

Dataflow Analysis + Intro to SSA

CSE 401/M501

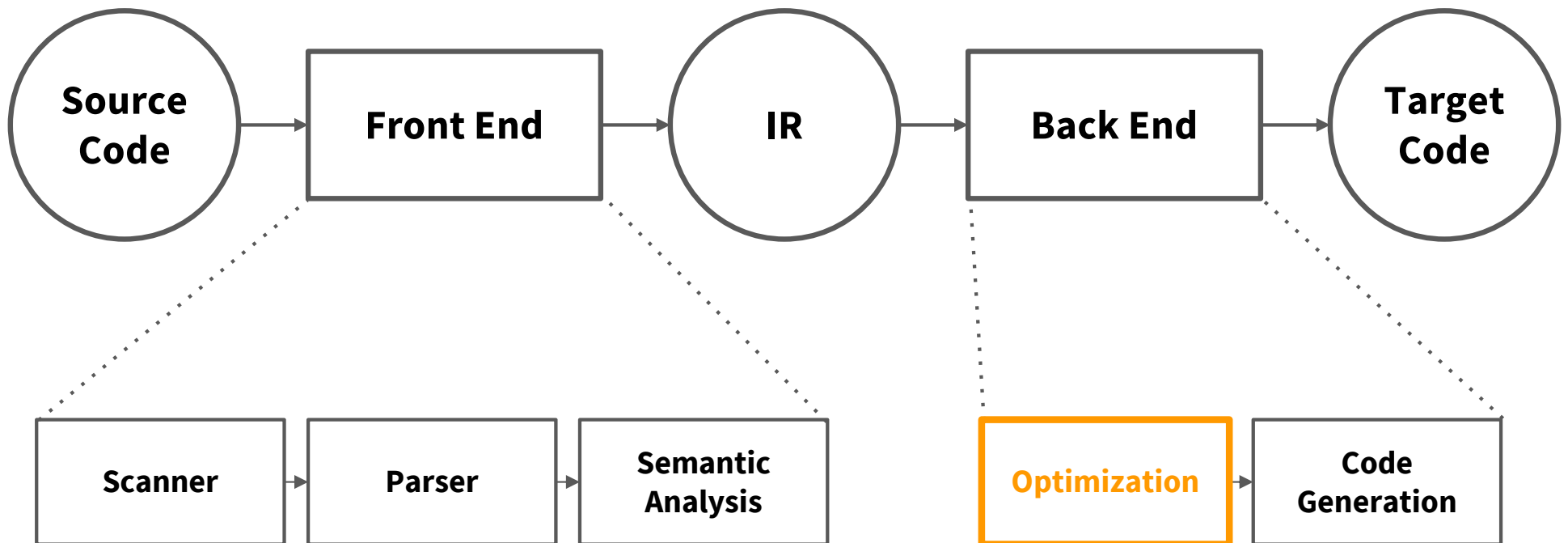
Announcements

- 401 CodeGen hard deadline – **SATURDAY 11pm** no matter what late days used before. Must commit/push/tag by Sat. 11pm, *not* later
- 401 report due next Tuesday; M501 project/report due as written on assignment
- HW4 due next Thursday
- No lecture on Friday – extended office hours/work session from 1:30-4:30, CSE 303 (Allen Center)



| | | | | | | | | | |
|---|----|---------------------------------|----|--|----|---|----|---|----|
| 11:45-12:45 OH (Rachel) CSE2 150 | 22 | 14:00-15:00 OH (Rachel) zoom | 23 | 13:00-14:30 OH (John) CSE2 150 | 24 | Section <i>Dataflow & SSA</i> | 25 | 12:30-13:30 OH (Randy) CSE2 151 + zoom | 26 |
| 14:30-15:20 Lecture CSE2 G10 <i>Back end overview; instruction selection slides</i> | | | | 14:30-15:20 Lecture CSE2 G10 <i>Instruction scheduling & register allocation (no new slides)</i> | | 12:30-13:30 OH (Randy) CSE2 151 + zoom | | 14:30-15:20 Lecture CSE2 G10 <i>Back end (concl.)</i> | |
| | | | | 16:30-17:30 OH (Robert) CSE2 152 + zoom | | 16:30-17:30 OH (Robert) CSE2 152 + zoom | | 15:30-16:30 OH (John) CSE2 151 | |
| | | | | | | 23:00 Project: <i>code generation due (401)</i> | | | |

Review of Optimizations



Review of Optimizations

Peephole

Local

Intraprocedural / Global

Interprocedural

Review of Optimizations

Peephole A few Instructions

Local

Intraprocedural / Global

Interprocedural

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Local A Basic Block

Intraprocedural / Global

Interprocedural

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Local A Basic Block

Intraprocedural / Global A Function/Method

Interprocedural

Review of Optimizations

Peephole A few Instructions

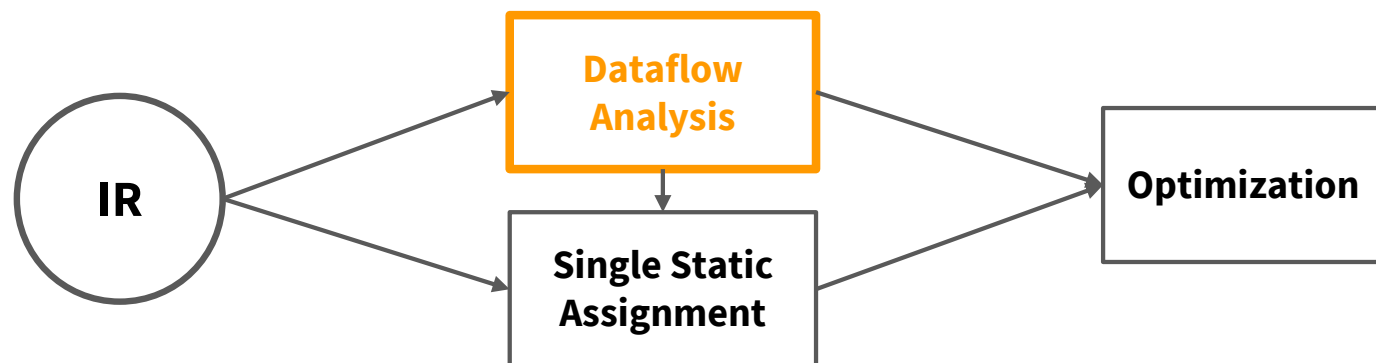
Local A Basic Block

Intraprocedural / Global A Function/Method

Interprocedural A Program

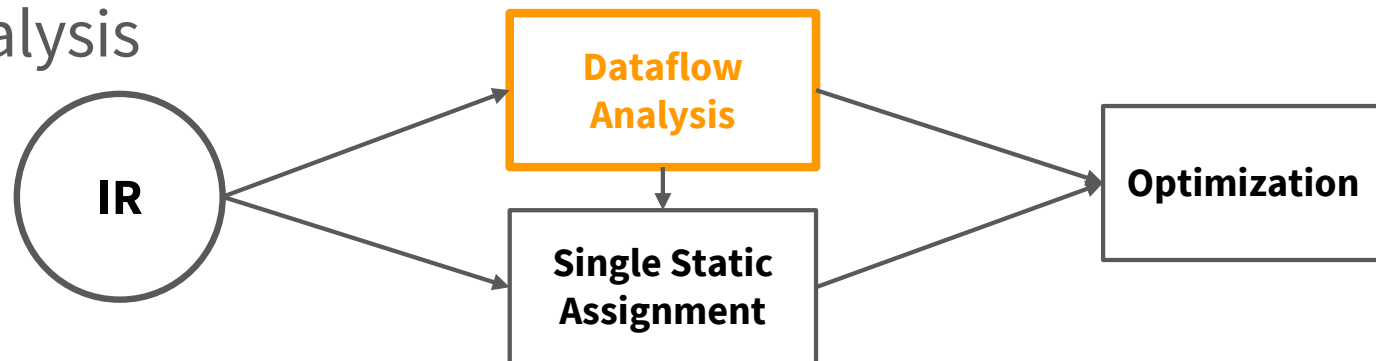
Overview of Dataflow Analysis

- A framework for exposing properties about programs
- Operates using sets of “facts”



Overview of Dataflow Analysis

- A framework for exposing properties about programs
- Operates using sets of “facts”
- Just the initial discovery phase
 - Changes can then be made to optimize based on the analysis



Overview of Dataflow Analysis

- Basic Framework of Set Definitions (for a Basic Block b):
 - $IN(b)$: facts true on entry to b
 - $OUT(b)$: facts true on exit from b
 - $GEN(b)$: facts created (and not killed) in b
 - $KILL(b)$: facts killed in b

Reaching Definitions (A Dataflow Problem)

“What definitions of each variable might reach this point”

- Could be used for:
 - Constant Propagation
 - Uninitialized Variables

```
int x;  
  
if (y > 0) {  
    x = y;  
} else {  
    x = 0;  
}  
  
System.out.println(x);
```

“x=y”, “x=0”

Reaching Definitions (A Dataflow Problem)

“What definitions of each variable might reach this point”

- **Be careful:** Does not involve the *value* of the definition
 - The dataflow problem “Available Expressions” is designed for that

```
int x;  
  
if (y > 0) {  
    x = y;  
} else {  
    x = 0;  
}  
  
y = -1;  
System.out.println(x);
```

still: “x=y”, “x=0”

Equations for Reaching Definitions

- $IN(b)$: the definitions reaching upon entering block b
- $OUT(b)$: the definitions reaching upon exiting block b
- $GEN(b)$: the definitions assigned and not killed in block b
- $KILL(b)$: the definitions of variables overwritten in block b

$$IN(b) = \bigcup_{p \in \text{pred}(b)} OUT(p)$$

$$OUT(b) = GEN(b) \cup (IN(b) - KILL(b))$$

Problems 1(a) and 1(b)

