

# Introduction to Artificial Intelligence

## Planning

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### Chapter 11

*Dieter Fox*

# Outline

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- ◇ Search vs. planning
- ◇ STRIPS operators
- ◇ Partial-order planning



# Search vs. planning contd.

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Planning systems do the following:

- 1) open up action and goal representation to allow selection
- 2) divide-and-conquer by subgoaling
- 3) relax requirement for sequential construction of solutions

	Search	Planning
States	Lisp data structures	Logical sentences
Actions	Lisp code	Preconditions/outcomes
Goal	Lisp code	Logical sentence (conjunction)
Plan	Sequence from $S_0$	Constraints on actions

# Planning in situation calculus

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$PlanResult(p, s)$  is the situation resulting from executing  $p$  in  $s$

$$PlanResult([], s) = s$$

$$PlanResult([a|p], s) = PlanResult(p, Result(a, s))$$

**Initial state**  $At(Home, S_0) \wedge \neg Have(Milk, S_0) \wedge \dots$

**Actions as Successor State axioms**

$$Have(Milk, Result(a, s)) \Leftrightarrow$$

$$[(a = Buy(Milk) \wedge At(Supermarket, s)) \vee (Have(Milk, s) \wedge a \neq \dots)]$$

**Query**

$$s = PlanResult(p, S_0) \wedge At(Home, s) \wedge Have(Milk, s) \wedge \dots$$

**Solution**

$$p = [Go(Supermarket), Buy(Milk), Buy(Bananas), Go(HWS), \dots]$$

**Principal difficulty:** unconstrained branching, hard to apply heuristics

# STRIPS operators

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Tidily arranged actions descriptions, restricted language

**ACTION:**  $Buy(x)$

**PRECONDITION:**  $At(p), Sells(p, x)$

**EFFECT:**  $Have(x)$

[Note: this abstracts away many important details!]

Restricted language  $\Rightarrow$  efficient algorithm

Precondition: conjunction of positive literals

Effect: conjunction of literals

$At(p) \ Sells(p,x)$

**Buy(x)**

$Have(x)$

# State space vs. plan space

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Standard search: node = concrete world state

Planning search: node = **partial plan**

Defn: **open condition** is a precondition of a step not yet fulfilled

Operators on partial plans:

- add a link** from an existing action to an open condition

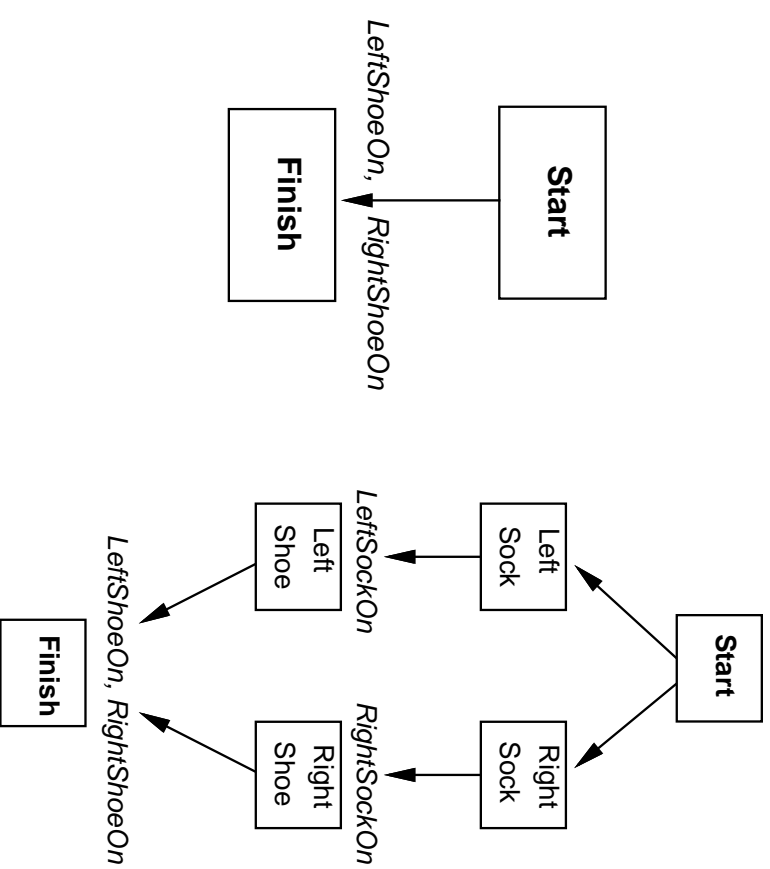
- add a step** to fulfill an open condition

