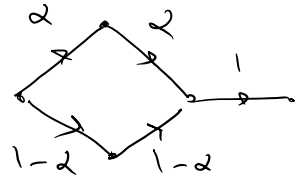
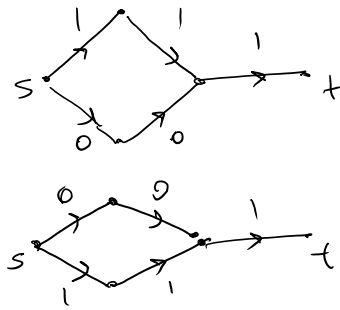
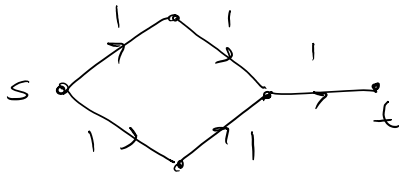
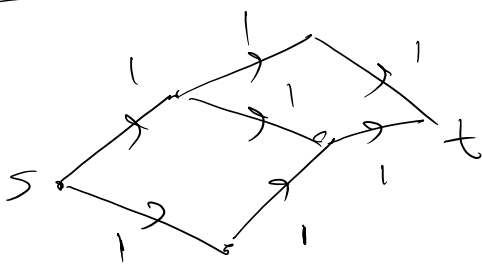


Max flow uniqueness



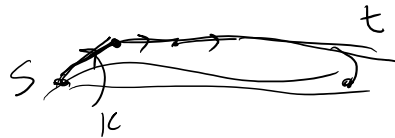
Max flow reduction



Max fl. \geq # edge disj path



Max fl. \leq # edge dis paths



max # edge disj paths \leq min # edges that disconnect s from t.

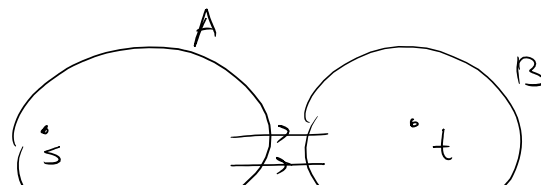


Every path from $s \rightarrow t$ uses at least one of these $1c$ edges

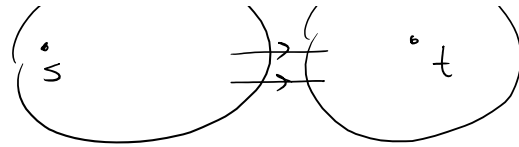
\Rightarrow At most $1c$ edge disj paths

max # edge disj paths \geq min # edges that disconnect s from t.

max " flow
min " s-t cut



min $s \rightarrow t$ cut



$$\text{cap}(A, B) = \sum_{e \text{ out of } A} c(e) = \# \text{ edges from } A \rightarrow B$$

If I remove all edges from $A \leftrightarrow B$ there is no more path from $s \rightarrow t$. So s is disconnected from t .

$$\text{max \# edge disj paths} = \text{cap}(A, B) \geq \text{min \# edges that disconnect } s \text{ from } t$$
