x document matrix of counts
- 2. Compute non-negative matrix factorization
- 3. Use factorization to represent documents
- 4. Cluster documents into topics

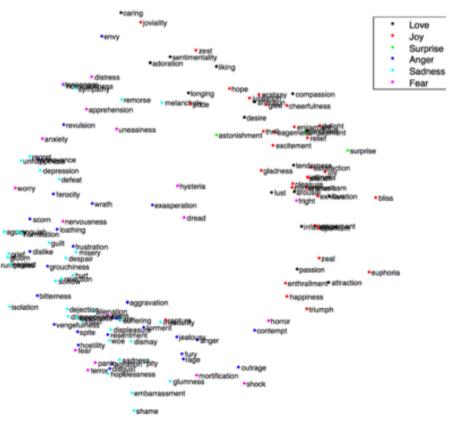
Also see latent Dirichlet factorization (LDA)

Previous section presented methods to **embed documents** into a latent space

Alternatively, we can **embed words** into a latent space

This embedding came from directly querying for relationships.

word2vec is a popular unsupervised learning approach that just uses a text corpus (e.g. <u>nytimes.com</u>)



Training

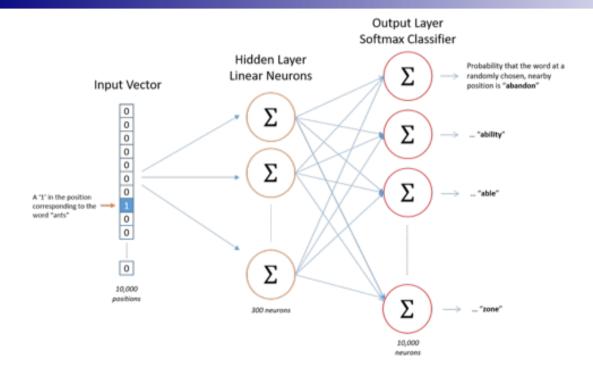
Samples

(fox, over)

#### Source Text

	-
The quick brown fox jumps over the lazy dog. $\Longrightarrow$	(the, quick) (the, brown)
The quick brown fox jumps over the lazy dog. $\Longrightarrow$	(quick, the) (quick, brown) (quick, fox)
The quick brown fox jumps over the lazy dog. $\Longrightarrow$	(brown, the) (brown, quick) (brown, fox) (brown, jumps)
The quick brown fox jumps over the lazy dog. $\longrightarrow$	(fox, quick) (fox, brown) (fox, jumps)

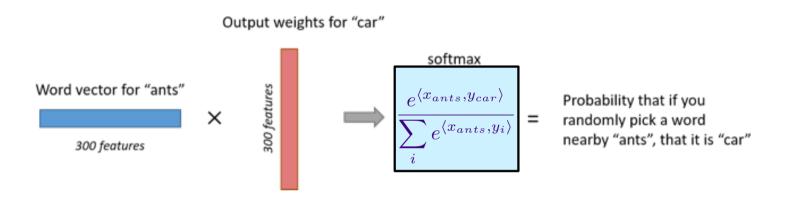
slide: http://mccormickml.com/2016/04/19/word2vec-tutorial-the-skip-gram-model/



Training neural network to predict co-occuring words. Use first layer weights as embedding, throw out output layer

slide: http://mccormickml.com/2016/04/19/word2vec-tutorial-the-skip-gram-model/

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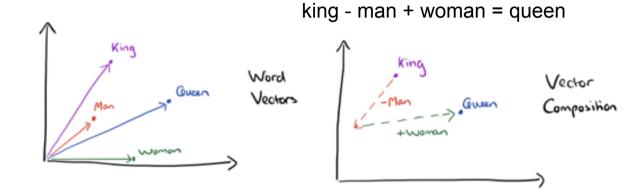


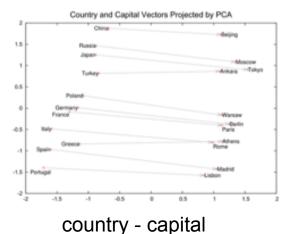
Training neural network to predict co-occuring words. Use first layer weights as embedding, throw out output layer

slide: http://mccormickml.com/2016/04/19/word2vec-tutorial-the-skip-gram-model/

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### word2vec outputs





slide: https://blog.acolyer.org/2016/04/21/the-amazing-power-of-word-vectors/

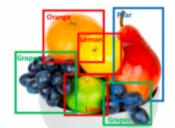
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### Active Learning, classification

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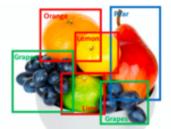
#### Impressive recent advances in image recognition and translation...





