

Section 4: CUP & LL

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CSE 401/M501 – Compilers

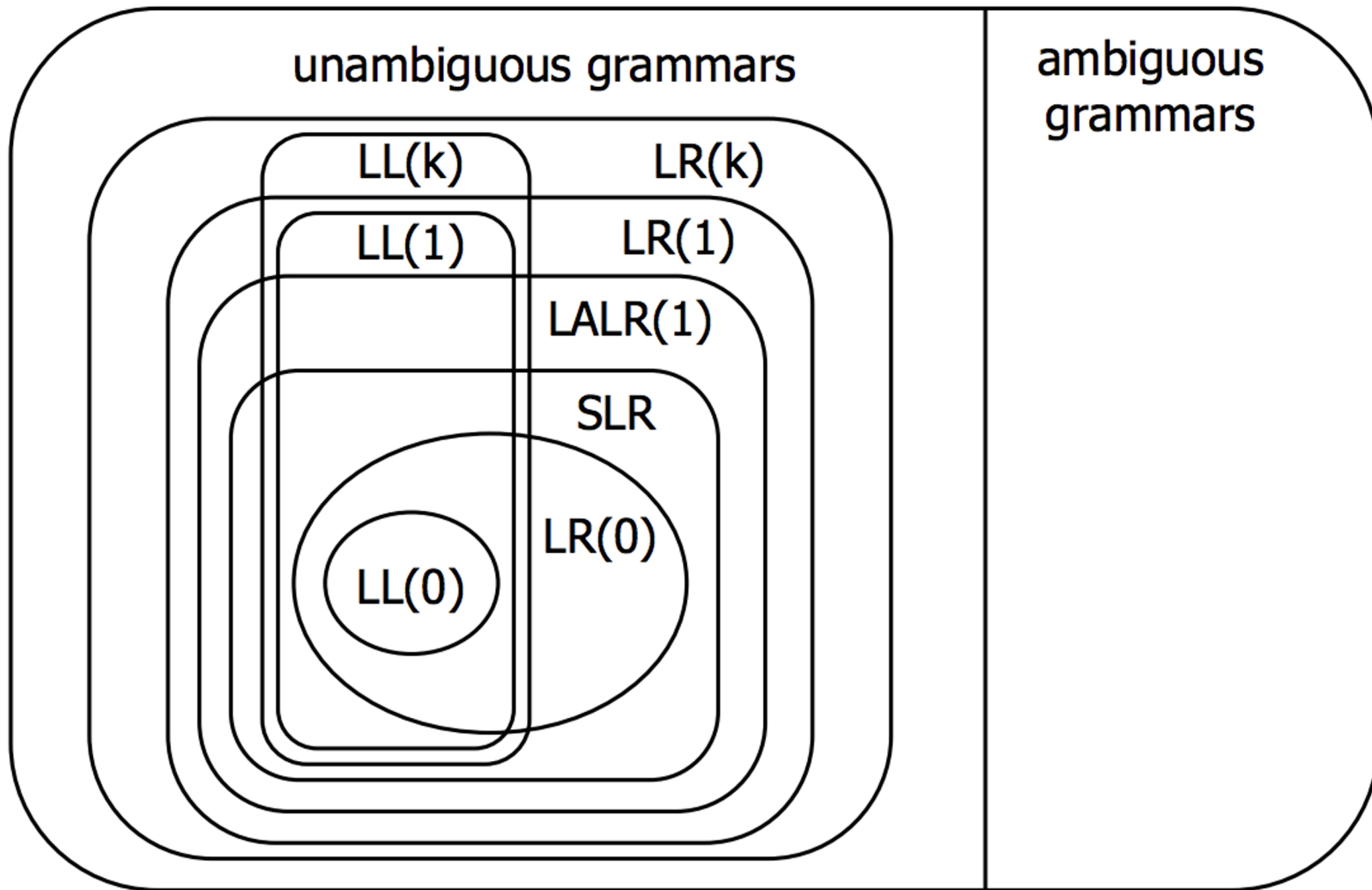
Administrivia

- Homework 2 is due tonight!
 - You have late days if you need them
- Parser is due one week from today
 - Be sure to check your Scanner feedback
- Watch demonstration videos!
 - CUP
 - AST Hierarchies

The CUP parser generator

- Uses LALR(1)
 - A little weaker (less selective), but many fewer states than LR(1) parsers
 - Handles most realistic programming language grammars
 - More selective than SLR (or LR(0)) about when to do reductions, so works for more languages

