

Database System Internals Query Optimization (part 1)

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CSE 444 – Query Optimization 1

Announcements

Query Optimization

Three components:

- Cost/cardinality estimation
- Search algorithm

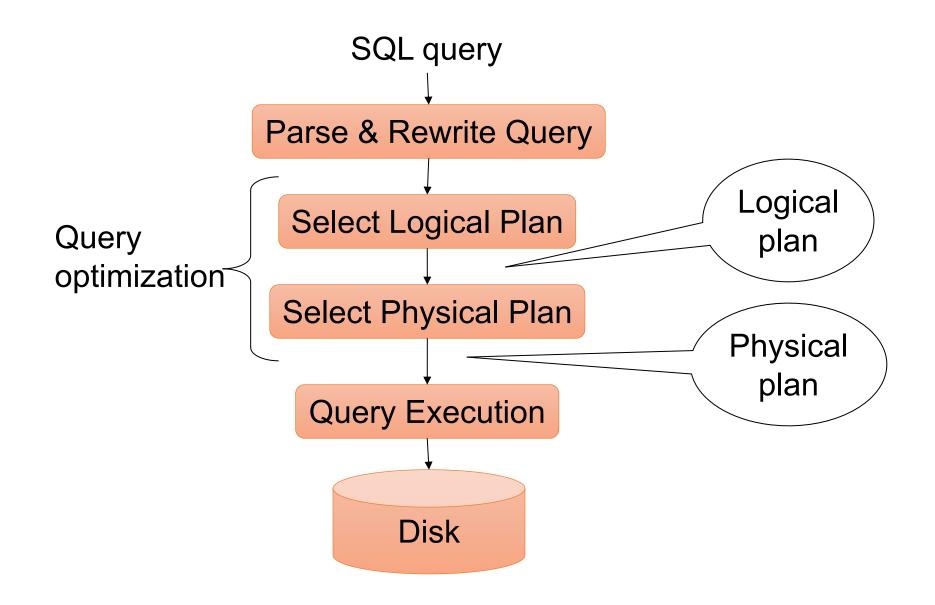
Query Optimization Overview

We know how to compute the cost of a plan

Next: Find a good plan automatically?

This is the role of the query optimizer

Query Optimization Overview



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What We Already Know...

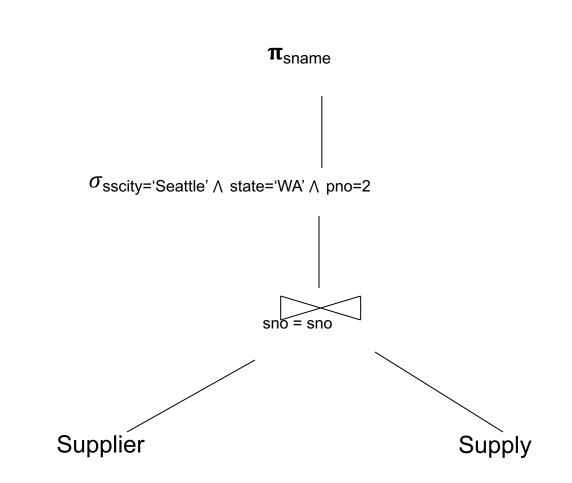
Supplier(sno,sname,scity,sstate)
Part(pno,pname,psize,pcolor)
Supply(sno,pno,price)

For each SQL query....

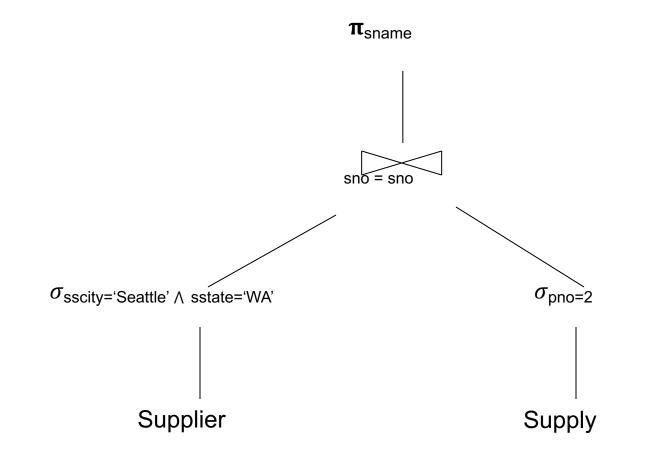
```
SELECT S.sname
FROM Supplier S, Supply U
WHERE S.scity='Seattle' AND S.sstate='WA'
AND S.sno = U.sno
AND U.pno = 2
```

There exist many logical query plans...