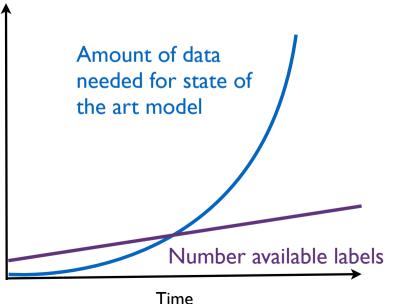


Impressive recent advances in image recognition and translation...



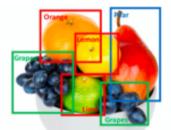






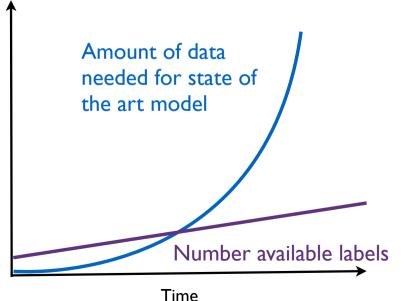
Challenges for large models:

1) An enormous amount of *labeled data* is necessary for training Impressive recent advances in image recognition and translation...







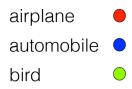


Challenges for large models:

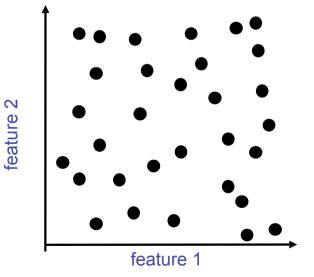
- 1) An enormous amount of *labeled data* is necessary for training
- 2) An enormous amount of *wall-clock time* is necessary for training