Language Hierarchies



The CUP parser generator

- Based on LALR(1)
- CUP can resolve some ambiguities itself
 - Precedence for reduce/reduce conflicts
 - Associativity for shift/reduce conflicts
 - Useful for our project for things like arithmetic expressions (exp+exp, exp*exp for fewer non-terminals, then add precedence and associativity declarations). Read the docs

LL(k) parsing

- LL(k) scans left-to-right, builds leftmost derivation, and looks ahead k symbols
- Typically $k = 1$, just like LR
- The LL condition enable the parser to choose productions correctly with 1 symbol of look-ahead
- We can often transform a grammar to satisfy this if needed

LL Condition

For each nonterminal in the grammar:

- Its *productions* must have disjoint FIRST sets

✗ $A ::= x \mid B$
 $B ::= x$

✓ $A ::= x \mid B$
 $B ::= y$

- If it is *nullable*, the FIRST sets of its productions must be disjoint from its FOLLOW set

✗ $S ::= A x$
 $A ::= \varepsilon \mid x$

✓ $S ::= A y$
 $A ::= \varepsilon \mid x$

Factoring out common prefixes

When multiple productions of a nonterminal share a common prefix, turn the different suffixes into a new nonterminal.

$$\begin{aligned} \textit{Greeting} ::= & \text{“hello, ” “world”} \mid \text{“hello, ” “friend”} \\ & \mid \text{“hello, ” } \textit{Name} \end{aligned}$$
$$\textit{Name} ::= \text{“Sarah”} \mid \text{“John”} \mid \dots$$
$$\textit{Greeting} ::= \text{“hello, ” } \textit{Address}$$
$$\textit{Address} ::= \text{“world”} \mid \text{“friend”} \mid \textit{Name}$$
$$\textit{Name} ::= \text{“Sarah”} \mid \text{“John”} \mid \dots$$

Removing direct left recursion

When a nonterminal has left-recursive productions, turn the different suffixes into a new nonterminal, appended to the remaining productions.

$$\textit{Sum} ::= \textit{Sum} \text{ "+" } \textit{Sum} \mid \textit{Sum} \text{ "-" } \textit{Sum} \mid \textit{Constant}$$
$$\textit{Constant} ::= \text{"1"} \mid \text{"2"} \mid \text{"3"} \mid \dots$$
$$\textit{Sum} ::= \textit{Constant} \textit{SumTail}$$
$$\textit{SumTail} ::= \text{"+" } \textit{Constant} \textit{SumTail} \mid \text{"-"} \textit{Constant} \textit{SumTail} \mid \varepsilon$$
$$\textit{Constant} ::= \text{"1"} \mid \text{"2"} \mid \text{"3"} \mid \dots$$

Removing indirect left recursion

- Pseudocode from Cooper & Torczon:

```
impose an order on the nonterminals,  $A_1, A_2, \dots, A_n$   
for  $i \leftarrow 1$  to  $n$  do;  
  for  $j \leftarrow 1$  to  $i - 1$  do;  
    if  $\exists$  a production  $A_i \rightarrow A_j \gamma$   
      then replace  $A_i \rightarrow A_j \gamma$  with one or more  
        productions that expand  $A_j$   
  end;  
  rewrite the productions to eliminate  
    any direct left recursion on  $A_i$   
end;
```

■ FIGURE 3.6 Removal of Indirect Left Recursion.

- Rather conservative: no need to push A_j into A_i if you know that $A_j \not\Rightarrow \alpha A_i \beta$ for any α, β
- Be sure to order non-terminals and use that order

Removing indirect left recursion

When a nonterminal has another nonterminal (B) on the left of a production, rewrite that production to use all possible expansions of B. Repeat until the left side of every production is a terminal or direct left recursion. (Must choose an order to process nonterminals)

