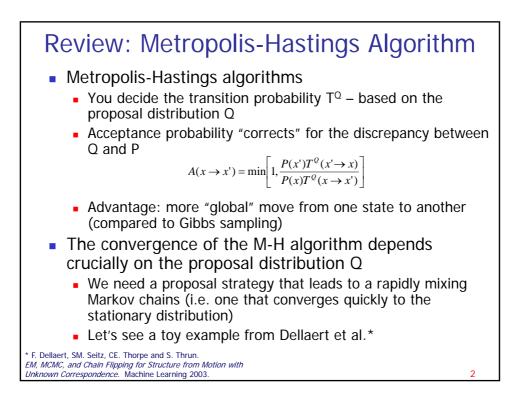
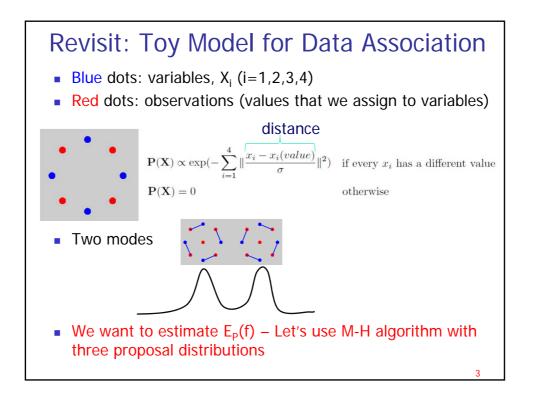
Readings: K&F 11.1, 11.2, 11.3, 11.4

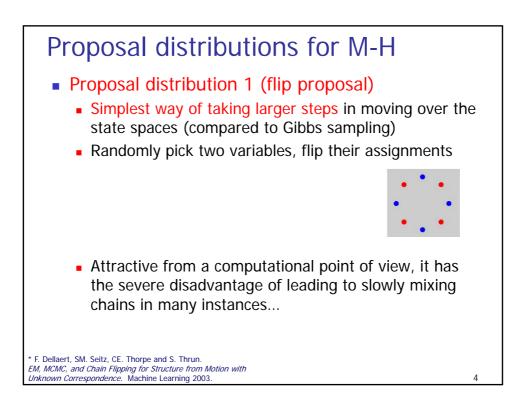
Approximate

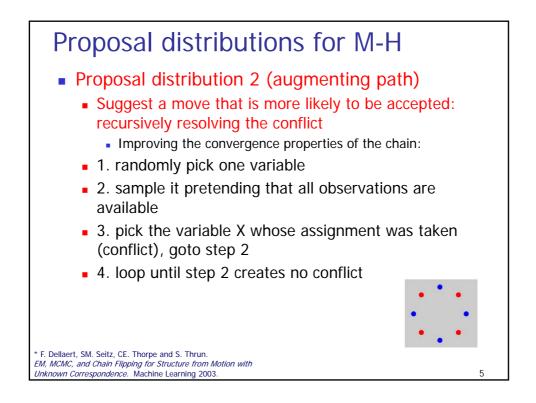
Lecture 16 – May 18, 2011 CSE 515, Statistical Methods, Spring 2011

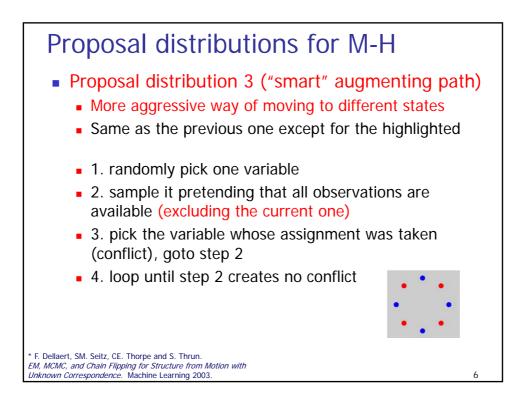
Instructor: Su-In Lee University of Washington, Seattle