L0: a = 0
 L1: b = a + 1
 L2: c = c + b
 L3: a = b * 2
 L4: if a < N goto L1
 L5: return c

| Block | GEN | KILL | IN (1) | OUT (1) | IN (2) | OUT (2) |
|-------|-----|------|--------|---------|--------|---------|
| L0 | L0 | | | | | |
| L1 | L1 | | | | | |
| L2 | L2 | | | | | |
| L3 | L3 | | | | | |
| L4 | | | | | | |
| L5 | | | | | | |

L0: a = 0
 L1: b = a + 1
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| Block | GEN | KILL | IN (1) | OUT (1) | IN (2) | OUT (2) |
|-------|-----|------|--------|---------|--------|---------|
| L0 | L0 | | | | | |
| L1 | L1 | | | | | |
| L2 | L2 | | | | | |
| L3 | L3 | L0 | | | | |
| L4 | | | | | | |
| L5 | | | | | | |

L0: a = 0
 L1: b = a + 1
 L2: c = c + b
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 L5: return c

| Block | GEN | KILL | IN (1) | OUT (1) | IN (2) | OUT (2) |
|-------|-----|------|------------|---------|--------|---------|
| L0 | L0 | | | | | |
| L1 | L1 | | L0 | | | |
| L2 | L2 | | L0, L1 | | | |
| L3 | L3 | L0 | L0, L1, L2 | | | |
| L4 | | | L1, L2, L3 | | | |
| L5 | | | L1, L2, L3 | | | |

L0: a = 0
 L1: b = a + 1
 L2: c = c + b
 L3: a = b * 2
 L4: if a < N goto L1
 L5: return c

| Block | GEN | KILL | IN (1) | OUT (1) | IN (2) | OUT (2) |
|-------|-----|------|------------|------------|--------|---------|
| L0 | L0 | | | L0 | | |
| L1 | L1 | | L0 | L0, L1 | | |
| L2 | L2 | | L0, L1 | L0, L1, L2 | | |
| L3 | L3 | L0 | L0, L1, L2 | L1, L2, L3 | | |
| L4 | | | L1, L2, L3 | L1, L2, L3 | | |
| L5 | | | L1, L2, L3 | L1, L2, L3 | | |

L0: a = 0
 L1: b = a + 1
 L2: c = c + b
 L3: a = b * 2
 L4: if a < N goto L1
 L5: return c

| Block | GEN | KILL | IN (1) | OUT (1) | IN (2) | OUT (2) |
|-------|-----|------|------------|------------|----------------|----------------|
| L0 | L0 | | | L0 | | L0 |
| L1 | L1 | | L0 | L0, L1 | L0, L1, L2, L3 | L0, L1, L2, L3 |
| L2 | L2 | | L0, L1 | L0, L1, L2 | L0, L1, L2, L3 | L0, L1, L2, L3 |
| L3 | L3 | L0 | L0, L1, L2 | L1, L2, L3 | L0, L1, L2, L3 | L1, L2, L3 |
| L4 | | | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 |
| L5 | | | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 |

L0: a = 0
 L1: b = a + 1
 L2: c = c + b
 L3: a = b * 2
 L4: if a < N goto L1
 L5: return c

Convergence!

| Block | GEN | KILL | IN (1) | OUT (1) | IN (2) | OUT (2) |
|-------|-----|------|------------|------------|----------------|----------------|
| L0 | L0 | | | L0 | | L0 |
| L1 | L1 | | L0 | L0, L1 | L0, L1, L2, L3 | L0, L1, L2, L3 |
| L2 | L2 | | L0, L1 | L0, L1, L2 | L0, L1, L2, L3 | L0, L1, L2, L3 |
| L3 | L3 | L0 | L0, L1, L2 | L1, L2, L3 | L0, L1, L2, L3 | L1, L2, L3 |
| L4 | | | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 |
| L5 | | | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 |

L0: $a = 0$
 L1: $b = a + 1$
 L2: $c = c + b$
 L3: $a = b * 2$
 L4: if $a < N$ goto L1
 L5: return c

Is it possible to replace the use of a in block L1 with the constant 0?

| Block | GEN | KILL | IN (1) | OUT (1) | IN (2) | OUT (2) |
|-------|-----|------|------------|------------|----------------|----------------|
| L0 | L0 | | | L0 | | L0 |
| L1 | L1 | | L0 | L0, L1 | L0, L1, L2, L3 | L0, L1, L2, L3 |
| L2 | L2 | | L0, L1 | L0, L1, L2 | L0, L1, L2, L3 | L0, L1, L2, L3 |
| L3 | L3 | L0 | L0, L1, L2 | L1, L2, L3 | L0, L1, L2, L3 | L1, L2, L3 |
| L4 | | | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 |
| L5 | | | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 |

L0: a = 0
 L1: b = a + 1
 L2: c = c + b
 L3: a = b * 2
 L4: if a < N goto L1
 L5: return c

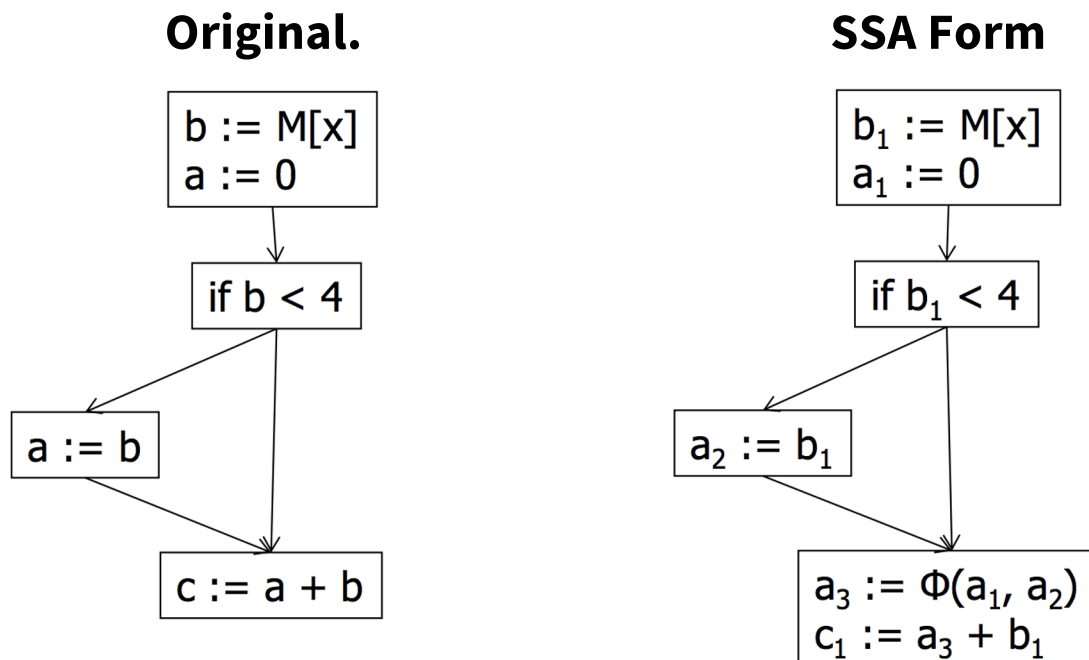
Is it possible to replace the use of *a* in block L1 with the constant 0?

No. To determine this, we would look at the IN set for block L1 -- the fact that the IN set contains two definitions of 'a' (L0 and L3) means we cannot perform this constant propagation. In other words, more than one definition of 'a' is a reaching definition to block L1, and therefore performing constant propagation would only preserve one possible value of 'a' and the generated code would not be equivalent.

| Block | GEN | KILL | IN (1) | OUT (1) | IN (2) | OUT (2) |
|-------|-----|------|------------|------------|----------------|----------------|
| L0 | L0 | | | L0 | | L0 |
| L1 | L1 | | L0 | L0, L1 | L0, L1, L2, L3 | L0, L1, L2, L3 |
| L2 | L2 | | L0, L1 | L0, L1, L2 | L0, L1, L2, L3 | L0, L1, L2, L3 |
| L3 | L3 | L0 | L0, L1, L2 | L1, L2, L3 | L0, L1, L2, L3 | L1, L2, L3 |
| L4 | | | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 |
| L5 | | | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 | L1, L2, L3 |

