CSE 484 / CSE M 584 Computer Security: Cryptography

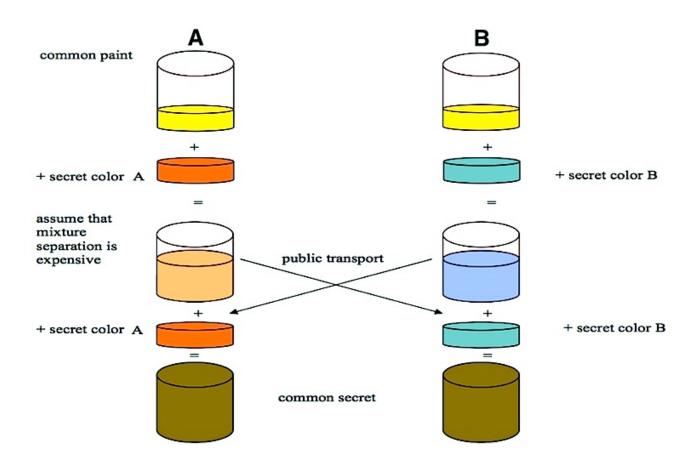
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Original slides by Franzi

[Examples/Images thanks to Wikipedia.]

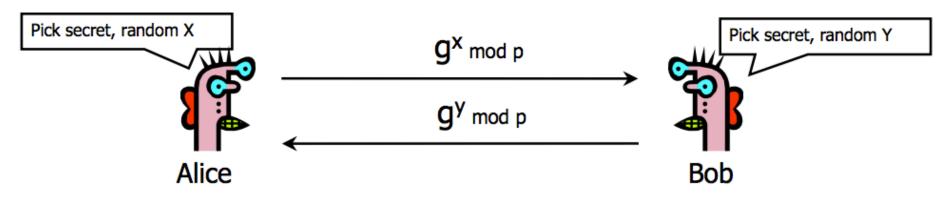
Lab 1 Deadline Reminders

- Lab 1 Final due next week (5/1, 5pm).
- Upcoming office hours:
 - Tomorrow (Friday) 9:30 am Michael & Adrian
 - Monday 9:30 am Franzi
 - Wednesday 3:30 pm Adrian & Peter
 - Thursday 12:30 pm Peter & Michael

Illustration of DH as paint mixing



DH Summary



Compute $k=(g^y)^x=g^{xy} \mod p$

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• Public info: p (large prime) and g (generator of Z_p^*)

 $Z_p^*=\{1, 2 \dots p-1\}; \forall a \in Z_p^* \exists i \text{ such that } a=g^i \text{ mod } p$

RSA Summary

- Key generation
 - Generate large primes p, q
 - Say, 1024 bits each (need primality testing, too)
 - Compute n = pq and $\varphi(n) = (p-1)(q-1)$
 - Choose small e, relatively prime to $\varphi(n)$
 - Compute unique d such that ed = $1 \mod \varphi(n)$
 - Public key = (e,n); private key = (d,n)
- Encryption of m: c = m^e mod n
 - Modular exponentiation by repeated squaring
- Decryption of c: c^d mod n = (m^e)^d mod n = m

Sample RSA Decryption

- 26 2 15 13 7 14 13 13 1 28 14 15 13
 14 20 9 6 31 25 26 14 16 23 15 26 2 6 13 1
- p=3, q=11, n=33, e=7, d=3

A-1 B-2 C-3 D-4 E-5 F-6 G-7 H-8 I-9 J-10 K-11
 L-12 M-13 N-14 O-15 P-16 Q-17 R-18 S-19 T-20
 U-21 V-22 W-23 X-24 Y-25 Z-26

Sample RSA Decryption

- How to compute d?
 - Recall: $ed = 1 \mod \varphi(n)$ (where $\varphi(n) = (p-1)(q-1)$)
 - So d is inverse of e mod $\varphi(n)$.
 - How to compute modular inverse?
 - Use extended Euclidean algorithm
 - ... or Wolfram Alpha 😊
 - Note that this is hard if you don't know φ(n) (i.e., can't factor n).

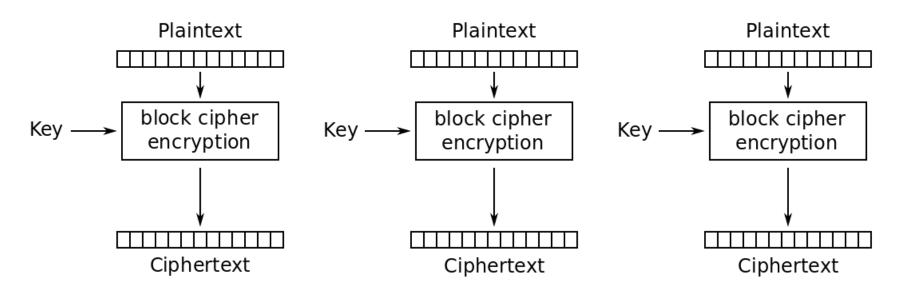
Public Key Crypto Summary

- Diffie-Hellman: Why is it secure?
 - Discrete log; computational DH problem; decisional DH problem are hard.
- RSA: Why is it secure?
 - Taking eth root is hard; Factoring is hard.