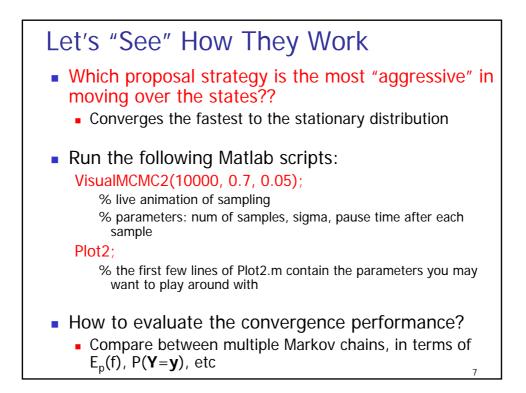


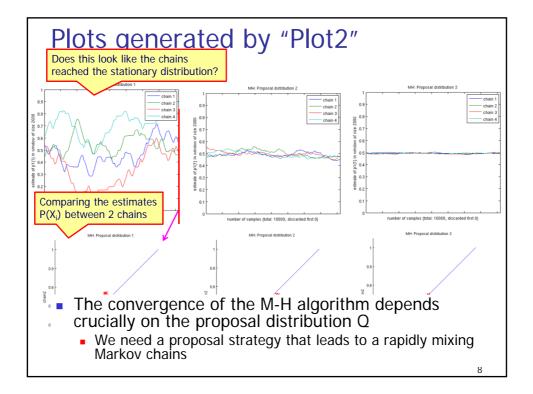


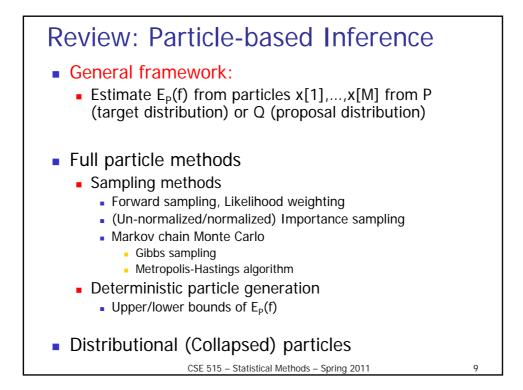


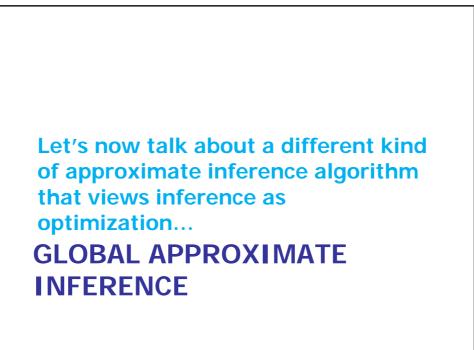




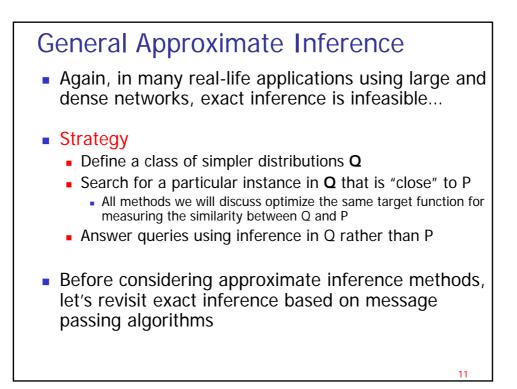