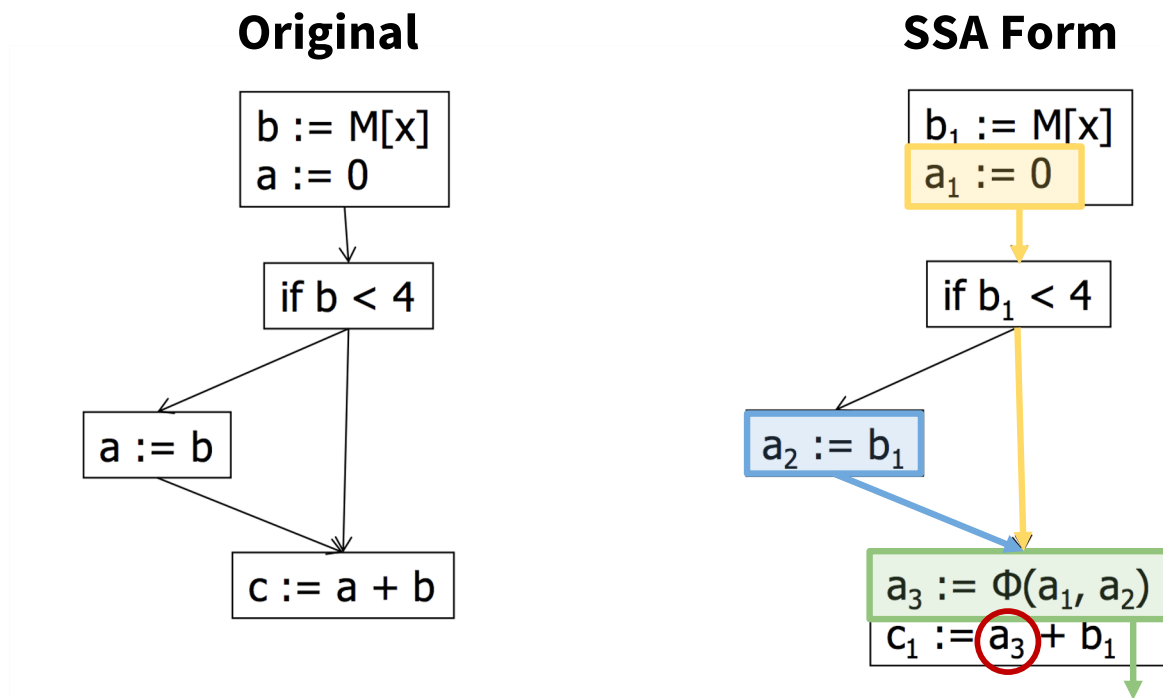
Phi-Functions

- A way to represent multiple possible values for a certain definition
 - Not a “real” instruction – just a form of bookkeeping needed for SSA



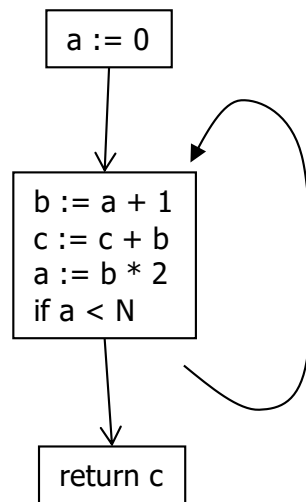
Where to place Phi-Functions?

- Wherever a variable has multiple possible definitions entering a block
 - Inefficient (and unnecessary!) to consider all possible phi-functions at the start of each block

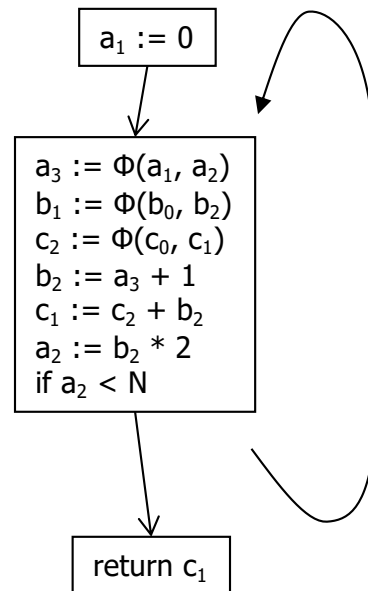


Example With a Loop

Original



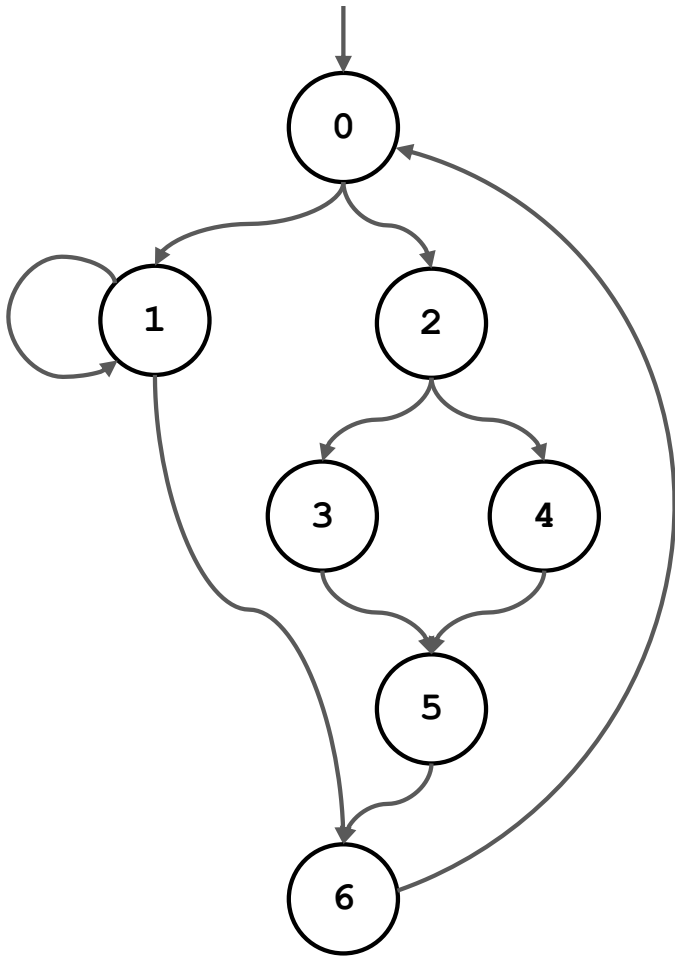
SSA



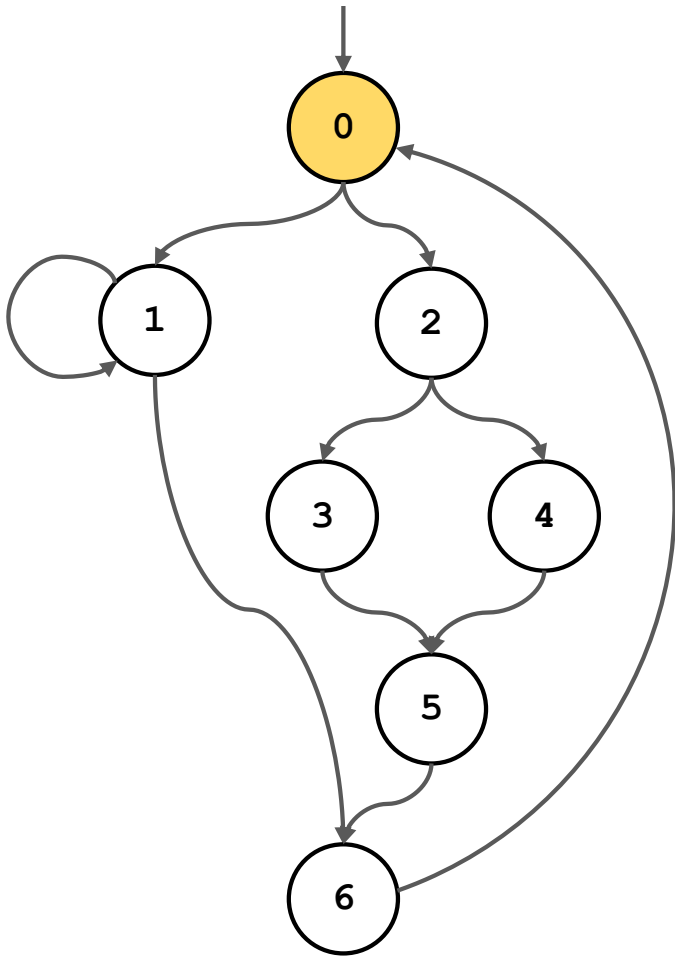
Notes:

- Loop-back edges are also merge points, so require Φ -functions
- a_0, b_0, c_0 are initial values of a, b, c on entry to initial block
- b_1 is dead – can delete later
- c is live on entry – either input parameter or uninitialized

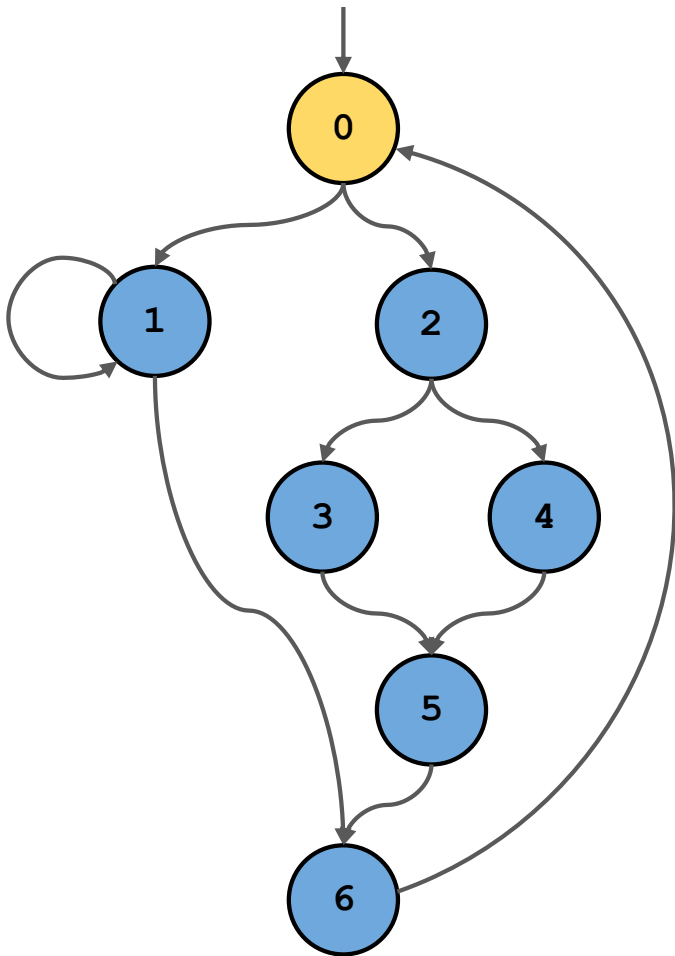
Problem 2(a)



| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | | |
| 1 | | |
| 2 | | |
| 3 | | |
| 4 | | |
| 5 | | |
| 6 | | |



| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | | |
| 1 | | |
| 2 | | |
| 3 | | |
| 4 | | |
| 5 | | |
| 6 | | |

