

Lecture 9

Saliency and Retargeting

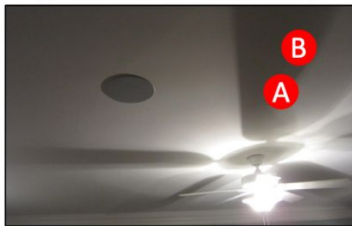
New publication from my group

Relative depth



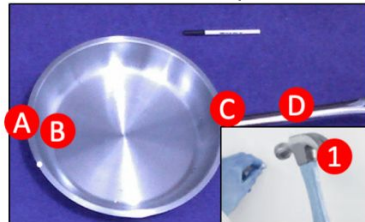
Which point is closer?

Relative reflectance



Which point is darker?

Functional correspondence



Which points have similar affordance when pulling out a nail?

Jigsaw



Which image fits here?

Multi-view reasoning



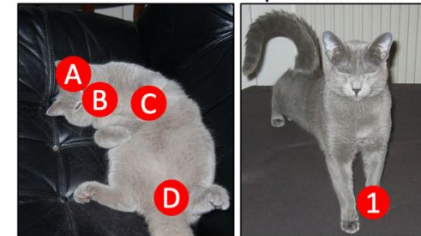
Is camera moving right?

Visual correspondence



Which point is the same?

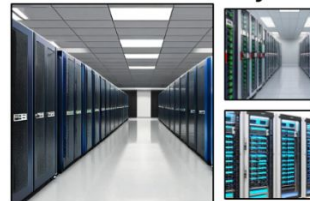
Semantic correspondence



Which points have similar semantics?

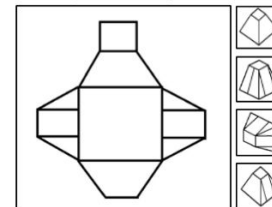
BLINK
Visual tasks beyond language descriptions

Visual similarity



Which image is more similar to the left?

IQ Test



Which object does it fold into?

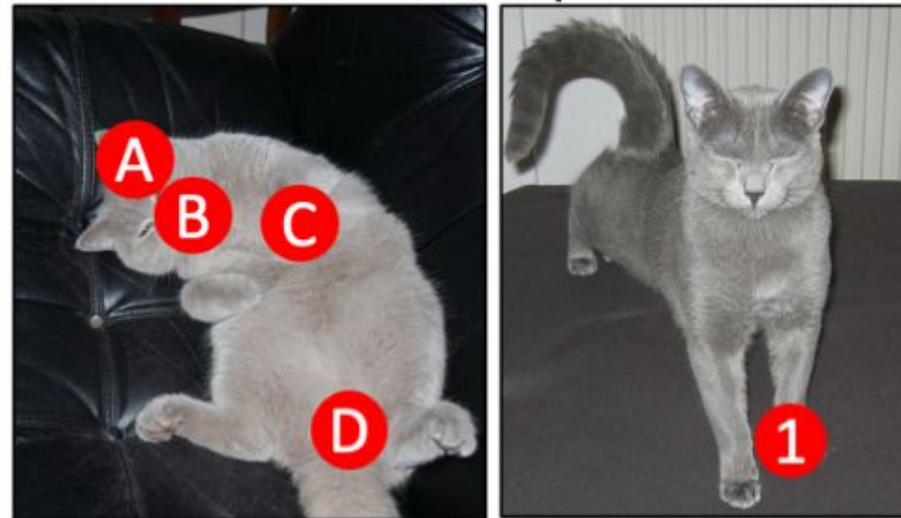
Forensics detection



Which image is real?

New publication from my group

Semantic correspondence



Which points have similar semantics?

New publication from my group

Task	Vis.Corr.	Depth	Multi-view	Sem.Corr.	Forensic	Reflect.
Random Human	25.00	50.00	50.00	25.00	25.00	33.33
Gemini Pro						
GPT-4V						
Specialist						

New publication from my group

Task	Vis.Corr.	Depth	Multi-view	Sem.Corr.	Forensic	Reflect.
Random	25.00	50.00	50.00	25.00	25.00	33.33
Human	99.56	99.59	92.10	94.60	100.00	99.63
Gemini Pro						
GPT-4V						
Specialist						

New publication from my group

Task	Vis.Corr.	Depth	Multi-view	Sem.Corr.	Forensic	Reflect.
Random	25.00	50.00	50.00	25.00	25.00	33.33
Human	99.56	99.59	92.10	94.60	100.00	99.63
Gemini Pro GPT-4V						
Specialist	DIFT [69] 96.51	DepthAnything [80] 97.58	LoFTR [67] 90.22	DIFT [69] 71.22	DIRE [78] 68.94	Ordinal Shading [13] 77.61

These are models that utilize ideas we are learning in this class

New publication from my group

Task	Vis.Corr.	Depth	Multi-view	Sem.Corr.	Forensic	Reflect.
Random	25.00	50.00	50.00	25.00	25.00	33.33
Human	99.56	99.59	92.10	94.60	100.00	99.63
Gemini Pro	42.44	40.32	44.36	26.62	50.76	45.52
GPT-4V	33.72	59.68	55.64	28.78	34.09	38.81
Specialist	DIFT [69] 96.51	DepthAnything [80] 97.58	LoFTR [67] 90.22	DIFT [69] 71.22	DIRE [78] 68.94	Ordinal Shading [13] 77.61

Administrative

A2 is out

- Due April 28th
- Date moved back

A3 is out

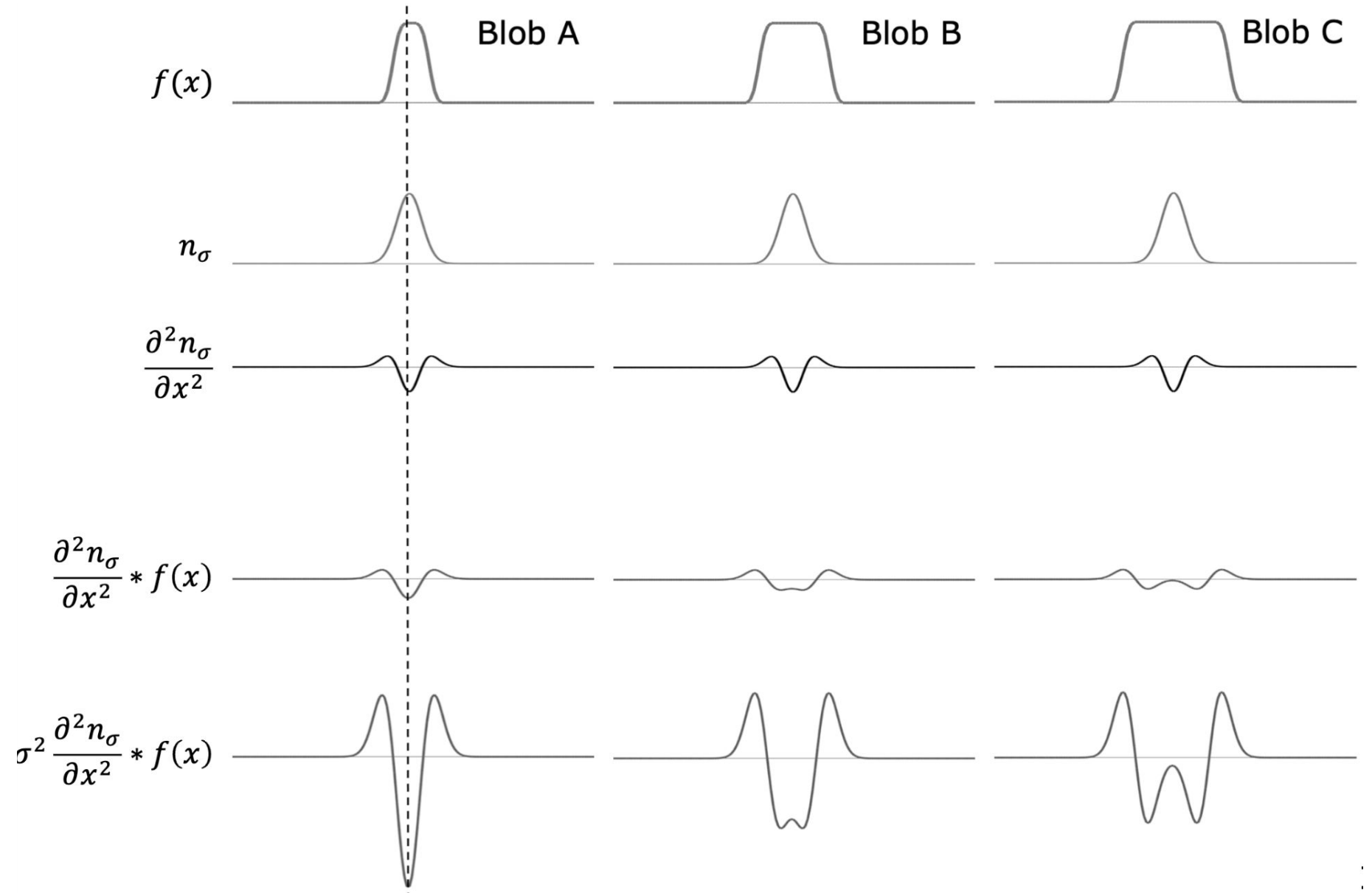
- Due May 9th

Administrative

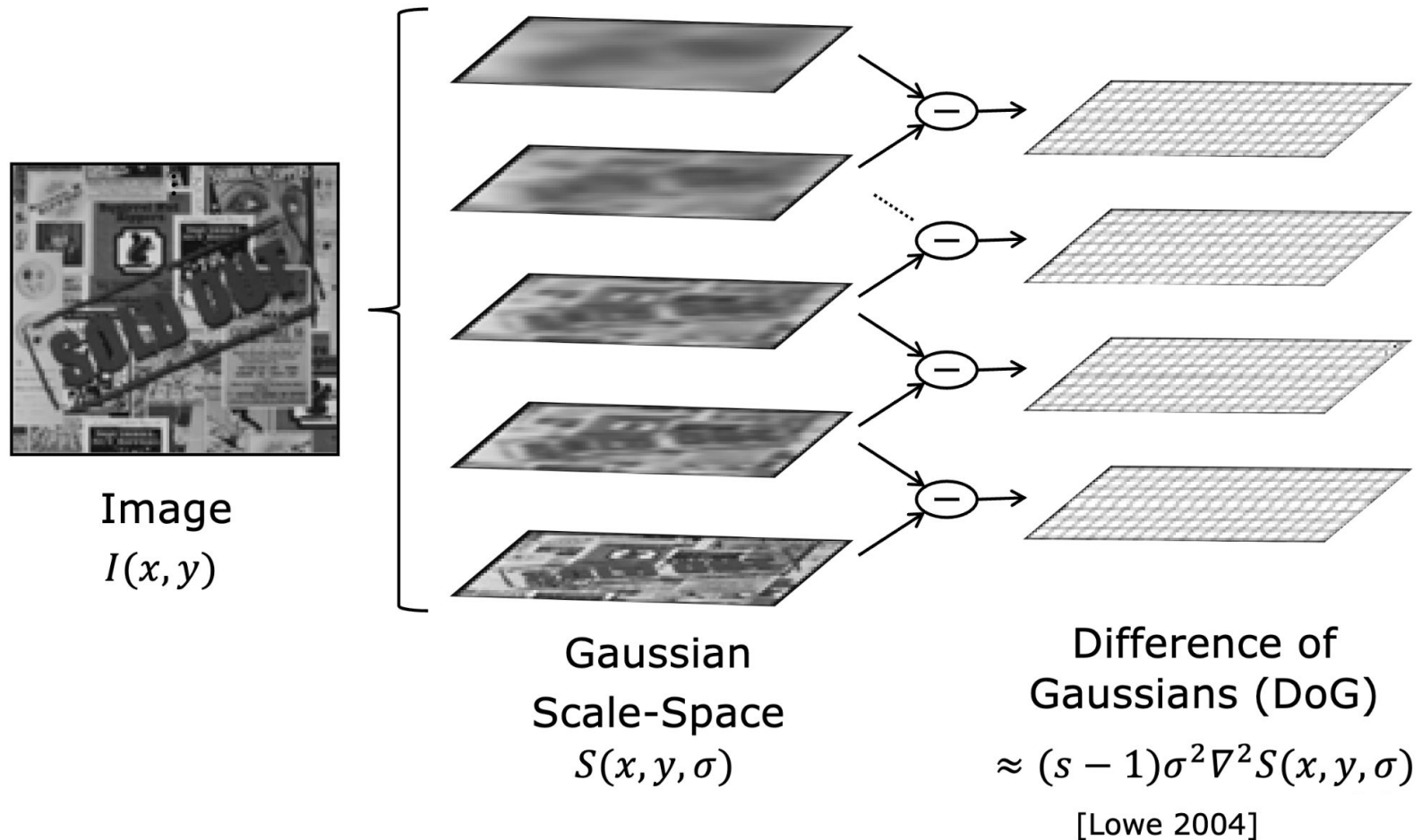
Recitation

- Xiaojuan Wang
- Panorama (part of your A2)
- detector, descriptor, RANSAC recap

