

CSE 444: Database Internals

Section 5: Transactions

Review in this section

- Serializability and conflict Serializability
 - Precedence graph
- Two-Phase Locking
 - Strict two phase locking
- Concurrency control by timestamp

Review: (Conflict) Serializable Schedule

- A schedule is serializable if it is equivalent to a serial schedule
- A schedule is conflict serializable if it can be transformed into a serial schedule by a series of swappings of adjacent non-conflicting actions

Example:



$r_1(A); w_1(A); r_2(A); w_2(A); r_1(B); w_1(B); r_2(B); w_2(B)$

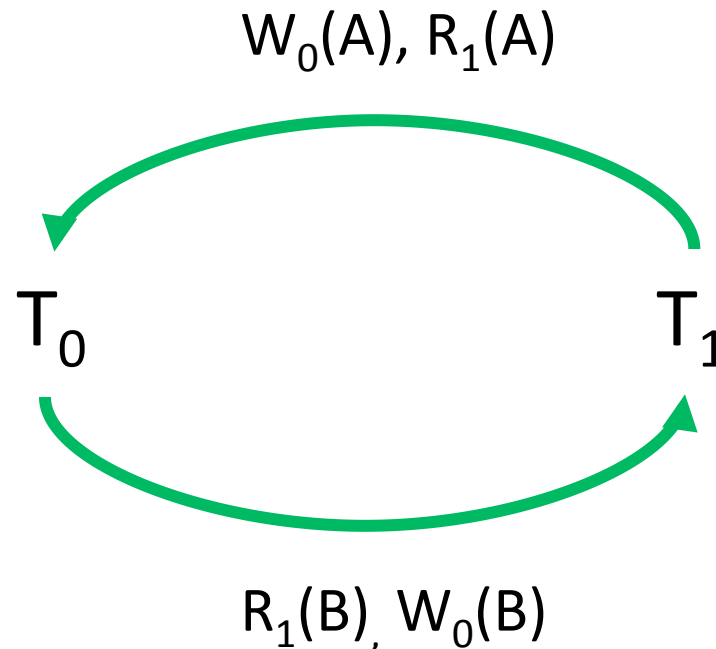
$r_1(A); w_1(A); r_1(B); w_1(B); r_2(A); w_2(A); r_2(B); w_2(B)$

Problem 1: Serializability and Locking

- Is this schedule conflict serializable?

T_0	T_1
$R_0(A)$	
$W_0(A)$	
	$R_1(A)$
	$R_1(B)$
	C_1
$R_0(B)$	
$W_0(B)$	
C_0	

- No.
- The **precedence graph** contains a cycle



- Why does precedence graph test work?
- Proof by induction (sec 18.2.3)

- Show how 2PL can ensure a conflict-serializable schedule

❑ Original schedule below

What is

- Two Phase Locking
- Strict Two Phase Locking?

T_0	T_1
$R_0(A)$	
$W_0(A)$	
	$R_1(A)$
	$R_1(B)$
	C_1
$R_0(B)$	
$W_0(B)$	
C_0	

Review:

(Strict) Two Phase Locking (2PL)

The 2PL rule:

In every transaction, all lock requests must precede all unlock requests

- Ensures conflict serializability

- Proof by induction
(sec 18.3.4)

Strict 2PL:

All locks held by a transaction are released when the transaction is completed

- Ensures that schedules are recoverable
 - Transactions commit only after all transactions whose changes they read also commit
- Avoids cascading rollbacks

- Show how 2PL can ensure a conflict-serializable schedule

□ Original schedule below

T_0	T_1
$R_0(A)$	
$W_0(A)$	
	$R_1(A)$
	$R_1(B)$
	C_1
$R_0(B)$	
$W_0(B)$	
C_0	

T_0	T_1
$L_0(A)$	
$R_0(A)$	
$W_0(A)$	
	$L_1(A) : \text{Block}$
$L_0(B)$	
$R_0(B)$	
$W_0(B)$	
$U_0(A)$	
$U_0(B)$	
C_0	
	$L_1(A) : \text{Granted}$
	$R_1(A)$
	$L_1(B)$
	$R_1(B)$
	$U_1(A)$
	$U_1(B)$
	C_1

Is this strict 2PL?

No, replace C_0
by abort
-- Release locks
after commit

- Show how the use of locks **without 2PL** can lead to a schedule that is NOT conflict-serializable

□ Original schedule below

T_0	T_1
$R_0(A)$	
$W_0(A)$	
	$R_1(A)$
	$R_1(B)$
	C_1
$R_0(B)$	
$W_0(B)$	
C_0	

T_0	T_1
$L_0(A)$	
$R_0(A)$	
$W_0(A)$	
$U_0(A)$	
	$L_1(A)$
	$R_1(A)$
	$U_1(A)$
	$L_1(B)$
	$R_1(B)$
	$U_1(B)$
	C_1
$L_0(B)$	
$R_0(B)$	
$W_0(B)$	
$U_0(B)$	
C_0	