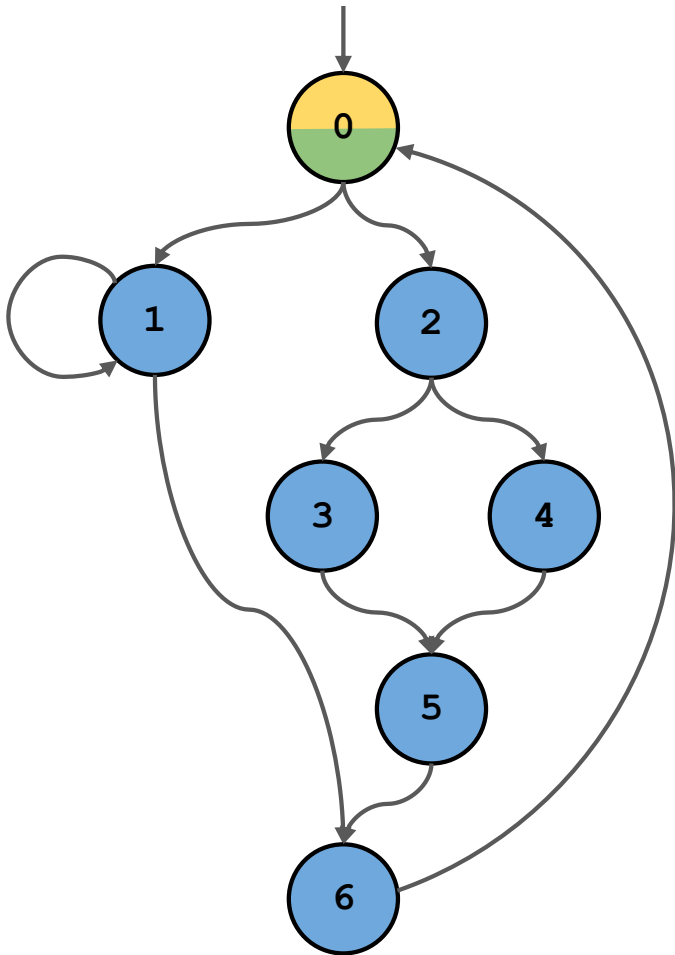


| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | |
| 1 | | |
| 2 | | |
| 3 | | |
| 4 | | |
| 5 | | |
| 6 | | |

A node x *dominates* a node y iff every path from the entry point of the control flow graph to y includes x .

A node x *strictly dominates* a node y iff x dominates y and $x \neq y$

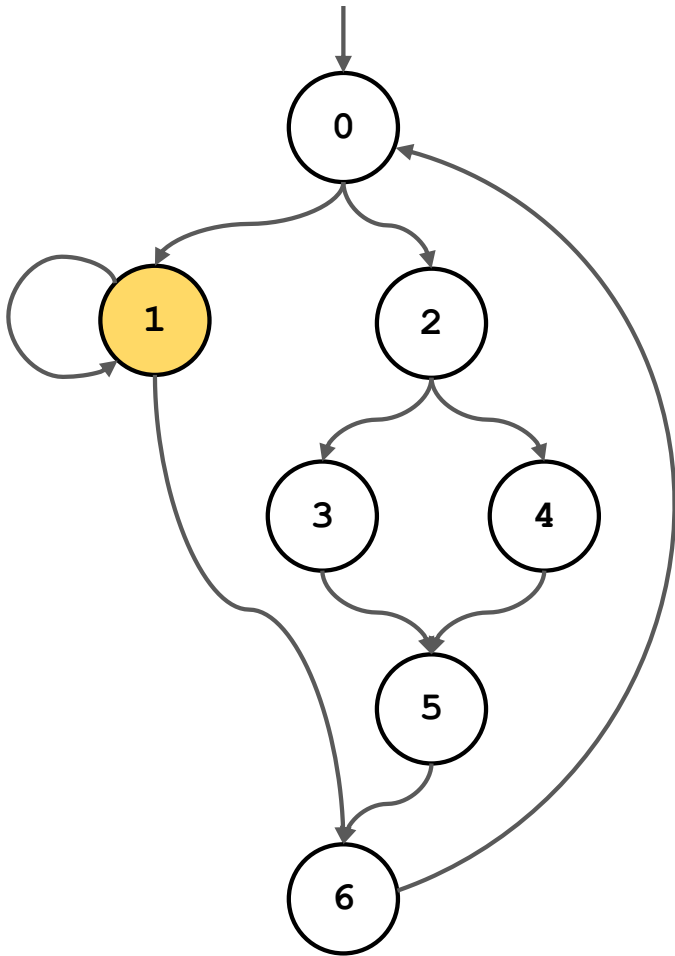
Need to go through 0 to get through 1, 2, 3, 4, 5, 6 and 0 cannot strictly dominate itself



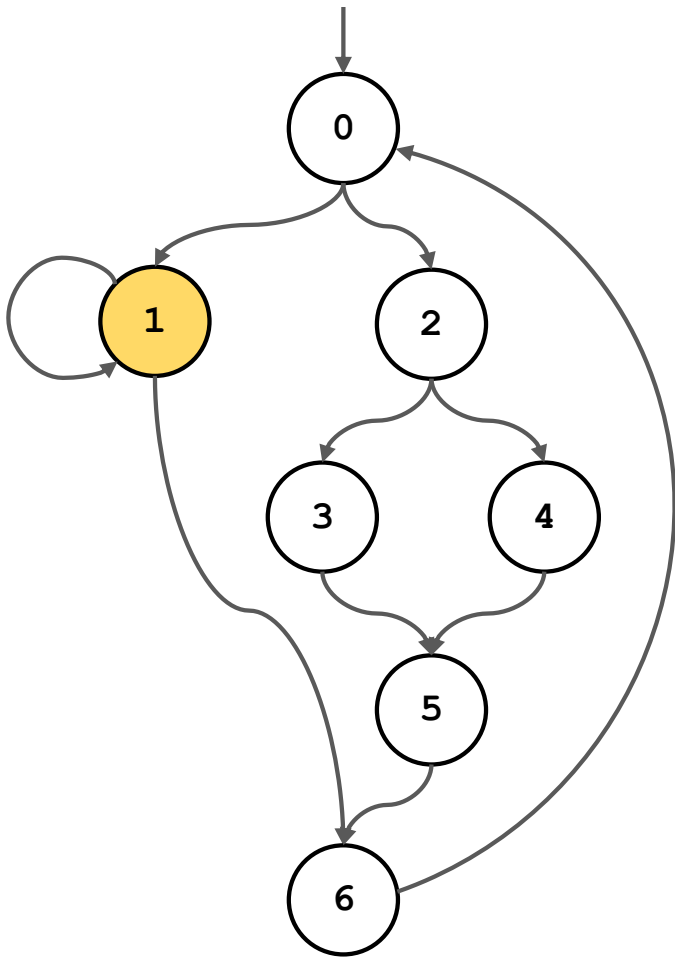
| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | | |
| 2 | | |
| 3 | | |
| 4 | | |
| 5 | | |
| 6 | | |

A node \mathbf{Y} is in the *dominance frontier* of node \mathbf{X} iff \mathbf{X} dominates an immediate predecessor of \mathbf{Y} but \mathbf{X} does not strictly dominate \mathbf{Y} .
 A node $\mathbf{0}$ is in the *dominance frontier* of node $\mathbf{0}$ iff $\mathbf{0}$ dominates an immediate predecessor ($\mathbf{6}$) of $\mathbf{0}$ but $\mathbf{0}$ does not strictly dominate $\mathbf{0}$

0 dominates 6, 6 is an immediate predecessor of 0, 0 does not strictly dominate 0



| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | | |
| 2 | | |
| 3 | | |
| 4 | | |
| 5 | | |
| 6 | | |

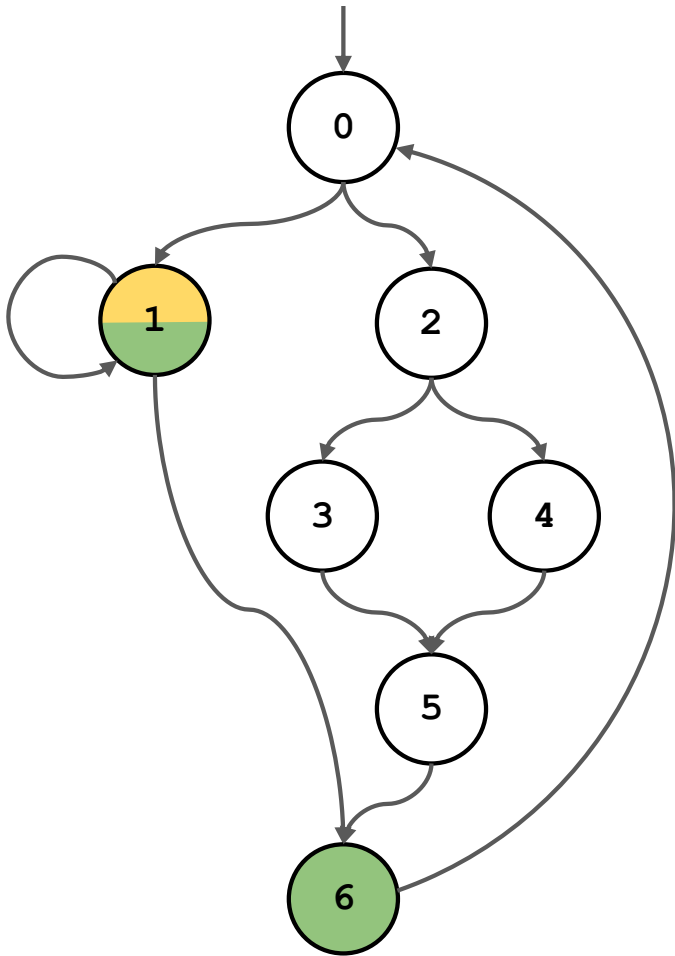


| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | \emptyset | |
| 2 | | |
| 3 | | |
| 4 | | |
| 5 | | |
| 6 | | |

A node \mathbf{x} *dominates* a node \mathbf{y} iff every path from the entry point of the control flow graph to \mathbf{y} includes \mathbf{x} .