Cryptography Summary

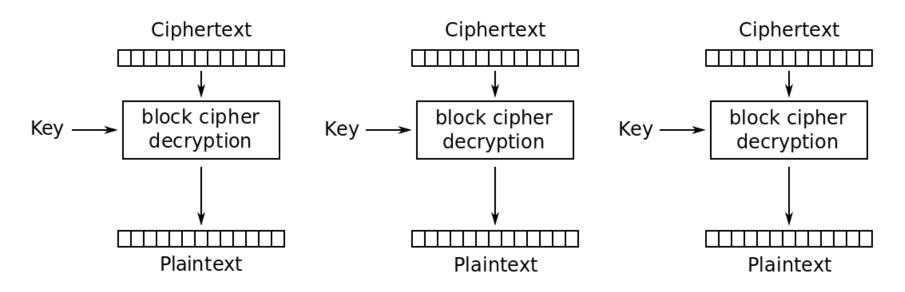
- Goal: Privacy
 - One-time pad
 - Block ciphers w/ symmetric keys (e.g., DES, AES)
 - Modes: EBC, CBC, CTR
 - Public key crypto (e.g., Diffie-Hellman, RSA)
- Goal: Integrity
 - MACs, often using hash functions (e.g, MD5, SHA-256)
- Goal: Privacy and Integrity
 - Encrypt-then-MAC (why?)
- Goal: Authenticity (and Integrity)
 - Digital signatures (e.g., RSA, DSS)

Block Cipher Mode: ECB



Electronic Codebook (ECB) mode encryption

Block Cipher Mode: ECB

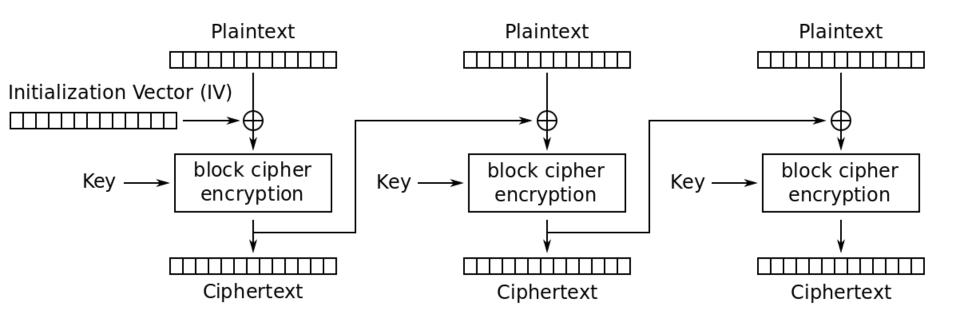


Electronic Codebook (ECB) mode decryption

ECB Pros and cons

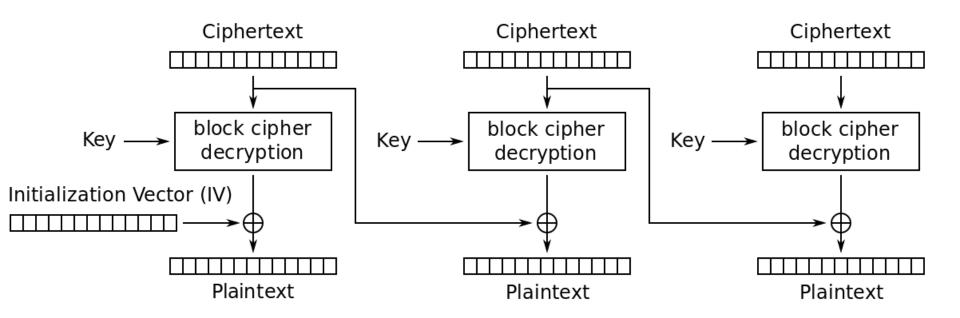
- Encryption and decryption parallelizable
- Does not hide data patterns well, not recommended

