

# Lecture 23: Query Execution

Wednesday, March 8, 2006

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## Outline

- Query optimization: algebraic laws 16.2

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## Example

**Product**(pname, maker), **Company**(cname, city)

```
Select Product.pname  
From Product, Company  
Where Product.maker=Company.cname  
and Company.city = "Seattle"
```

- How do we execute this query ?

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## Example

**Product**(pname, maker), **Company**(cname, city)

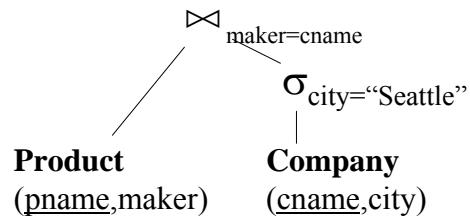
Assume:

Clustered index: **Product**.pname, **Company**.cname

Unclustered index: **Product**.maker, **Company**.city

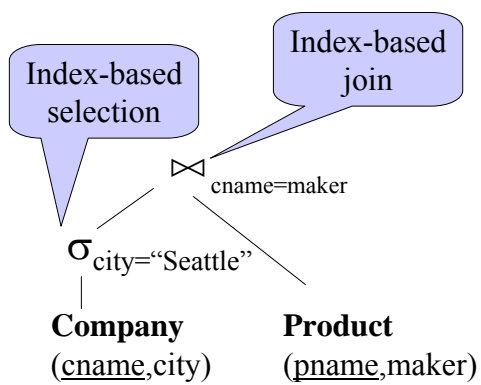
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## Logical Plan:



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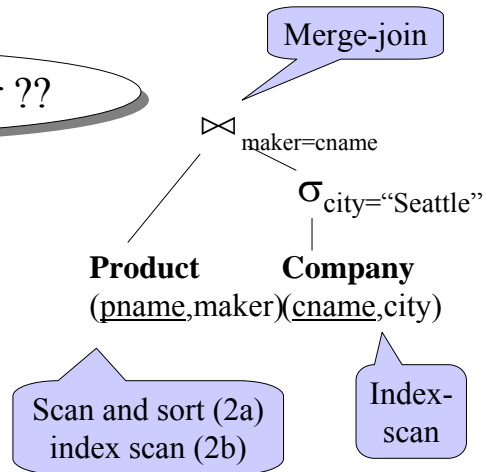
## Physical plan 1:



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## Physical plans 2a and 2b:

Which one is better ??

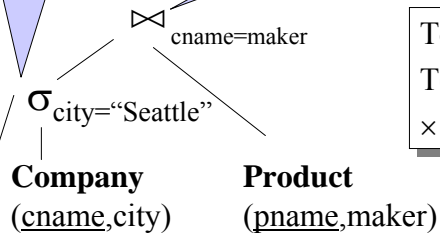


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Physical plan 1:  $\times T(\mathbf{Product}) / V(\mathbf{Product}, \text{maker})$

