Readings: K&F 2.1, 2.2, 2.3, 3.1

 Introduction to

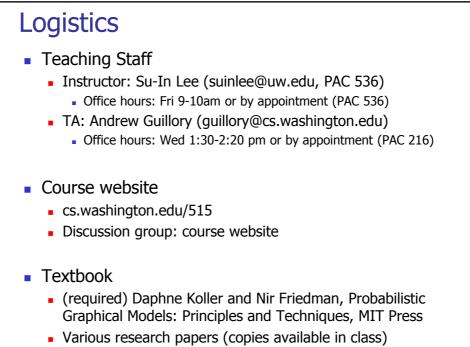
 Probabilistic Graphical Models

 Lecture 1 - Mar 28, 2011

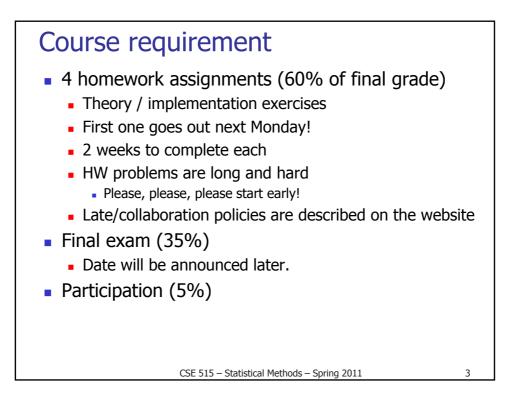
 CSE 515, Statistical Methods, Spring 2011