So far:
 1D
 example
 of how
 blobs are
 detected
 with LoG

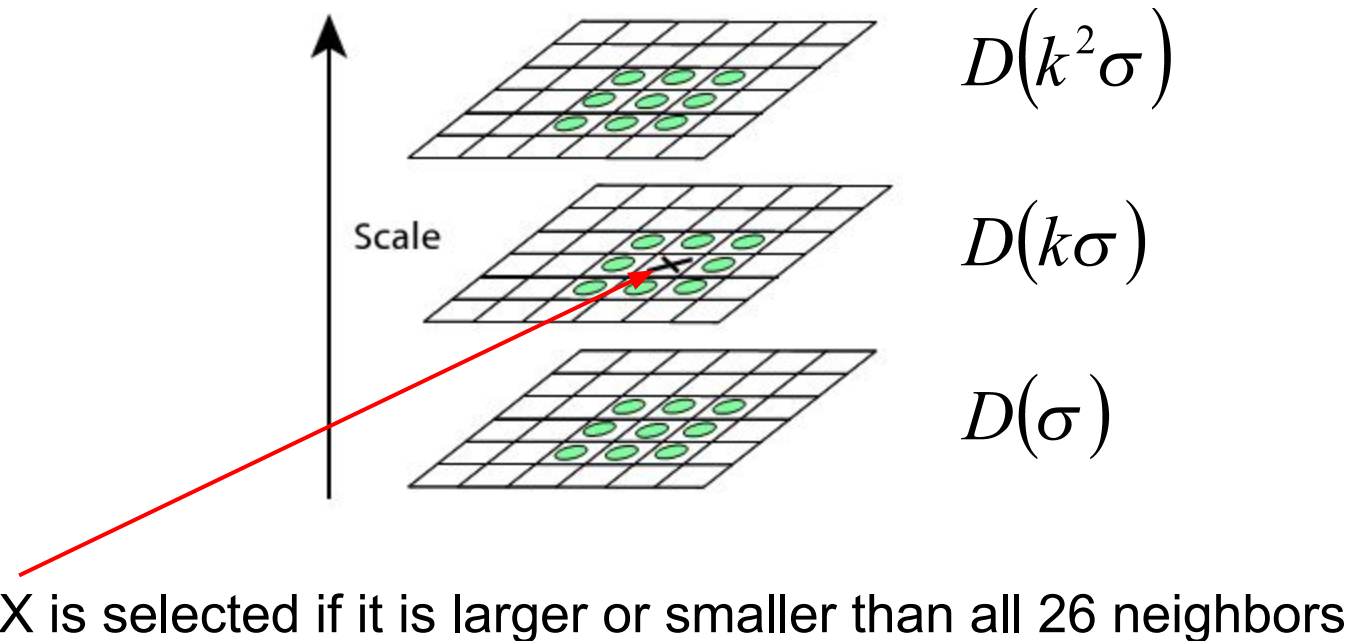


So far: SIFT detector algorithm



So far: Extracting SIFT keypoints and scales

- Choose the maxima within 3x3x3 neighborhood.



X is selected if it is larger or smaller than all 26 neighbors

Finishing up last lecture -> slide 64

Today's agenda

- Image retargeting
- Seam carving
- Dynamic programming
- Applications
- Forward algorithm

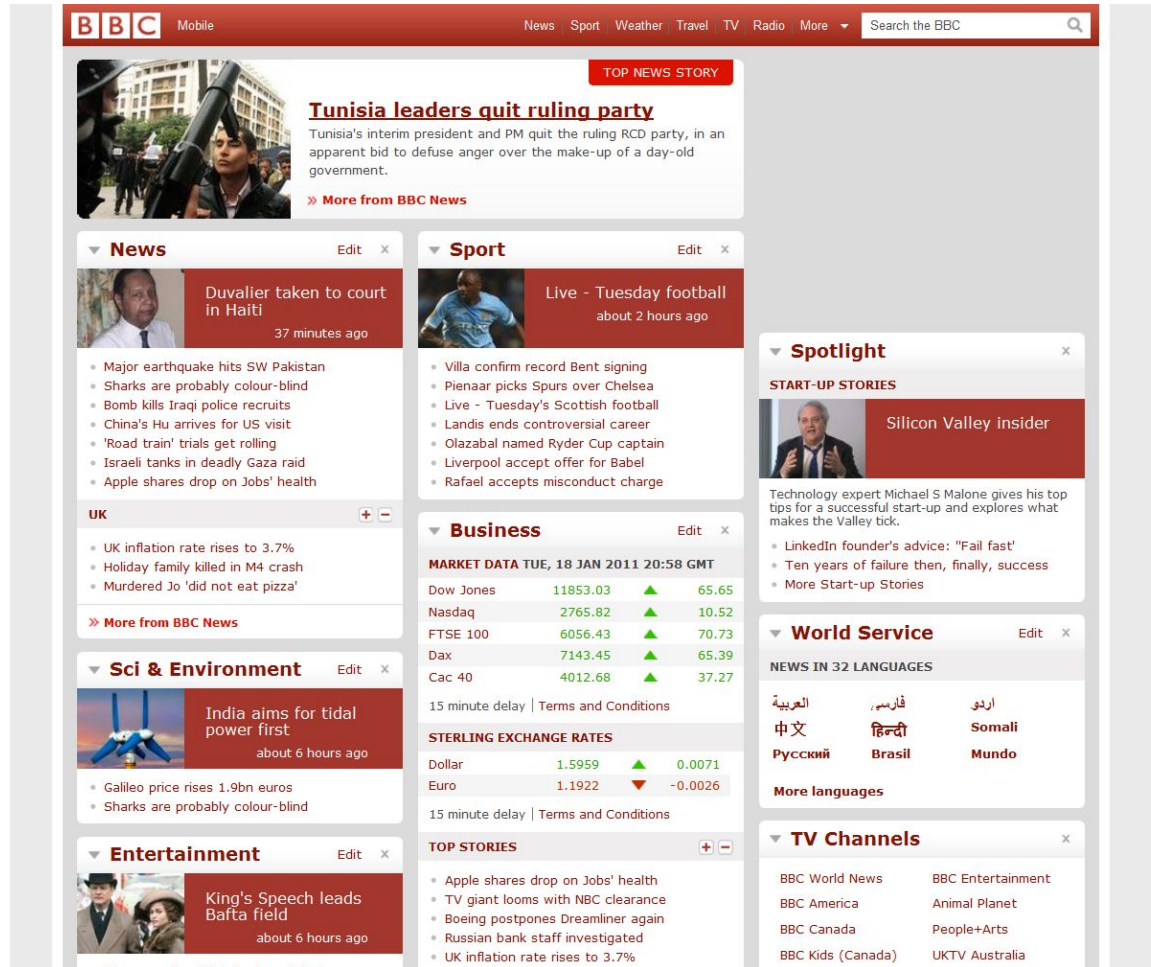
Today's agenda

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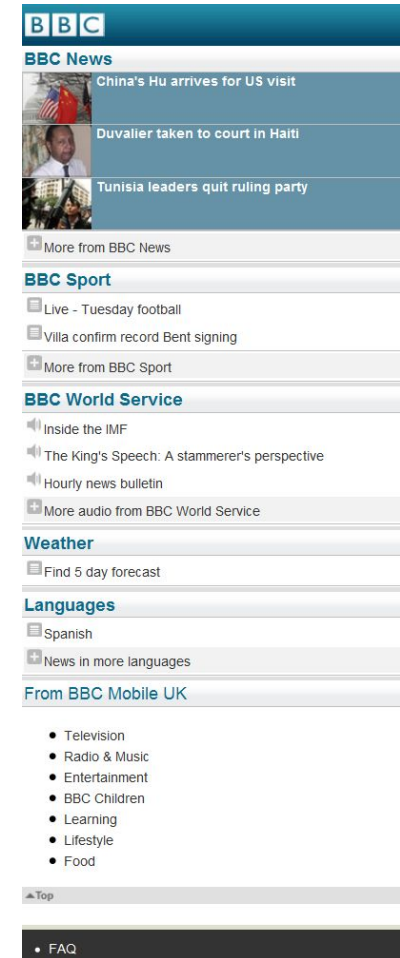
Display Devices



Content Retargeting

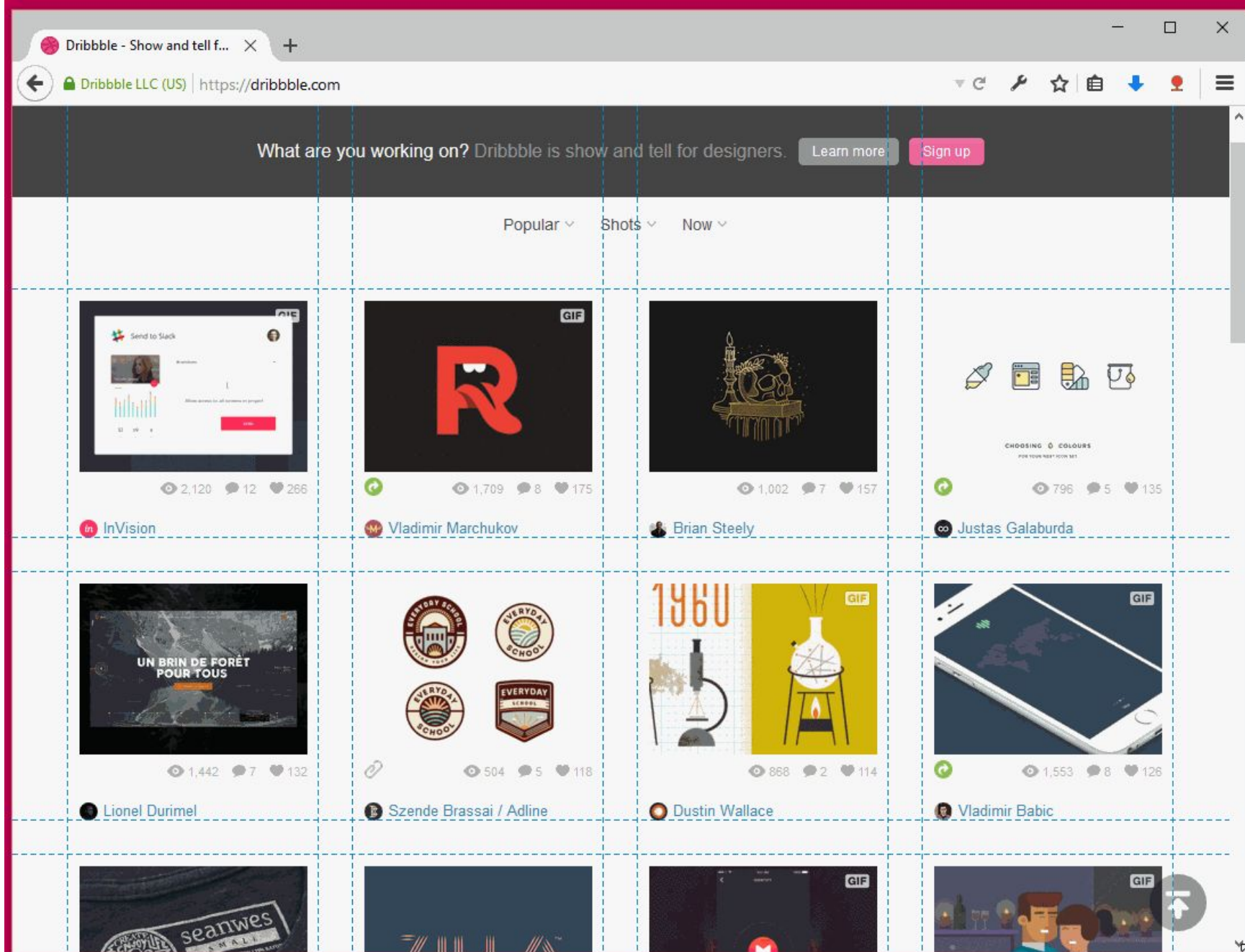


PC



iPhone

Page Layout



Simple Media Retargeting Operators



Letterboxing



Content-aware Retargeting Operators

Content-
aware



“Important”
content



Content-
oblivious



Content-aware Retargeting

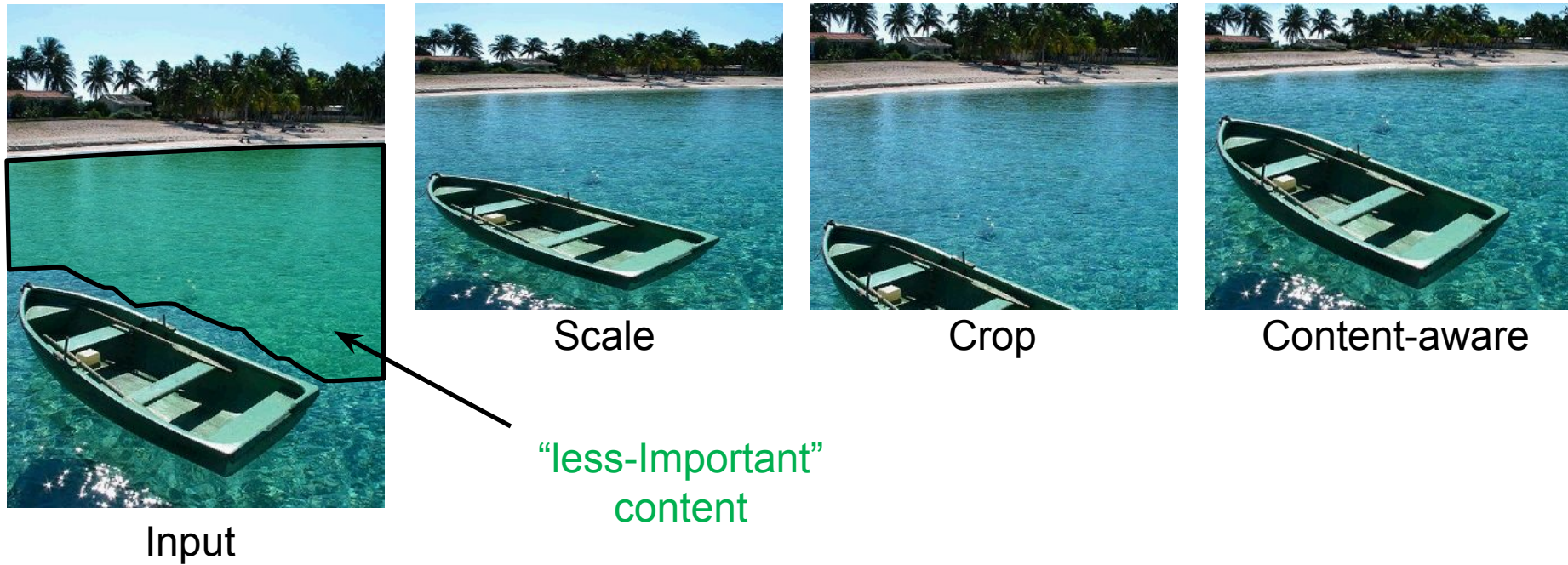


Image Retargeting

Problem statement

- Input image I of size $n \times m$
- Output image I' of size $n' \times m'$

Output image should be geometrically and semantically consistent with input image

- Till date, there is no formal definition of what constitutes as a “consistent” view.

