CSE 484 / CSE M 584: Computer Security and Privacy

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Announcements

- TA office hours as usual, and great place for lab discussions
- I will again mute HW1 ☺, until I've looked at all of them
- Guest lecturers next Monday and Wednesday ⁽²⁾ But no office hours for me next week ⁽³⁾

Misc

• How to think about security, paranoia, etc

Research Discussions

- Monday (10/14): Peter Ney on Bio-Cyber Security and Cell Site Simulators
- Monday (10/21): Karl Koscher on Automotive Cyber Security
- Wednesday (10/23): Ivan Evtimov on Adversarial Machine Learning
- Monday (10/28): Emily McReynolds on Law and Policy



Broad Classes of Security Research

- Measurement
- Analysis / attack exploration
- Building secure systems
- Human-computer interaction

 Guest lectures connected to threat modeling and to buffer overflows as well

Flavors of Cryptography

- Symmetric cryptography
 - Both communicating parties have access to a shared random string K, called the key.
 - Challenge: How do you privately share a key?
- Asymmetric cryptography
 - Each party creates a public key pk and a secret key sk.
 - Challenge: How do you validate a public key?

Confidentiality: Basic Problem

Given (Symmetric Crypto): both parties know the same secret. Goal: send a message confidentially.

Ignore for now: How is this achieved in practice??

One-Time Pad



Cipher achieves perfect secrecy if and only if there are as many possible keys as possible plaintexts, and every key is equally likely (Claude Shannon, 1949)

Advantages of One-Time Pad

- Easy to compute
 - Encryption and decryption are the same operation
 - Bitwise XOR is very cheap to compute
- As secure as theoretically possible
 - Given a ciphertext, all plaintexts are equally likely, regardless of attacker's computational resources
 - ... <u>as long as</u> the key sequence is truly random
 - True randomness is expensive to obtain in large quantities
 - ... <u>as long as</u> each key is same length as plaintext
 - But how does sender communicate the key to receiver?

Problems with One-Time Pad

- (1) Key must be as long as the plaintext
 - Impractical in most realistic scenarios
 - Still used for diplomatic and intelligence traffic
- (2) Insecure if keys are reused

Dangers of Reuse



Learn relationship between plaintexts $C1 \oplus C2 = (P1 \oplus K) \oplus (P2 \oplus K) =$ $(P1 \oplus P2) \oplus (K \oplus K) = P1 \oplus P2$

Problems with One-Time Pad

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 - Impractical in most realistic scenarios
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 - Attacker can obtain XOR of plaintexts

Integrity?



Problems with One-Time Pad

- (1) Key must be as long as the plaintext
 - Impractical in most realistic scenarios
 - Still used for diplomatic and intelligence traffic
- (2) Insecure if keys are reused
 Attacker can obtain XOR of plaintexts
- (3) Does not guarantee integrity
 - One-time pad only guarantees confidentiality
 - Attacker cannot recover plaintext, but can easily change it to something else

Reducing Key Size

- What to do when it is infeasible to pre-share huge random keys?
 - When one-time pad is unrealistic...
- Use special cryptographic primitives: block ciphers, stream ciphers
 - Single key can be re-used (with some restrictions)
 - Not as theoretically secure as one-time pad

Stream Ciphers

- One-time pad: Ciphertext(Key,Message)=Message⊕Key
 Key must be a random bit sequence as long as message
- Idea: replace "random" with "pseudo-random"
 - Use a pseudo-random number generator (PRNG)
 - PRNG takes a short, truly random secret seed and expands it into a long "random-looking" sequence
 - E.g., 128-bit seed into a 10⁶-bit pseudo-random sequence

No efficient algorithm can tell this sequence from truly random

- Ciphertext(Key,Msg)=Msg⊕PRNG(Key)
 - Message processed bit by bit (unlike block cipher)

Block Ciphers

- Operates on a single chunk ("block") of plaintext
 - For example, 64 bits for DES, 128 bits for AES
 - Each key defines a different permutation
 - Same key is reused for each block (can use short keys)



Keyed Permutation

- Not just shuffling of input bits!
 - Suppose plaintext = "111".
 Then "111" is not the only possible ciphertext!
- Instead:
 - Permutation of possible outputs
 - For N-bit input, 2^{N} ! possible permutations
 - Use secret key to pick a permutation



Example: With 3-bit Blocks

Key = 0000000		Key = 0000001		Key = 0000010		
Input	Output	Input	Output	Input	Output	
000	111	000	000	000	001	
001	101	001	101	001	000	
010	001	010	010	010	010	
011	000	011	001	011	011	
100	110	100	100	100	111	
101	010	101	011	101	101	
110	100	110	111	110	100	
111	011	111	110	111	110	

Block Cipher Security

- Result should look like a random permutation on the inputs
 - Recall: not just shuffling bits. N-bit block cipher permutes over 2^N inputs.
- Only computational guarantee of secrecy
 - Not impossible to break, just very expensive
 - If there is no efficient algorithm (unproven assumption!), then can only break by brute-force, try-every-possible-key search
 - Time and cost of breaking the cipher exceed the value and/or useful lifetime of protected information

Block Cipher Operation (Simplified)



Standard Block Ciphers

- DES: Data Encryption Standard
 - Feistel structure: builds invertible function using noninvertible ones
 - Invented by IBM, issued as federal standard in 1977
 - 64-bit blocks, 56-bit key + 8 bits for parity

DES and 56 bit keys

• 56 bit keys are quite short

Key Size (bits)	Number of Alternative Keys	Time required at 1 encryption/µs	Time required at 10 ⁶ encryptions/µs
32	$2^{32} = 4.3 \times 10^9$	$2^{31} \mu s = 35.8$ minutes	2.15 milliseconds
56	$2^{56} = 7.2 \times 10^{16}$	$2^{55} \mu s = 1142$ years	10.01 hours
128	$2^{128} = 3.4 \times 10^{38}$	$2^{127} \mu s = 5.4 \times 10^{24} \text{years}$	5.4×10^{18} years
168	$2^{168} = 3.7 \times 10^{50}$	$2^{167} \mu s = 5.9 \times 10^{36} \text{years}$	5.9 × 10 ³⁰ years
26 characters (permutation)	$26! = 4 \times 10^{26}$	$2 \times 10^{26} \mu s = 6.4 \times 10^{12} \text{ years}$	6.4×10^6 years

- 1999: EFF DES Crack + distributed machines
 - < 24 hours to find DES key</p>
- DES ---> 3DES

- 3DES: DES + inverse DES + DES (with 2 or 3 diff keys)

Standard Block Ciphers

- DES: Data Encryption Standard
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- AES: Advanced Encryption Standard
 - New federal standard as of 2001
 - NIST: National Institute of Standards & Technology
 - Based on the Rijndael algorithm
 - Selected via an open process
 - 128-bit blocks, keys can be 128, 192 or 256 bits

Encrypting a Large Message

• So, we have got a good block cipher, but our plaintext is larger than 128-bit block size



• What should we do?

Electronic Code Book (ECB) Mode



- Identical blocks of plaintext produce identical blocks of ciphertext
- No integrity checks: can mix and match blocks

Information Leakage in ECB Mode





[Wikipedia]