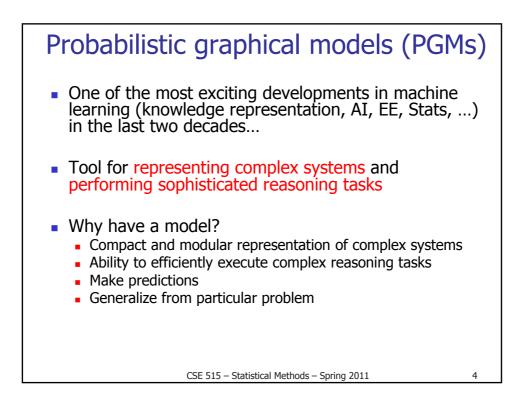
 Instructor: Su-In Lee

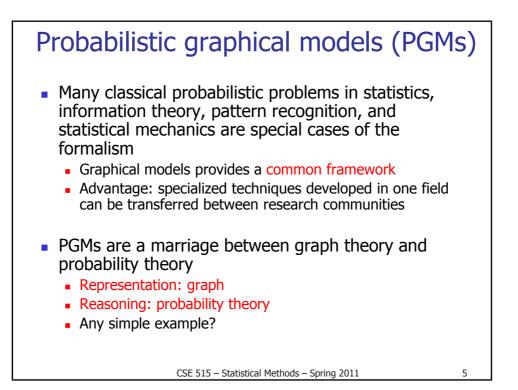
 University of Washington, Seattle

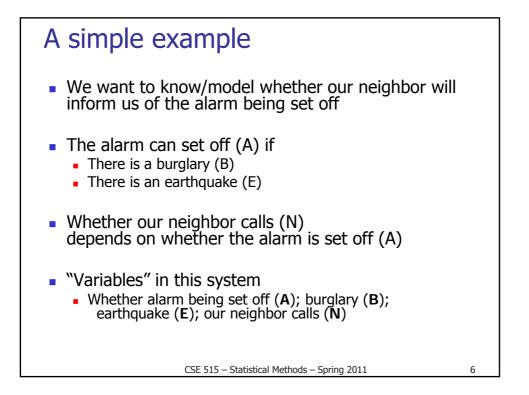


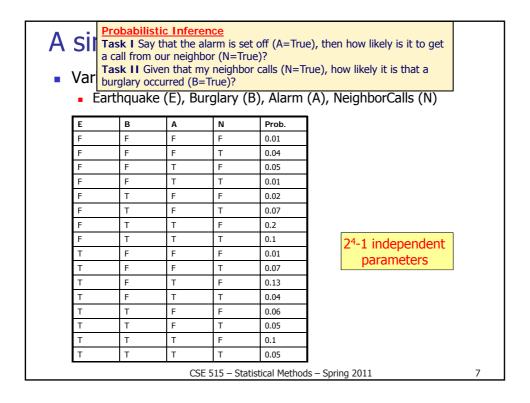
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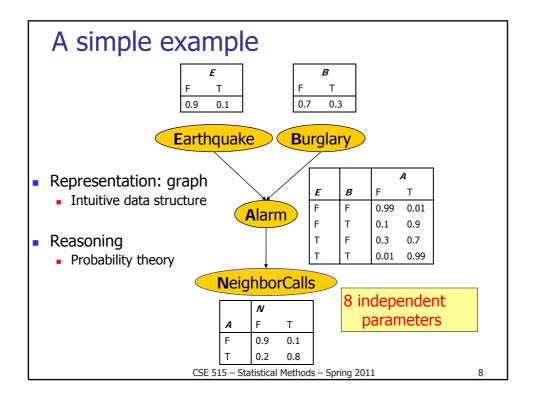