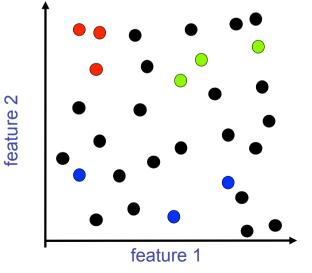


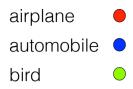




### Nonadaptive label assignment

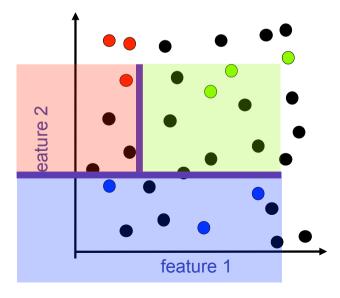


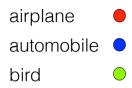




### Nonadaptive label assignment

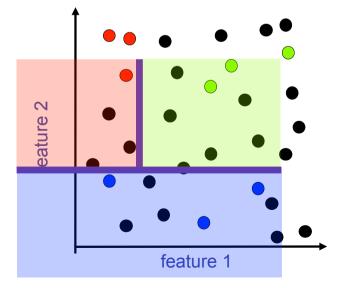






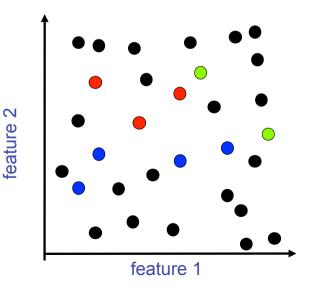
### Nonadaptive label assignment

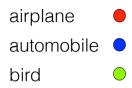




### Adaptive label assignment

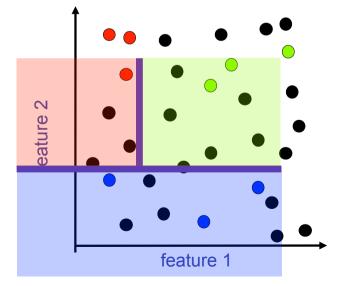






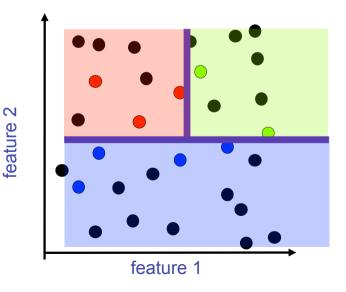
### Nonadaptive label assignment

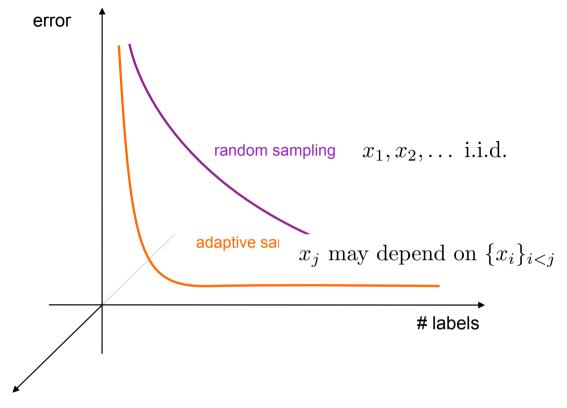




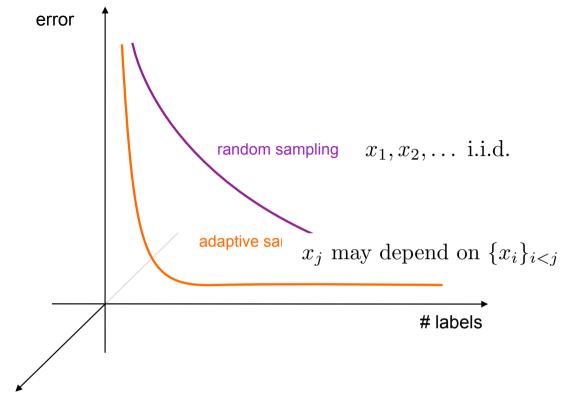
### Adaptive label assignment







complexity (reliability/robustness, scalability/computation, etc)



complexity (reliability/robustness, scalability/computation, etc)

Being convinced that data-collection *should be adaptive* is not the same thing as knowing *how to be adaptive*.

### THE NEW YORKER CARTOON CAPTION CONTEST

Caption Contest #553 January 20, 2017



Third "Maybe his second week will go better"

Second "I'd like to see other people"

First "The corrupt media will blow this way out of proportion"

### THE NEW YORKER CARTOON CAPTION CONTEST





**Bob Mankoff** Cartoon Editor, The New Yorker

- $n \approx 5000$  captions submitted each week
- crowdsource contest to volunteers who rate captions
- goal: identify funniest caption

newyorker.com/cartoons/vote

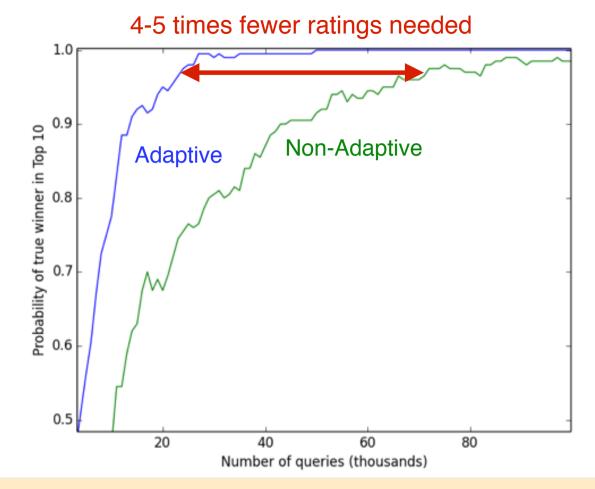






### Which caption do we show next?

Non-adaptive uniform distribution over captions
 Adaptive: stop showing captions that will not win



#### Which caption do we show next?

Non-adaptive uniform distribution over captions
 Adaptive: stop showing captions that will not win

## Best-action identification problem



While algorithm does not exit:

- algorithm shows caption  $i \in \{1, ..., n\}$
- Observe iid Bernoulli with  $\mathbb{P}(\text{"funny"}) = \mu_i$

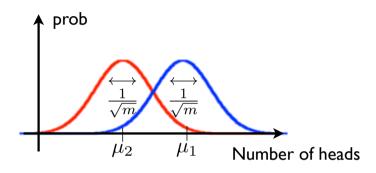
Stopping rule

# Sampling rule

**Objective**: with probability .99, identify  $\underset{i=1,...,n}{\operatorname{arg}} \max_{i=1,...,n} \mu_i$  using as few total samples as possible

## Best-arm Identification n=2

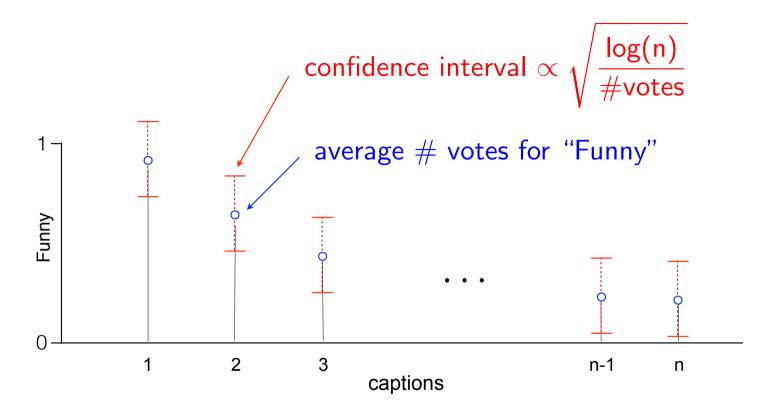
Consider n = 2 and flip coins i = 1, 2 to get  $X_{i,1}, X_{i,2}, \ldots, X_{i,m}$ 