Index-based selection

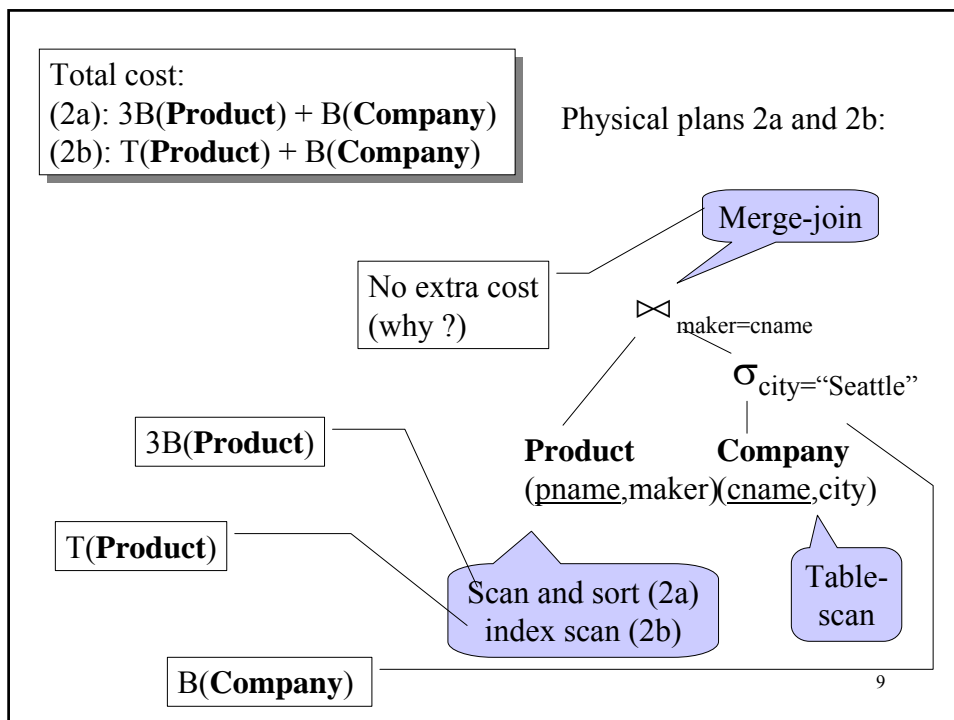
Index-based join



Total cost:  
 $T(\mathbf{Company}) / V(\mathbf{Company}, \text{city})$   
 $\times T(\mathbf{Product}) / V(\mathbf{Product}, \text{maker})$

$T(\mathbf{Company}) / V(\mathbf{Company}, \text{city})$

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Plan 1:  $T(\mathbf{Company})/V(\mathbf{Company},\text{city}) \times T(\mathbf{Product})/V(\mathbf{Product},\text{maker})$

Plan 2a:  $B(\mathbf{Company}) + 3B(\mathbf{Product})$

Plan 2b:  $B(\mathbf{Company}) + T(\mathbf{Product})$

Which one is better ??

It depends on the data !!

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## Example

$$\begin{aligned} T(\mathbf{Company}) &= 5,000 & B(\mathbf{Company}) &= 500 & M &= 100 \\ T(\mathbf{Product}) &= 100,000 & B(\mathbf{Product}) &= 1,000 \end{aligned}$$

We may assume  $V(\mathbf{Product}, \text{maker}) \approx T(\mathbf{Company})$  (why ?)

- Case 1:  $V(\mathbf{Company}, \text{city}) \approx T(\mathbf{Company})$

$$V(\mathbf{Company}, \text{city}) = 2,000$$

- Case 2:  $V(\mathbf{Company}, \text{city}) \ll T(\mathbf{Company})$

$$V(\mathbf{Company}, \text{city}) = 20$$

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## Which Plan is Best ?

$$\begin{aligned} \text{Plan 1: } & T(\mathbf{Company})/V(\mathbf{Company}, \text{city}) \times T(\mathbf{Product})/V(\mathbf{Product}, \text{maker}) \\ \text{Plan 2a: } & B(\mathbf{Company}) + 3B(\mathbf{Product}) \\ \text{Plan 2b: } & B(\mathbf{Company}) + T(\mathbf{Product}) \end{aligned}$$

Case 1:

Case 2:

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## Lessons

- Need to consider several physical plan
  - even for one, simple logical plan
- No magic “best” plan: depends on the data
- In order to make the right choice
  - need to have statistics over the data
  - the B’s, the T’s, the V’s

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## Query Optimzation

- Have a SQL query Q
- Create a plan P
- Find equivalent plans  $P = P' = P'' = \dots$
- Choose the “cheapest”.



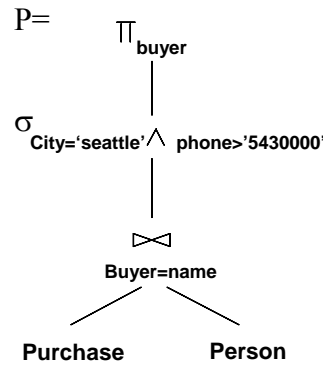
HOW ??