How can we define consistency?

In large, we would expect retargeting to:

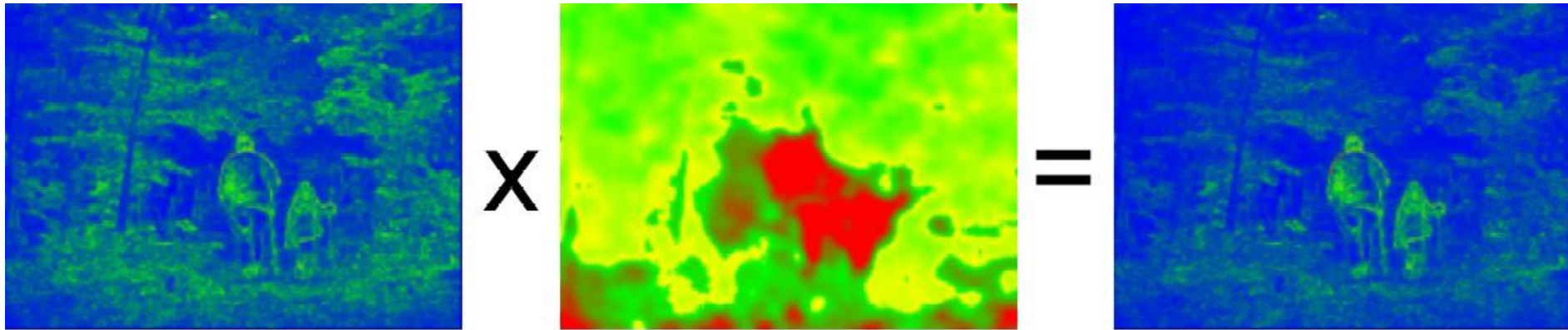
1. Adhere to the geometric constraints (display/aspect ratio)
2. Preserve the important **content** and **structures**
3. Limit **artifacts**

Very Ill-posed!

- How do we define what is important?
 - Is there a universal important vs unimportant?
- Would different people find different image regions more or less important?
- What about artistic impression in the original content?

Importance (Saliency) Measures

- A function $\mathcal{S} : n \times m \rightarrow [0, 1]$
- Ideas from human perception



First stage: coarse scan over entire image

Second stage: more focused attention on specific region

Wang et al. A Two-stage approach to saliency detection in images 2008

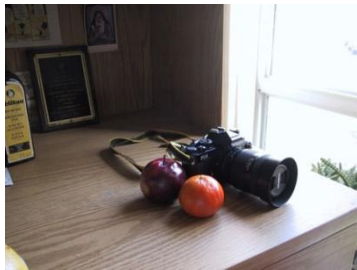
Importance (Saliency) Measures

- A function $\mathcal{S} : n \times m \rightarrow [0, 1]$
- More sophisticated: attention models, eye tracking (gazing studies), face detectors, ...



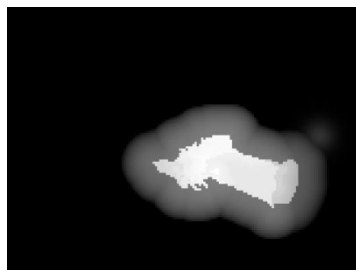
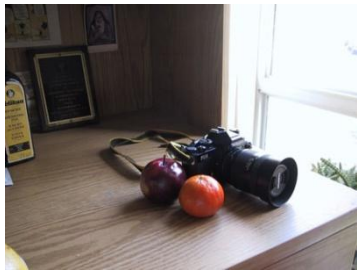
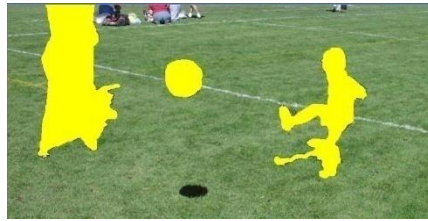
Judd et al. *Learning to predict where people look* ICCV 2009

General Retargeting Framework



General Retargeting Framework

Step 1. Define an energy function $E(I)$ (interest, importance, saliency)

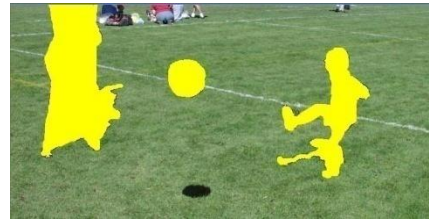


General Retargeting Framework

Step 1. Define an energy function $E(I)$ (interest, importance, saliency)



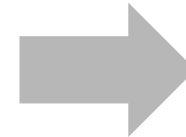
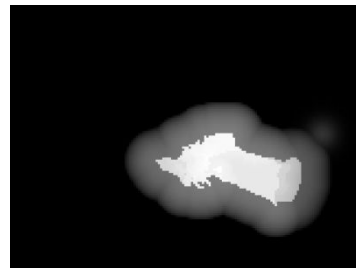
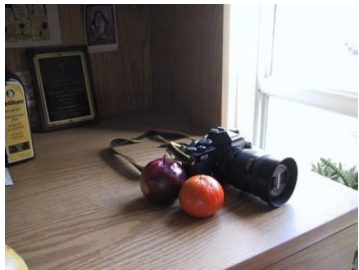
Step 2. Use some operator(s) to change the image I



Recompose



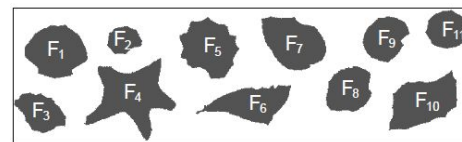
Setlur et al.
[2005]



Crop



Santella et al.
[2005]



Warp



Gal et al.
[2006]

Potential Retargeting Approaches

- Optimal Cropping Window



Potential Retargeting Approaches

- For videos: “Pan and scan”
- Still done manually in the movie industry



Liu and Gleicher, Video Retargeting: Automating Pan and Scan (2006)

Cropping



Today's agenda

- Image retargeting
- **Seam carving**
- Dynamic programming
- Applications
- Forward algorithm

Seam Carving

- Assume input I is size $m \times n$
- Output I is $m \times n'$,
 - where $n' < n$
- Basic Idea: remove unimportant pixels from the image
 - Unimportant = pixels with less “energy”

$$E(I) = \left| \frac{\partial I}{\partial x} \right| + \left| \frac{\partial I}{\partial y} \right|$$

$$E(I) = \sqrt{\left(\frac{\partial I}{\partial x}\right)^2 + \left(\frac{\partial I}{\partial y}\right)^2}$$

- Intuition for gradient-based energy:
 - Preserve edges
 - Human vision more sensitive to edges – so try remove content from smoother areas
 - Simple enough for producing some nice results

Let's do a though experiment

We calculate the energy for this image.

Q1. Can we just remove the K pixels with the lowest energy?



Let's do a though experiment



We calculate the energy for this image.

Q1. Can we just remove the K **pixels** with the lowest energy?

Q2. Can we remove the K **rows** with the lowest energies?

Let's do a though experiment



We calculate the energy for this image.

Q1. Can we just remove the K **pixels** with the lowest energy?

Q2. Can we remove the K **rows** with the lowest energies?

Q3. Can we remove the K **columns** with the lowest energies?

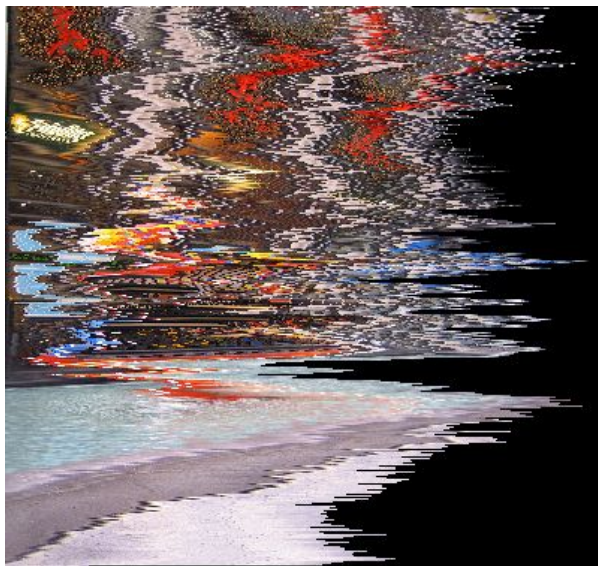
Pixel Removal



Least-energy pixels
(per row)



Least-energy
columns

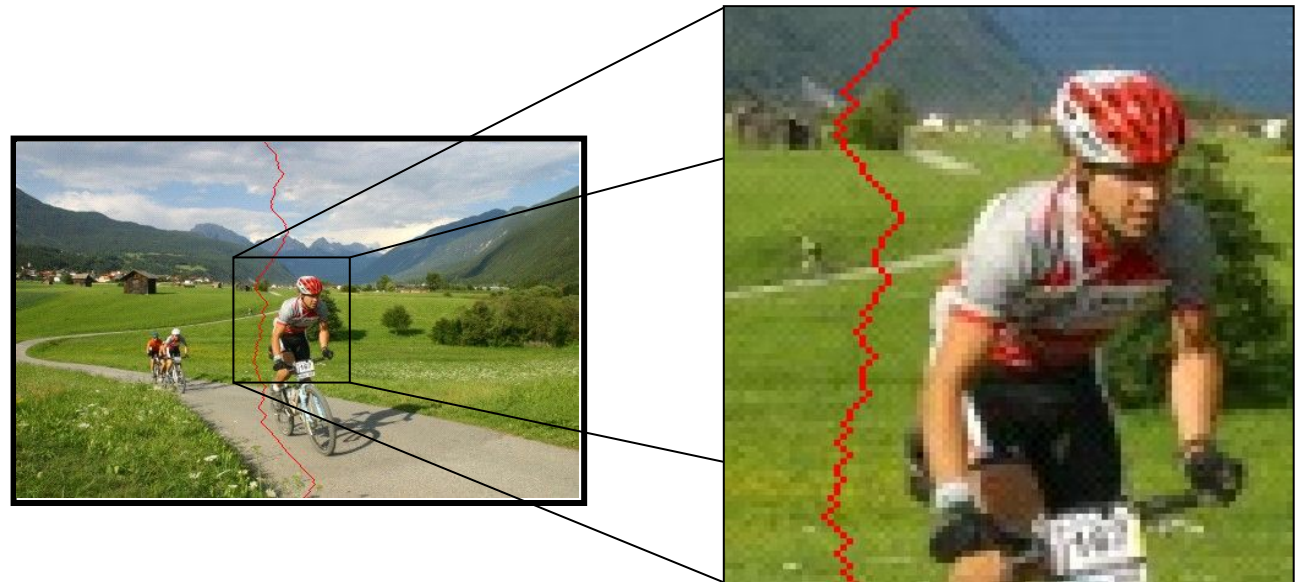


Optimal

Solution: A Seam

- A seam is a connected path of pixels from top to bottom (or left to right). Exactly one in each row (or column)

$$s^x = \{s_i^x\}_{i=1}^n$$



Solution: A Seam

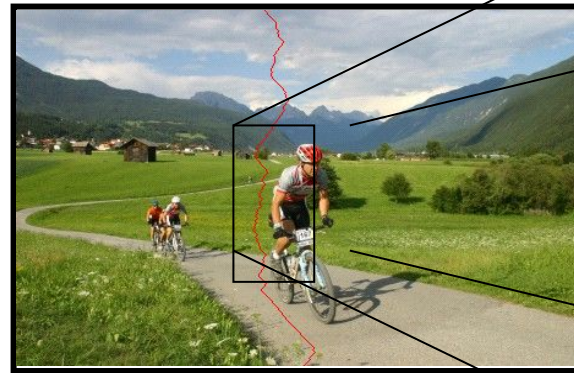
- A seam is a connected path of pixels from top to bottom (or left to right). Exactly one in each row (or column)

$$s^x = \{s_i^x\}_{i=1}^n$$

$$s^x = \{x(i), i\}_{i=1}^n$$

for every row i

find the column with
the lowest energy



Solution: A Seam

- A seam is a connected path of pixels from top to bottom (or left to right). Exactly one in each row (or column)

$$s^x = \{s_i^x\}_{i=1}^n$$

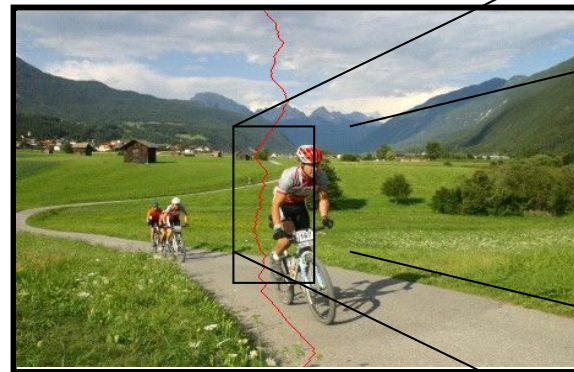
$$s^x = \{x(i), i\}_{i=1}^n$$

for every row i

find the column with
the lowest energy

$$\text{s.t. } \forall i, |x(i) - x(i - 1)| \leq 1$$

Ensure that seam is “connected”.
Columns can only change by a
maximum of 1 column