Problem 2: Timestamp-based Concurrency Control

- $TS(T)$ = unique timestamp associated with transaction T
- $RT(X)$ = the highest timestamp of any transaction that read X
- $WT(X)$ = the highest timestamp of any transaction that wrote X
- $C(X)$ = the commit bit: true when transaction with highest timestamp that wrote X committed

Four Rules

- Rule 1: Read request on X by T
 - $TS(T) < WT(X)$, **abort**, not physically realizable (read too late)
 - $TS(T) \geq WT(X)$, physically realizable
 - If $C = 1$, **accept**, update $RT(X)$ if necessary
 - If $C = 0$, **delay** T

Note:

- If a request is not physically realizable, we abort
 - for read request, check WT
 - for write request, check RT
- If it is physically realizable
 - we accept, delay, or (only for write request) ignore

Four Rules

- Rule 2: Write request on X by T
 - $TS(T) < RT(X)$, not physically realizable (write too late)
 - **abort**
 - $TS(T) \geq RT(X)$, physically realizable
 - $TS(T) \geq WT(X)$
 - **accept**, update $WT(X)$, set $C = 0$
 - $TS(T) < WT(X)$
 - If $C = 1$, **ignore**
 - If $C = 0$, **delay**

Four Rules

- Rule 3: Commit request by T
 - Set $C = 1$ for all X written by T
 - Allow waiting transactions to proceed
- Rule 4: Abort T
 - Check if the waiting transactions can proceed now.

You should try to understand the rules before
applying them to solve problems 😊

Problem 2: Timestamp-based Concurrency Control

- Explain what happens when a time-stamp based concurrency control is used.
- $ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow ST_4 \rightarrow R_1(X) \rightarrow R_2(X) \rightarrow W_2(X) \rightarrow W_1(X) \rightarrow W_3(Y) \rightarrow W_2(Y) \rightarrow C_3 \rightarrow W_4(Z) \rightarrow C_4 \rightarrow R_2(Z)$
- Remember!
 - You need to mention any changes of RT, WT, A and C bit of each element
 - Four rules in section 18.8.4
 - Four Possible actions: request is accepted, ignored, delayed, rolledback/aborted

$$ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow ST_4 \rightarrow R_1(X) \rightarrow R_2(X) \rightarrow W_2(X) \rightarrow W_1(X) \rightarrow W_3(Y) \rightarrow W_2(Y) \rightarrow C_3 \rightarrow W_4(Z) \rightarrow C_4 \rightarrow R_2(Z)$$

T1	T2	T3	T4	X	Y	Z
1	2	3	4	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1
R ₁ (X)				RT=1		
	R ₂ (X)			RT=2		
	W ₂ (X)			WT=2, C=0		
W ₁ (X): abort						
		W ₃ (Y)				

1. **NOT** Physically realizable:
 TS(T₁) < RT(X)

Abort/rollback

$$ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow ST_4 \rightarrow R_1(X) \rightarrow R_2(X) \rightarrow W_2(X) \rightarrow W_1(X) \rightarrow W_3(Y) \rightarrow W_2(Y) \rightarrow C_3 \rightarrow W_4(Z) \rightarrow C_4 \rightarrow R_2(Z)$$

T1	T2	T3	T4	X	Y	Z
1	2	3	4	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1
R ₁ (X)				RT=1		
	R ₂ (X)			RT=2		
	W ₂ (X)			WT=2, C=0		
W ₁ (X): abort						
		W ₃ (Y)			WT=3, C=0	
	W ₂ (Y)					

1. Physically realizable:
 $TS(T_3) \geq RT(Y)$ and $TS(T_3) \geq WT(Y)$

2. Update WT and C (not committed yet)

$ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow ST_4 \rightarrow R_1(X) \rightarrow R_2(X) \rightarrow W_2(X) \rightarrow W_1(X) \rightarrow W_3(Y) \rightarrow W_2(Y) \rightarrow C_3 \rightarrow W_4(Z) \rightarrow C_4 \rightarrow R_2(Z)$

T1	T2	T3	T4	X	Y	Z
1	2	3	4	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1
$R_1(X)$				RT=1		
	$R_2(X)$			RT=2		
	$W_2(X)$			WT=2, C=0		
$W_1(X)$: abort						
		$W_3(Y)$			WT=3, C=0	
	$W_2(Y)$: delay					
		C_3				

1. Physically realizable:

$TS(T_3) \geq RT(Y)$ although $TS(T_2) < WT(Y)$

2. We could not apply Thomas' write rule (**ignore $W_2(Y)$**) since $C=0$

$ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow ST_4 \rightarrow R_1(X) \rightarrow R_2(X) \rightarrow W_2(X) \rightarrow W_1(X) \rightarrow W_3(Y) \rightarrow W_2(Y) \rightarrow C_3 \rightarrow W_4(Z) \rightarrow$
 $C_4 \rightarrow R_2(Z)$

T1	T2	T3	T4	X	Y	Z
1	2	3	4	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1
$R_1(X)$				RT=1		
	$R_2(X)$			RT=2		
	$W_2(X)$			WT=2, C=0		
$W_1(X)$: abort						
		$W_3(Y)$			WT=3, C=0	
	$W_2(Y)$: delay					
		C_3			C=1	

What else?

$ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow ST_4 \rightarrow R_1(X) \rightarrow R_2(X) \rightarrow W_2(X) \rightarrow W_1(X) \rightarrow W_3(Y) \rightarrow W_2(Y) \rightarrow C_3 \rightarrow W_4(Z) \rightarrow$
 $C_4 \rightarrow R_2(Z)$

T1	T2	T3	T4	X	Y	Z
1	2	3	4	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1
$R_1(X)$				RT=1		
	$R_2(X)$			RT=2		
	$W_2(X)$			WT=2, C=0		
$W_1(X)$: abort						
		$W_3(Y)$			WT=3, C=0	
	$W_2(Y)$: delay					
		C_3			C=1	
	Ignore $W_2(Y)$ and proceed					
			$W_4(Z)$			

A later write by T₃ has been committed

$ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow ST_4 \rightarrow R_1(X) \rightarrow R_2(X) \rightarrow W_2(X) \rightarrow W_1(X) \rightarrow W_3(Y) \rightarrow W_2(Y) \rightarrow C_3 \rightarrow W_4(Z) \rightarrow$
 $C_4 \rightarrow R_2(Z)$

T1	T2	T3	T4	X	Y	Z
1	2	3	4	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1
$R_1(X)$				RT=1		
	$R_2(X)$			RT=2		
	$W_2(X)$			WT=3, C=0		
$W_1(X): a$						
					WT=3, C=0	
					C=1	
	Ignore $W_2(Y)$ and proceed					
			$W_4(Z)$			WT=4, C = 0
			C_4			

1. Physically realizable:
 $TS(T_4) \geq RT(Z)$ and $TS(T_4) \geq WT(Z)$
2. Update WT and C (not committed yet)

$ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow ST_4 \rightarrow R_1(X) \rightarrow R_2(X) \rightarrow W_2(X) \rightarrow W_1(X) \rightarrow W_3(Y) \rightarrow W_2(Y) \rightarrow C_3 \rightarrow W_4(Z) \rightarrow$
 $C_4 \rightarrow R_2(Z)$

T1	T2	T3	T4	X	Y	Z
1	2	3	4	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1
$R_1(X)$				RT=1		
	$R_2(X)$			RT=2		
	$W_2(X)$			WT=2, C=0		
$W_1(X)$: abort						
		$W_3(Y)$			WT=3, C=0	
	$W_2(Y)$: delay					
		C_3			C=1	
	Ignore $W_2(Y)$ and proceed					
			$W_4(Z)$			WT=4, C = 0
			C_4			C=1
	$R_2(Z)$					

$ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow ST_4 \rightarrow R_1(X) \rightarrow R_2(X) \rightarrow W_2(X) \rightarrow W_1(X) \rightarrow W_3(Y) \rightarrow W_2(Y) \rightarrow C_3 \rightarrow W_4(Z) \rightarrow$
 $C_4 \rightarrow R_2(Z)$

T1	T2	T3	T4	X	Y	Z
1	2	3	4	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1	RT = 0, WT = 0, C = 1
$R_1(X)$				RT=1		
				RT=2		
				WT=2, C=0		
$W_1(X): a$						
					WT=3, C=0	
		C_3			C=1	
	Ign. and proceed	$W_2(Y)$				
			$W_4(Z)$			WT=4, C = 0
			C_4			C=1
	$R_2(Z): \text{abort}$					

1. **NOT** Physically
 realizable:
 $TS(T_2) < WT(Z)$
 Abort/rollback

More Timestamp-based Concurrency Control

What will happen at the last request?

- $ST_1 \rightarrow ST_2 \rightarrow R_1(A) \rightarrow R_2(A) \rightarrow W_1(B) \rightarrow \mathbf{W_2(B)}$
- $ST_1 \rightarrow ST_2 \rightarrow R_2(A) \rightarrow C_2 \rightarrow R_1(A) \rightarrow \mathbf{W_1(A)}$
- $ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow R_1(A) \rightarrow W_3(A) \rightarrow C_3 \rightarrow \mathbf{W_2(A)}$
- $ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow R_1(A) \rightarrow W_1(A) \rightarrow \mathbf{R_2(A)}$

More Timestamp-based Concurrency Control

What will happen at the last request?

- $ST_1 \rightarrow ST_2 \rightarrow R_1(A) \rightarrow R_2(A) \rightarrow W_1(B) \rightarrow \mathbf{W_2(B)}$
– **ACCEPTED** [no need to check C(B)]
- $ST_1 \rightarrow ST_2 \rightarrow R_2(A) \rightarrow C_2 \rightarrow R_1(A) \rightarrow \mathbf{W_1(A)}$
– **ROLLED BACK** [$R_2(A)$ precedes]
- $ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow R_1(A) \rightarrow W_3(A) \rightarrow C_3 \rightarrow \mathbf{W_2(A)}$
– **IGNORED** [$W_3(A)$ committed]
- $ST_1 \rightarrow ST_2 \rightarrow ST_3 \rightarrow R_1(A) \rightarrow W_1(A) \rightarrow \mathbf{R_2(A)}$
– **DELAYED** [$W_1(A)$ not committed yet]