#### Principles of Database Systems CSE 544

#### Lecture #5 Views, Relational Query Languages

#### Announcements

• Homework 1 due next Monday

 Next reading assignment due next Wednesday

Lecture on Thursday, May 2<sup>nd</sup>:
 – Moved to 9am-10:30am, CSE 403

### **Applications of Views**

What applications does the paper describe?

### **Applications of Views**

What applications does the paper describe?

- Query optimization

   E.g. Indexes
- Physical and logical data independence – E.g. de-normalization, data partitioning
- Semantic caching
- Data integration

### Denormalization

 Scenario: we have a relational schema that is in BCNF (recall: this means only the key implies any other attribute(s))

Purchase(<u>pid</u>, customer, product, store) Product(<u>pname</u>, price)

• But we often need to join these two relations, so we compute their join

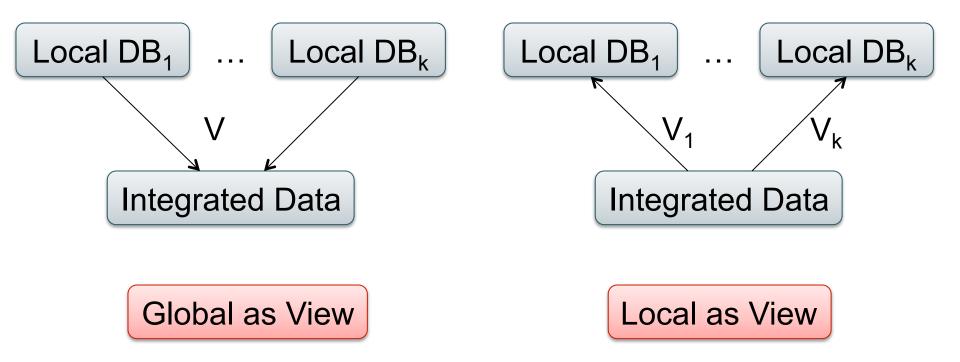
### Denormalization

#### CREATE Table CustomerPurchase AS SELECT x.pid, x.customer, x.store, y.pname, y.price FROM Purchase x, Product y WHERE x.product = y.pname

- This table is not in BCNF (why not?)
- But that's OK, the application still sees the original two relations. How?

Purchase(pid, customer, product, store) – a view... Product(<u>pname</u>, price) – a view...

### **Data Integration Terminology**

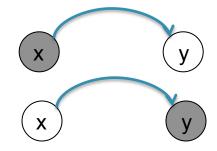


#### Which one needs query expansion, which one needs query answering using views ?

# Query Rewriting Using Views

Suppose you only have these two views:

v1(x,y) :- black(x), edge(x,y) v2(x,y) :- edge(x,y), black(y)



Can you rewrite this query in terms of the views?

q(x,y) := edge(x,z1), black(z1), edge(z1,z2),edge(z2,z3)black(z3), edge(z3,y)

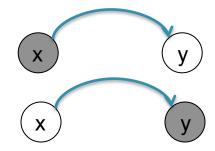
> NOTE: means "any color" means "black" <sub>8</sub>

CSE544 - Spring, 2013

# Query Rewriting Using Views

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Answer:

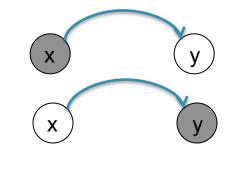
q(x,y) :- v2(x,z1),v1(z1,z2),v2(z2,z3),v1(z3,y)

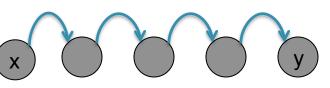
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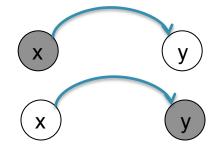


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#### What about this query?



q(x,y) :- black(x),edge(x,z1), black(z1), edge(z1,z2),black(z2),edge(z2,z3) black(z3), edge(z3,y),black(y)

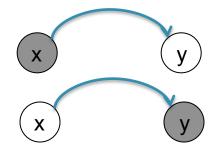
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# Query Rewriting Using Views

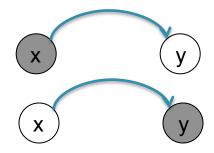
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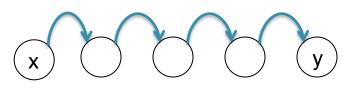
v1(x,y) :- black(x), edge(x,y) v2(x,y) :- edge(x,y), black(y)