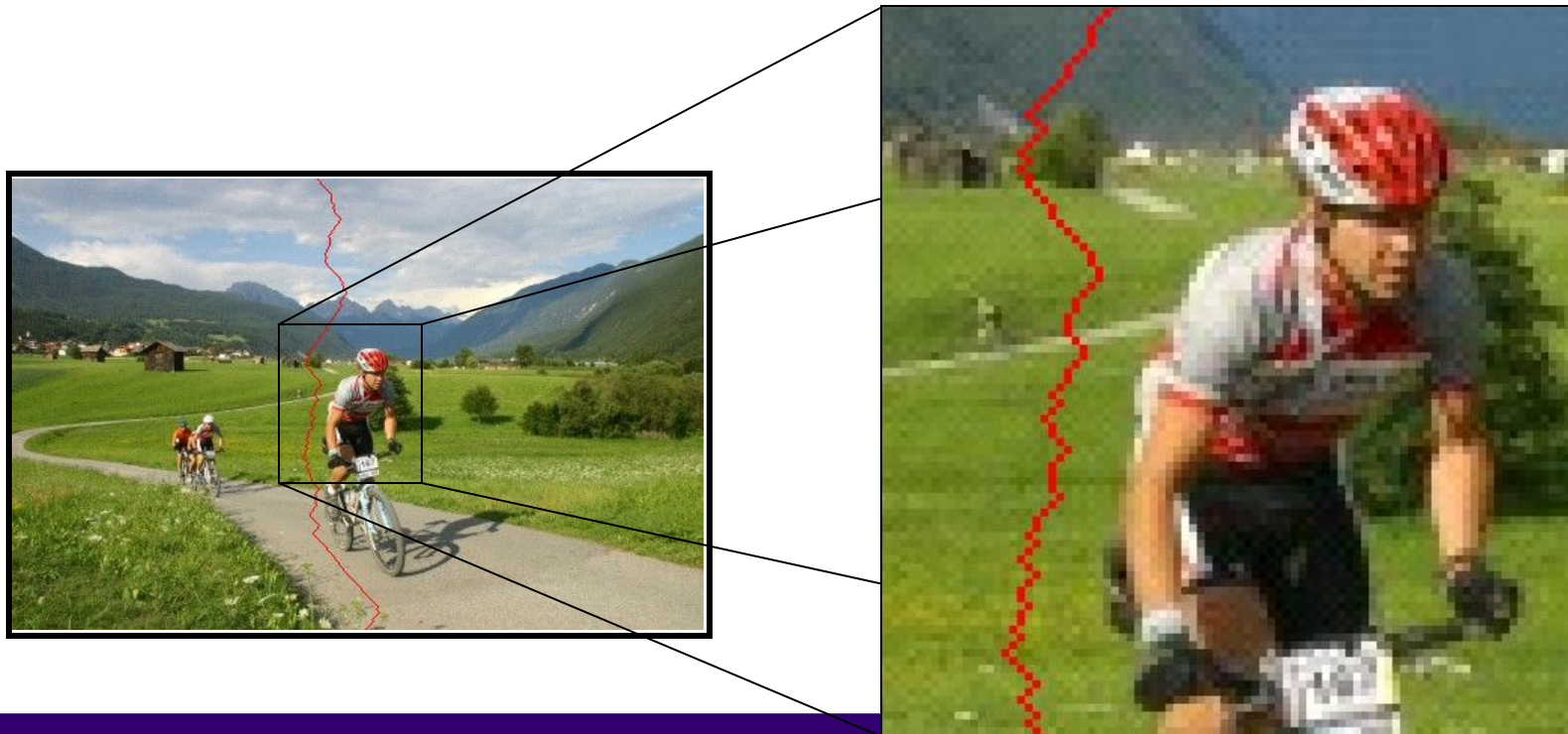


A Seam

- A connected path of pixels from top to bottom (or left to right). Exactly one in each row

$$s^x = \{s_i^x\}_{i=1}^n = \{(x(i), i)\}_{i=1}^n, \text{ s.t. } \forall i, |x(i) - x(i-1)| \leq 1$$

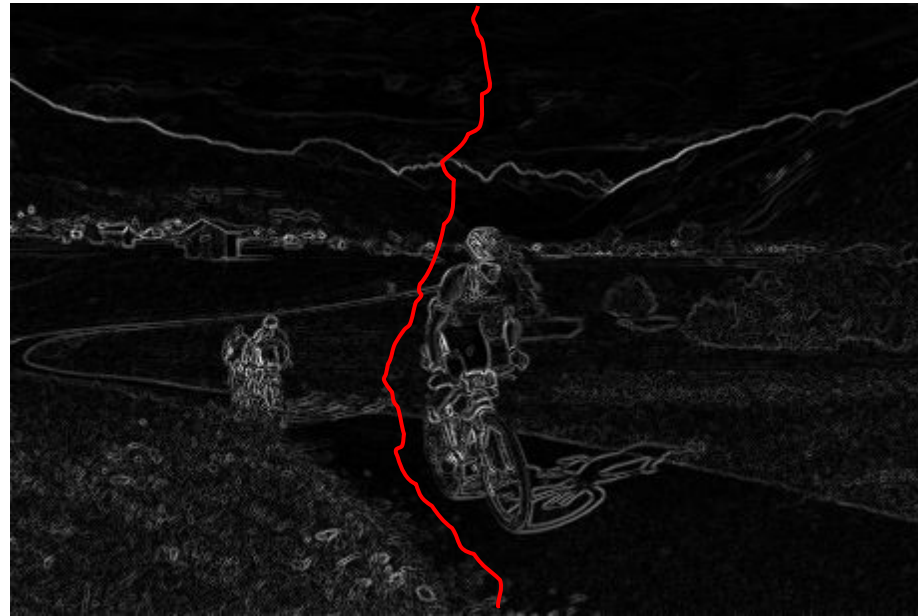
$$s^y = \{s_j^y\}_{j=1}^m = \{(j, y(j))\}_{j=1}^m, \text{ s.t. } \forall j, |y(j) - y(j-1)| \leq 1$$



How do we find the optimal Seam?



The Optimal Seam



$$E(\mathbf{I}) = \left| \frac{\partial}{\partial x} \mathbf{I} \right| + \left| \frac{\partial}{\partial y} \mathbf{I} \right| \Rightarrow s^* = \arg \min_s E(s)$$

Today's agenda

- Image retargeting
- Seam carving
- **Dynamic programming**
- Applications
- Forward algorithm

Dynamic Programming

Input: Given an energy $E(i, j)$

5	8	12	3
4	2	3	9
7	3	4	2
5	5	7	8

Energy - $E(i, j)$

Dynamic Programming

- Create a **cost matrix M** with the following property:
 - **$M(i, j)$ = minimal cost** of a seam going through pixel (i, j)
 - starting from $j=0$

$M(i, j)$

5	8	12	3
4	2	3	9
7	3	4	2
5	5	7	8

Energy - $E(i, j)$

Dynamic Programming

$M(i, 0) = E(i, 0)$ of a seam going through pixel (i, j)

$M(i, j)$

5	8	12	3

5	8	12	3
4	2	3	9
7	3	4	2
5	5	7	8

Energy - $E(i, j)$

Dynamic Programming

Q. What do you think should be this value?

$M(i, j)$

5	8	12	3
	?		

5	8	12	3
4	2	3	9
7	3	4	2
5	5	7	8

Energy - $E(i, j)$

Dynamic Programming

$M(i, j)$ = total energy of seam going through pixel (i, j) from $j=0$

$M(i, j)$

5	8	12	3
	2+5		

5	8	12	3
4	2	3	9
7	3	4	2
5	5	7	8

Energy - $E(i, j)$

Dynamic Programming

The recurrence formula

$$\mathbf{M}(i, j) = E(i, j) + \min(\mathbf{M}(i-1, j-1), \mathbf{M}(i-1, j), \mathbf{M}(i-1, j+1))$$

5	8	12	3
	2+5		

$\mathbf{M}(i, j)$

5	8	12	3
4	2	3	9
7	3	4	2
5	5	7	8

Energy - $E(i, j)$

Dynamic Programming

5	8	12	3
	7		

$M(i, j)$

5	8	12	3
4	2	3	9
7	3	4	2
5	5	7	8

Energy - $E(i, j)$

Dynamic Programming

$$\mathbf{M}(i, j) = E(i, j) + \min(\mathbf{M}(i-1, j-1), \mathbf{M}(i-1, j), \mathbf{M}(i-1, j+1))$$

5	8	12	3
	7	?	

$\mathbf{M}(i, j)$

5	8	12	3
4	2	3	9
7	3	4	2
5	5	7	8

Energy - $E(i, j)$

Dynamic Programming

$$\mathbf{M}(i, j) = E(i, j) + \min(\mathbf{M}(i-1, j-1), \mathbf{M}(i-1, j), \mathbf{M}(i-1, j+1))$$

$\mathbf{M}(i, j)$

5	8	12	3
	7	3+3	

5	8	12	3
4	2	3	9
7	3	4	2
5	5	7	8

Energy - $E(i, j)$

Dynamic Programming

$$M(i, j) = E(i, j) + \min(M(i-1, j-1), M(i-1, j), M(i-1, j+1))$$

$M(i, j)$

5	8	12	3
9	7	6	12
14	9	10	8
14	14	15	8+8

5	8	12	3
4	2	3	9
7	3	4	2
5	5	7	8

Energy - $E(i, j)$

Searching for minimum seam

Backtrack: Find the minimum $M(i, j=m)$

	5	8	12	3
	9	7	6	12
	14	9	10	8
$M(i, j)$	14	14	15	16

This is the minimum in the last row

Backtrack

After finding minimum $M(i, j)$ at row j ,

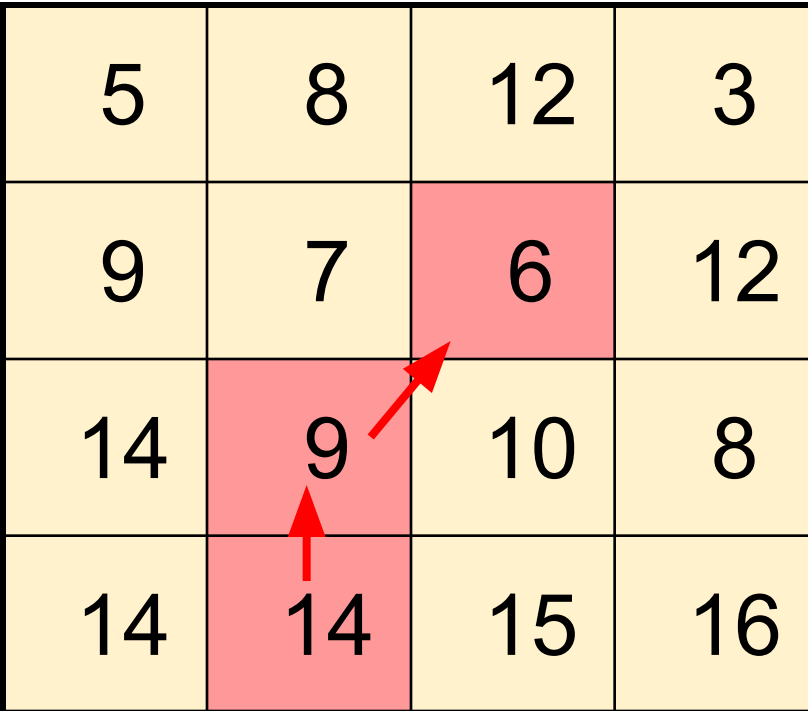
find minimum $M(i, j-1)$ but only be looking at neighboring locations: $i-1, i, i+1$