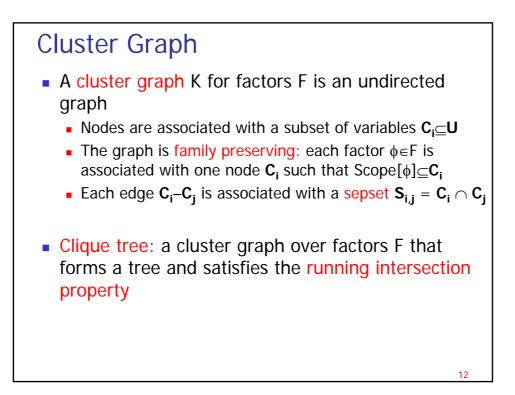


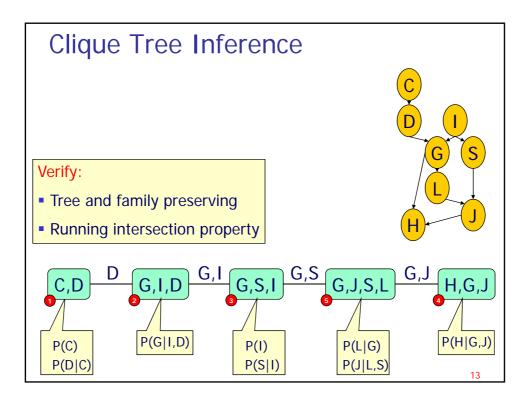


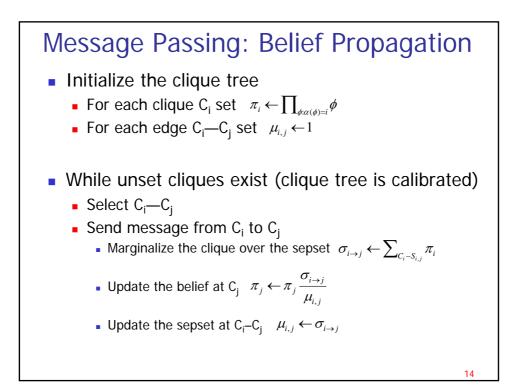


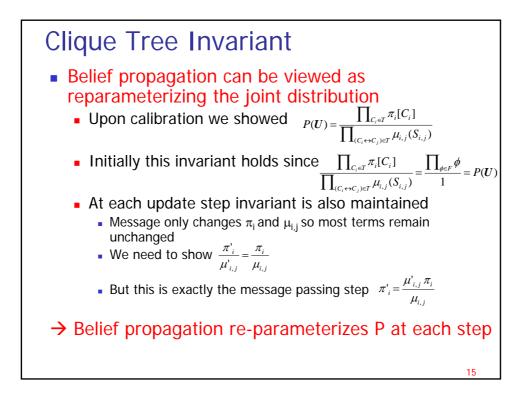
CSE 515 - Statistical Methods - Spring 2011