Can we rewrite this query?

q(x,y) :- edge(x,z1),edge(z1,z2), edge(z2,z3), edge(z3,y)

No! but you can retrieve all certain answers:





X

# Query Rewriting Using Views

Suppose you only have these two views:

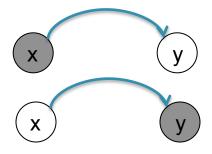
v1(x,y) :- black(x), edge(x,y) v2(x,y) :- edge(x,y), black(y)

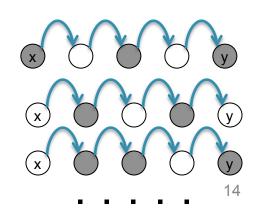
Can we rewrite this query?

q(x,y) :- edge(x,z1),edge(z1,z2), edge(z2,z3), edge(z3,y)

Maximally contained rewriting is:

 $\begin{array}{l} \mathsf{q}(\mathsf{x},\mathsf{y}) \coloneqq \mathsf{v1}(\mathsf{x},\mathsf{z1}), \mathsf{v2}(\mathsf{z1},\mathsf{z2}), \mathsf{v1}(\mathsf{z2},\mathsf{z3}), \mathsf{v2}(\mathsf{z3},\mathsf{y}) \\ \mathsf{q}(\mathsf{x},\mathsf{y}) \coloneqq \mathsf{v2}(\mathsf{x},\mathsf{z1}), \mathsf{v1}(\mathsf{z1},\mathsf{z2}), \mathsf{v2}(\mathsf{z2},\mathsf{z3}), \mathsf{v1}(\mathsf{z3},\mathsf{y}) \\ \mathsf{q}(\mathsf{x},\mathsf{y}) \coloneqq \mathsf{v2}(\mathsf{x},\mathsf{z1}), \mathsf{v1}(\mathsf{z1},\mathsf{z2}), \mathsf{v1}(\mathsf{z2},\mathsf{z3}), \mathsf{v2}(\mathsf{z3},\mathsf{y}) \end{array}$ 

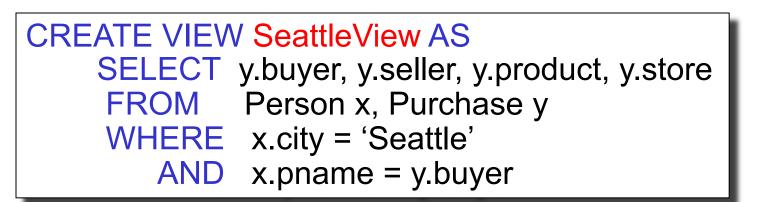




Purchase(buyer, seller, product, store) Person(pname, city)

# **Query Rewriting Using Views**

Have this materialized view:



Goal: rewrite this query in terms of the view

SELECT<br/>FROMy.buyer, y.seller<br/>Person x, Purchase yWHERE<br/>MHERE<br/>AND<br/>X.pname = y.buyer<br/>AND<br/>y.product='gizmo'

Purchase(buyer, seller, product, store) Person(pname, city)

# Query Rewriting Using Views

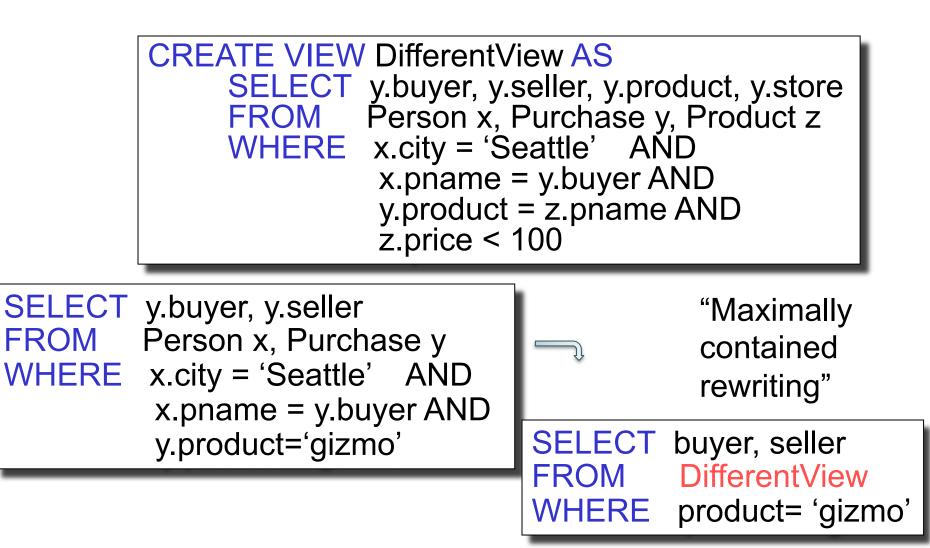
# SELECTbuyer, sellerFROMSeattleViewWHEREproduct= 'gizmo'