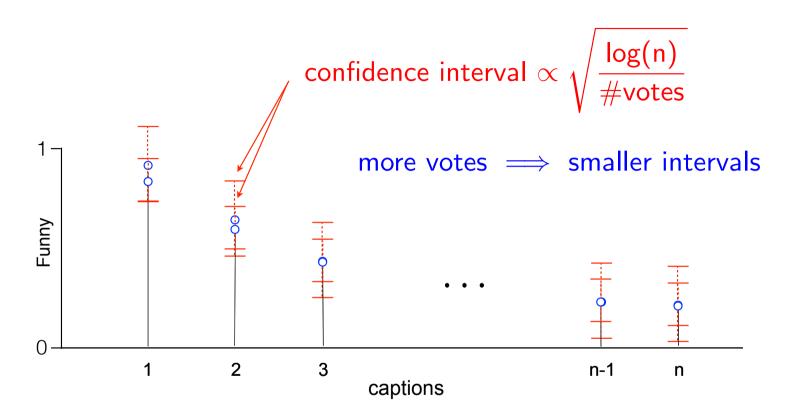


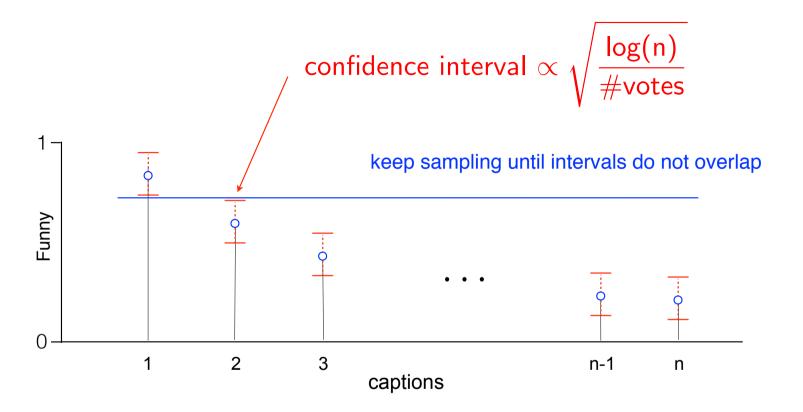
$$\widehat{\mu}_{i,m} = \frac{1}{m} \sum_{j=1}^{m} X_{i,j}$$

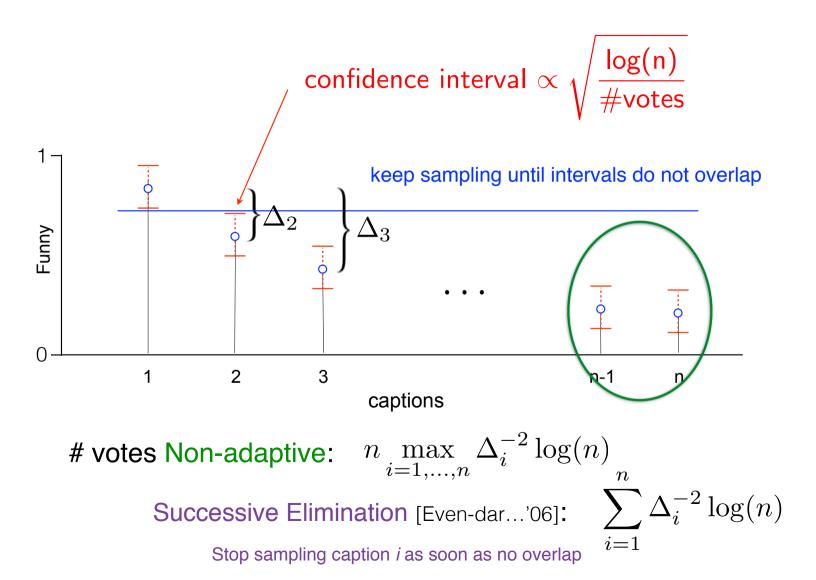
**Test:** 
$$\widehat{\mu}_{1,m} - \widehat{\mu}_{2,m} \ge 0$$

By a Chernoff Bound, if  $\Delta = \mu_1 - \mu_2$  then  $m = 2\log(1/\delta)\Delta^{-2} \implies \widehat{\mu}_{1,m} > \widehat{\mu}_{2,m} + 2\sqrt{\frac{\log(1/\delta)}{2m}} \implies \mu_1 > \mu_2$ with probability  $\ge 1 - 2\delta$ Arm 1 lower confidence bound

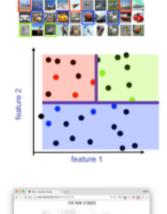








Learn an accurate classifier using a small number of labels



Find the winner of a competition using a small number of judgements

The function of the second sec is the lables.

**Pure Exploration** 

Very related to adaptive A/B testing

Find the ad that results in highest click-through-rate and keep showing it



Balance of **exploration** versus exploitation