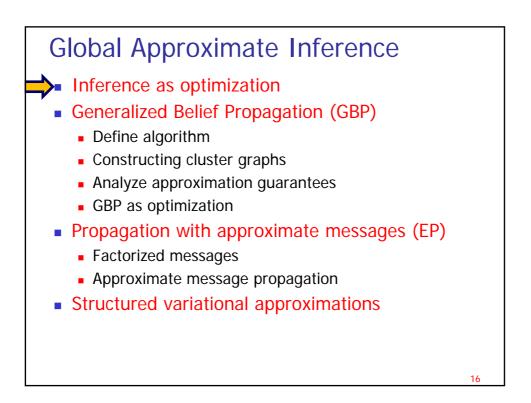


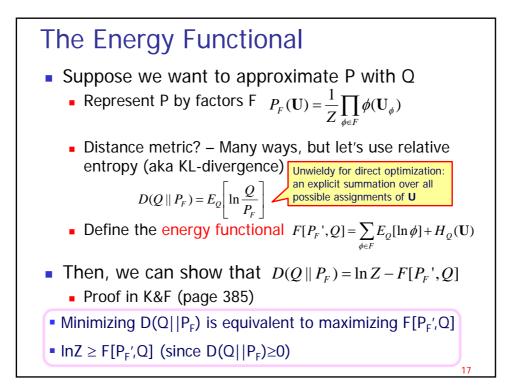


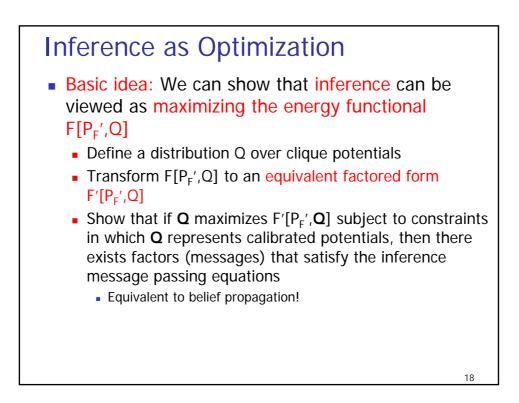


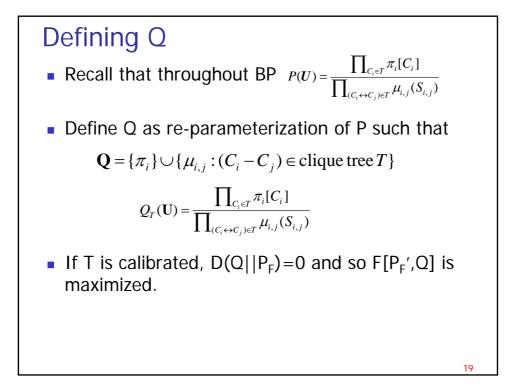


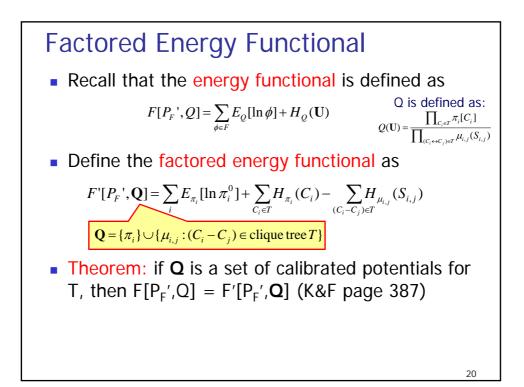


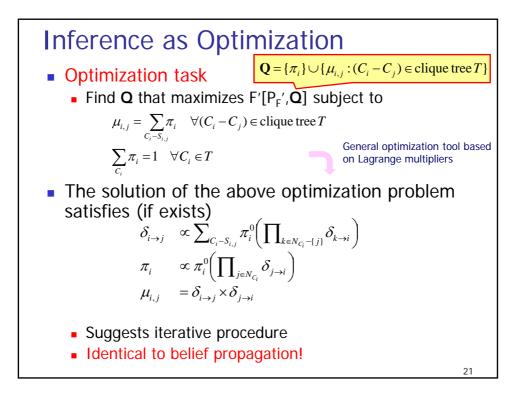


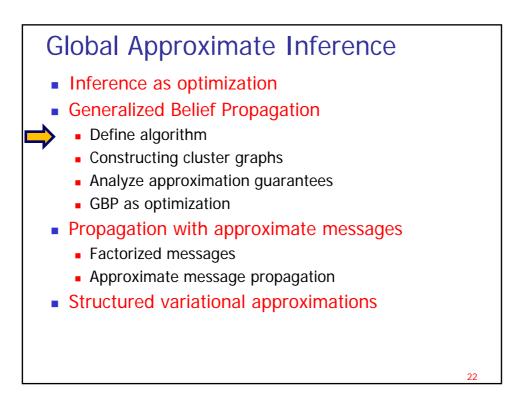


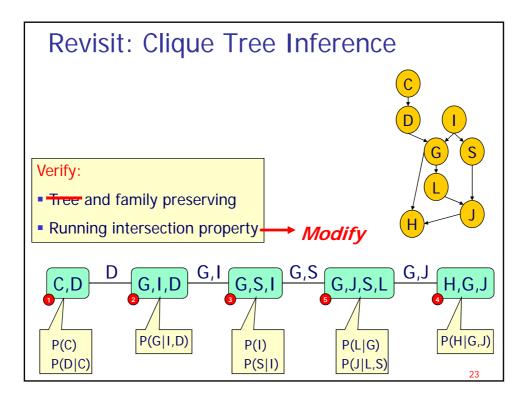


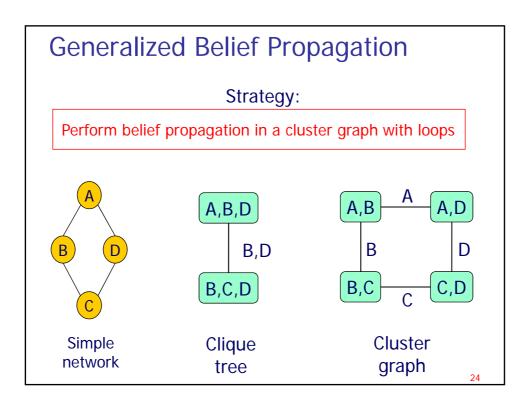


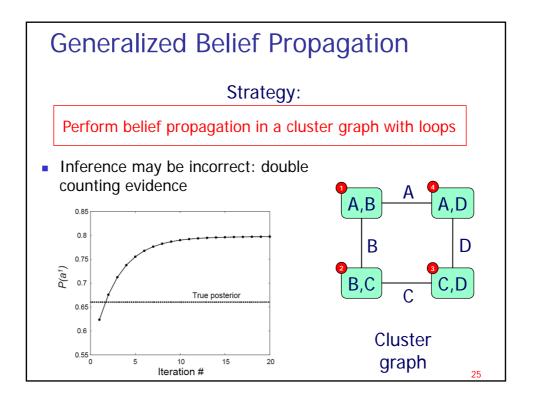


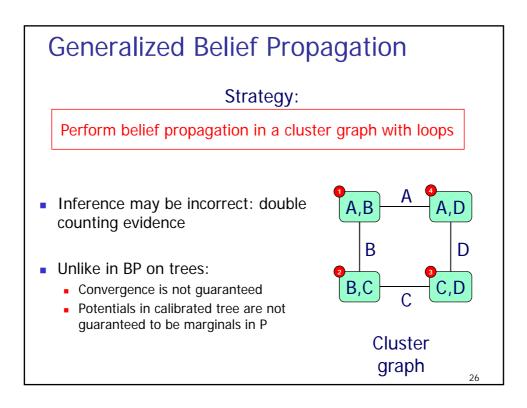


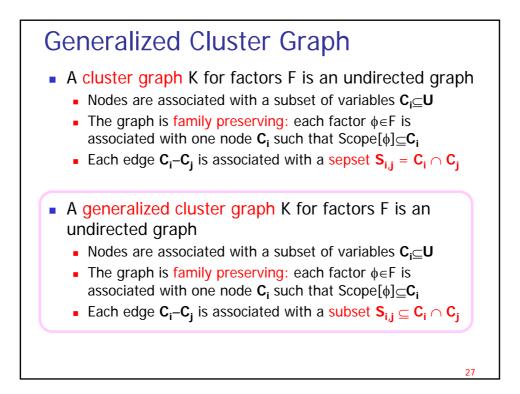