A node \mathbf{x} *strictly dominates* a node \mathbf{y} iff \mathbf{x} dominates \mathbf{y} and $\mathbf{x} \neq \mathbf{y}$

1 does not dominate 6 because there is a path from 5 that doesn't include 1. 1 does not strictly dominate itself

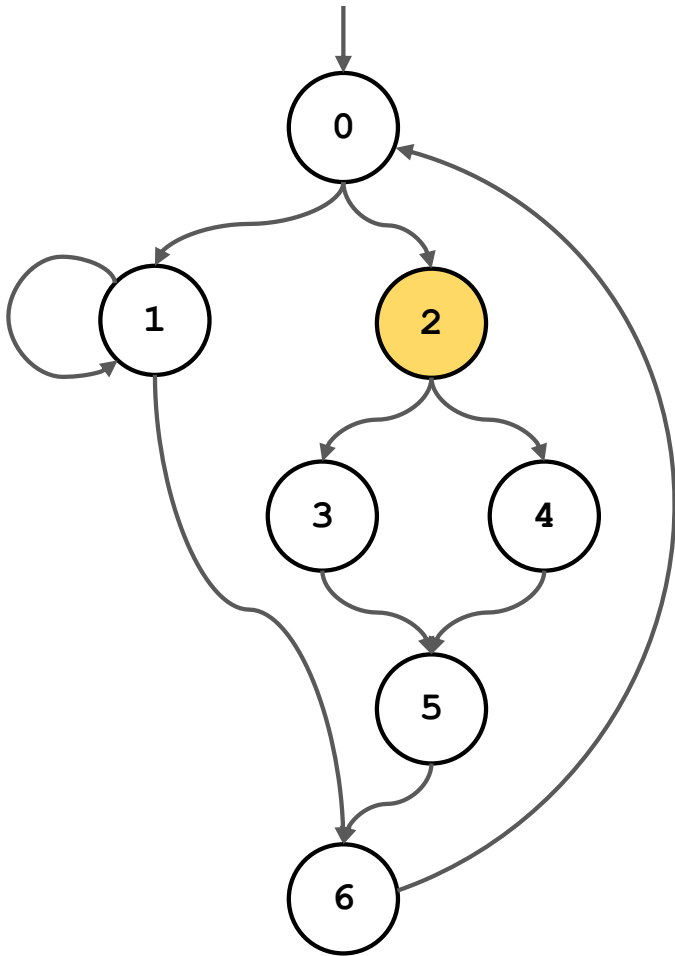


| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | \emptyset | 1, 6 |
| 2 | | |
| 3 | | |
| 4 | | |
| 5 | | |
| 6 | | |

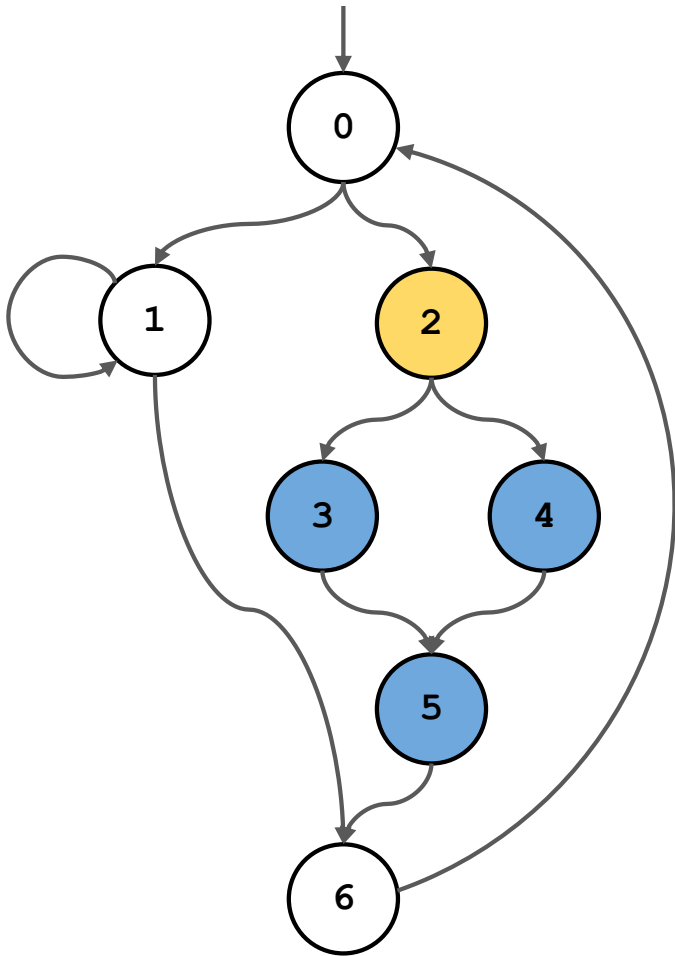
A node \mathbf{Y} is in the *dominance frontier* of node \mathbf{X} iff \mathbf{X} dominates an immediate predecessor of \mathbf{Y} but \mathbf{X} does not strictly dominate \mathbf{Y} .

$X = 1, Y = 6$, 1 dominates 1, 1 is an immediate predecessor of 6, 1 does not strictly dominate 6

$X = 1, Y = 1$, 1 dominates 1, 1 is an immediate predecessor of 1, 1 does not strictly dominate 1



| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | \emptyset | 1, 6 |
| 2 | | |
| 3 | | |
| 4 | | |
| 5 | | |
| 6 | | |

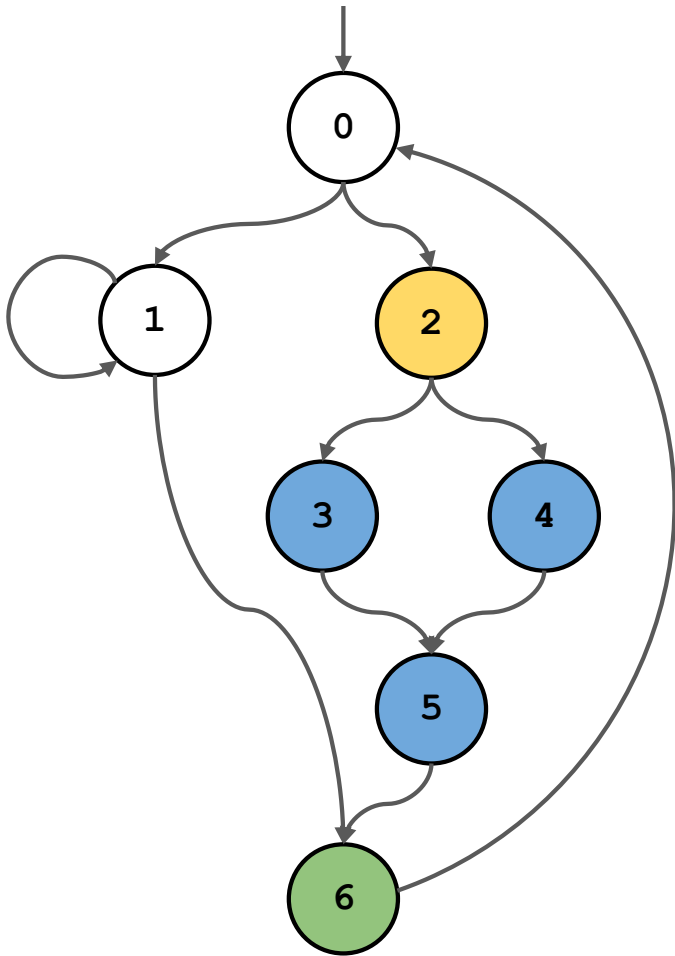


| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | \emptyset | 1, 6 |
| 2 | 3, 4, 5 | |
| 3 | | |
| 4 | | |
| 5 | | |
| 6 | | |

A node \mathbf{x} **dominates** a node \mathbf{y} iff every path from the entry point of the control flow graph to \mathbf{y} includes \mathbf{x} .