- order** one step wrt another

Gradually move from incomplete/vague plans to complete, correct plans

# Partially ordered plans

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A plan is **complete** iff every precondition is achieved

A precondition is **achieved** iff it is the effect of an earlier step and no **possibly intervening** step undoes it



# POP algorithm sketch

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```
function POP(initial, goal, operators) returns plan
  plan  $\leftarrow$  MAKE-MINIMAL-PLAN(initial, goal)
  loop do
    if SOLUTION?(plan) then return plan
    Sneed, c  $\leftarrow$  SELECT-SUBGOAL(plan)
    CHOOSE-OPERATOR(plan, operators, Sneed, c)
    RESOLVE-THREATS(plan)
  end

function SELECT-SUBGOAL(plan) returns Sneed, c
  pick a plan step Sneed from STEPS(plan)
  with a precondition c that has not been achieved
  return Sneed, c
```

# POP algorithm contd.

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```
procedure CHOOSE-OPERATOR(plan, operators, Sneed, c)
  choose a step Sadd from operators or STEPS(plan) that has c as an effect
  if there is no such step then fail
  add the causal link  $S_{add} \xrightarrow{c} S_{need}$  to LINKS(plan)
  add the ordering constraint  $S_{add} \prec S_{need}$  to ORDERINGS(plan)
  if Sadd is a newly added step from operators then
    add Sadd to STEPS(plan)
    add Start  $\prec S_{add} \prec Finish$  to ORDERINGS(plan)

procedure RESOLVE-THREATS(plan)
  for each Sthreat that threatens a link  $S_i \xrightarrow{c} S_j$  in LINKS(plan) do
    choose either
      Demotion: Add Sthreat  $\prec S_i$  to ORDERINGS(plan)
      Promotion: Add  $S_j \prec S_{threat}$  to ORDERINGS(plan)
    if not CONSISTENT(plan) then fail
  end
```

# POP algorithm contd.

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POP is sound, complete, and **systematic** (no repetition)

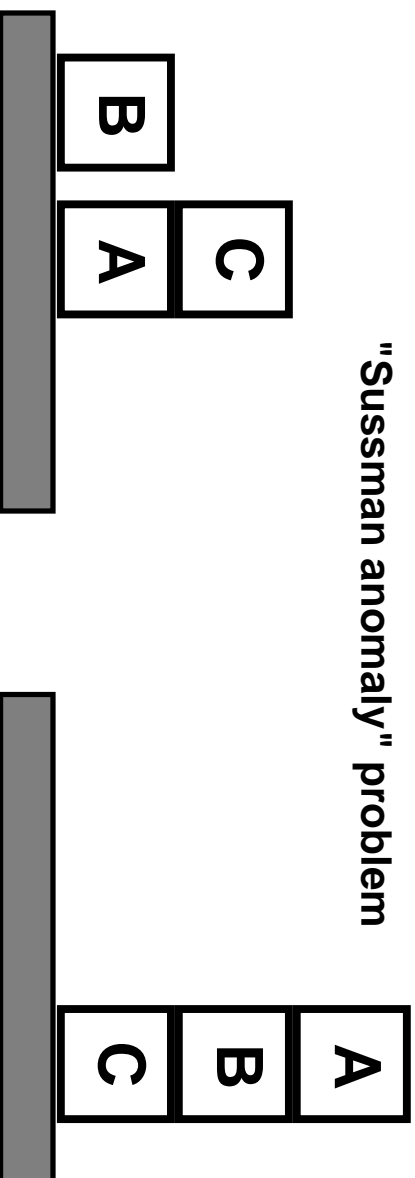
Extensions for disjunction, universals, negation, conditionals



