# **Hierarchical Modeling**

### Steven Tanimoto

Adapted from materials by Brian Curless and Daniel Leventhal

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# Reading

## Required:

 Angel, sections 8.1 – 8.6, 8.8 (Modeling and Hierarchy: Symbols and Instances through Animation, plus Scene Graphs.

### Optional:

- Angel, sections 8.7, 8.9 8.11
- OpenGL Programming Guide, chapter 3

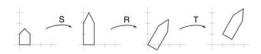
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# Symbols and instances

Most graphics APIs support a few geometric **primitives**:

- spheres
- cubes
- cylinders

These symbols are **instanced** using an **instance transformation**.



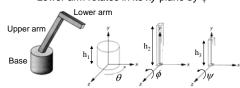
**Q:** What is the matrix for the instance transformation above?

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# 3D Example: A robot arm

Consider this robot arm with 3 degrees of freedom:

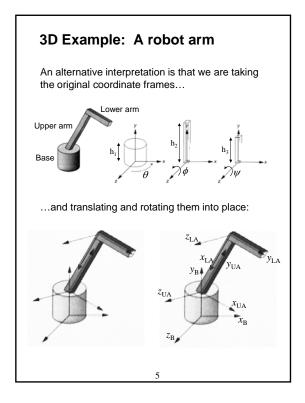
- $\bullet$  Base rotates about its vertical axis by  $\theta$
- Upper arm rotates in its xy-plane by φ
- Lower arm rotates in its xy-plane by ψ



(Note that the angles are set to zero in the figure; i.e., the parts are shown in their "default" positions.)

- Q: What matrix do we use to transform the base?
- Q: What matrix for the upper arm?
- Q: What matrix for the lower arm?

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# **Robot arm implementation** The robot arm can be displayed by keeping a global matrix and computing it at each step: Matrix M\_model; main() { robot\_arm(); } robot\_arm() M\_model = R\_y(theta); base(); $M_{model} = R_y(theta)*T(0,h1,0)*R_z(phi);$ upper\_arm(); $M_{model} = R_y(theta)*T(0,h1,0)*R_z(phi)$ \*T(0,h2,0)\*R\_z(psi); lower arm(); } Do the matrix computations seem wasteful?

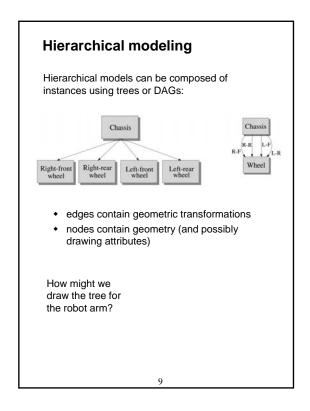
# Robot arm implementation, better

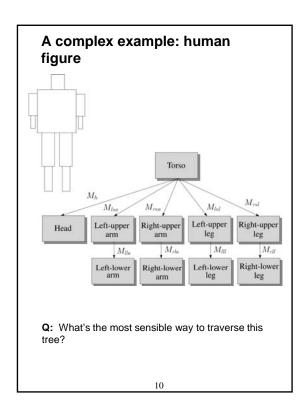
Instead of recalculating the global matrix each time, we can just update it *in place* by concatenating matrices on the right:

# Robot arm implementation, OpenGL

OpenGL maintains a global state matrix called the **model-view matrix**, which is updated by concatenating matrices on the *right*.

```
main()
{
   glMatrixMode( GL MODELVIEW );
   glLoadIdentity();
   robot_arm();
}
robot_arm()
    glRotatef( theta, 0.0, 1.0, 0.0 );
   base();
   glTranslatef( 0.0, h1, 0.0 );
   glRotatef( phi, 0.0, 0.0, 1.0 );
    lower arm();
    glTranslatef( 0.0, h2, 0.0 );
   glRotatef( psi, 0.0, 0.0, 1.0 );
   upper arm();
}
```





# Human figure implementation, **OpenGL** figure() { torso(); glPushMatrix(); glTranslate( ... ); glRotate( ... ); head(); glPopMatrix(); glPushMatrix(); glTranslate( ... ); glRotate( ... ); left\_upper\_arm(); glPushMatrix(); glTranslate( ... ); glRotate( ... ); left\_lower\_arm(); glPopMatrix(); glPopMatrix();

# Animation The above examples are called articulated models: • rigid parts • connected by joints They can be animated by specifying the joint angles (or other display parameters) as functions of time.

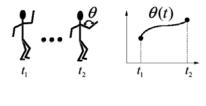
# **Key-frame animation**

The most common method for character animation in production is **key-frame animation**.

- Each joint specified at various **key frames** (not necessarily the same as other joints)
- System does interpolation or in-betweening

Doing this well requires:

- A way of smoothly interpolating key frames: splines
- A good interactive system
- · A lot of skill on the part of the animator

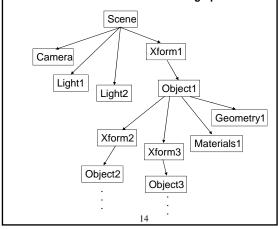


# Scene graphs

The idea of hierarchical modeling can be extended to an entire scene, encompassing:

- · many different objects
- lights
- camera position

This is called a scene tree or scene graph.



# Summary

Here's what you should take home from this lecture:

- All the boldfaced terms.
- How primitives can be instanced and composed to create hierarchical models using geometric transforms.
- How the notion of a model tree or DAG can be extended to entire scenes.
- How OpenGL transformations can be used in hierarchical modeling.
- How keyframe animation works.

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