## Machine Learning (CSE 446): Decision Trees

#### Noah Smith

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- Feature functions can map to categorical values, ordinal values, integers, and more.

#### Data derived from https://archive.ics.uci.edu/ml/datasets/Auto+MPG

mpg; cy	/lindei	rs; displacen	nent; horsepower;	weight; acc	eleration; yea	ar; or	ıgın	
18.0	8	307.0	130.0	3504.	12.0	70	1	
15.0	8	350.0	165.0	3693.	11.5	70	1	
18.0	8	318.0	150.0	3436.	11.0	70	1	
16.0	8	304.0	150.0	3433.	12.0	70	1	
17.0	8	302.0	140.0	3449.	10.5	70	1	
15.0	8	429.0	198.0	4341.	10.0	70	1	
14.0	8	454.0	220.0	4354.	9.0	70	1	
14.0	8	440.0	215.0	4312.	8.5	70	1	
14.0	8	455.0	225.0	4425.	10.0	70	1	
15.0	8	390.0	190.0	3850.	8.5	70	1	
15.0	8	383.0	170.0	3563.	10.0	70	1	
14.0	8	340.0	160.0	3609.	8.0	70	1	
15.0	8	400.0	150.0	3761.	9.5	70	1	
14.0	8	455.0	225.0	3086.	10.0	70	1	
24.0	4	113.0	95.00	2372.	15.0	70	3	
22.0	6	198.0	95.00	2833.	15.5	70	1	
18.0	6	199.0	97.00	2774.	15.5	70	1	
21.0	6	200.0	85.00	2587.	16.0	70	1	
27.0	4	97.00	88.00	2130.	14.5	70	3	
26.0	4	97.00	46.00	1835.	20.5	70	2	
25.0	4	110.0	87.00	2672.	17.5	70	2	
24.0	4	107.0	90.00	2430.	14.5	70	2	

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Goal: predict whether mpg is < 23("bad" = 0) or above ("good" = 1) given other attributes (other columns).

201 "good" and 197 "bad"; guessing the most frequent class (good) will get 50.5% accuracy.

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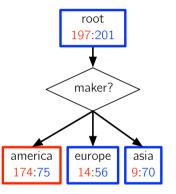
# Contingency Table

		values of feature $\phi$				
values of $y$		$v_1$	$v_2$	•••	$v_K$	
values of g	0					
	1					

	maker			
y	america	europe	asia	
0	174	14	9	
1	75	56	70	
	$\downarrow$	$\downarrow$	$\downarrow$	
	0	1	1	

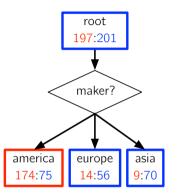
8 / 35

	maker			
y	america	europe	asia	
0	174	14	9	
1	75	56	70	
	$\downarrow$	$\downarrow$	$\downarrow$	
	0	1	1	

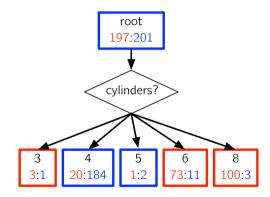


	maker			
y	america	europe	asia	
0	174	14	9	
1	75	56	70	
	$\downarrow$	$\downarrow$	$\downarrow$	
	0	1	1	

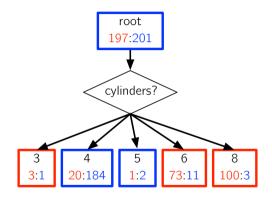
Errors: 75 + 14 + 9 = 98 (about 25%)



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Errors: 1 + 20 + 1 + 11 + 3 = 36 (about 9%)

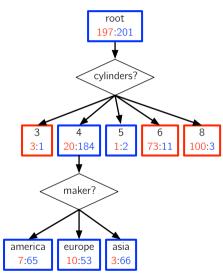
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#### Key Idea: Recursion

A single feature **partitions** the data.

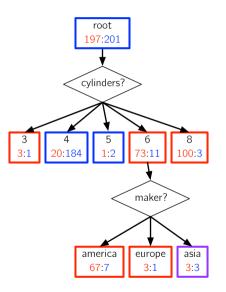
For each partition, we could choose another feature and partition further.

Applying this recursively, we can construct a decision tree.

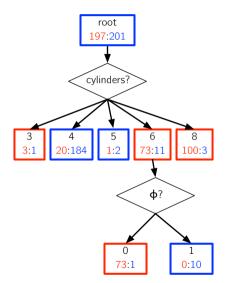


Error reduction compared to the cylinders stump?

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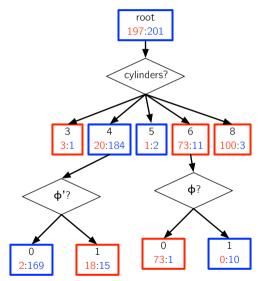


Error reduction compared to the cylinders stump?