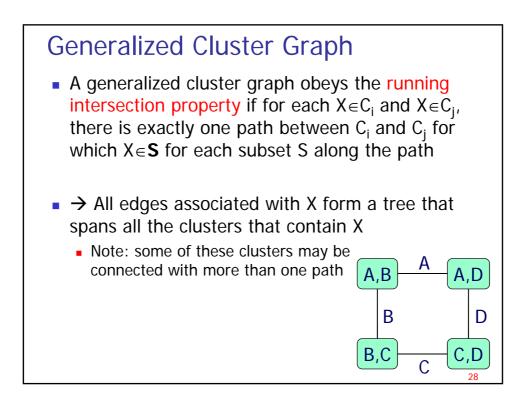


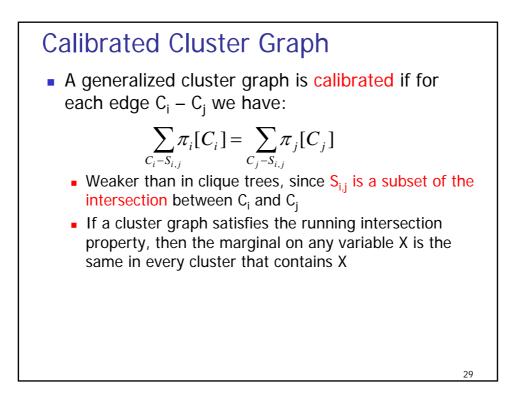


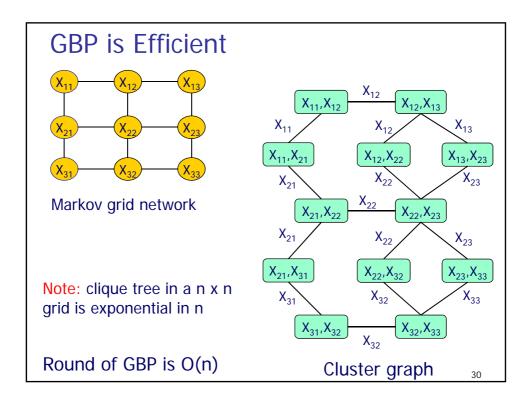


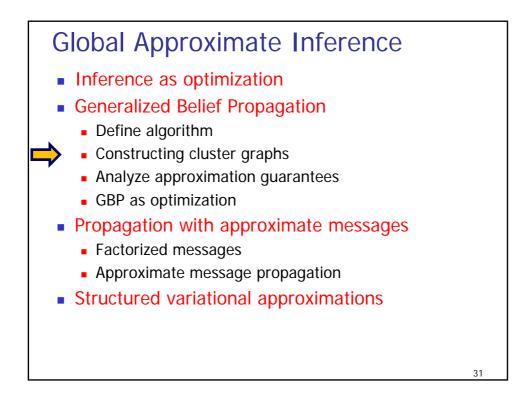


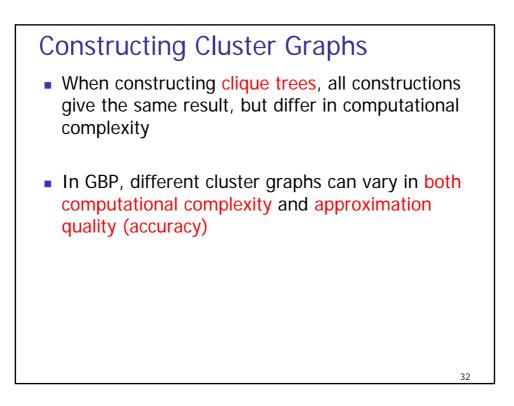


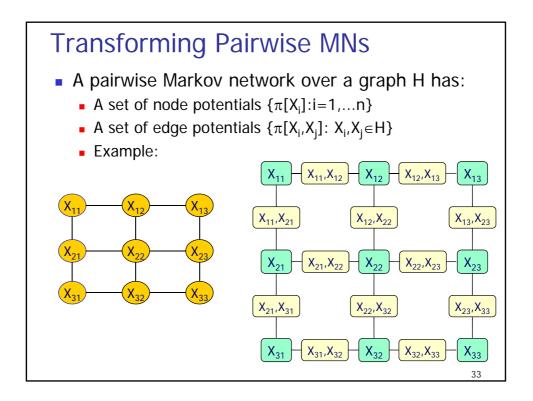


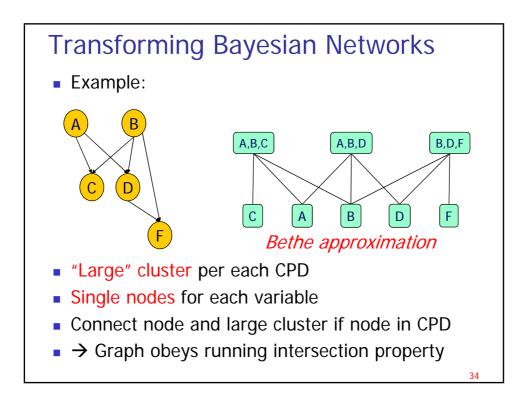


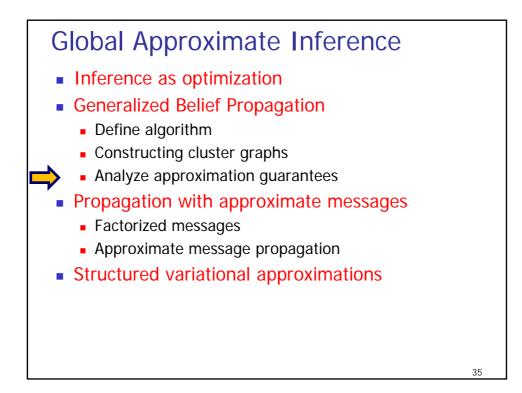


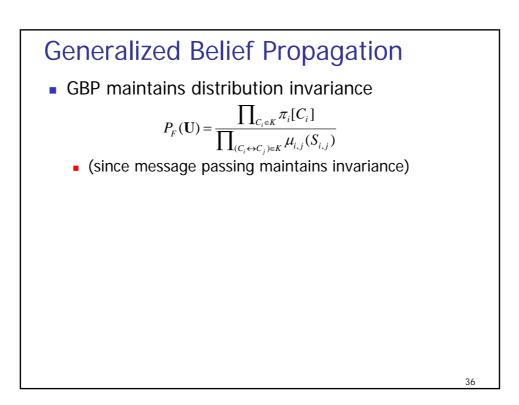


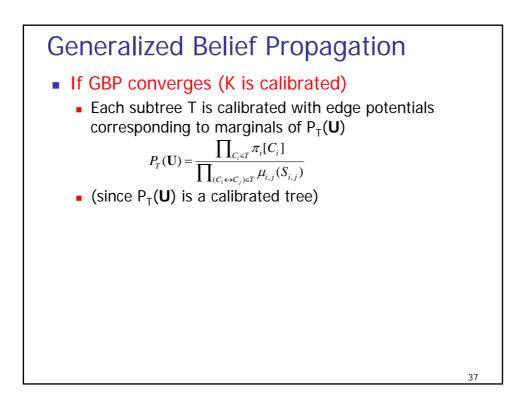


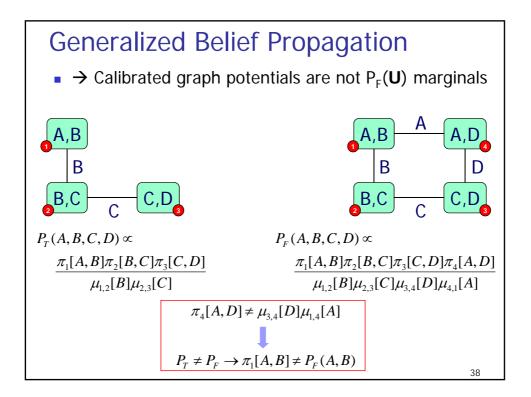


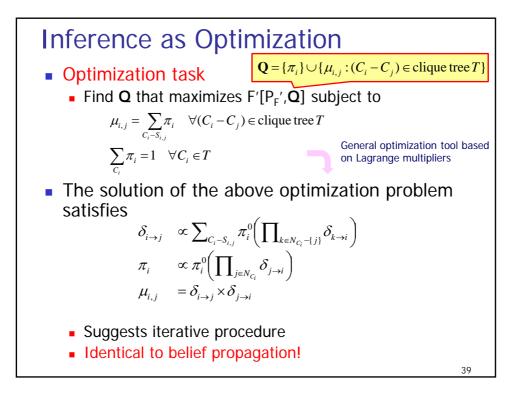