	5	8	12	3
	9	7	6	12
	14	9	10	8
$M(i, j)$	14	14	15	16

Searching for Minimum

$M(i, j)$

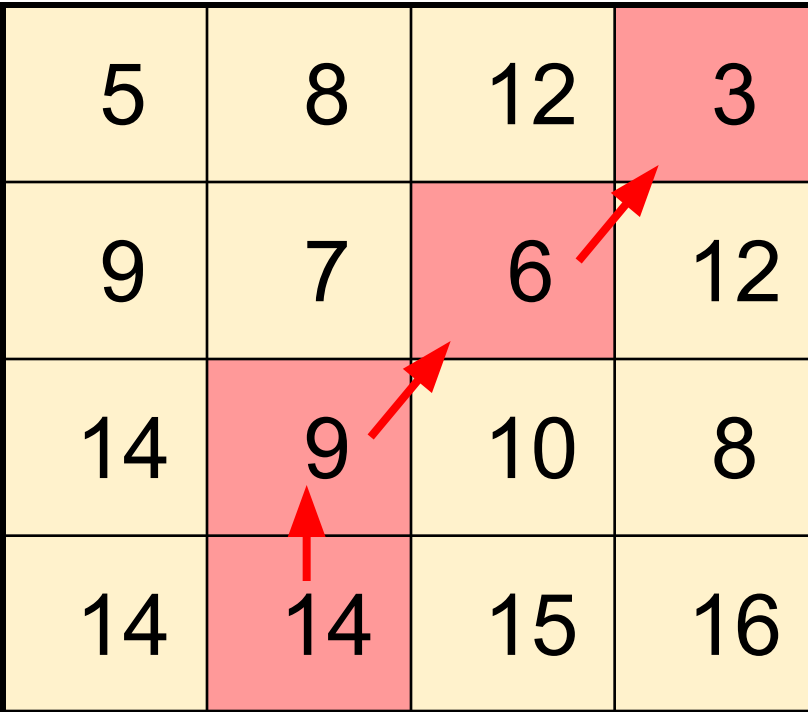
5	8	12	3
9	7	6	12
14	9	10	8
14	14	15	16



Searching for Minimum

$M(i, j)$

5	8	12	3
9	7	6	12
14	9	10	8
14	14	15	16



The Optimal Seam - dynamic programming

- The recursion relation

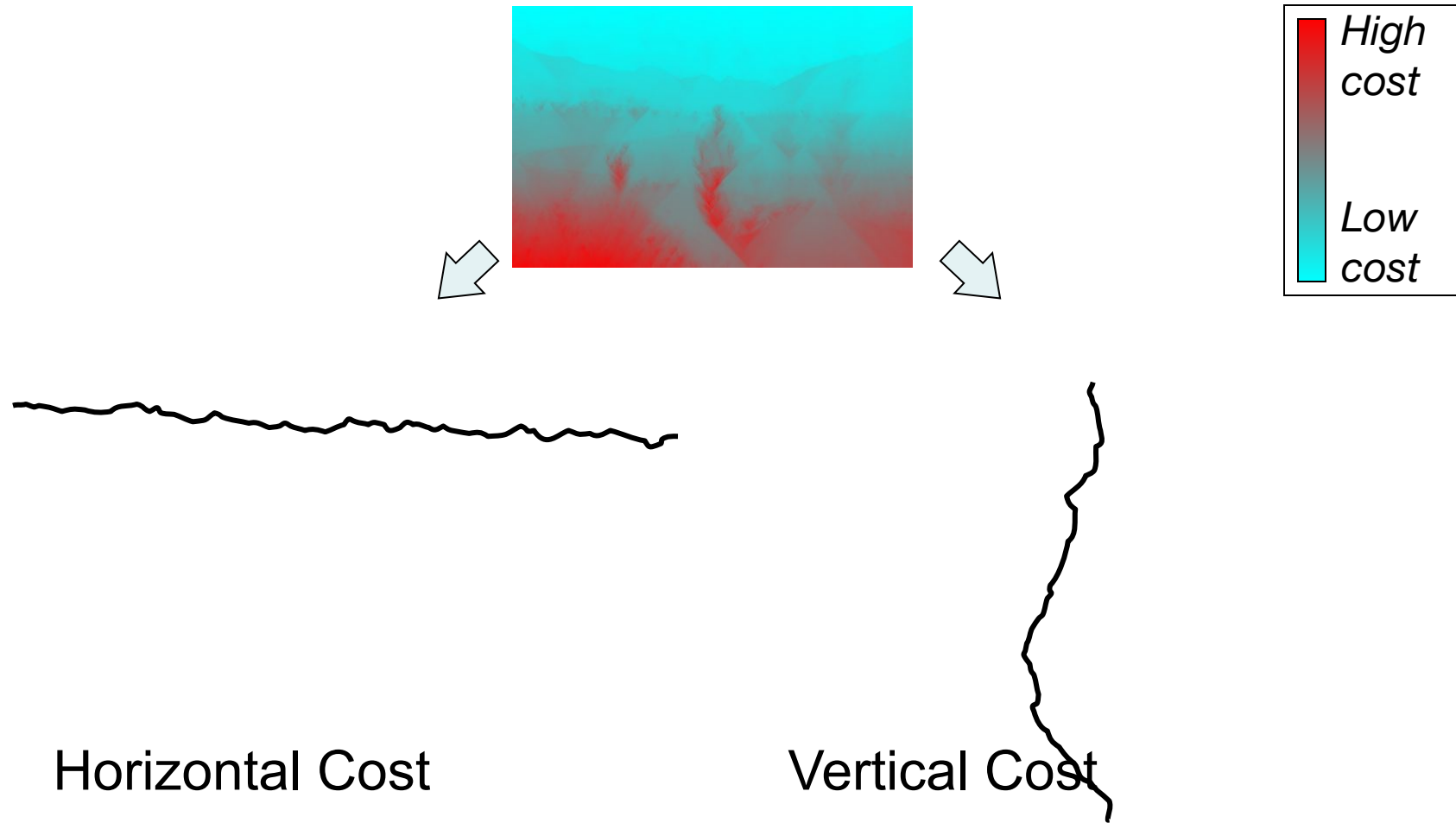
$$\mathbf{M}(i, j) = E(i, j) + \min(\mathbf{M}(i-1, j-1), \mathbf{M}(i-1, j), \mathbf{M}(i-1, j+1))$$

- Can be solved efficiently using dynamic programming in

$$O(s \cdot n \cdot m)$$

(s=3 in the original algorithm)

Horizontal and vertical cost maps



Seam Carving



The Seam-Carving Algorithm

Algorithm: Seam carving

Input: Image I of size $m \times n$

Output: Image I' of size $m \times n'$ where $n' < n$

$I' = I$

Do $d=(n-n')$ times

 Compute energy map on I'

 Find optimal seam in E

 Remove s from im

Return I'

For vertical resize: transpose the image

Running time: $O(dmn)$

Changing Aspect Ratio



Another example



Example seam carving



Example seam carving



Changing Aspect Ratio



Original



Retargeting



Scaling

Changing Aspect ratio



Cropping



Retarget



Scaling

Changing Aspect Ratio



Original



Retarget



Scaling

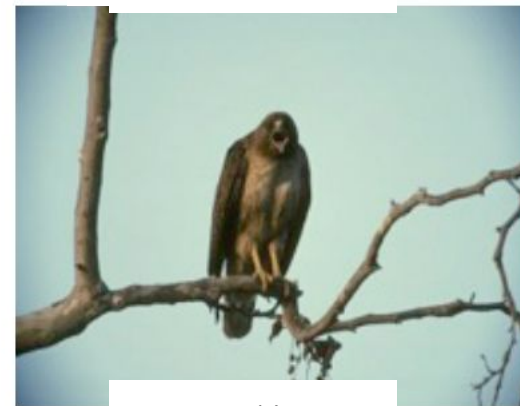
Changing Aspect Ratio



Original



Retarget



Scaling

Questions

- Q: Will the result be the same if the image is flipped upside down?

Q. What if we simultaneously want to reduce both width and height?

$m \times n \rightarrow m' \times n'$

1. Should we remove horizontal seam first?
2. Should we remove vertical seams first?
3. Alternate between the two?
4. Any other ideas?

What if we simultaneously want to reduce both width and height?

$m \times n \rightarrow m' \times n'$

1. Should we remove horizontal seam first?
2. Should we remove vertical seams first?
3. Alternate between the two?
4. Any other ideas?

The optimal order can be found! Dynamic Prog (again)



Retargeting in Both Dimensions

- Let $\mathbf{T}(r,c)$ denote a new cost matrix of obtaining an image of size $(n-r) \times (m-c)$.

$$\mathbf{T}(r, c) = \min(\mathbf{T}(r-1, c) + E(\mathbf{s}^x(\mathbf{I}_{n-r-1 \times m-c})), \mathbf{T}(r, c-1) + E(\mathbf{s}^y(\mathbf{I}_{n-r \times m-c-1})))$$

Retargeting in Both Dimensions

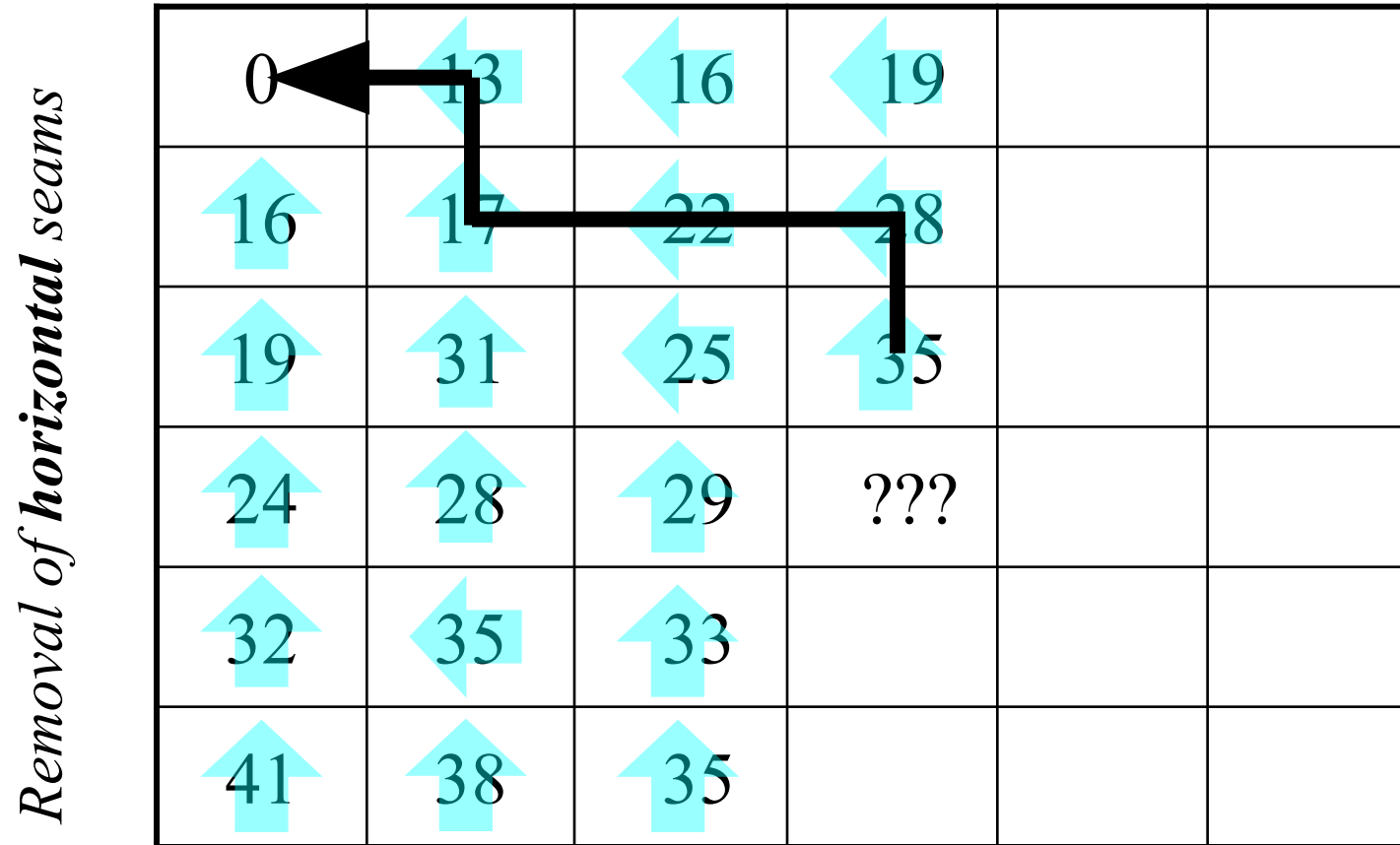
- Let $T(r,c)$ denote a new cost matrix of obtaining an image of size $(n-r) \times (m-c)$.

$$T(r, c) = \min \left(\begin{aligned} &T(r-1, c) + E(s^x(\mathbf{I}_{n-r-1 \times m-c})), \\ &T(r, c-1) + E(s^y(\mathbf{I}_{n-r \times m-c-1})) \end{aligned} \right)$$

where $E(s^x(\mathbf{I}_{n-r-1 \times m-c}))$ is the cost of removing a horizontal seam from the image $\mathbf{I}_{n-r-1 \times m-c}$

Optimal Order Map

Removal of vertical seams



Is it optimal...

- ... for removing ONE seam?
- ... for removing multiple seams?

Is it optimal...

- ... for removing ONE seam?
- ... for removing multiple seams?
 - Consider HVV (how many possible orderings?)
 - $\text{Cost}(V)$ on HV not necessarily equal $\text{Cost}(V)$ on VH
 - But we keep track of only one: $\min(\text{HV}, \text{VH})...$

Today's agenda

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- Seam carving
- Dynamic programming
- **Applications**
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Image expansion - Repeat the lowest energy seam?