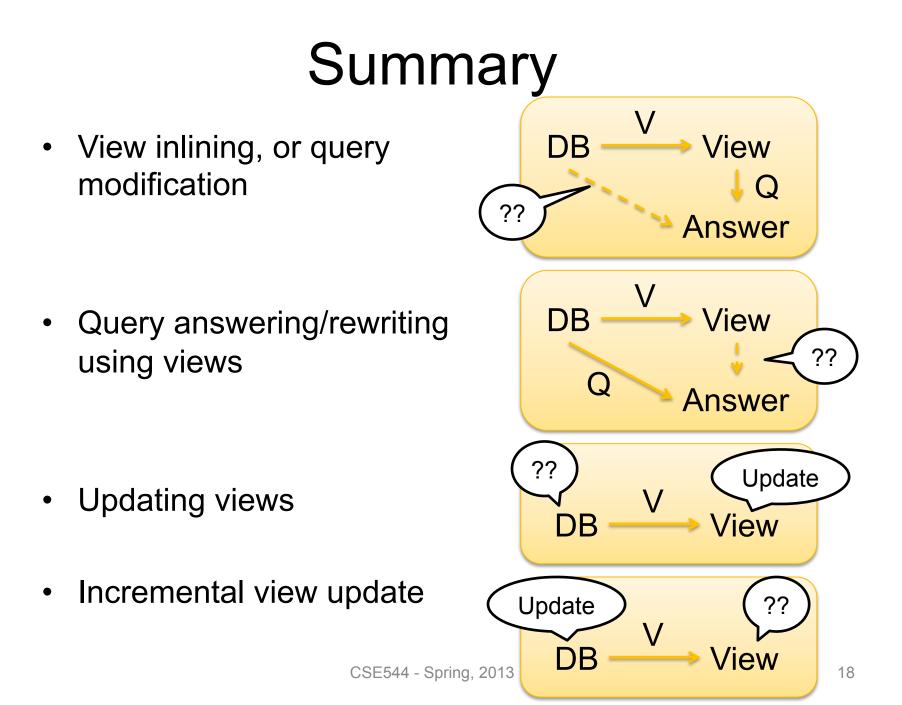


SELECTy.buyer, y.sellerFROMPerson x, Purchase yWHEREx.city = 'Seattle'ANDx.pname = y.buyerANDy.product='gizmo'

Purchase(buyer, seller, product, store) Person(pname, city)

### **Query Rewriting Using Views**





### **Relational Query Languages**

- 1. Relational Algebra
- 2. Recursion-free datalog with negation
   This is the core of SQL, cleaned up
- 3. Relational Calculus

These three formalisms express the same class of queries

Actor(id, fname, Iname) Casts(pid, mid) Movie(id, name, year) Running Example

Find all actors who acted both in 1910 and in 1940:

Q: SELECT DISTINCT a.fname, a.lname FROM Actor a, Casts c1, Movie m1, Casts c2, Movie m2 WHERE a.id = c1.pid AND c1.mid = m1.id AND a.id = c2.pid AND c2.mid = m2.id AND m1.year = 1910 AND m2.year = 1940; Actor(id, fname, Iname) Casts(pid, mid) Movie(id, name, year)

### **Two Perspectives**

- Named Perspective: Actor(id, fname, Iname) Casts(pid,mid) Movie(id,name,year)
- Unnamed Perspective: Actor = arity 3 Casts = arity 2 Movie = arity 3

### 1. Relational Algebra

Used internally by RDBMs to execute queries

#### The Basic Five operators:

- Union: ∪
- Difference: -
- Selection: σ
- Projection: Π
- Join: 🖂

#### Renaming: p (for named perspective)

Actor(id, fname, Iname) Casts(pid, mid) Movie(id, name, year)