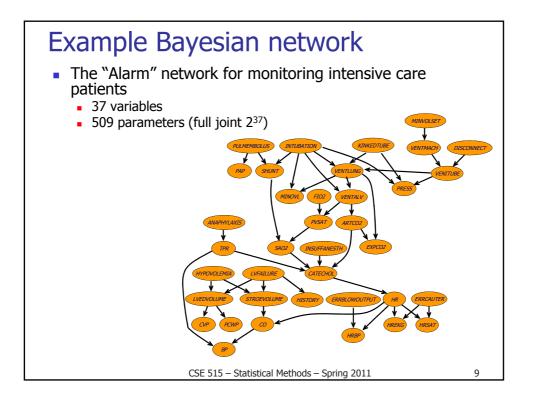


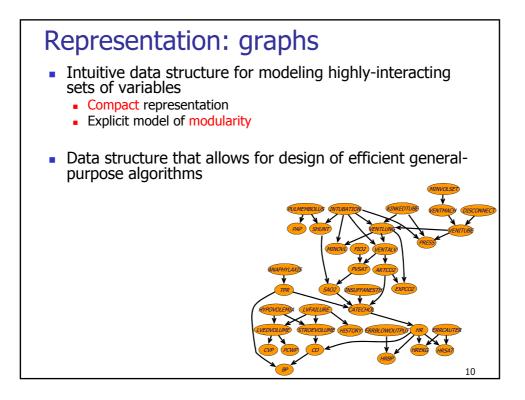


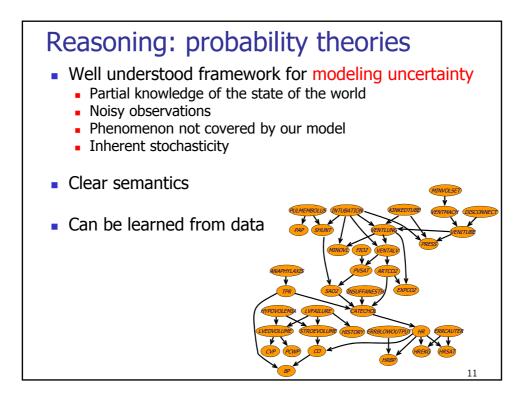


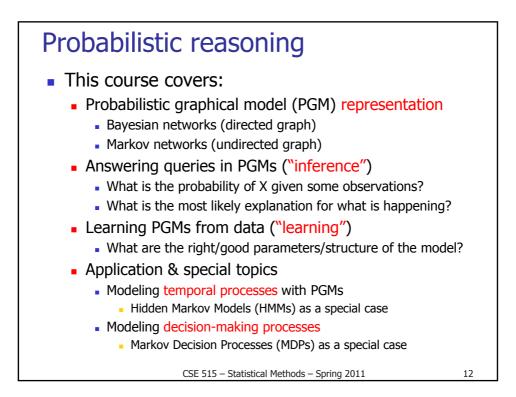












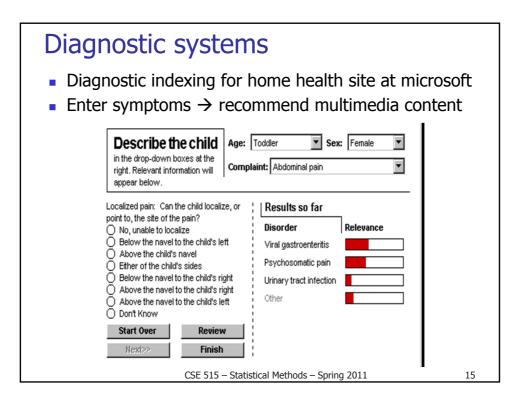
Week	Торіс	Reading
1	Introduction, Bayesian network representation	2.1-3, 3.1
	Bayesian network representation cont.	3.1-3
2	Local probability models	5
	Undirected graphical models	4
3	Exact inference	9.1-4
	Exact inference cont.	10.1-2
4	Approximate inference	12.1-3
	Approximate inference cont.	12.1-3
5	Parameter estimation	17
	Parameter estimation cont.	17
6	Partially observed data (EM algorithm)	19.1-3
	Structure learning BNs	18
7	Structure learning BNs cont.	18
	Partially observed data	19.4-5
8	Learning undirected graphical models	20.1-3
	Learning undirected graphical models cont.	20.1-3
9	Hidden Markov Models	TBD
