## CSE 444: Database Internals

Lecture 12
Query Optimization (part 3)

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## Sellinger Optimizer

- Problem:
- How to order a series of N joins
e.g. SELECT from $A, B, C, D$

WHERE A.a = B.b AND A.c= D.d AND B.e = C.f

- How many logical/physical plans?
- N ! ways to order joins (e.g. ABCD, ACBD, ....)
- Many plans per ordering (e.g. (((AB)C)D), ((AB)(CD)))
- Multiple access paths for each relation
- E.g. index-scan vs. file scan
- Naïve approach does not scale
- E.g. $\mathrm{N}=20$, no. of join orders is $20!=2.4 \times 10^{18}$, and many more plans


## Dynamic Programming

$\mathbf{R}=$ set of relations to join (e.g. $\{A, B, C, D\}$ )
For d in $\{1 \ldots|\mathbf{R}|\}$
Choice of relation for
Logical plan
For $\mathbf{S}$ in $\{$ all length-d subsets of $\mathbf{R}\}$ $\operatorname{optJoin}(\mathbf{S})=$ min $_{\mathbf{A} \in \mathbf{S}}$
$[\operatorname{cost}($ optJoin $(\mathbf{S}-\{\mathbf{A}\}))$
Physical $\Longrightarrow+$ min $_{\text {access methods }}$ [access cost for A] implementation $\qquad$ $\Longrightarrow+\min _{\text {join methods }}$ cost of joining $(S-\{A\})$ to $\left.A\right]$

Note: We are using optimality of subproblems. Why?

## Example

- optJoin(A, B, C, D)

$$
\mathbf{R}=\{\mathrm{A}, \mathrm{~B}, \mathrm{C}, \mathrm{D}\}
$$

- Assume all joins are nested-loop
- All subsets of size $d=1$
- \{A\}: best way to access A (seq. scan, index scan, predicate pushdown)
- Similarly for $\{B\},\{C\},\{D\}$

| Subplan S | optJoin(S) | Cost(OptJoin(S)) |
| :--- | :--- | :--- |
| A | Hash index <br> scan | 100 |
| B | Seq. scan | 50 |
| C | Seq scan | 120 |
| D | B+tree <br> scan | 400 |

## Example

- optJoin(A, B, C, D)
- All subsets of size $d=2$
$S=\{A, B\}: A B$ or $B A$
- consider least cost option
to access inner relation
- Only one option for join
(Nested loop)
- Similarly for $S=\{B, C\},\{C, D\},\{A, C\},\{A, D\},\{B, D\}$
- Total logical options: choose(N, 2) * 2

| - optJoin(A, B, C, D) <br> - All subsets of size d=3 | mol |  |  |
| :---: | :---: | :---: | :---: |
|  | Subplan S | optoin(S) | Cost(Opt.Join(S)) |
|  | A | Index scan | 100 |
|  | B | Seq. scan | 50 |
|  |  |  |  |
| $S=\{A, B, C\}$ : | (A, B \} | BA | 156 |
|  | (B,C ${ }^{\text {d }}$ | BC | 98 |
| - Remove A, compute least cost join \{B, C\} to A | $\ldots$ |  |  |
|  | \{A, B, C \} | BAC | 500 |
| - Remove B, compute least cost join $\{A, C\}$ to $B$ <br> - Remove A, compute least <br> Similarly for $S=\{A, B, D\}$, | join $\{A$, | o C $\mathrm{D}\}, \ldots$ | optJoin(B, C) and its cost are already cached in table |
| Note: A little more general in simpledb-lab4, compares cost of joining $\{B, C\}$ to $A$ and also $A$ to $\{B, C\}$ |  |  |  |
| Total logical options: choose(N, 3) x 3 ----------- (x 2 in simpledb) |  |  |  |

## Complexity

- No. of different subsets considered:
- For a fixed value of $\mathrm{d}, \mathrm{Choose}(\mathrm{N}, \mathrm{d})$ choices of subsets S of size d
- For a fixed choice of $S,|S|=d, d$ choices of the inner relation $A$ to be joined with S - $\{\mathrm{A}\}$
- Total \#logical options considered
- Choose(N, 1) + Choose(N, 2) * $2+\ldots . .+$ Choose (N, N) * N
$<=N \Sigma_{d=1 \text { to } N}$ Choose (N, d)
$<=\mathrm{N} 2^{\mathrm{N}}$
- \#Options double in simpleDB
- $\mathrm{N}=20$, cost $=2.1 \times 10^{7}$
- Much smaller than the no. of left deep trees $=\mathrm{N}!=20!=2.4 \times 10^{18}$
- If there are $m$ ways of doing the physical join, then \#physical options = $\mathrm{O}\left(\mathrm{mN}^{\mathrm{N}}\right)$, also another factor for multiple "interesting orders"