Example Query: Logical Plan 1



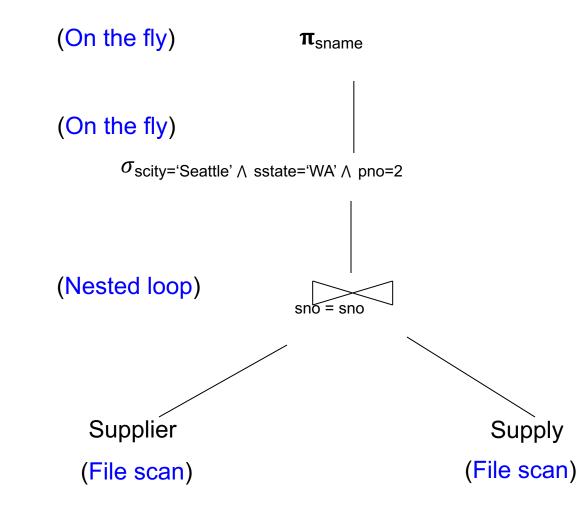
Example Query: Logical Plan 2



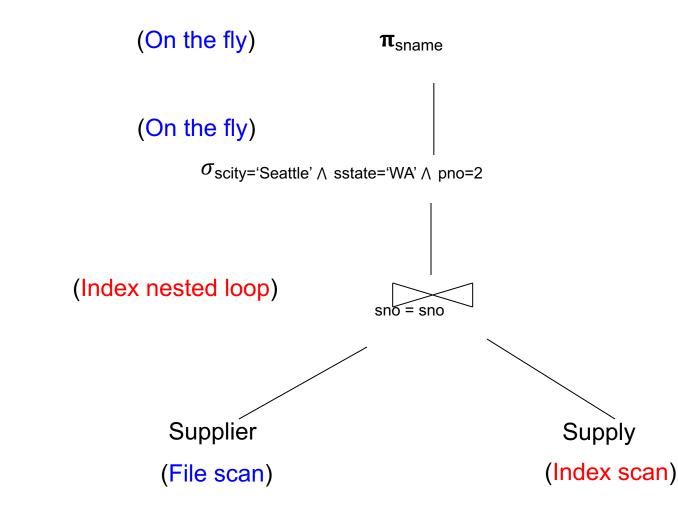
What We Also Know

- For each logical plan...
- There exist many physical plans

Example Query: Physical Plan 1



Example Query: Physical Plan 2



Query Optimizer Overview

- Input: A logical query plan
- Output: A good physical query plan

Query Optimizer Overview

- Input: A logical query plan
- Output: A good physical query plan
- Basic query optimization algorithm
 - Enumerate alternative plans (logical and physical)
 - Compute estimated cost of each plan
 - Compute number of I/Os
 - Optionally take into account other resources
 - Choose plan with lowest cost
 - This is called cost-based optimization

Observations

- No magic "best" plan: depends on the data
- In order to make the right choice
 - Need to have <u>statistics</u> over the data
 - The B's, the T's, the V's
 - Commonly: histograms over base data
 - In SimpleDB as well... lab 5.

Key Decisions for Implementation

Search Space

Optimization rules

Optimization algorithm

Key Decisions for Implementation

Search Space

What form of plans do we consider? **Optimization rules**

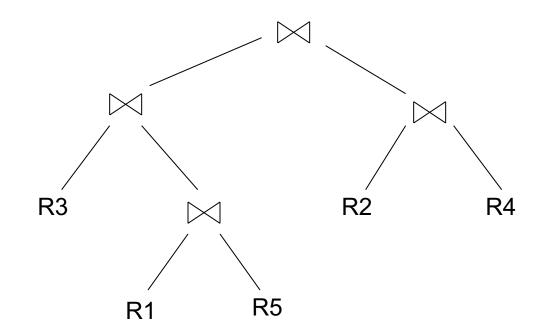
Optimization algorithm

Restricting of Query Plans

- The number of query plans is huge
- Optimizers often restrict them:
 - Restrict the types of trees
 - Restrict cartesian products

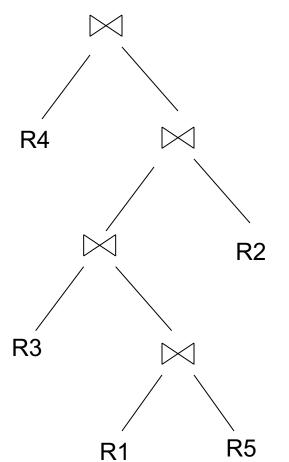


Bushy:



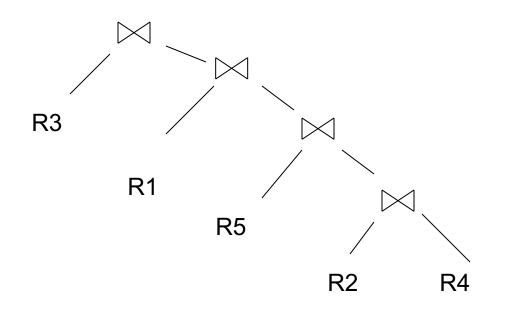
Types of Join Trees

Linear (aka zig-zag):



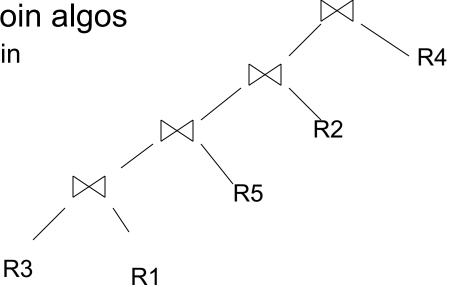
Types of Join Trees

• Right deep:



Types of Join Trees

- Left deep:
 - Work well with existing join algos
 - Nested-loop and hash-join
 - Facilitate pipelining



Key Decisions for Implementation

Search Space

Optimization rules

Which algebraic laws do we apply? Optimization algorithm

Discussion

- When implemented in the optimizer, algebraic laws are called <u>optimization rules</u>
- More rules \rightarrow larger search space \rightarrow better plan
- Less rules \rightarrow faster optimization \rightarrow less good plan
- There is no "complete set" of rules for SQL; Commercial optimizers typically use 5-600 rules, constantly adding rules in response to customer's needs

Optimization Rules – RA equivalencies

Selections

- Commutative: $\sigma_{c1}(\sigma_{c2}(R))$ same as $\sigma_{c2}(\sigma_{c1}(R))$
- Cascading: $\sigma_{c1}^{c}(R)$ same as $\sigma_{c2}(\sigma_{c1}(R))$
- Projections
 - Cascading
- Joins
 - Commutative : $R \bowtie S$ same as $S \bowtie R$
 - Associative: $R \bowtie (S \bowtie T)$ same as $(R \bowtie S) \bowtie T$

Example: Simple Algebraic Laws

• Example: R(A, B, C, D), S(E, F, G)

 $\sigma_{F=3}(R \bowtie_{D=E} S) =$

 $\sigma_{A=5 \text{ AND } G=9}(R \bowtie_{D=E} S) =$

Example: Simple Algebraic Laws

Example: R(A, B, C, D), S(E, F, G)

$$\sigma_{\mathsf{F=3}}(\mathsf{R}\bowtie_{\mathsf{D=E}}\mathsf{S}) = \mathsf{R}\bowtie_{\mathsf{D=E}}\sigma_{\mathsf{F=3}}(\mathsf{S})$$

$$\sigma_{A=5 \text{ AND } G=9} (\mathsf{R} \bowtie_{\mathsf{D}=\mathsf{E}} \mathsf{S}) =$$

Example: Simple Algebraic Laws

Example: R(A, B, C, D), S(E, F, G)

$$\sigma_{F=3}(\mathsf{R}\bowtie_{\mathsf{D}=\mathsf{E}}\mathsf{S}) = \mathsf{R}\bowtie_{\mathsf{D}=\mathsf{E}}\sigma_{F=3}(\mathsf{S})$$

 $\sigma_{A=5\,\text{AND}\,G=9}(\mathsf{R}\bowtie_{\mathsf{D}=\mathsf{E}}\mathsf{S}) = \sigma_{A=5}(\mathsf{R})\bowtie_{\mathsf{D}=\mathsf{E}}\sigma_{G=9}(\mathsf{S})$

$R \bowtie (S \cup T) = (R \bowtie S) \cup (R \bowtie T)$

$R \cup S = S \cup R, R \cup (S \cup T) = (R \cup S) \cup T$ $R \bowtie S = S \bowtie R, R \bowtie (S \bowtie T) = (R \bowtie S) \bowtie T$