	HMMs cont. and Kalman filter	TBD
10	Markov decision processes	TBD

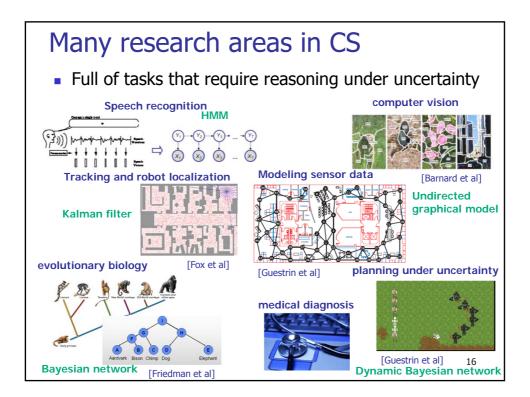
## Application: recommendation systems

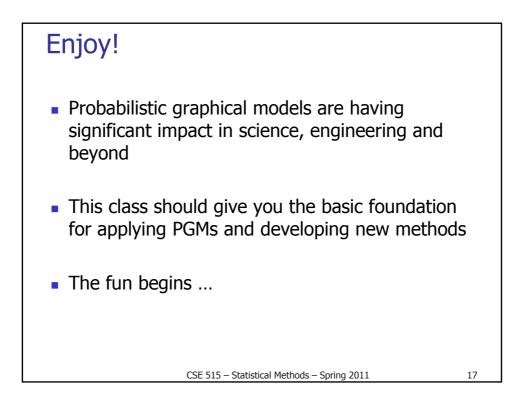
- Given user preferences, suggest recommendations
- Example: Amazon.com
- Input: movie preferences of many users
- Solution: model correlations between movie features
  - Users that like comedy, often like drama
  - Users that like action, often do not like cartoons
  - Users that like Robert Deniro films often like Al Pacino films
  - Given user preferences, can predict probability that new movies match preferences

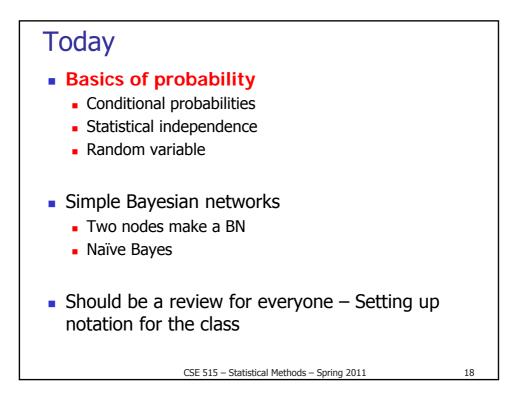
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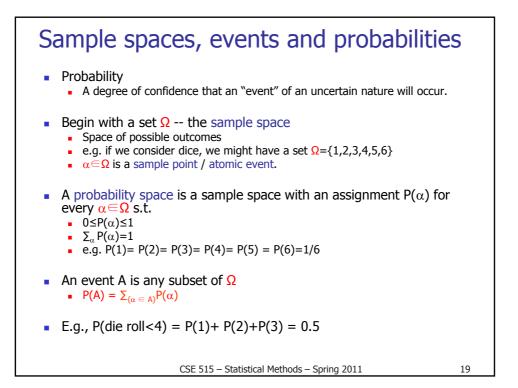
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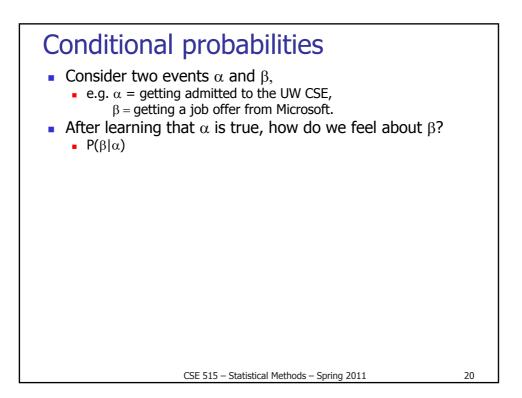