### 1. Relational Algebra (Details)

- Selection: returns tuples that satisfy condition
  - Named perspective:
  - Unnamed perspective:

 $\sigma_{year = '1910'}$  (Movie)  $\sigma_{3 = '1910'}$  (Movie)

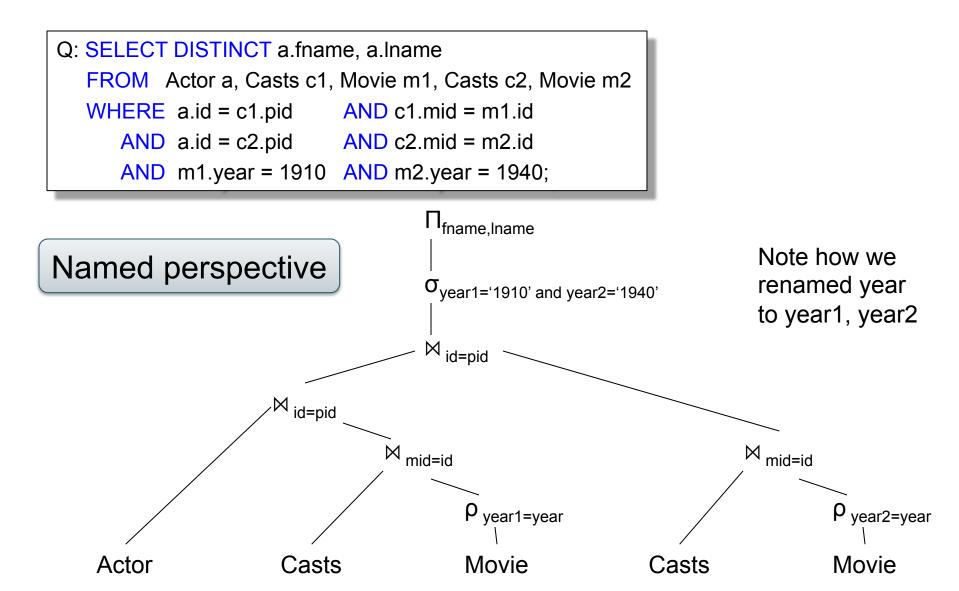
- Projection: returns only some attributes
  - Named perspective:
  - Unnamed perspective:

 $\Pi_{\text{fname,Iname}}(\text{Actor})$  $\Pi_{2,3}(\text{Actor})$ 

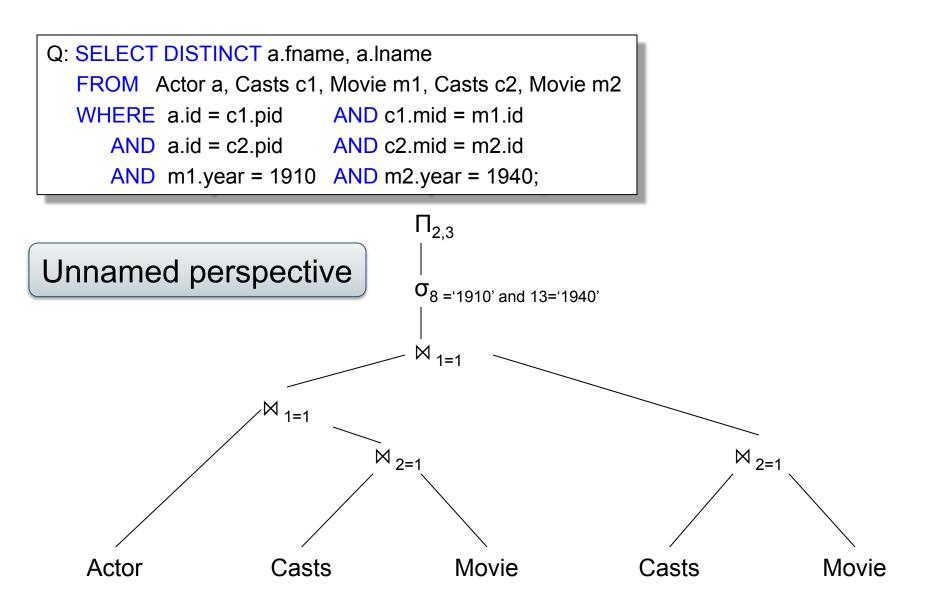
- Join: joins two tables on a condition
  - Named perspective:
  - Unnamed perspective:

Casts  $\bowtie_{mid=id}$  Movie Casts  $\bowtie_{2=1}$  Movie

#### Actor(id, fname, Iname) Casts(pid, mid) Movie(id, name, year) . Relational Algebra



#### Actor(id, fname, Iname) Casts(pid, mid) Movie(id, name, year) **1.** Relational Algebra



### 2. Datalog

- Very friendly notation for queries
- Designed for <u>recursive</u> queries in the 80s
- Today it's used everywhere: commercial implementations (LogicBlox), networking (Overlog), programming languages, ...
- In class

- <u>recursion-free</u> datalog with negation (next)

<u>recursive datalog</u>, (in the "Theory" part)

### 2. Datalog

How to try out datalog quickly:

- Download DLV from <u>http://www.dbai.tuwien.ac.at/proj/dlv/</u>
- Run DLV on this file:

parent(william, john). parent(john, james). parent(james, bill). parent(sue, bill). parent(james, carol). parent(sue, carol). male(john). male(james). female(sue). male(bill). female(carol). grandparent(X, Y) :- parent(X, Z), parent(Z, Y). father(X, Y) :- parent(X, Y), male(X). mother(X, Y) :- parent(X, Y), female(X). brother(X, Y) :- parent(P, X), parent(P, Y), male(X), X != Y. sister(X, Y) :- parent(P, X), parent(P, Y), female(X), X != Y. Actor(id, fname, Iname) Casts(pid, mid) Movie(id, none, y Datalog: Facts and Rules

Facts = tuples in the database

Actor(344759, 'Douglas', 'Fowley'). Casts(344759, 29851). Casts(355713, 29000). Movie(7909, 'A Night in Armour', 1910). Movie(29000, 'Arizona', 1940). Movie(29445, 'Ave Maria', 1940). Rules = queries

Q1(y) :- Movie(x,y,z), z='1940'.

#### Find Movies made in 1940

#### Actor(id, fname, Iname) Casts(pid, mid) Movie(id, new y Datalog: Facts and Rules

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Q1(y) :- Movie(x,y,z), z='1940'.

Q2(f, l) :- Actor(z,f,l), Casts(z,x), Movie(x,y,'1940').

#### Find Actors who acted in Movies made in 1940

#### Actor(id, fname, Iname) Casts(pid, mid) Movie(id, new y Datalog: Facts and Rules

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Rules = queries

Q1(y) :- Movie(x,y,z), z='1940'.

Q2(f, l) :- Actor(z,f,l), Casts(z,x), Movie(x,y,'1940').

Q3(f,I) :- Actor(z,f,I), Casts(z,x1), Movie(x1,y1,1910), Casts(z,x2), Movie(x2,y2,1940)

Find Actors who acted in a Movie in 1940 and in one in 1910

#### Actor(id, fname, Iname) Casts(pid, mid) Movie(id, none, y Datalog: Facts and Rules

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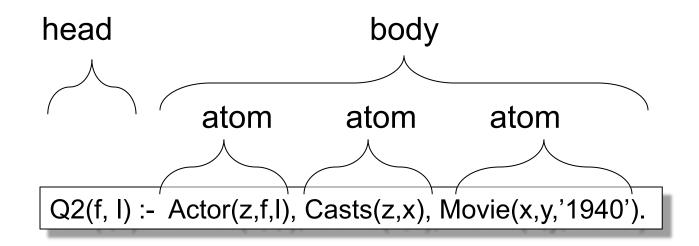
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Q3(f,I) :- Actor(z,f,I), Casts(z,x1), Movie(x1,y1,1910), Casts(z,x2), Movie(x2,y2,1940)

Extensional Database Predicates = EDB = Actor, Casts, Movie Intensional Database Predicates = IDB = Q1, Q2, Q3





Actor(id, fname, Iname) Casts(pid, mid) Movie(id, name, year) 2. Datalog program

Find all actors with Bacon number  $\leq 2$ 

B0(x) := Actor(x, 'Kevin', 'Bacon') B1(x) := Actor(x, f, I), Casts(x, z), Casts(y, z), B0(y) B2(x) := Actor(x, f, I), Casts(x, z), Casts(y, z), B1(y) Q4(x) := B0(x) Q4(x) := B1(x)Q4(x) := B2(x)