A node \mathbf{x} **strictly dominates** a node \mathbf{y} iff \mathbf{x} dominates \mathbf{y} and $\mathbf{x} \neq \mathbf{y}$

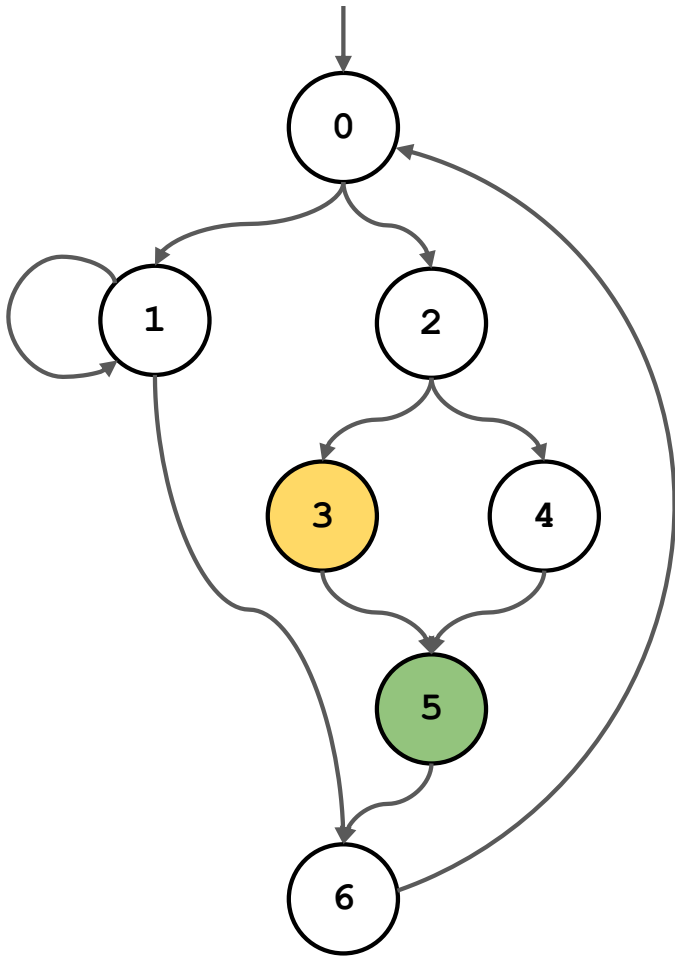
Need to go through 2 to get through 3, 4, 5 and 2 cannot strictly dominate itself



| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | \emptyset | 1, 6 |
| 2 | 3, 4, 5 | 6 |
| 3 | | |
| 4 | | |
| 5 | | |
| 6 | | |

A node Y is in the *dominance frontier* of node X iff X dominates an immediate predecessor of Y but X does not strictly dominate Y .

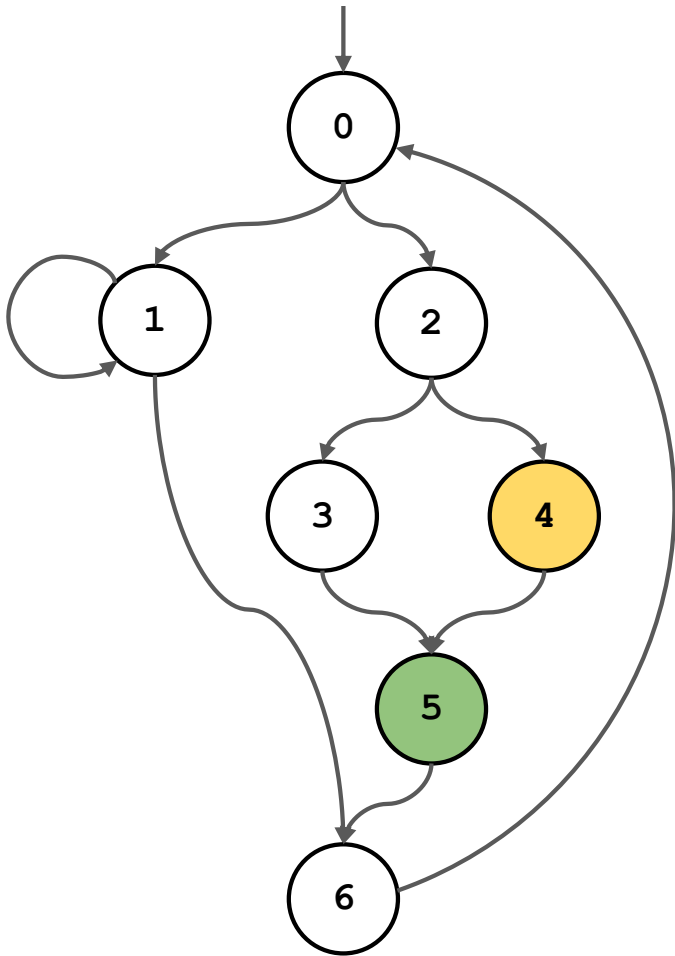
$X = 2, Y = 6$, 2 dominates 5, 5 is an immediate predecessor of 6, 2 does not strictly dominate 6



| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | \emptyset | 1, 6 |
| 2 | 3, 4, 5 | 6 |
| 3 | \emptyset | 5 |
| 4 | | |
| 5 | | |
| 6 | | |

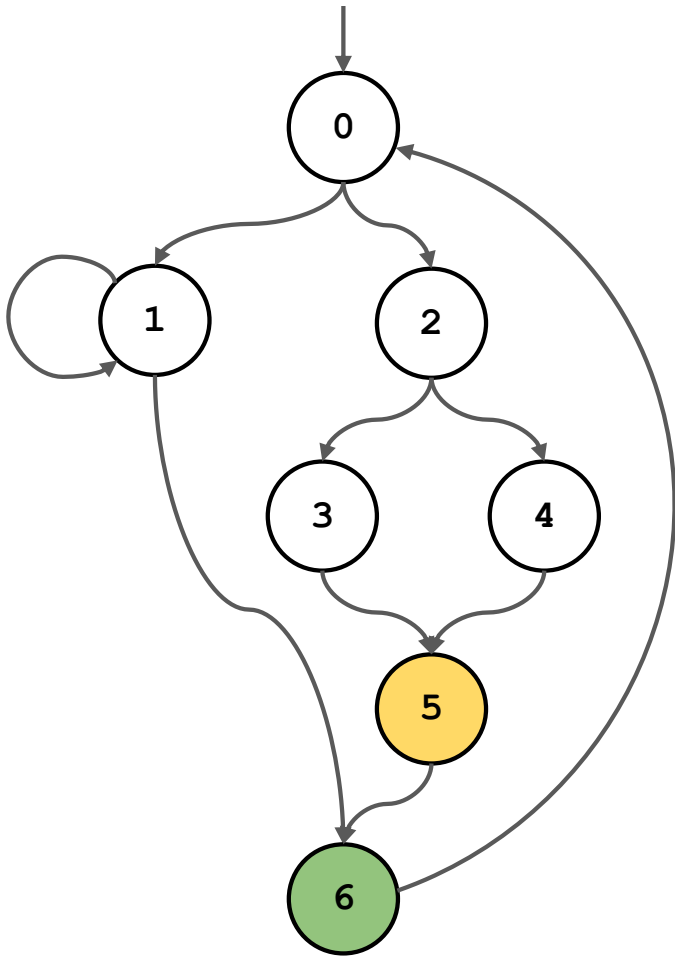
3 does not strictly dominate 5 (path through 4) and therefore does not strictly dominate anything else

3 dominates 3, 3 is an immediate predecessor of 5, 3 does not strictly dominate 5



| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | \emptyset | 1, 6 |
| 2 | 3, 4, 5 | 6 |
| 3 | \emptyset | 5 |
| 4 | \emptyset | 5 |
| 5 | | |
| 6 | | |

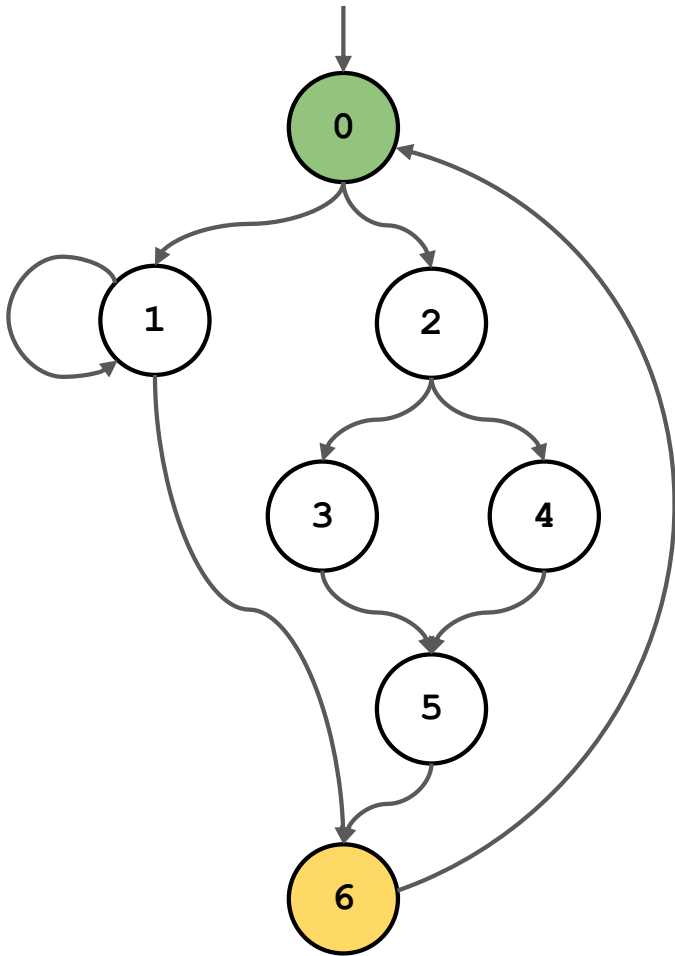
Same as previous slide but with 4 instead of 3



| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | \emptyset | 1, 6 |
| 2 | 3, 4, 5 | 6 |
| 3 | \emptyset | 5 |
| 4 | \emptyset | 5 |
| 5 | \emptyset | 6 |
| 6 | | |

5 does not strictly dominate 6 (path through 1) and therefore does not strictly dominate anything else