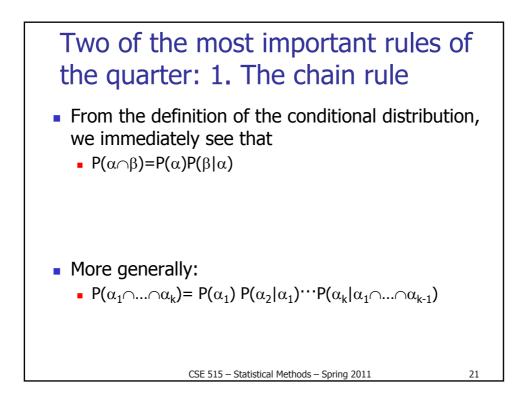


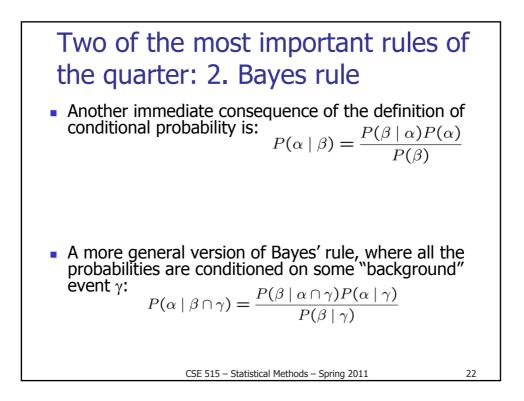


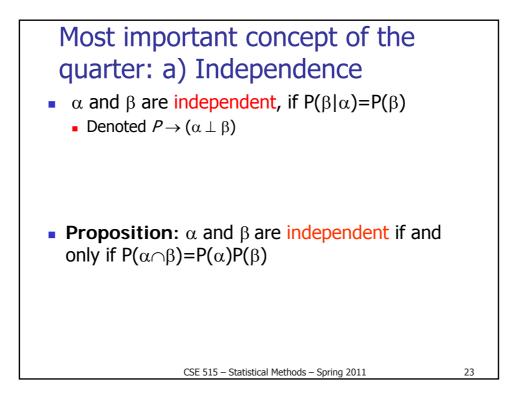


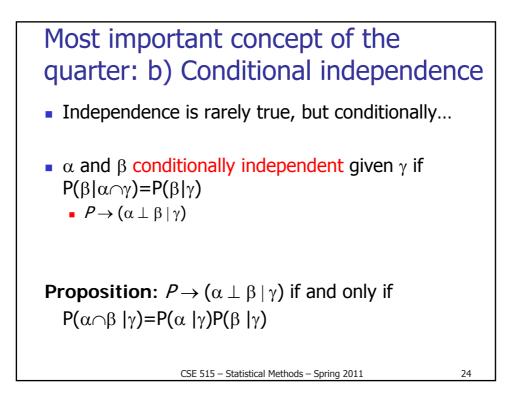


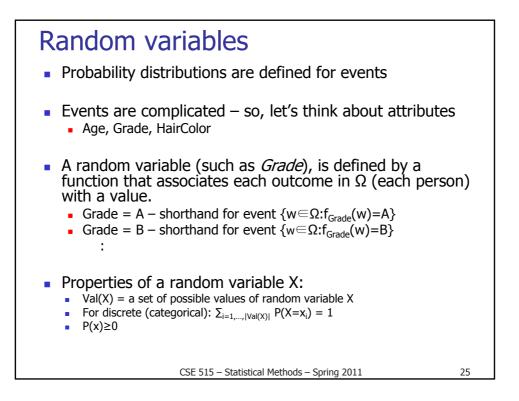


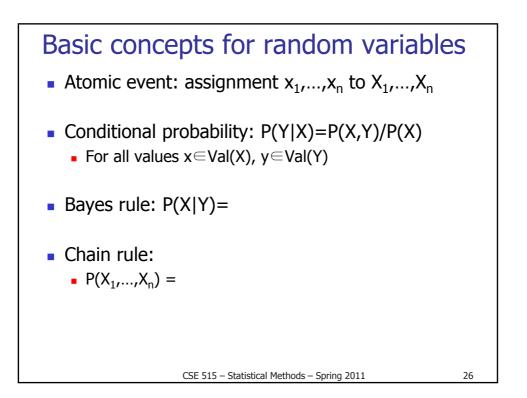


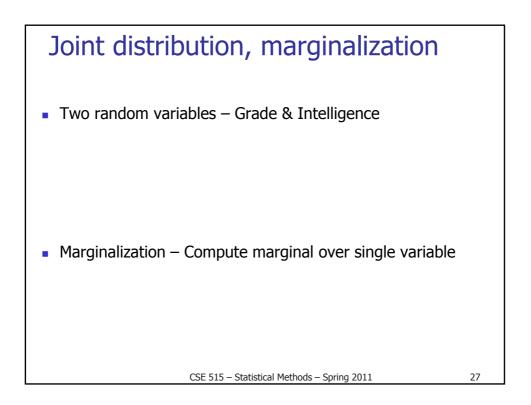


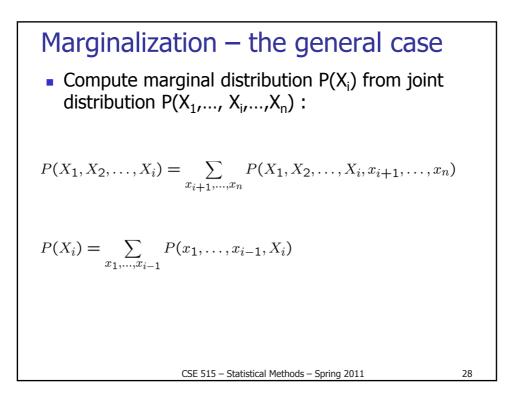


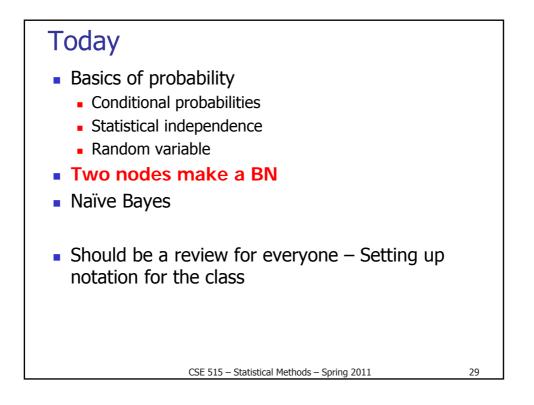


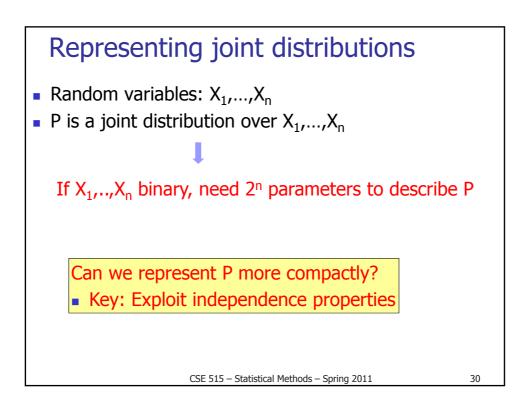


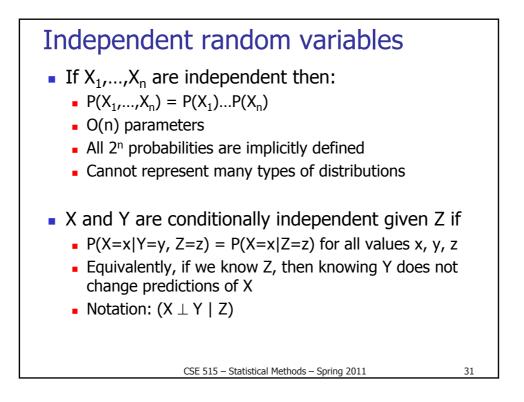


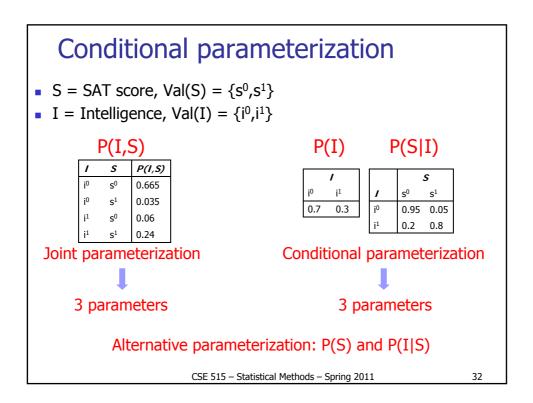


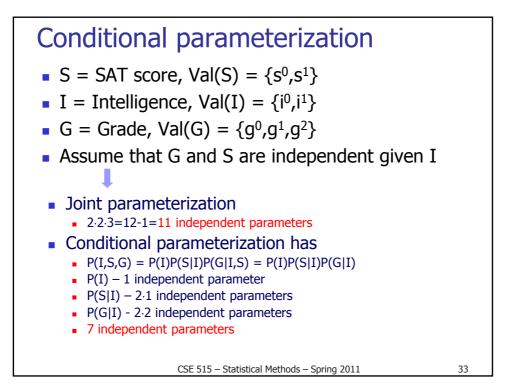


