A Few Games Remy Wang, UW PLSE



Make friends

Have fun

Start to see that everything is a game



Play several games

Realize their connection to numbers, programs & propositions

Learn where the game theoretical approach came from

Philosophize about the game-theoretical approach

Fantasize about the future of the study of games

Game 1: Games for Programming

Game 2: Numbers & Games

Game 3: Ehrenfeucht–Fraïssé Games

Some Historic Notes & Where to Learn More

Current: Research in AI, DB theory & PL, Crypto, Complexity...

Foundation: (Finite) Model Theory

Fun: Numbers and games (John Conway, Don Knuth)

Origin: Game theoretical semantics (Jaako Hintikka)

Historical: Language games (Wittgenstein)

Prehistory: Aristotelian Dialectic

Why Do We Care Pt. 1: Important Research

Strategy Synthesis for Linear Arithmetic Games

Synthesizing Coupling Proofs of Differential Privacy

Two-Variable Logic on Data Trees and XML Reasoning

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(See resources for details)

EF games: a different perspective helps us **understand** expressibility proofs

Program verification: 2 different perspectives **simultaneously** tries to prove the program correct / incorrect

Number games: a different perspective yields different proof methods & understanding of transfinite numbers, & leads to discovery of **a new kind of numbers**

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It is the **relationships between things**, rather than the things in and by themselves, that are responsible for generating the rich variety of phenomena we observe in the **physical**, informational, and mathematical worlds.

- David Spivak, Category Theory for the Sciences