# Example: Blocks world

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"Sussman anomaly" problem



Start State

Goal State

$Clear(x) \ Onn(x,z) \ Clear(y)$

$Clear(x) \ Onn(x,z)$

PutOn(x,y)

PutOnTable(x)

$\sim Onn(x,z) \ \sim Clear(y)$   
 $Clear(z) \ Onn(x,y)$

$\sim Onn(x,z) \ Clear(z) \ Onn(x, Table)$

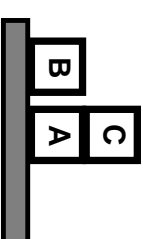
+ several inequality constraints

# Example contd.

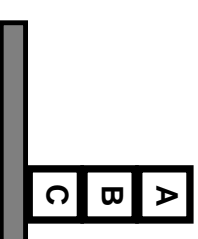
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$On(C,A)$   $On(A, Table)$   $Cl(B)$   $On(B, Table)$   $Cl(C)$

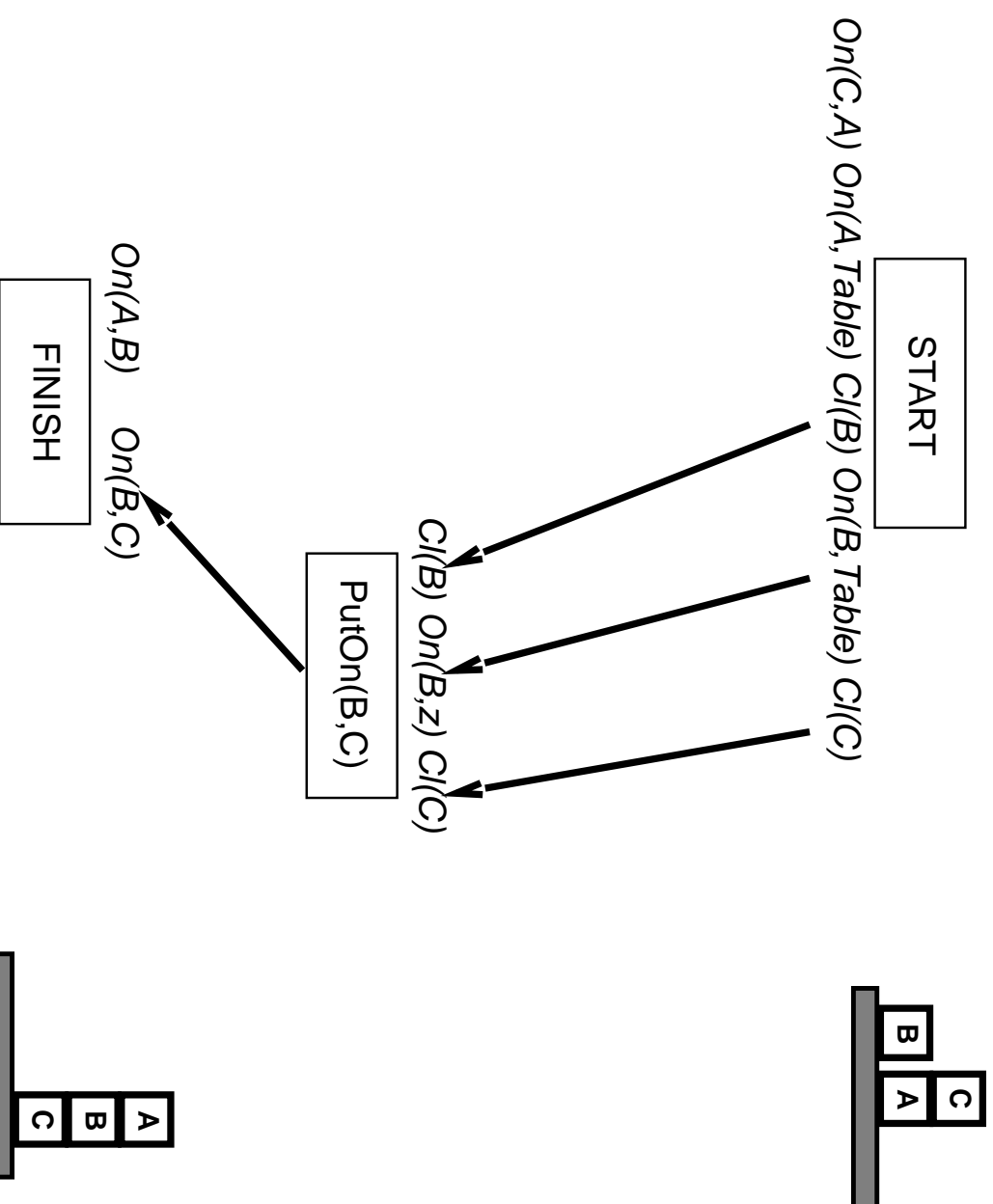


$On(A,B)$   $On(B,C)$

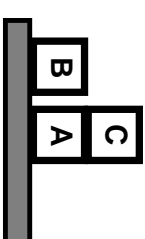
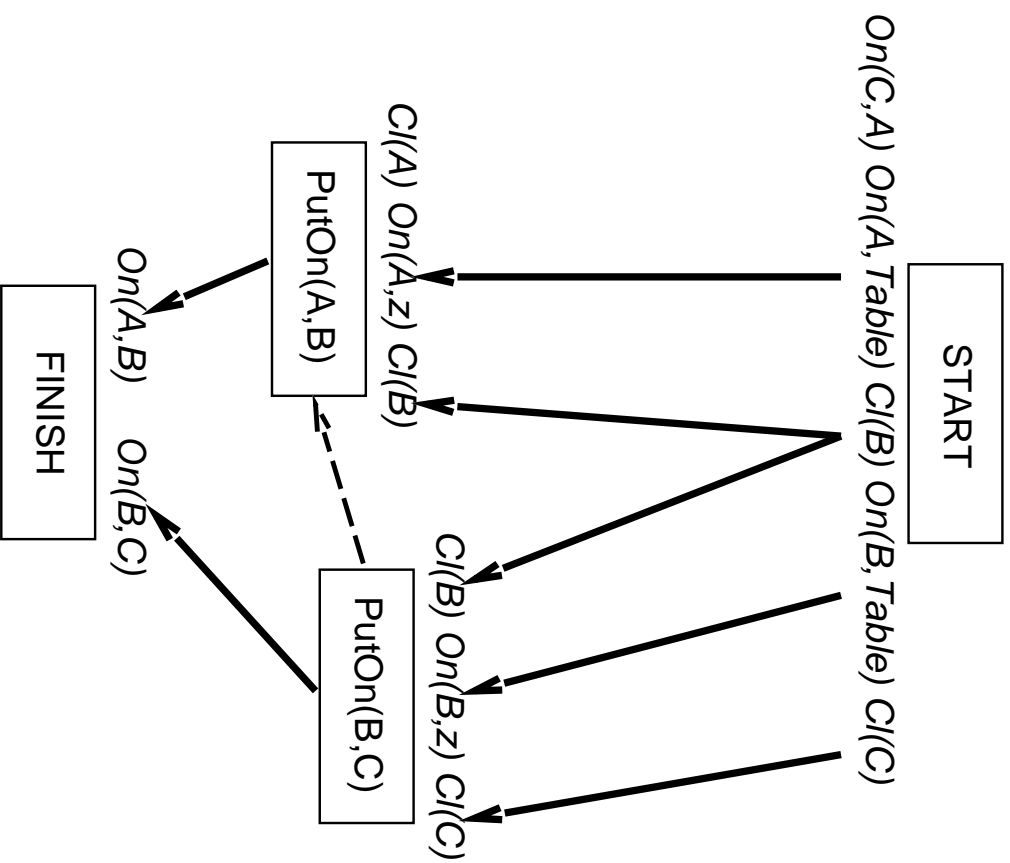


# Example contd.

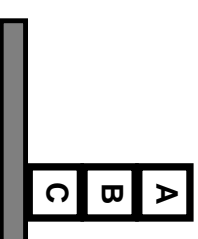
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# Example contd.