Block Cipher Mode: CBC



Cipher Block Chaining (CBC) mode encryption

Block Cipher Mode: CBC

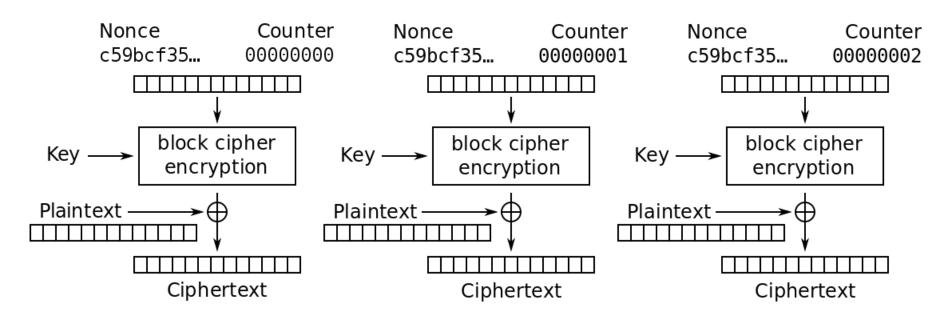


Cipher Block Chaining (CBC) mode decryption

CBC Pros and cons

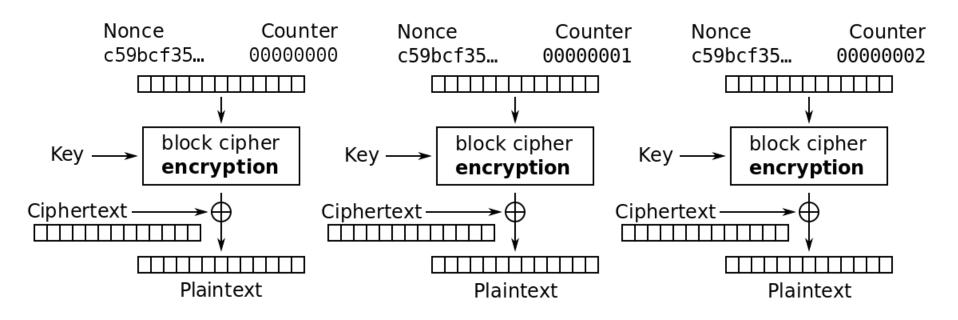
- Encryption not parallelizable
- Decryption is parallelizable

Block Cipher Mode: CTR



Counter (CTR) mode encryption

Block Cipher Mode: CTR

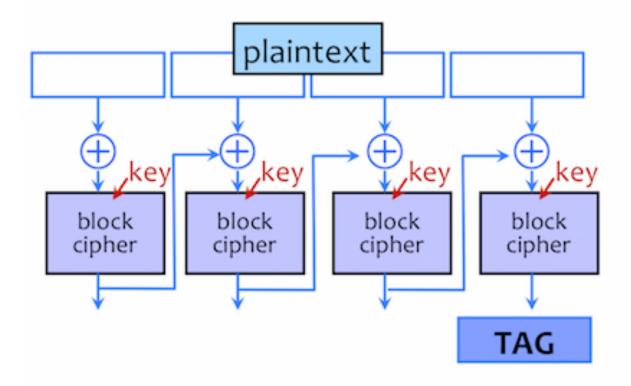


Counter (CTR) mode decryption

Pros and cons

- Encryption and decryption parallelizable
- CBC and CTR usage recommended by Yoshi, Niels and Bruce Schneier! (Cryptography Engineering, 2010)

CBC-MAC question



Given a message M with tag T (aka CBC-MAC(M)=T), can you construct a message M' (not necessarily the same length as M) for which the tag is *also* T, aka CBC-MAC(M')=T?

Password Salting

- Servers shouldn't store passwords, but password hashes. (Why?)
- Threat: rainbow tables (pre-computed password hashes)
- Solution: salt
 - Each password is hashed/stored with a random value. Now a pre-computed table is useless.
 - Other benefits?

Real world example, by xkcd

HACKERS RECENTLY LEAKED 153 MILLION ADOBE USER EMAILS, ENCRYPTED PASSWORDS, AND PASSWORD HINTS.

ADOBE ENCRYPTED THE PASSWORDS IMPROPERLY, MISUSING BLOCK-MODE 3DES. THE RESULT IS SOMETHING WONDERFUL:

USER PASSWORD	HINT	
4e18acc1ab27a2d6 4e18acc1ab27a2d6	WEATHER VANE SWORD	
4e18acclab27a2d6 a0a2876eblea1fca	NAME1	
8babb6299e06eb6d 8babb6299e06eb6d a0a2876eb]ea]fca	DUH	
8babb6299e066b6d 85e9da8la8a78adc	57	
4e18acc1ab27a2d6	FAVORITE OF 12 APOSTLES	
1ab29ae86da6e5ca 7a2d6a0a2876eb1e	WITH YOUR OWN HAND YOU HAVE DONE ALL THIS	
a1F9b2b6299e7a2b eadec1e6ab797397		
a1f96266299e7626 617a60277727ad85		
3973867adb0b8af7 617ab0277727ad85 1ab29ae86da6e5ca	50GARLAND NAME+JERSEY#	
877ab7889d3862b1	ALPHA	
877a67889d386261	10111	
877ab7889d3862b1		
877ab7889d3862b1	OBVIOUS	
877a678896386261	MICHAEL JACKSON	
38a7c9279cadeb44 9dcald79d4dec6d5		
38a7c9279cadeb44 9dcald79d4dec6d5	HE DID THE MASH, HE DID THE	
38a7c9279cadeb44	PURLOINED	
080e57U507b70f70 9dc01d79d4der6J5	FOV LIMITES & POKEMION	

THE GREATEST CROSSWORD PUZZLE
IN THE HISTORY OF THE WORLD

Additional Resources

- Stanford online crypto class: https://class.coursera.org/crypto-preview/class
- Books:
 - "The Codebreakers" by David Kahn
 - "The Code Book" by Simon Singh