5 dominates 5, 5 is an immediate predecessor of 6, 5 does not strictly dominate 6



| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|--------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | \emptyset | 1, 6 |
| 2 | 3, 4, 5 | 6 |
| 3 | \emptyset | 5 |
| 4 | \emptyset | 5 |
| 5 | \emptyset | 6 |
| 6 | \emptyset | 0 |

6 does not strictly dominate 0 (path through 0) and therefore does not strictly dominate anything else

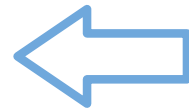
6 dominates 6, 6 is an immediate predecessor of 0, 6 does not strictly dominate 0

Problem 2(b)

Converting to SSA

1

Compute the dominance frontier of each node



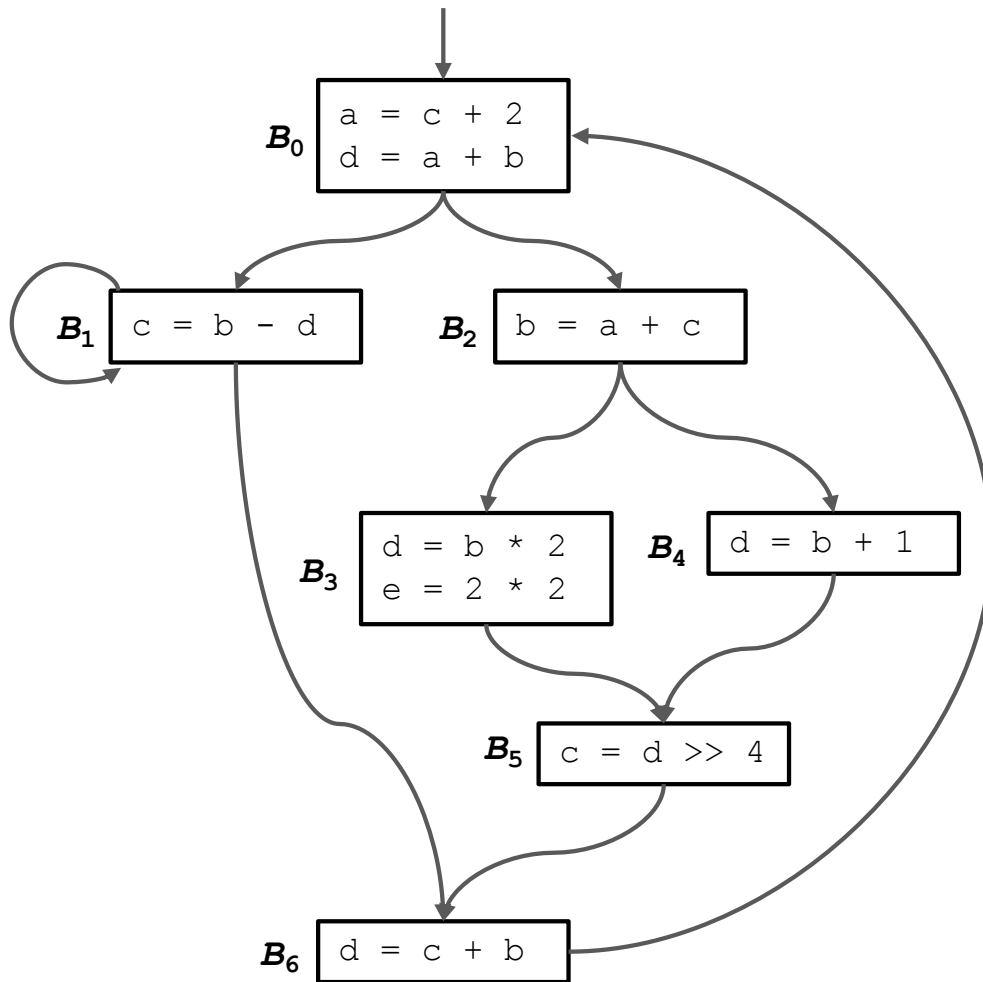
Already done (in problem 2a)

2

Determine which variables need merging in each node

3

Assign numbers to definitions and add phi functions



Step 1: Dominance Frontiers

| NODE | STRICTLY DOMINATES | DOMINANCE FRONTIER |
|------|---------------------|--------------------|
| 0 | 1, 2, 3, 4, 5, 6 | 0 |
| 1 | \emptyset | 1, 6 |
| 2 | 3, 4, 5 | 6 |
| 3 | \emptyset | 5 |
| 4 | \emptyset | 5 |
| 5 | \emptyset | 6 |
| 6 | \emptyset | 0 |

Converting to SSA

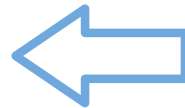
1

Compute the dominance frontier of each node



2

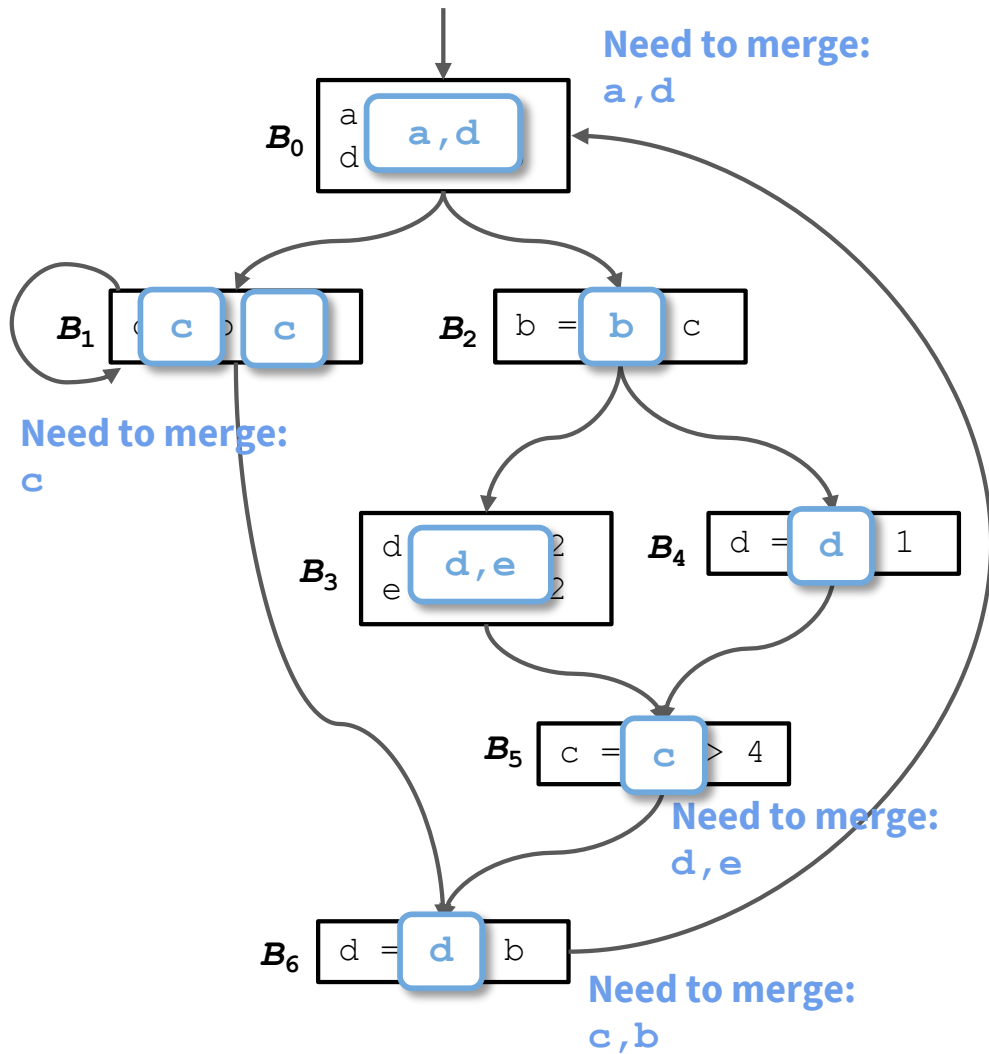
Determine which variables need merging in each node