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# Logical Query Plan

```
SELECT P.buyer
FROM Purchase P, Person Q
WHERE P.buyer=Q.name AND
      P.city='seattle' AND
      Q.phone > '5430000'
```

Purchase(buyer, city)  
Person(name, phone)



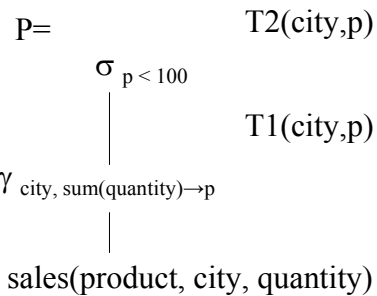
In class:  
find a “better” plan P’

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# Logical Query Plan

Q=

```
SELECT city, sum(quantity)
FROM sales
GROUP BY city
HAVING sum(quantity) < 100
```



In class:  
find a “better” plan P’

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## The three components of an optimizer

We need three things in an optimizer:

- Algebraic laws
- An optimization algorithm
- A cost estimator

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## Algebraic Laws

- Commutative and Associative Laws

$$R \cup S = S \cup R, \quad R \cup (S \cup T) = (R \cup S) \cup T$$

$$R \times S = S \times R, \quad R \times (S \times T) = (R \times S) \times T$$

$$R \times S = S \times R, \quad R \times (S \times T) = (R \times S) \times T$$

- Distributive Laws

$$R \times (S \cup T) = (R \times S) \cup (R \times T)$$

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## Algebraic Laws

- Laws involving selection:

$$\sigma_{C \text{ AND } C'}(R) = \sigma_C(\sigma_{C'}(R)) = \sigma_C(R) \cap \sigma_{C'}(R)$$

$$\sigma_{C \text{ OR } C'}(R) = \sigma_C(R) \cup \sigma_{C'}(R)$$

$$\sigma_C(R \times S) = \sigma_C(R) \times S$$

- When C involves only attributes of R

$$\sigma_C(R - S) = \sigma_C(R) - S$$

$$\sigma_C(R \cup S) = \sigma_C(R) \cup \sigma_C(S)$$

$$\sigma_C(R \times S) = \sigma_C(R) \times S$$

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## Algebraic Laws

- Example: R(A, B, C, D), S(E, F, G)

$$\sigma_{F=3}(R \times_{D=E} S) = \quad ?$$

$$\sigma_{A=5 \text{ AND } G=9}(R \times_{D=E} S) = \quad ?$$

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## Algebraic Laws

- Laws involving projections

$$\Pi_M(R \bowtie S) = \Pi_M(\Pi_P(R) \bowtie \Pi_Q(S))$$

$$\Pi_M(\Pi_N(R)) = \Pi_{M,N}(R)$$

- Example  $R(A,B,C,D)$ ,  $S(E, F, G)$

$$\Pi_{A,B,G}(R \bowtie_{D=E} S) = \Pi_{\gamma}(\Pi_{\gamma}(R) \bowtie_{D=E} \Pi_{\gamma}(S))$$

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## Algebraic Laws

- Laws involving grouping and aggregation:

$$\delta(\gamma_{A, \text{agg}(B)}(R)) = \gamma_{A, \text{agg}(B)}(R)$$

$$\gamma_{A, \text{agg}(B)}(\delta(R)) = \gamma_{A, \text{agg}(B)}(R) \text{ if agg is "duplicate insensitive"}$$

- Which of the following are “duplicate insensitive” ?  
sum, count, avg, min, max

$$\gamma_{A, \text{agg}(D)}(R(A,B) \bowtie_{B=C} S(C,D)) = \gamma_{A, \text{agg}(D)}(R(A,B) \bowtie_{B=C} (\gamma_{C, \text{agg}(D)} S(C,D)))$$

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