Error reduction compared to the cylinders stump?

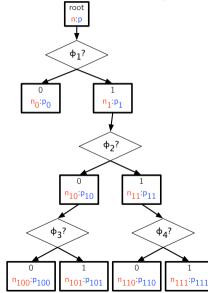
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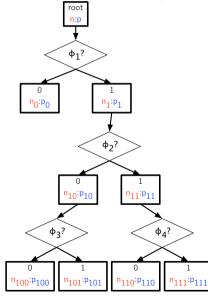
Error reduction compared to the cylinders stump?

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#### Decision Tree: Making a Prediction



## Decision Tree: Making a Prediction



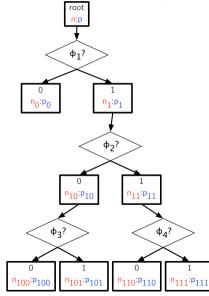
**Data**: decision tree t, input example x**Result**: predicted class if t has the form LEAF(y) then return y;

#### else

 $\begin{array}{c|c} \# t.\phi \text{ is the feature associated with } t; \\ \# t.\text{child}(v) \text{ is the subtree for value } v; \\ \text{return } \text{DTREETEST}(t.\text{child}(t.\phi(x)), x)); \\ \text{end} \end{array}$ 

#### Algorithm 1: DTREETEST

#### Decision Tree: Making a Prediction



Equivalent boolean formulas:

 $\begin{aligned} (\phi_1 = 0) \Rightarrow \llbracket \mathbf{n}_0 < \mathbf{p}_0 \rrbracket \\ (\phi_1 = 1) \land (\phi_2 = 0) \land (\phi_3 = 0) \Rightarrow \llbracket \mathbf{n}_{100} < \mathbf{p}_{100} \rrbracket \\ (\phi_1 = 1) \land (\phi_2 = 0) \land (\phi_3 = 1) \Rightarrow \llbracket \mathbf{n}_{101} < \mathbf{p}_{101} \rrbracket \\ (\phi_1 = 1) \land (\phi_2 = 1) \land (\phi_4 = 0) \Rightarrow \llbracket \mathbf{n}_{110} < \mathbf{p}_{110} \rrbracket \\ (\phi_1 = 1) \land (\phi_2 = 1) \land (\phi_4 = 1) \Rightarrow \llbracket \mathbf{n}_{111} < \mathbf{p}_{111} \rrbracket \end{aligned}$ 

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Tangent: How Many Formulas?

Assume we have D binary features.

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Each feature could be set to 0, or set to 1, or excluded (wildcard/don't care).

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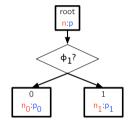
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 $3^D$  formulas.

root n:p

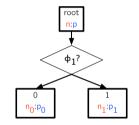
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We chose feature  $\phi_1$ . Note that  $n = n_0 + n_1$  and  $p = p_0 + p_1$ .

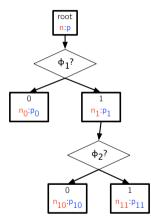
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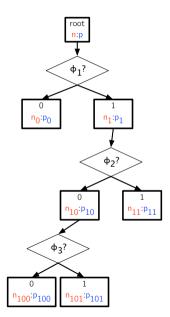


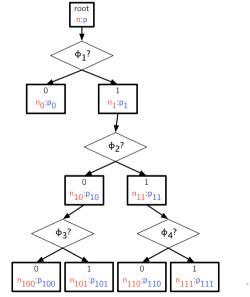
We chose not to split the left partition. Why not?

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Greedily Building a Decision Tree (Binary Features)

**Data**: data D, feature set  $\Phi$ 

Result: decision tree

if all examples in D have the same label y, or  $\Phi$  is empty and y is the best guess then return LEAF(y);

#### else

```
for each feature \phi in \Phi do

partition D into D_0 and D_1 based on \phi-values;

let mistakes(\phi) = (non-majority answers in D_0) + (non-majority answers in

D_1);

end

let \phi^* be the feature with the smallest number of mistakes;

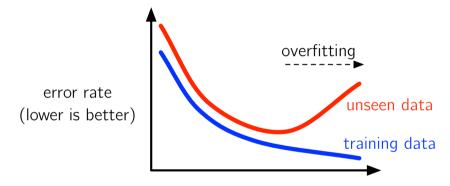
return NODE(\phi^*, {0 \rightarrow DTREETRAIN(D_0, \Phi \setminus {\phi^*}}), 1 \rightarrow

DTREETRAIN(D_1, \Phi \setminus {\phi^*}});

end
```

#### Algorithm 2: DTREETRAIN

# Danger: Overfitting



depth of the decision tree

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Splitting your data into training/development/test requires careful thinking. Starting point: randomly shuffle examples with an 80%/10%/10% split.