GBP as Optimization • Optimization task • Find Q that maximizes $F'[P_{F'}, Q]$ subject to $\mu_{i,j} = \sum_{C_i - S_{i,j}} \pi_i \quad \forall (C_i - C_j) \in K$ $\sum_{C_i} \pi_i = 1 \quad \forall C_i \in K$ • The solution of the above optimization problem satisfies $\delta_{i \rightarrow j} \quad \propto \sum_{C_i - S_{i,j}} \pi_i^0 (\prod_{k \in N_{C_i} - (j)} \delta_{k \rightarrow i})$ $\pi_i \quad \propto \pi_i^0 (\prod_{j \in N_{C_i}} \delta_{j \rightarrow i})$ $\mu_{i,j} = \delta_{i \rightarrow j} \times \delta_{j \rightarrow i}$ • Note: $S_{i,j}$ is only a subset of intersection between C_i and C_j • Iterative optimization procedure is GBP

GBP as Optimization

- Clique trees
 - $F[P_F,Q]=F'[P_F,Q]$
 - Iterative procedure (BP) guaranteed to converge
 - Convergence point represents marginal distributions of P_{F}
- Cluster graphs
 - $F[P_F,Q] = F'[P_F,Q]$ does not hold!
 - Iterative procedure (GBP) not guaranteed to converge
 - Convergence point does not represent marginal distributions of P_F

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