

## Recurrence

|   |    |   |   |    |             |                  |    |
|---|----|---|---|----|-------------|------------------|----|
|   |    |   |   |    |             |                  |    |
| 0   | 1  | 2 | 3 | 4  | 5           | 6                | 7  |
| 5   | -6 | 3 | 6 | -5 | 2           | 8                | 10 |
| Recursive call is best value in this area |    |   |   |    | Current $i$ | Ignored for now. |    |

Need recursive answer to the left

Currently processing  $i$

Recursive calls to the left are needed to know optimum from  $1 \dots i$

Will move  $i$  to the right in our iterative algorithm

## Longest Increasing Subsequence

$LIS(i, j)$  is "Number of elements of the maximum increasing subsequence from  $0, \dots, i$  where every element of the sequence is at most  $A[j]$ "

Need a recurrence

$$LIS(i, j) = \begin{cases} ? & \text{if } i < 0 \\ ? & \text{if } i = 0 \\ ? & \text{if } A[i] > A[j] \\ ? & \text{otherwise} \end{cases}$$

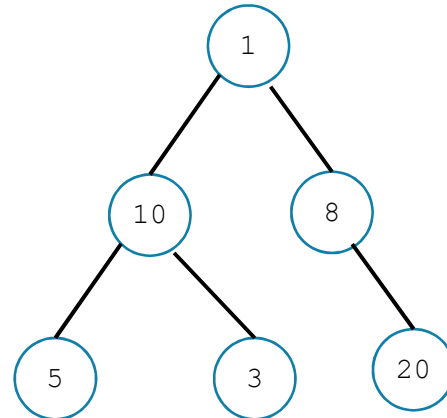
## Vertex Cover

### Vertex Cover

A set  $S$  of vertices is a vertex cover if for every edge  $(u, v)$ :  $u$  is in  $S$ , or  $v$  is in  $S$ , (or both)

Find the minimum vertex cover in a tree.

Give every **vertex** a weight, find the minimum weight vertex cover



## Recurrence

Let  $OPT(v)$  be the weight of a minimum weight vertex cover for the subtree rooted at  $v$ .

Write a recurrence for  $OPT()$

Then figure out how to calculate it