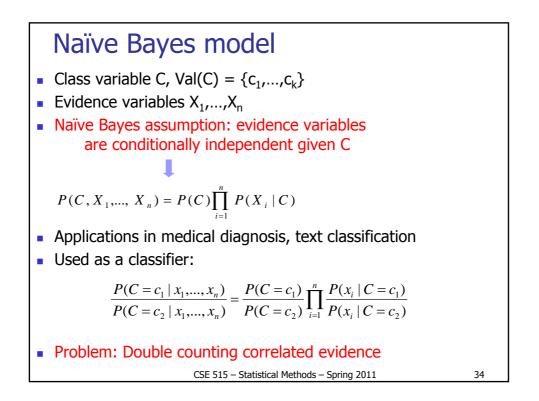


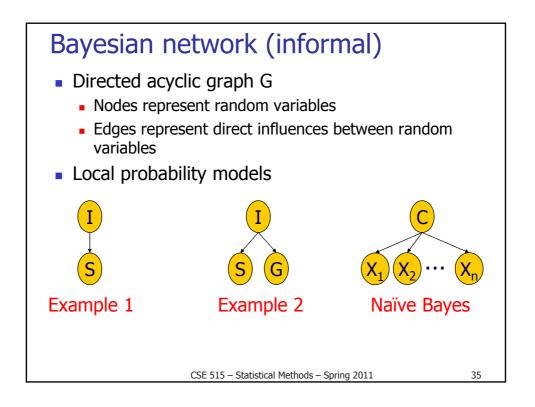


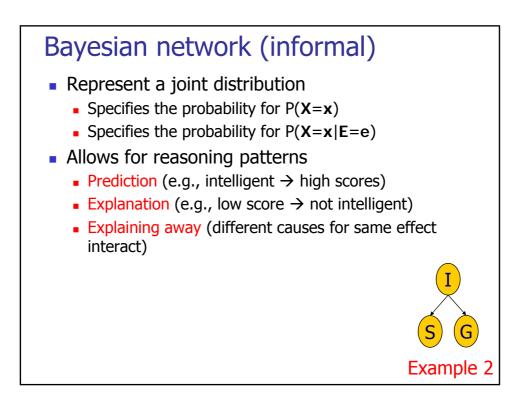


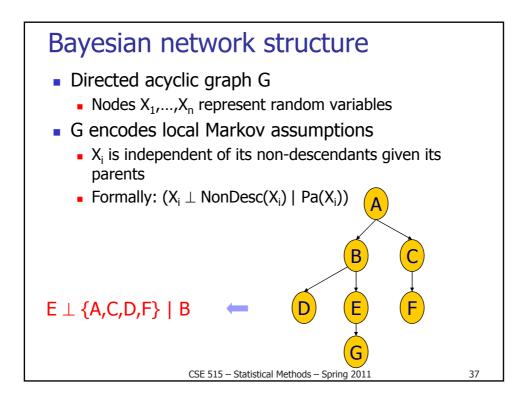


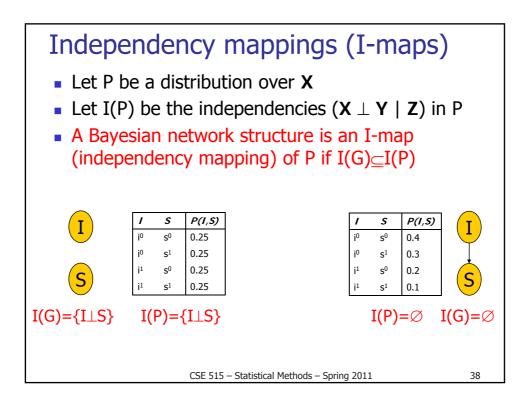


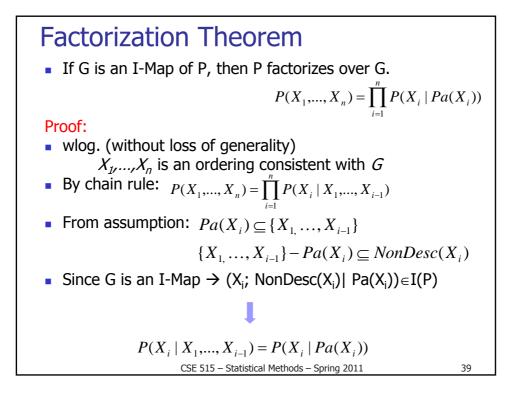




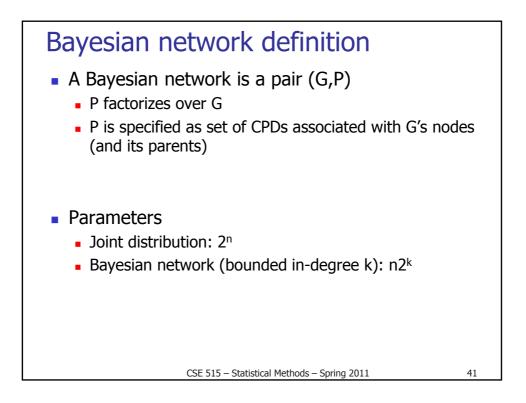


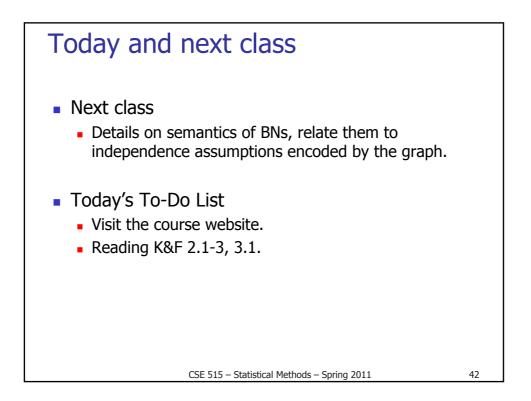






Factorization implies I-Map •  $P(X_1,...,X_n) = \prod_{i=1}^n P(X_i | Pa(X_i)) \Rightarrow G \text{ is an I-Map of P}$ Proof: • Need to show  $(X_i; \text{ NonDesc}(X_i) | Pa(X_i)) \in I(P) \text{ or that}$   $P(X_i | \text{ NonDesc}(X_i)) = P(X_i | Pa(X_i))$ • wlog.  $X_1,...,X_n$  is an ordering consistent with G •  $P(X_i | NonDesc(X_i)) = \frac{P(X_i, NonDesc(X_i))}{P(NonDesc(X_i))}$   $= \prod_{k=1}^i P(X_k | Pa(X_k))$   $= P(X_i | Pa(X_k))$   $= P(X_i | Pa(X_i))$   $= P(X_i | Pa(X_k))$   $= P(X_i | Pa(X_i))$  $= P(X_i | Pa(X_i))$ 







 These lecture notes were generated based on the slides from Profs Eran Segal and Carlos Guestrin.

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