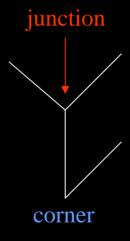
Finding Line and Curve Segments from Edge Images

Given an edge image, how do we find line and arc segments?

Method 1: Tracking

Use masks to identify the following events:

start of a new segment
 interior point continuing a segment
 end of a segment
 junction between multiple segments
 corner that breaks a segment into two



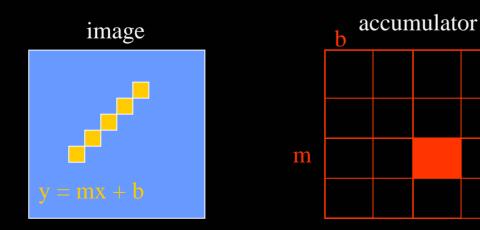
Edge Tracking Procedure

for each edge pixel P { classify its pixel type using	, masks
case	
1. isolated point :	ignore it
2. start point :	make a new segment
3. interior point :	add to current segment
4. end point :	add to current segment and finish it
5. junction or corner :	add to incoming segment
	finish incoming segment
	make new outgoing segment(s)

The ORT package uses a fancier corner finding approach.

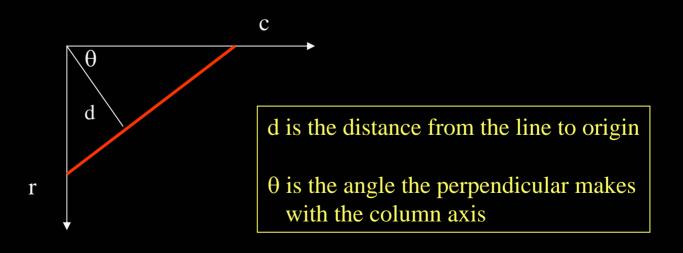
Hough Transform

- The Hough transform is a method for detecting lines or curves specified by a parametric function.
- If the parameters are p1, p2, ... pn, then the Hough procedure uses an n-dimensional accumulator array in which it accumulates votes for the correct parameters of the lines or curves found on the image.



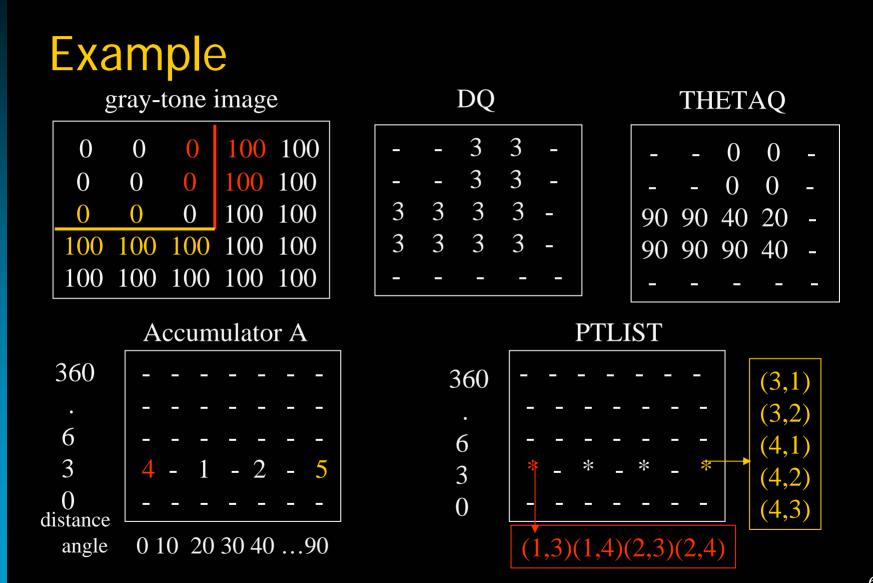
Finding Straight Line Segments

- y = mx + b is not suitable (why?)
- The equation generally used is: $d = r \sin \theta + c \cos \theta$



Procedure to Accumulate Lines

- Set accumulator array A to all zero. Set point list array PTLIST to all NIL.
- For each pixel (R,C) in the image {
 - compute gradient magnitude GMAG
 - if GMAG > gradient_threshold {
 - compute quantized tangent angle THETAQ
 - compute quantized distance to origin DQ
 - increment A(DQ,THETAQ)
 - update PTLIST(DQ,THETAQ) } }



How do you extract the line segments from the accumulators?

pick the bin of A with highest value V
while V > value_threshold {

order the corresponding pointlist from PTLIST

merge in high gradient neighbors within 10 degrees

create line segment from final point list

zero out that bin of A

pick the bin of A with highest value V }

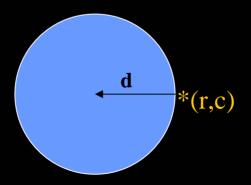
Finding Circles

Equations:

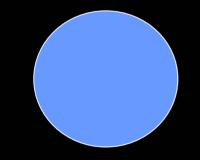
$$r = r0 + d \sin \theta$$
$$c = c0 + d \cos \theta$$

r, c, d are parameters

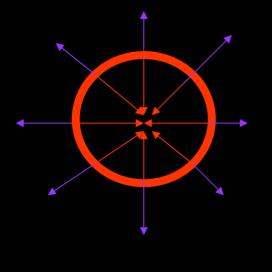
Main idea: The gradient vector at an edge pixel points to the center of the circle.