#### Note: Q4 is the *union* of B1 and B2

Actor(id, fname, Iname) Casts(pid, mid) Movie(id, name, 2 Datalog with negation

Find all actors with Bacon number  $\geq 2$ 

 $\begin{array}{l} \mathsf{B0}(x) \coloneqq \mathsf{Actor}(x,\mathsf{'Kevin'},\,\mathsf{'Bacon'}) \\ \mathsf{B1}(x) \coloneqq \mathsf{Actor}(x,\mathsf{f},\mathsf{I}),\,\mathsf{Casts}(x,z),\,\mathsf{Casts}(y,z),\,\mathsf{B0}(y) \\ \mathsf{Q6}(x) \coloneqq \mathsf{Actor}(x,\mathsf{f},\mathsf{I}),\, \underset{}{\mathsf{not}}\,\mathsf{B1}(x),\, \underset{}{\mathsf{not}}\,\mathsf{B0}(x) \end{array}$ 



Here are <u>unsafe</u> datalog rules. What's "unsafe" about them ?

U1(x,y) :- Movie(x,z,1994), y>1910

U2(x) :- Movie(x,z,1994), not Casts(u,x)

A datalog rule is <u>safe</u> if every variable appears in some positive relational atom

### 2. Datalog v.s. SQL

 Non-recursive datalog with negation is a cleaned-up, core of SQL

 You should be able to translate easily between non-recursive datalog with negation and SQL

## **Relational Calculus**

• Aka predicate calculus or first order logic

- TRC = Tuple RC
  - See book
- DRC = Domain RC = unnamed perspective
   We study only this one

## **Relational Calculus**

Relational predicate P is a formula given by this grammar:

 $P ::= atom | P \land P | P \lor P | P \Rightarrow P | not(P) | \forall x.P | \exists x.P$ 

Query Q:

Q(x1, ..., xk) = P

#### Actor(id, fname, Iname) Casts(pid, mid) Movie(id, name, year) Relational Calculus

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Example: find the first/last names of actors who acted in 1940

 $Q(f,I) = \exists x. \exists y. \exists z. (Actor(z,f,I) \land Casts(z,x) \land Movie(x,y,1940))$ 

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 $Q(f,I) = \exists x. \exists y. \exists z. (Actor(z,f,I) \land Casts(z,x) \land Movie(x,y,1940))$ 

What does this query return ?

Q(f,I) =  $\exists z. (Actor(z,f,I) \land \forall x. (Casts(z,x) \Rightarrow \exists y. Movie(x,y,1940)))$ 

#### Likes(drinker, beer) Frequents(drinker, bar) Serves(bar, beer mportant Observation

Find all bars that serve all beers that Fred likes

 $A(x) = \forall y. Likes("Fred", y) => Serves(x,y)$ 

 Note: P ==> Q (read P implies Q) is the same as (not P) OR Q In this query: If Fred likes a beer the bar must serve it (P ==> Q) In other words: Either Fred does not like the beer (not P) OR the bar serves that beer (Q).

 $A(x) = \forall y. not(Likes("Fred", y)) OR Serves(x,y)$ 



Average Joe

Find drinkers that frequent some bar that serves some beer they like.



Average Joe

Find drinkers that frequent some bar that serves some beer they like.

 $Q(x) = \exists y. \exists z. Frequents(x, y) \land Serves(y,z) \land Likes(x,z)$ 



 $Q(x) = \exists y. \exists z. Frequents(x, y) \land Serves(y,z) \land Likes(x,z)$ 

Prudent Peter

Average Joe

Find drinkers that frequent only bars that serves some beer they like.