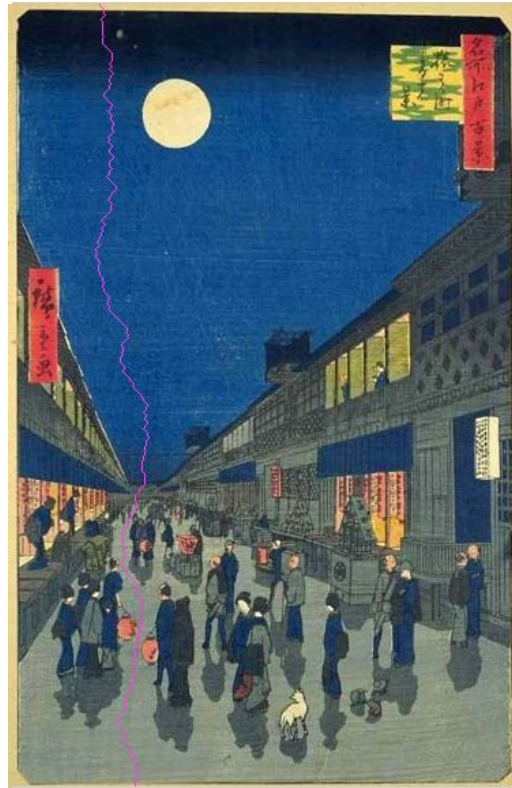
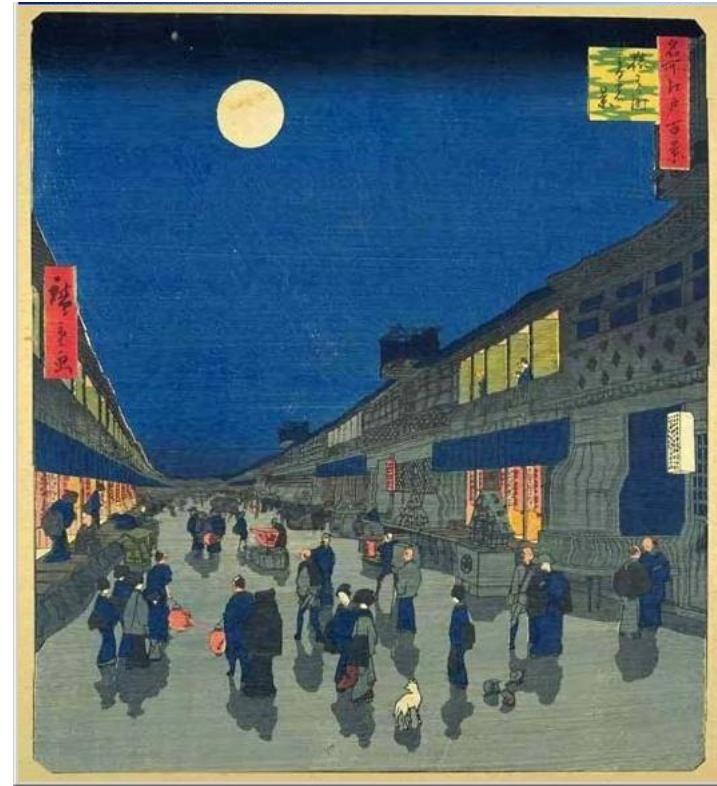


Image Expansion – Repeat the K lowest energy seams



Scaling



Can you tell if this image has been **enlarged** or **reduced**?



Combined Insert and Remove



Insert & remove seams

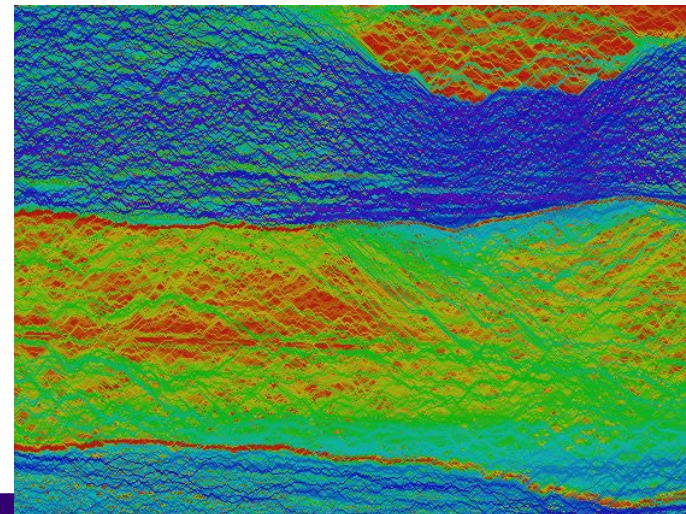
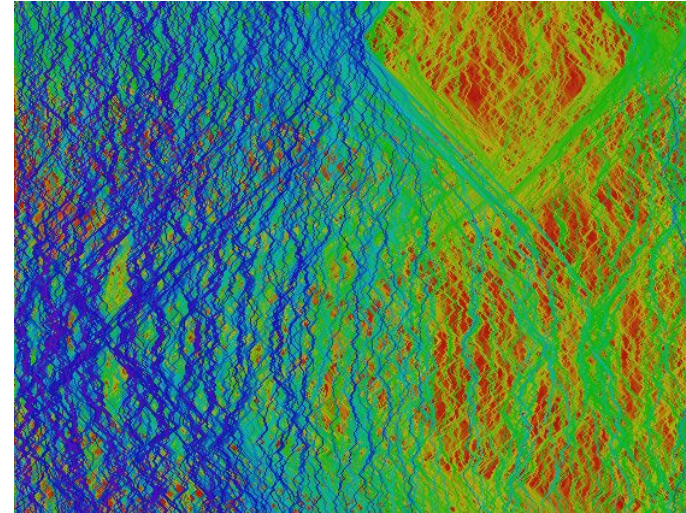
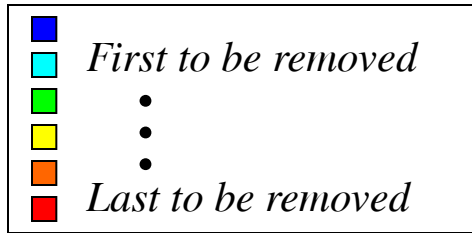


Scaling

Multi-Size Images

- We can create a new representation of an image that will allow adapting it to different sizes!
 1. Precompute all seams once
 2. Realtime resizing / transmit with content

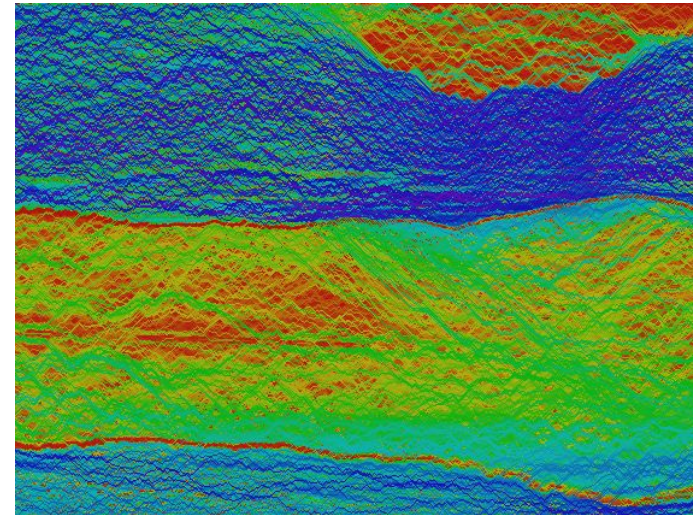
Multi-Size Images



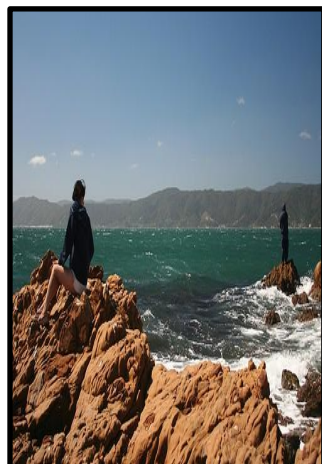
Multi-Size Image Representation



+



Multi-Size Image Representation



Content Enhancement



Q. How would you use seam carving to do this?

Replace $E(i, j)$ with user defined energies

Recall our seam equation

$$\mathbf{M}(i, j) = E(i, j) + \min(\mathbf{M}(i-1, j-1), \mathbf{M}(i-1, j), \mathbf{M}(i-1, j+1))$$

Set $E(i, j)$ to be infinity if a user wants to keep this pixel

Set $E(i, j)$ to be negative number if a user wants to get rid of it.

Object Removal



Object Removal



Input

Retargeted

Pigeon Removed

Girl Removed

Find the Missing Shoe!



Solution



Use face detector to set energies of faces high



With User Constraints



Scaling

Retargeting

Retargeting

Today's agenda

- Image retargeting
- Seam carving
- Dynamic programming
- Applications
- **Forward algorithm**

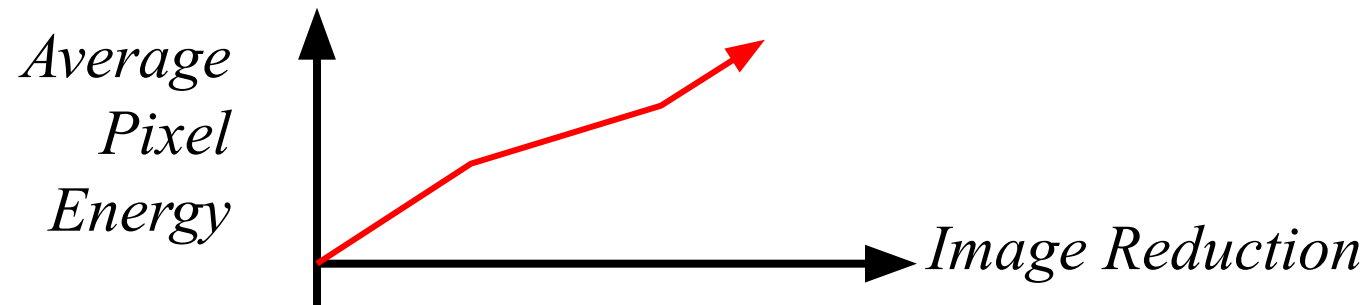
Questions

Q: What happens to the overall energy in the image during seam carving?

Preserved Energy

If we measure the average energy of pixels in the image after applying a resizing operator...

...the average should increase!

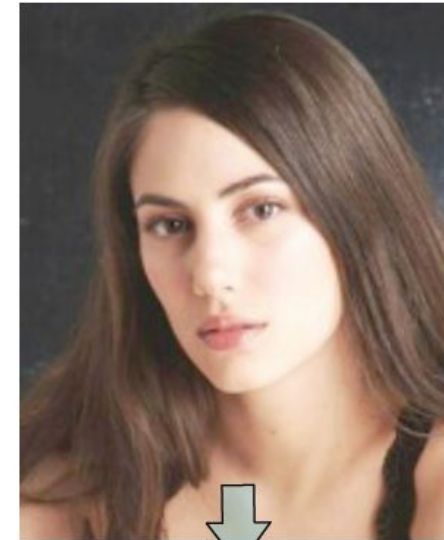


Limitations

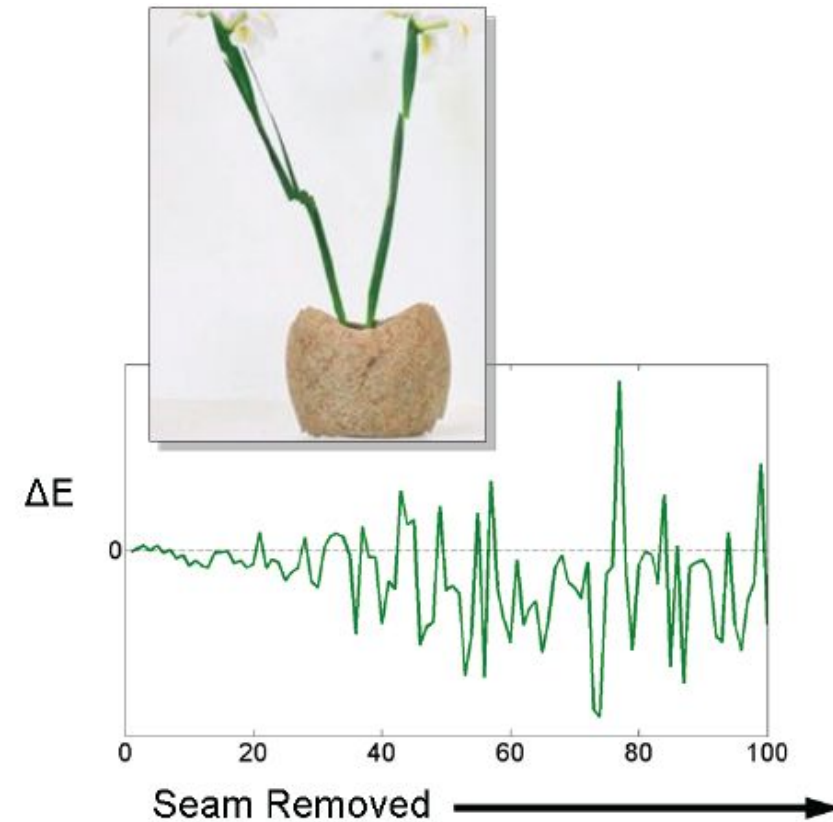
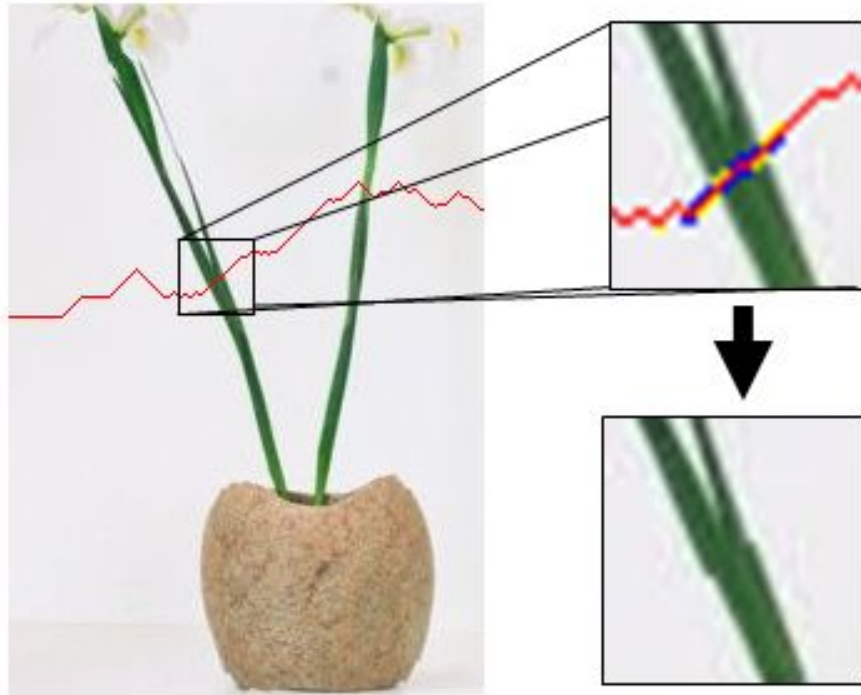
Content



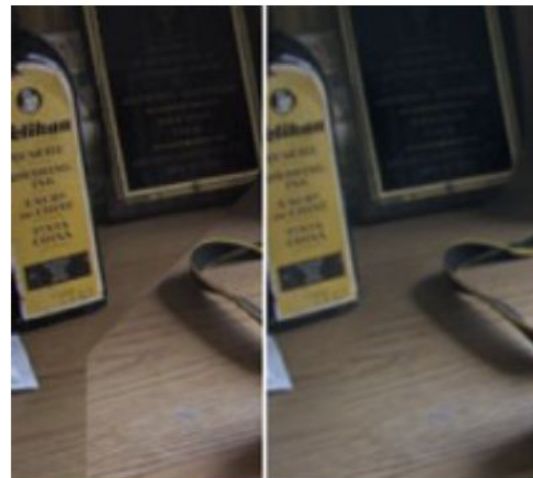
Structure



Inserted Energy



Seam carving creates artifacts breaks edges

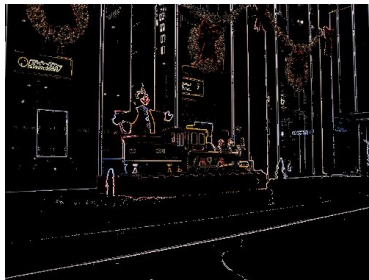


Preserved Energy

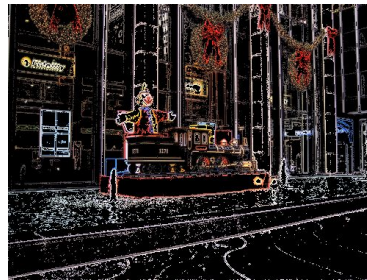


$E(i, j)$

Energy



15%



30%



40%



75%

$M(i, j)$

Energy
increases after
every seam
removal

While resizing: remove *as many* low energy pixels and *as few* high energy pixels!