## Example

- optJoin(A, B, C, D)

| Subplan S | optJJoin(S) | Cost(OptJoin(S)) |
| :--- | :--- | :--- |
|  |  |  |

$\begin{array}{llll} & A & \text { Index scan } & 100\end{array}$

| $S=\{A, B, C, D\}:$ | $\{A, B\}$ | $B A$ | 156 |
| :--- | :--- | :--- | :--- |
|  | $\{B, C\}$ | $B C$ | 98 |

- Remove A, compute least cost join $\{B, C, D\}$ to $A$ $\{\mathrm{B}, \mathrm{B}, \mathrm{BC}$ 98 $\{\mathrm{A}, \mathrm{B}, \mathrm{C}\} \quad \mathrm{BAC}$ 500
150
- Remove B, compute lea
$\{\mathrm{B}, \mathrm{C}, \mathrm{D}\} \quad \mathrm{DBC}$ 150
cost join $\{A, C, D\}$ to $B$
- Remove $C$, compute least cost join $\{A, B, D\}$ to $C$
- Remove D, compute least cost join $\{A, B, C\}$ to $D$
- Final answer is a plan with min-cost of these four
- Total logical options: choose( $\mathrm{N}, 4) \times 4$ (x 2 in simpledb)

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## Why Left-Deep and Not Right-Deep

- Asymmetric, cost depends on the order
- Left: Outer relation Right: Inner relation
- For nested-loop-join,
we try to load the outer(typically smaller) relation in memory, then read the inner relation one page at a time

$$
B(R)+B(R) * B(S)
$$

- For index-join,
we assume right (inner) relation has index


## Why Left-Deep and Not Right-Deep

- Advantages of left-deep trees?

1. Fits well with standard join algorithms (nested loop, one-pass), more efficient
2. One pass join: Uses smaller memory
3. ((R, S), $T)$, can reuse the space for $R$ while joining ( $R, S$ ) with $T$
4. (R, (S, T)): Need to hold R, compute (S, T), then join with R, worse if more relations
5. Nested loop join, consider top-down iterator next()
6. ((R, S), T), Reads the chunks of (R, S) once, reads stored base relation $T$ multiple times
7. (R, $(S, T)$ ): Reads the chunks of $R$ once, reads computed relation ( $\mathrm{S}, \mathrm{T}$ ) multiple times, either more time or more space

## Implementation in SimpleDB (lab4)

1. JoinOptimizer.java (and the classes used there)
2. Returns vector of "LogicalJoinNode"
a) Two base tables, two join attributes, predicate
b) e.g. $R(a, b), S(c, d), T(a, f), U(p, q)$
c) (R, S, R.a, S.c, =)
d) Recall that SimpleDB stores all attributes of

R, S after their join R.a, R.b, S.c, S.d
3. Output vector looks like:
<(R, S, R.a, S.c), (R, T, R.b, T.f), (S, U, S.d, U.q)>

## Implementation in SimpleDB (lab4)

Any advantage of returning pairs?

- Flexibility to consider all linear plans $<(R$, S, R.a,S.c), (R, T, R.b, T.f), (U, S, U.q, S.d)>


## More Details:

1. You mainly need to implement "orderJoin(..)"
2. "CostCard" data structure stores a plan, its cost and cardinality: you would need to estimate them
3. "PlanCache" stores the table in dyn. Prog: Maps a set of LJN to a vector of LJN (best plan for the vector),

its cost,
and its cardinality

## The Index Selection Problem

- Given a database schema (tables, attributes)
- Given a "query workload":
- Workload = a set of (query, frequency) pairs
- Either from log, or from the application programmer
- The queries may be both SELECT and updates
- Frequency = either a count, or a percentage
- Select a set of indexes that optimizes the workload
- Either candidates are suggested to the programmer or some indexes are automatically created
In general this is a very hard problem


## The Index Selection Problem

- So far
- Given a physical plan, compute its cost
- Given some choices of indexes for each relation, find the best logical/physical plan (Sellinger)
- Now
- How to automatically choose indexes for relations
- Index Selection Problem! (recall from 344)
- Adv of index: search Disadv.: update
- What are the parameters to consider?


## Basic Index Selection Guidelines

- Consider queries in workload in order of importance
- If a query is only executed 1 out of 10000 times, we can ignore it
- Consider relations accessed by query
- No point indexing other relations
- Look at WHERE clause for possible search key
- Selection or join condition, selectivity of conditions
- Try to choose indexes that speed-up multiple queries


## Basic Index Selection Guidelines

- And then consider the following...

1. Which search key
2. Multi attribute keys (covering index)
3. Cluster or Unclustered
4. Hash Index or B+ tree Index
5. Query vs. Updates

## 1. Which Search Key

- Make some attribute K a search key if the WHERE clause contains:
- An exact match on $K$
- A range predicate on K
- A join on K


## 2. Multi-attribute Keys

Consider creating a multi-attribute key $\mathrm{K} 1, \mathrm{~K} 2, \ldots$ for a relation if

1. WHERE clause has matches on $\mathrm{K} 1, \mathrm{~K} 2, \ldots$

- But also consider separate indexes

2. SELECT clause contains only $\mathrm{K} 1, \mathrm{~K} 2$, ..

- A covering index is one that can be used exclusively to answer a query without accessing the actual relation
- e.g. index $R(K 1, K 2)$ covers the query:

SELECT K2 FROM R WHERE K1=55

You will know about the other considerations (Cluster or Unclustered, Hash Index or B+ tree Index, Query vs. Updates)
later in the lecture on "Database Tuning"