Commutativity, Associativity, Distributivity

$$\sigma_{C \text{ AND C'}}(R) = \sigma_{C}(\sigma_{C'}(R)) = \sigma_{C}(R) \cap \sigma_{C'}(R)$$

$$\sigma_{C \text{ OR C'}}(R) = \sigma_{C}(R) \cup \sigma_{C'}(R)$$

$$\sigma_{C}(R \bowtie S) = \sigma_{C}(R) \bowtie S$$

$$\sigma_{C}(R - S) = \sigma_{C}(R) - S$$

$$\sigma_{C}(R \cup S) = \sigma_{C}(R) \cup \sigma_{C}(S)$$

$$\sigma_{C}(R \bowtie S) = \sigma_{C}(R) \bowtie S$$

Assuming C on
attributes of R

Laws Involving Projections

$$\begin{split} \Pi_{M}(\mathsf{R} \bowtie \mathsf{S}) &= \Pi_{M}(\Pi_{\mathsf{P}}(\mathsf{R}) \bowtie \Pi_{\mathsf{Q}}(\mathsf{S})) \\ \Pi_{M}(\Pi_{\mathsf{N}}(\mathsf{R})) &= \Pi_{\mathsf{M}}(\mathsf{R}) \\ /^{*} \text{ note that } \mathsf{M} \subseteq \mathsf{N} */ \end{split}$$

• Example R(A,B,C,D), S(E, F, G) $\Pi_{A,B,G}(R \bowtie_{D=E} S) = \Pi_{?}(\Pi_{?}(R) \bowtie_{D=E} \Pi_{?}(S))$

Laws Involving Projections

$$\begin{split} \Pi_{M}(\mathsf{R} \bowtie \mathsf{S}) &= \Pi_{M}(\Pi_{\mathsf{P}}(\mathsf{R}) \bowtie \Pi_{\mathsf{Q}}(\mathsf{S})) \\ \Pi_{M}(\Pi_{\mathsf{N}}(\mathsf{R})) &= \Pi_{M}(\mathsf{R}) \\ /^{*} \text{ note that } \mathsf{M} \subseteq \mathsf{N} */ \end{split}$$

• Example R(A,B,C,D), S(E, F, G) $\Pi_{A,B,G}(R \bowtie_{D=E} S) = \Pi_{A,B,G}(\Pi_{A,B,D}(R) \bowtie_{D=E} \Pi_{E,G}(S))$

Laws for grouping and aggregation

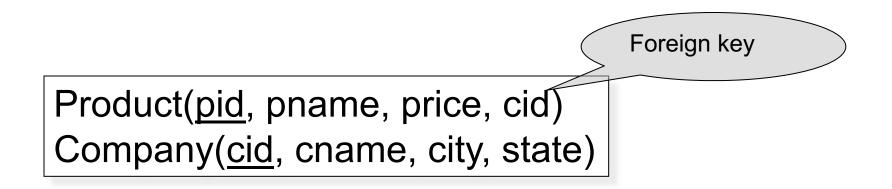
$\gamma_{A, \operatorname{agg}(D)}(\mathsf{R}(A,B) \bowtie_{B=C} \mathsf{S}(C,D)) =$ $\gamma_{A, \operatorname{agg}(D)}(\mathsf{R}(A,B) \bowtie_{B=C} (\gamma_{C, \operatorname{agg}(D)} \mathsf{S}(C,D)))$

Laws for grouping and aggregation

$$\begin{split} &\delta(\gamma_{A, \text{ agg}(B)}(\mathsf{R})) = \gamma_{A, \text{ agg}(B)}(\mathsf{R}) \\ &\gamma_{A, \text{ agg}(B)}(\delta(\mathsf{R})) = \gamma_{A, \text{ agg}(B)}(\mathsf{R}) \\ & \text{ if agg is "duplicate insensitive "} \end{split}$$

Which of the following are "duplicate insensitive"? sum, count, avg, min, max

Laws Involving Constraints



$\Pi_{\text{pid, price}}(\text{Product} \bowtie_{\text{cid=cid}} \text{Company}) = \Pi_{\text{pid, price}}(\text{Product})$

Search Space Challenges

Search space is huge!

- Many possible equivalent trees
- Many implementations for each operator
- Many access paths for each relation
 - File scan or index + matching selection condition
- Cannot consider ALL plans
 - Heuristics: only partial plans with "low" cost

Key Decisions

Logical plan

- What logical plans do we consider (left-deep, bushy?) Search Space
- Which algebraic laws do we apply, and in which context(s)? Optimization rules
- In what order do we explore the search space? Optimization algorithm

Even More Key Decisions!

Physical plan

- What physical operators to use?
- What access paths to use (file scan or index)?
- Pipeline or materialize intermediate results?
- These decisions also affect the search space

Two Types of Optimizers

- Rule-based (heuristic) optimizers:
 - Apply greedily rules that always improve plan
 - Typically: push selections down
 - Very limited: no longer used today
- Cost-based optimizers:
 - Use a cost model to estimate the cost of each plan
 - Select the "cheapest" plan
 - We focus on cost-based optimizers