Preserved Energy



Average
Pixel
Energy

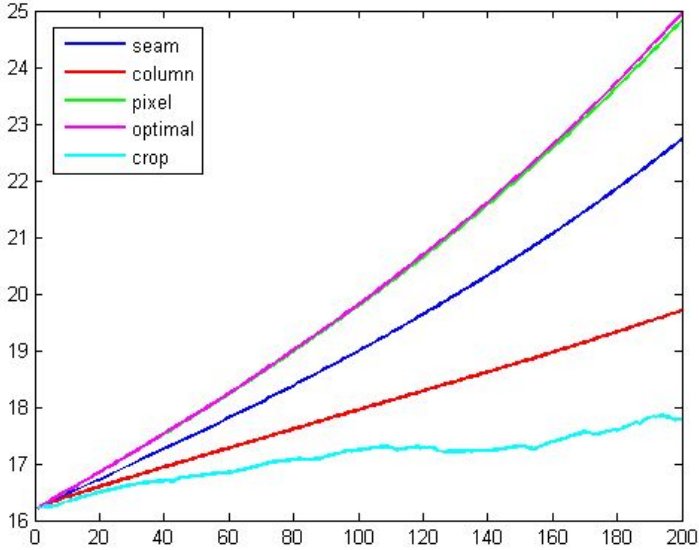


Image Reduction →



crop



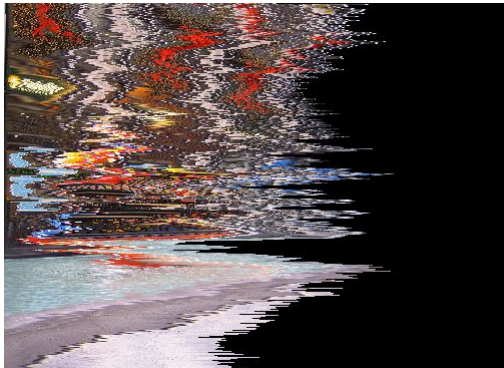
column



seam



pixel

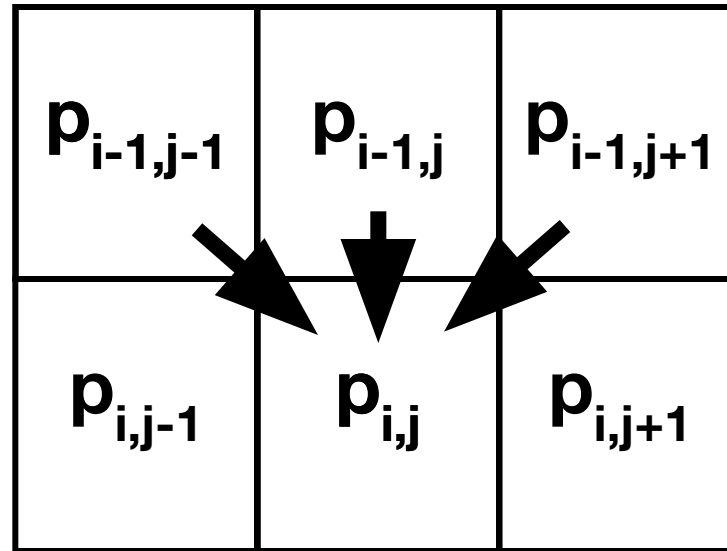


optimal

Minimize Inserted Energy

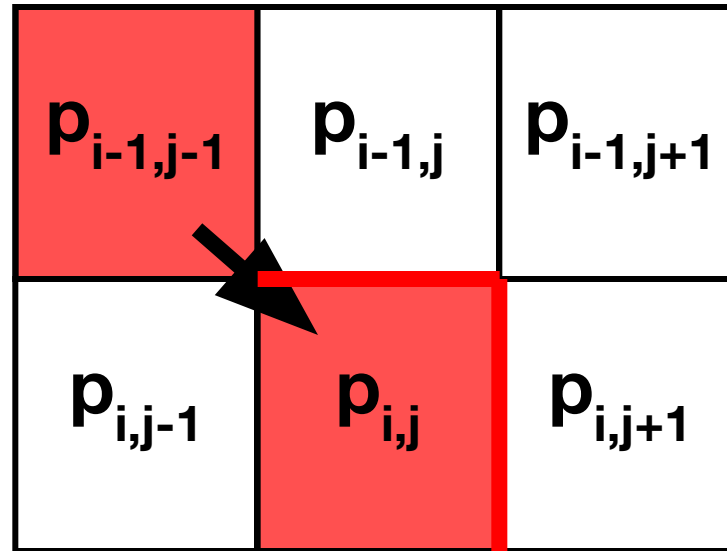
- Instead of removing the seam of least energy, remove the seam that *inserts the least energy* to the image !

Tracking Inserted Energy



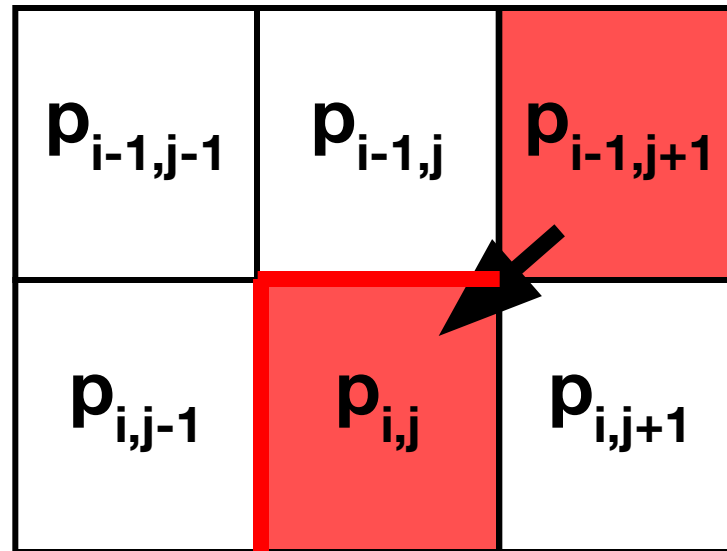
- Three possibilities when removing pixel $P_{i,j}$

Pixel $P_{i,j}$: Left Seam



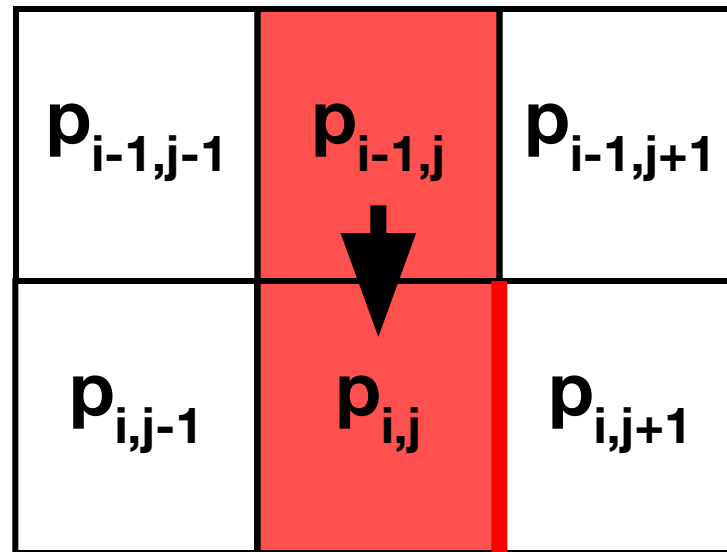
$$C_L(i, j) = |I(i, j + 1) - I(i, j - 1)| + |I(i - 1, j) - I(i, j - 1)|$$

Pixel $P_{i,j}$: Right Seam



$$C_R(i, j) = |I(i, j + 1) - I(i, j - 1)| + |I(i - 1, j) - I(i, j + 1)|$$

Pixel $P_{i,j}$: Vertical Seam



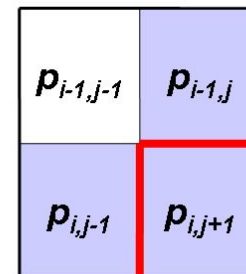
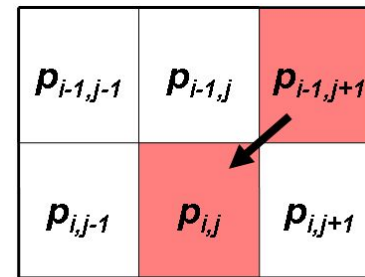
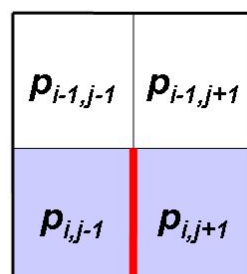
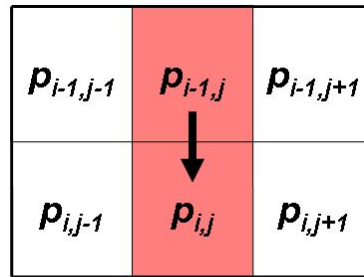
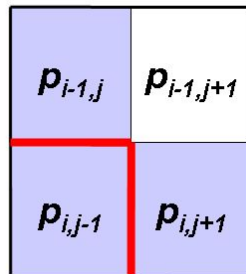
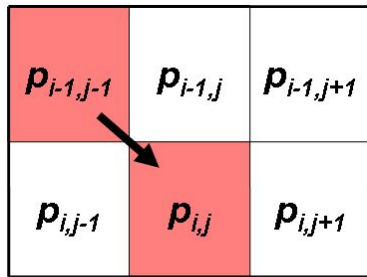
$$C_V(i, j) = |I(i, j + 1) - I(i, j - 1)|$$

Old Backward Cost Matrix

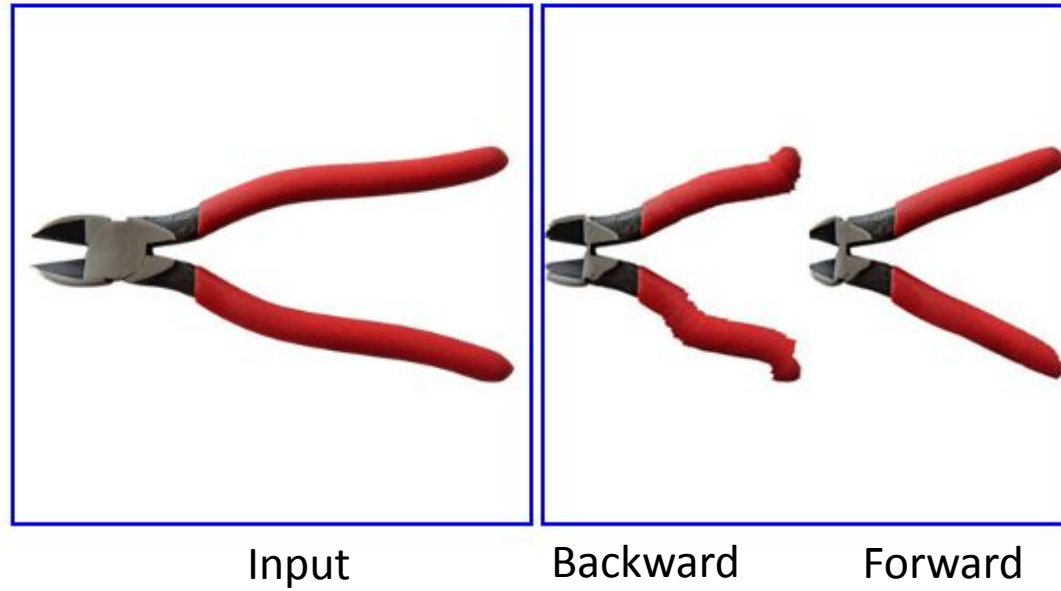
$$M(i, j) = E(i, j) + \min \begin{cases} M(i-1, j-1) \\ M(i-1, j) \\ M(i-1, j+1) \end{cases}$$