We will compute using the dominance frontiers

3

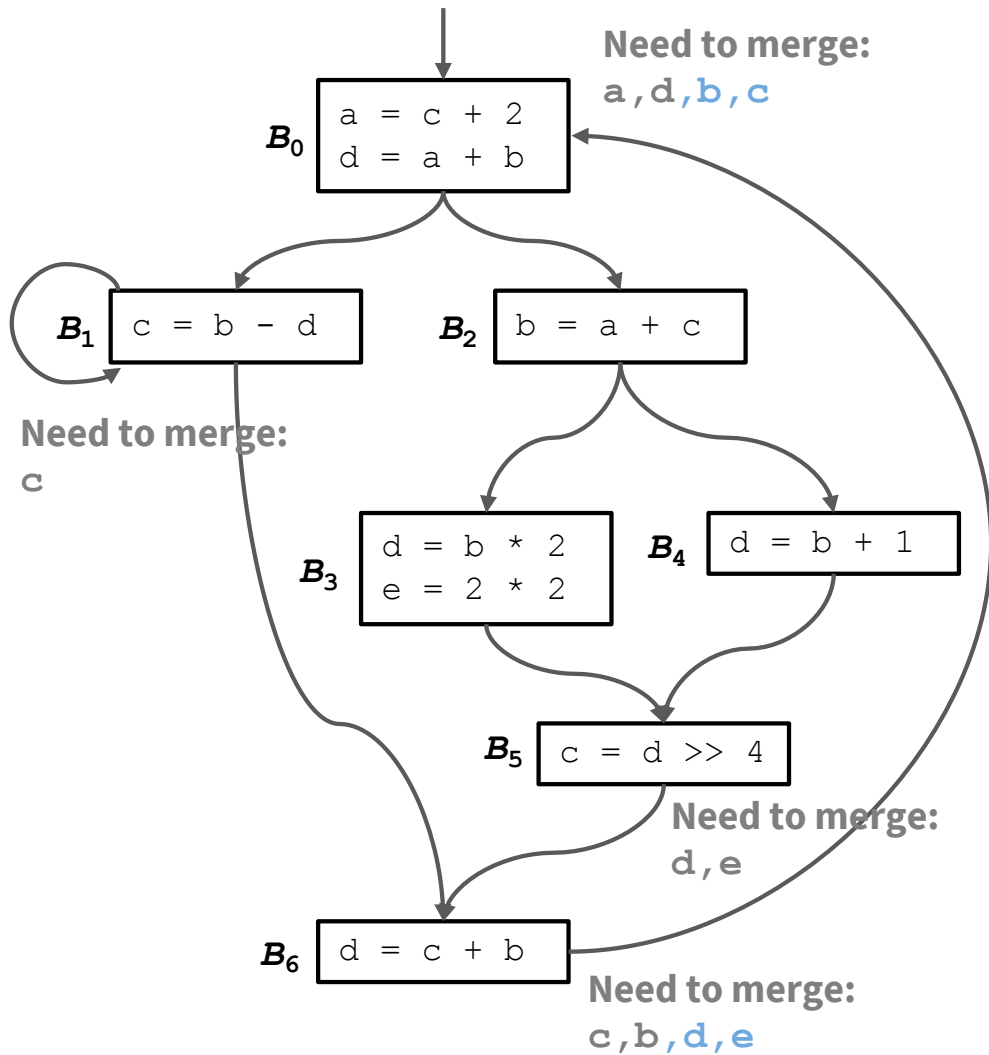
Assign numbers to definitions and add phi functions



Step 2: Determine Necessary Merges

ITERATION 1: Each node in the dominance frontier of node X will merge any definitions created in node X.

| NODE | DOMINANCE FRONTIER |
|------|--------------------|
| 0 | 0 |
| 1 | 1, 6 |
| 2 | 6 |
| 3 | 5 |
| 4 | 5 |
| 5 | 6 |
| 6 | 0 |



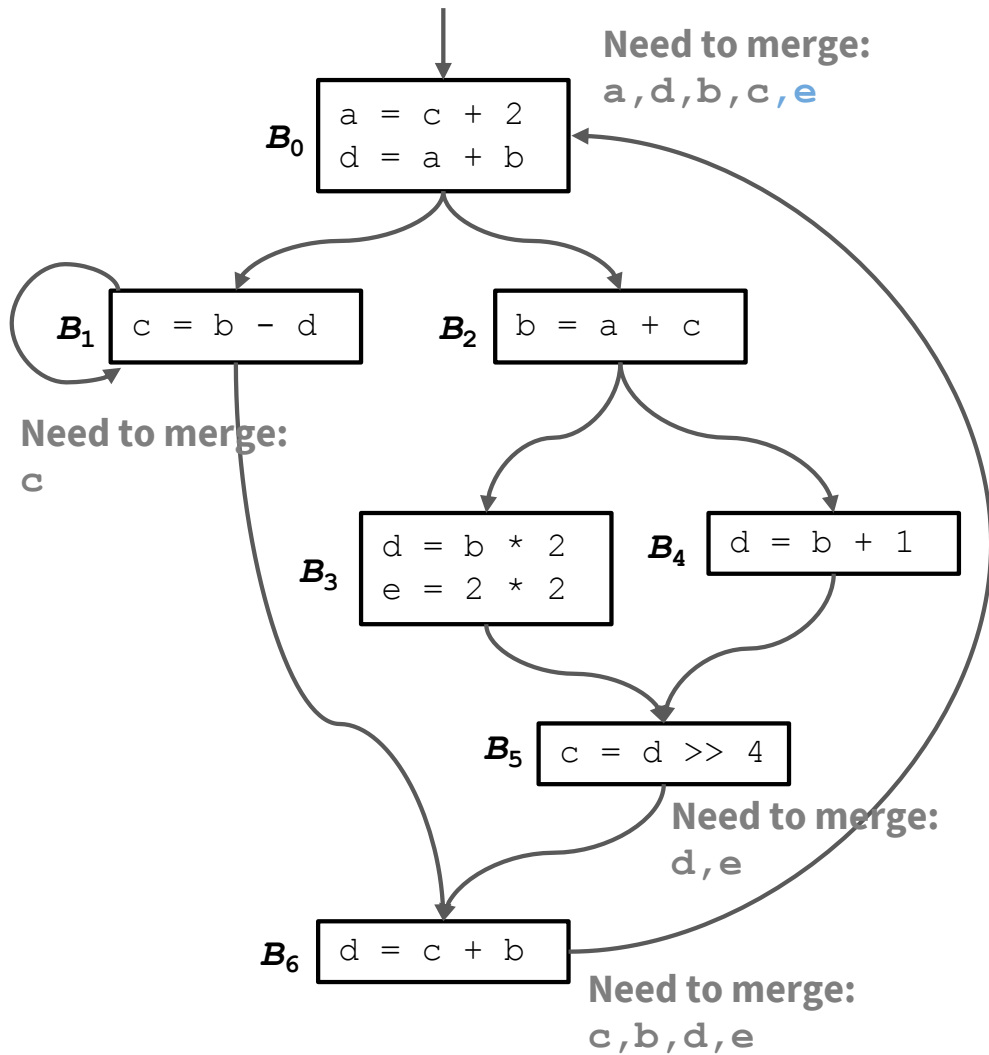
Step 2: Determine Necessary Merges

ITERATION 2: Each merge will create a new definition, which may need merging again.

| NODE | DOMINANCE FRONTIER |
|------|--------------------|
| 0 | 0 |
| 1 | 1, 6 |
| 2 | 6 |
| 3 | 5 |
| 4 | 5 |
| 5 | 6 |
| 6 | 0 |

Annotations for Node 5: d, e (blue arrow pointing to Node 6)

Annotations for Node 6: b, c (blue arrow pointing to Node 0)



Step 2: Determine Necessary Merges

ITERATION 3: Each merge will create a new definition, which may need merging again.

| NODE | DOMINANCE FRONTIER |
|------|--------------------|
| 0 | 0 |
| 1 | 1, 6 |
| 2 | 6 |
| 3 | 5 |
| 4 | 5 |
| 5 | 6 |
| 6 | 0 |

Annotation: A blue arrow points from Node 6 to Node 0, labeled d, e .

Converting to SSA

1

Compute the dominance frontier of each node



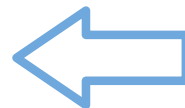
2

Determine which variables need merging in each node



3

Assign numbers to definitions and add phi functions



Place phi functions first, then increment subscripts

Step 3: Assign Definition Numbers

Merges go first, and each successive definition of a variable should increment its index by 1.

B_0

$$\begin{aligned} a &= c + 2 \\ d &= a + b \end{aligned}$$

Need to merge:
 a, b, c, d, e



B_0

$$\begin{aligned} a_1 &= \Phi(a_0, a_2) \\ b_1 &= \Phi(b_0, b_3) \\ c_1 &= \Phi(c_0, c_5) \\ d_1 &= \Phi(d_0, d_7) \\ e_1 &= \Phi(e_0, e_4) \\ a_2 &= c_1 + 2 \\ d_2 &= a_2 + b_1 \end{aligned}$$

Note: these subscripts determined after doing the rest of the CFG!

Step 3: Assign Definition Numbers

Merges go first, and each successive definition of a variable should increment its index by 1.

$$B_1 \quad c = b - d$$

Need to merge:

c



$$B_1 \quad \begin{array}{l} c_2 = \Phi(c_1, c_3) \\ c_3 = b_1 - d_2 \end{array}$$

Note: must merge its own (later) definition because of the back-edge!

Step 3: Assign Definition Numbers

Merges go first, and each successive definition of a variable should increment its index by 1.

$$B_2 \quad b = a + c$$



$$B_2 \quad b_2 = a_2 + c_1$$

Nothing to merge

Step 3: Assign Definition Numbers

Merges go first, and each successive definition of a variable should increment its index by 1.

$$\mathbf{B}_3 \begin{array}{l} d = b * 2 \\ e = 2 * 2 \end{array}$$



$$\mathbf{B}_3 \begin{array}{l} d_3 = b_2 * 2 \\ e_2 = 2 * 2 \end{array}$$

Nothing to merge

Step 3: Assign Definition Numbers

Merges go first, and each successive definition of a variable should increment its index by 1.

$$B_4 \quad d = b + 1$$



$$B_4 \quad d_4 = b_2 + 1$$

Nothing to merge

Step 3: Assign Definition Numbers

Merges go first, and each successive definition of a variable should increment its index by 1.

B_5 $c = d \gg 4$



B_5
 $d_5 = \Phi(d_3, d_4)$
 $e_3 = \Phi(e_1, e_2)$
 $c_4 = d_5 \gg 4$

Need to merge:
 d, e

Step 3: Assign Definition Numbers

Merges go first, and each successive definition of a variable should increment its index by 1.

$$B_6 \quad \boxed{d = c + b}$$



$$B_6 \quad \boxed{\begin{array}{l} b_3 = \Phi(b_1, b_2) \\ c_5 = \Phi(c_3, c_4) \\ d_6 = \Phi(d_2, d_5) \\ e_4 = \Phi(e_1, e_3) \\ d_7 = c_5 + b_3 \end{array}}$$

Need to merge:

b, c, d, e

Solution