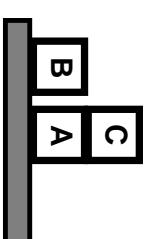
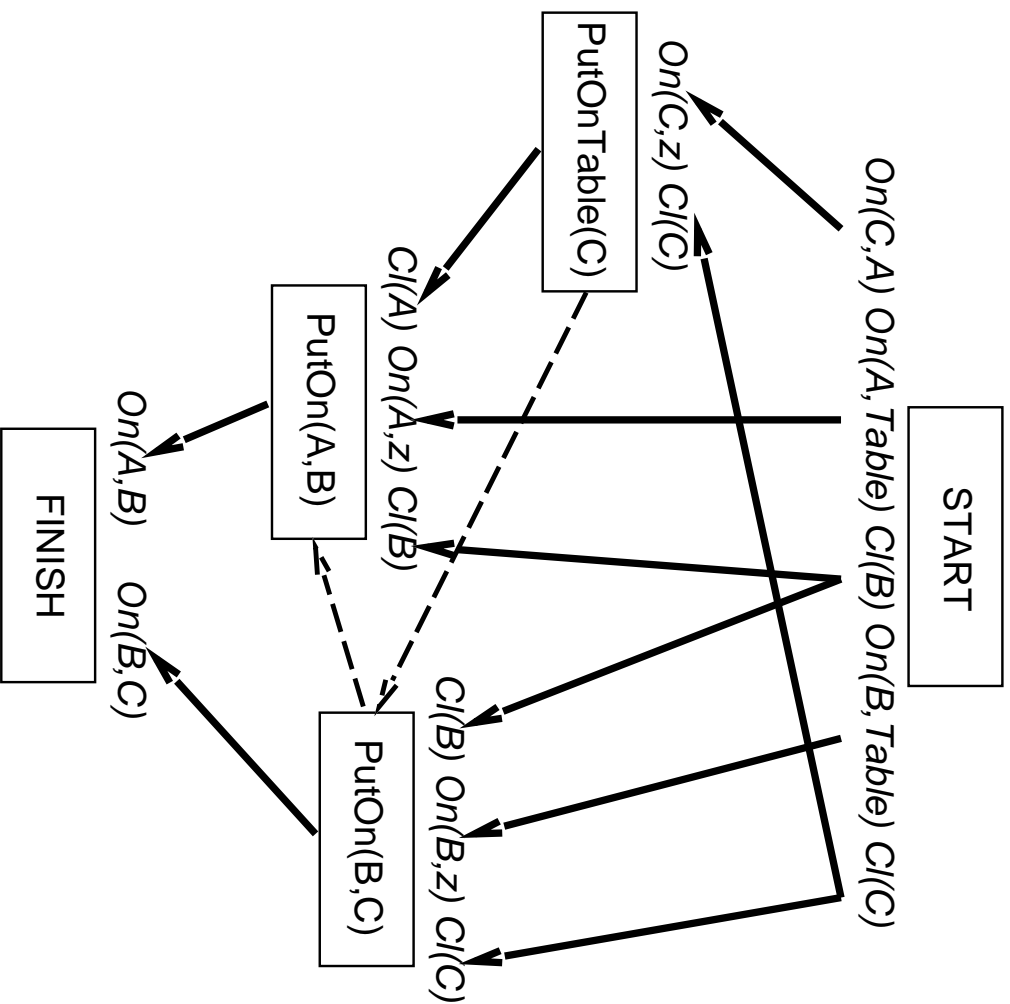


**PutOn(A,B)**  
**clobbers Cl(B)**  
**=> order after**  
**PutOn(B,C)**





# Example contd.



**PutOn(A,B)**  
 clobbers Cl(B)  
 => order after  
 PutOn(B,C)

**PutOn(B,C)**  
 clobbers Cl(C)  
 => order after  
 PutOnTable(C)