New **Forward** Looking Cost Matrix

$$M(i, j) = E(i, j) + \min \begin{cases} M(i-1, j-1) + C_L(i, j) \\ M(i-1, j) + C_V(i, j) \\ M(i-1, j+1) + C_R(i, j) \end{cases}$$



Results

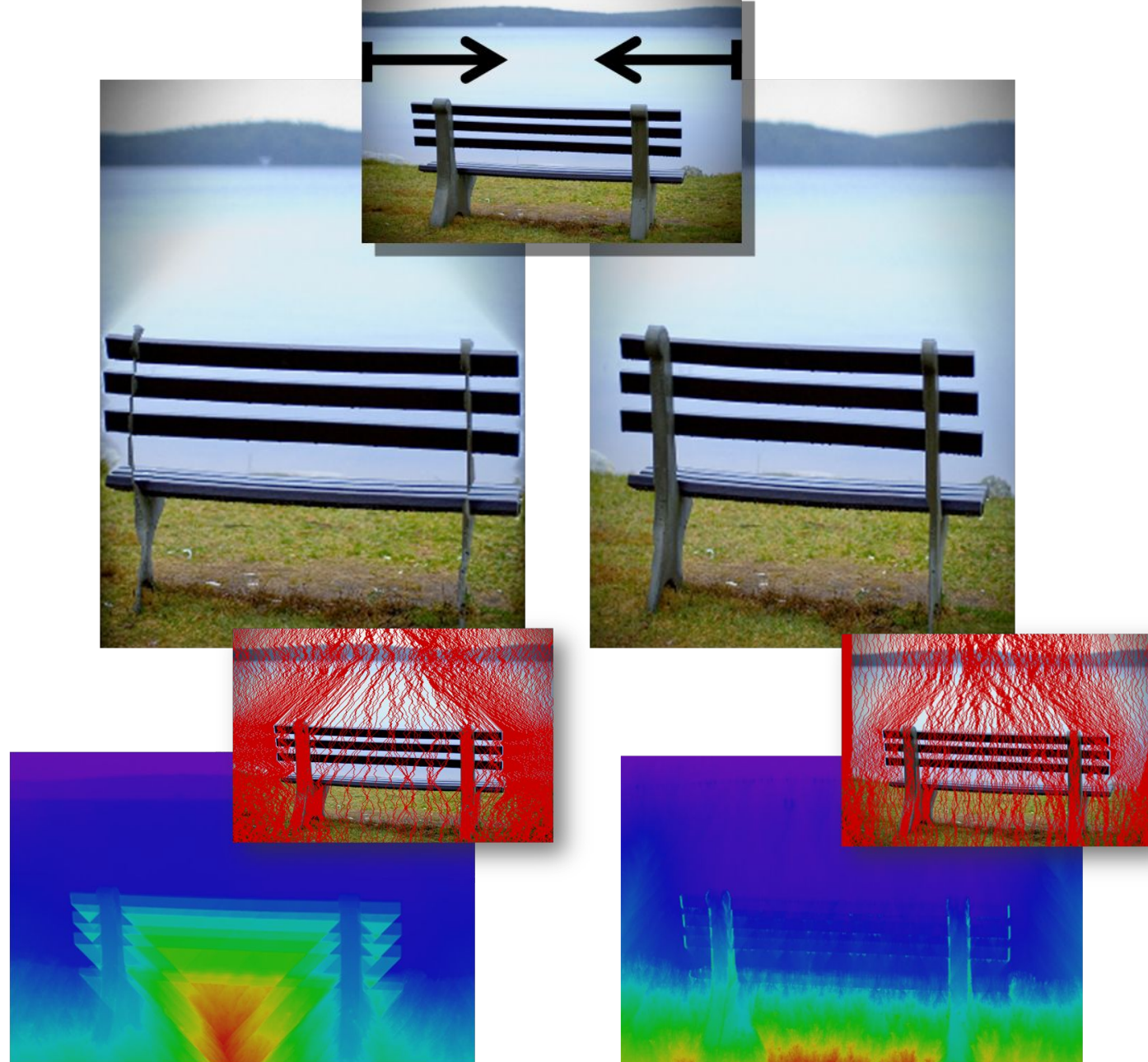


Input



Forward

Results



Backward vs. Forward

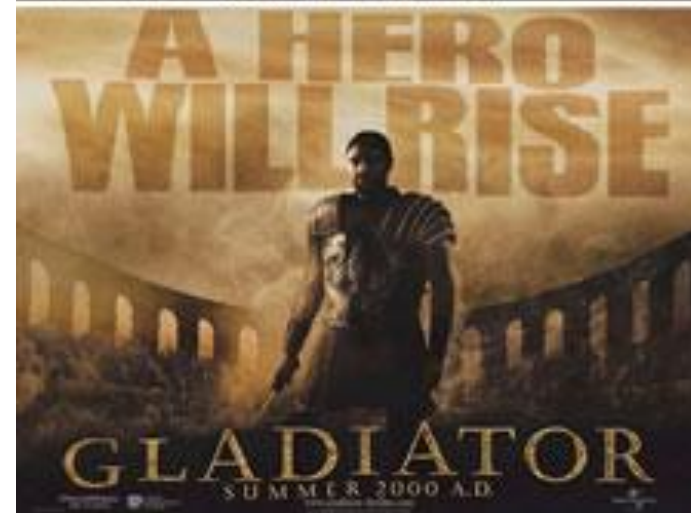
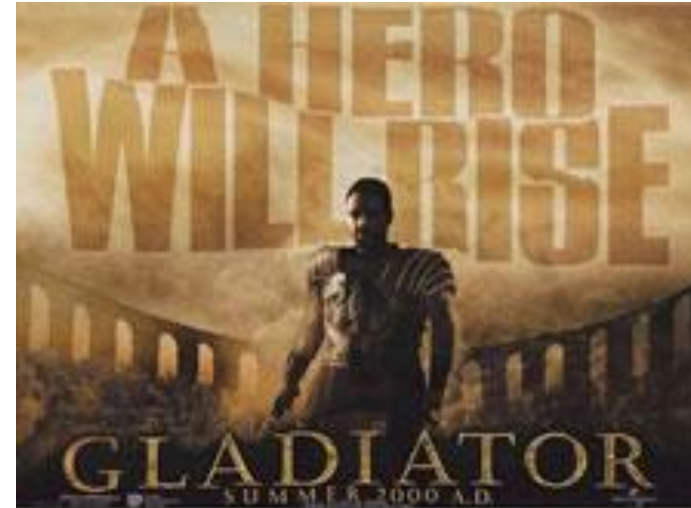


Backward



Forward

Results



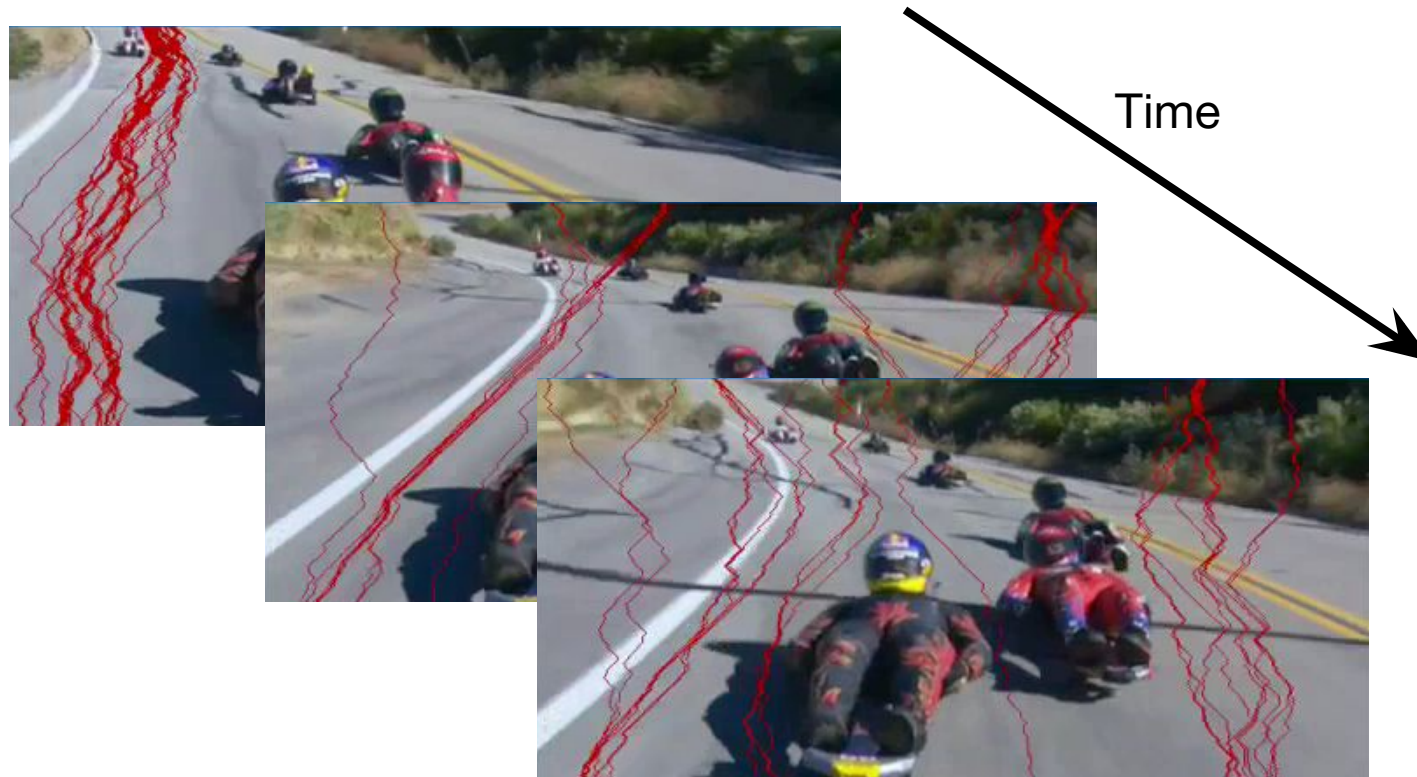
From Images to Videos

In general, video processing is a much (much!) harder problem

1. Cardinality
 - Suppose 1min of video x 30 fps = 1800 frames
 - Say your algorithm processes an image in 1 minute
 - 1 video would take **30 hours !!**
2. Dimensionality/algorithmic
 - Temporal coherency: human visual system is highly sensitive to motion!

Seam-Carving Video?

- Naive... frame by frame independently



Frame-by-frame Seam-Carving



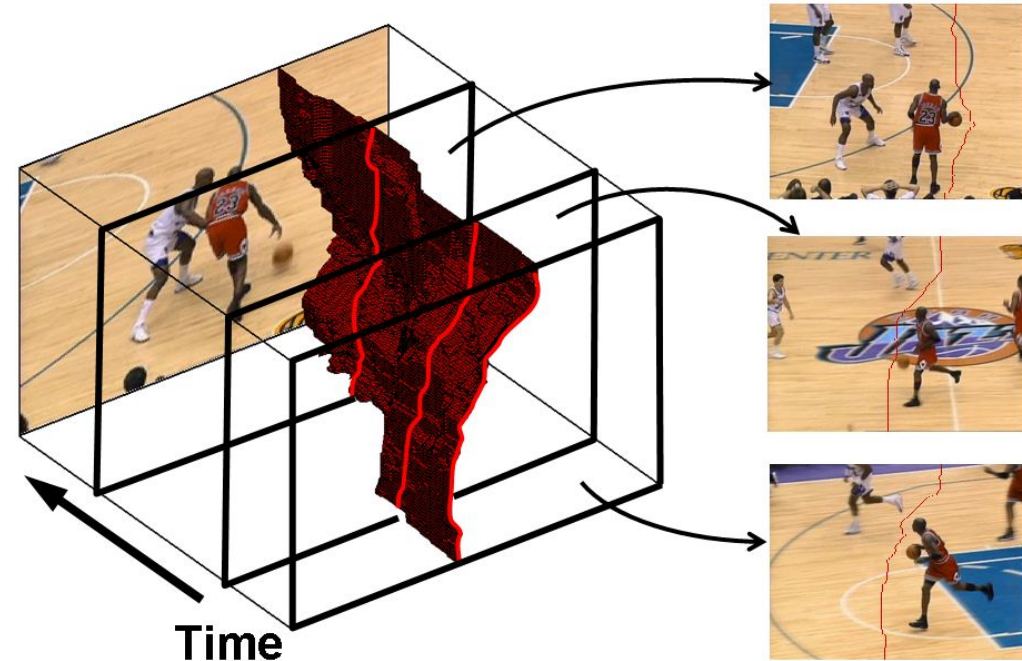
Let's check out
this video

Backward Energy

From 2D to 3D



1D paths in images



Time

2D manifolds in video cubes

Example video retargeting



Backward Energy

Object
detection +
seam carving



Backward Energy

Today's agenda

- Image retargeting
- Seam carving
- Dynamic programming
- Applications
- Forward algorithm

Next lecture

Segmentation and grouping

References

- Seam Carving for Content-Aware Image Resizing – Avidan and Shamir 2007
- Content-driven Video Retargeting – Wolf et al. 2007
- Improved Seam Carving for Video Retargeting – Rubinstein et al. 2008
- *Optimized Scale-and-Stretch* for Image Resizing – Wang et al. 2008
- Summarizing Visual Data Using Bidirectional Similarity – Simakov et al. 2008
- Multi-operator Media Retargeting – Rubinstein et al. 2009
- Shift-Map Image Editing – Pritch et al. 2009
- Energy-Based Image Deformation – Karni et al. 2009

- Seam carving in Photoshop CS4: http://help.adobe.com/en_US/Photoshop/11.0/WS6F81C45F-2AC0-4685-8FFD-DBA374BF21CD.html

A Local Operator