Why it works



Filled Circle: Outer points of circle have gradient direction pointing to center.



Circular Ring:

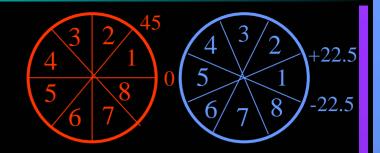
Outer points gradient towards center. Inner points gradient away from center.

The points in the away direction don't accumulate in one bin!

Procedure to Accumulate Circles

- Set accumulator array A to all zero. Set point list array PTLIST to all NIL.
- For each pixel (R,C) in the image { For each possible value of D {
 - compute gradient magnitude GMAG
 - if GMAG > gradient_threshold {
 - . Compute THETA(R,C,D)
 - RO := R D*cos(THETA)
 - $CO := C D^* sin(THETA)$
 - . increment A(R0,C0,D)
 - . update PTLIST(R0,C0,D) }}

The Burns Line Finder



- 1. Compute gradient magnitude and direction at each pixel.
- 2. For high gradient magnitude points, assign direction labels to two symbolic images for two different quantizations.
- 3. Find connected components of each symbolic image.
 - Each pixel belongs to 2 components, one for each symbolic image.
 - Each pixel votes for its longer component.
 - Each component receives a count of pixels who voted for it.
 - The components that receive majority support are selected.

See transparencies for comparisons.

Consistent Line Clusters for Object Recognition (Yi Li's Structure Features)

A **Consistent Line Cluster** is a set of lines that are homogeneous in terms of some line features.

Color-CLC: The lines have the same color feature.

•Orientation-CLC: The lines are parallel to each other or converge to a common vanishing point.

Spatially-CLC: The lines are in close proximity to each other.

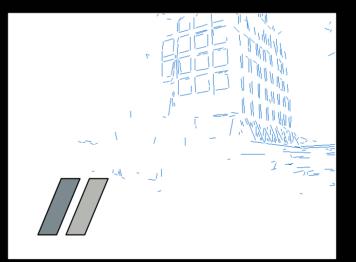
Color-CLC

- Color feature of lines: color pair (c₁,c₂)
- Color pair space: RGB (256³*256³) Too big! Dominant colors (20*20)
- Finding the color pairs:
 One line → Several color pairs
- Constructing Color-CLC: use clustering

Color-CLC



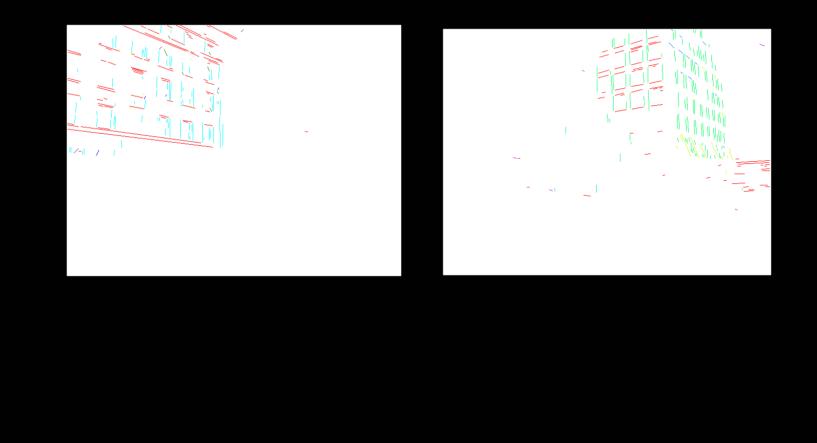




Orientation-CLC

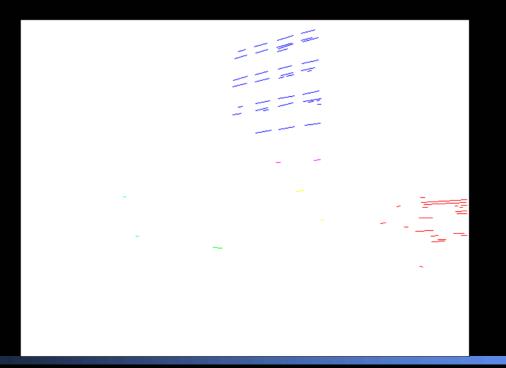
- The lines in an Orientation-CLC are parallel to each other in the 3D world
- The parallel lines of an object in a 2D image can be:
 - Parallel in 2D
 - Converging to a vanishing point (perspective)

Orientation-CLC



Spatially-CLC

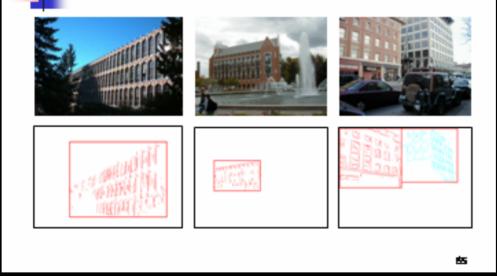
- Vertical position clustering
- Horizontal position clustering



Use in Building Recognition (to be covered in the CBIR lecture)

Experimental Evaluation

Well-Patterned Buildings



http://www.cs.washington.edu/research/imagedatabase/demo