 $Q(x) = \exists y. \exists z. Frequents(x, y) \land Serves(y,z) \land Likes(x,z)$ 

**Prudent Peter** 

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 $Q(x) = \exists y. Frequents(x, y) \land \forall z.(Serves(y,z) \Rightarrow Likes(x,z))$ 



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 $Q(x) = \forall y. Frequents(x, y) \Rightarrow \forall z.(Serves(y,z) \Rightarrow Likes(x,z))$ 

#### Likes(drinker, beer) Frequents(drinker, bar) Serves(bar, be)Omain Independent RC

• As in datalog, one can write "unsafe" RC queries; they are also called *domain dependent* 

 $\begin{aligned} A(x) &= not \ Likes("Fred", x) \\ A(x,y) &= \ Likes("Fred", x) \ OR \ Serves("Bar", y) \\ A(x) &= \ \forall y. \ Serves(x,y) \end{aligned}$ 

 Lesson: make sure your RC queries are domain independent

## **Relational Calculus**

How to write a complex SQL query:

- Write it in RC
- Translate RC to datalog (see next)
- Translate datalog to SQL

Take shortcuts when you know what you're doing

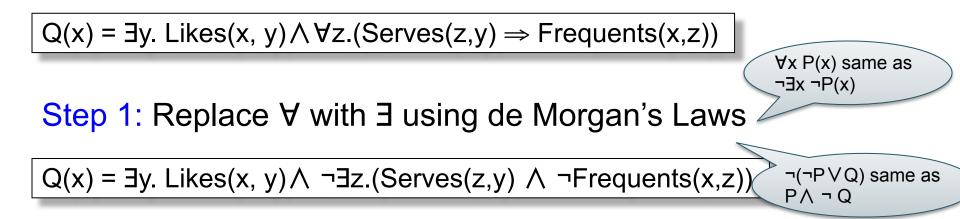
#### Likes(drinker, beer) Frequents(drinker, bar) Serves(ber, pom RC to Datalog to SQL

Query: Find drinkers that like some beer so much that they frequent all bars that serve it

 $Q(x) = \exists y. Likes(x, y) \land \forall z. (Serves(z, y) \Rightarrow Frequents(x, z))$ 

#### Likes(drinker, beer) Frequents(drinker, bar) Serves(bar, pom RC to Datalog to SQL

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 $Q(x) = \exists y. Likes(x, y) \land \forall z. (Serves(z, y) \Rightarrow Frequents(x, z))$ 

∀x P(x) same as ¬∃x ¬P(x)

Step 1: Replace ∀ with ∃ using de Morgan's Laws -

 $Q(x) = \exists y. \ Likes(x, y) \land \neg \exists z.(Serves(z, y) \land \neg Frequents(x, z)) \land \neg Q$ 

Step 2: Make all *subqueries* domain independent

Q(x) =  $\exists y$ . Likes(x, y)  $\land \neg \exists z$ .(Likes(x,y)  $\land Serves(z,y) \land \neg Frequents(x,z)$ )





Step 3: Create a datalog rule for each subexpression; (shortcut: only for "important" subexpressions)

```
H(x,y) :- Likes(x,y),Serves(z,y), not Frequents(x,z)
Q(x) :- Likes(x,y), not H(x,y)
```

### Likes(drinker, beer) Frequents(drinker, bar) Serves(bar, pom RC to Datalog to SQL

```
H(x,y) :- Likes(x,y),Serves(z,y), not Frequents(x,z)
Q(x) :- Likes(x,y), not H(x,y)
```

#### Step 4: Write it in SQL

```
SELECT DISTINCT L.drinker FROM Likes L
WHERE not exists
(SELECT * FROM Likes L2, Serves S
WHERE L2.drinker=L.drinker and L2.beer=L.beer
and L2.beer=S.beer
and not exists (SELECT * FROM Frequents F
WHERE F.drinker=L2.drinker
and F.bar=S.bar))
```

### Likes(drinker, beer) Frequents(drinker, bar) Serves(bar, pom RC to Datalog to SQL

H(x,y) :- Likes(x,y), Serves(z,y), not Frequents(x,z) Q(x) :- Likes(x,y), not H(x,y)

Unsafe rule

#### Improve the SQL query by using an unsafe datalog rule

SELECT DISTINCT L.drinker FROM Likes L WHERE not exists (SELECT \* FROM Serves S WHERE L.beer=S.beer and not exists (SELECT \* FROM Frequents F WHERE F.drinker=L.drinker and F.bar=S.bar))

# Summary of Translation

- RC → recursion-free datalog w/ negation
   Subtle: as we saw; more details in the paper
- Recursion-free datalog w/ negation  $\rightarrow$  RA
- $RA \rightarrow RC$

<u>Theorem</u>: RA, non-recursive datalog w/ negation, and RC, express exactly the same sets of queries: RELATIONAL QUERIES