Expr ::= Ternary | Addition

Ternary ::= Expr “?” Expr “:” Expr

Addition ::= Expr “+” Expr

Expr ::= Expr “?” Expr “:” Expr | Expr “+” Expr

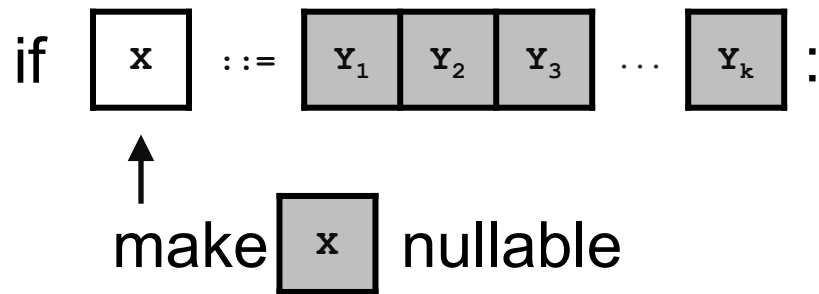
Worksheet

- Discuss and work in small groups!
- Reminders:
 - $\text{FIRST}(\alpha)$ is the set of terminal symbols that can begin a string derived from α
 - $\text{FOLLOW}(A)$ is the set of terminal symbols that may immediately follow A in a derived string
 - $\text{nullable}(A)$ is whether A can derive ε

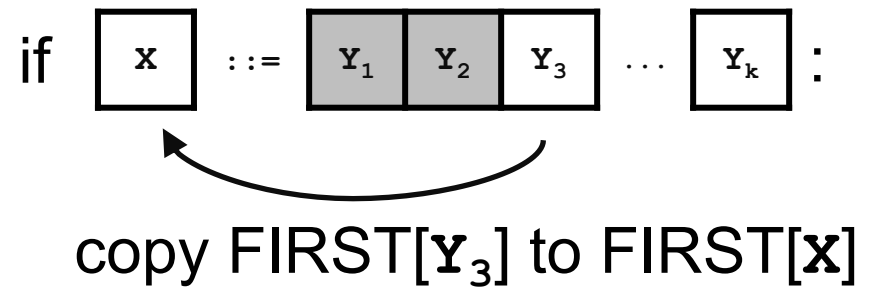
Computing FIRST, FOLLOW, & nullable (3)

\boxed{Y} = nullable

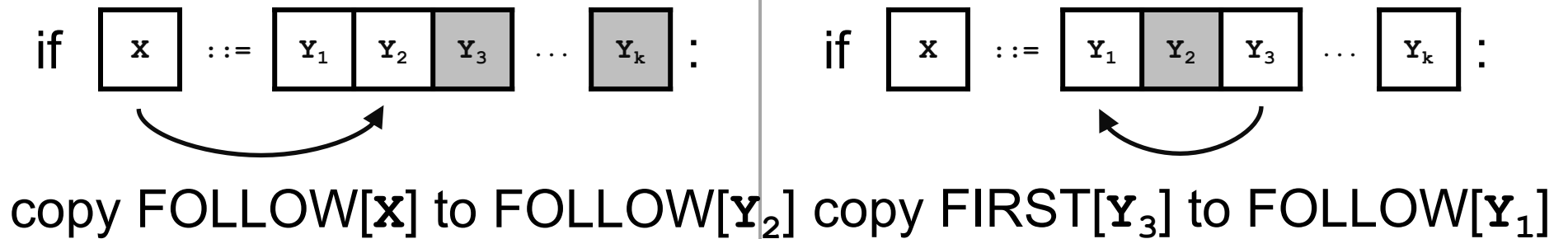
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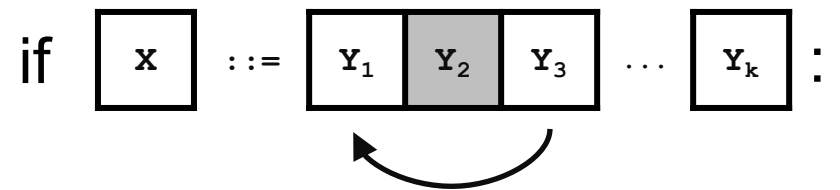
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3



4



Computing FIRST, FOLLOW, and nullable

repeat

 for each production $X := Y_1 Y_2 \dots Y_k$

 if $Y_1 \dots Y_k$ are all nullable (or if $k = 0$)

 set nullable[X] = true

 for each i from 1 to k and each j from $i+1$ to k

 if $Y_1 \dots Y_{i-1}$ are all nullable (or if $i = 1$)

 add FIRST[Y_i] to FIRST[X]

 if $Y_{i+1} \dots Y_k$ are all nullable (or if $i = k$)

 add FOLLOW[X] to FOLLOW[Y_i]

 if $Y_{i+1} \dots Y_{j-1}$ are all nullable (or if $i+1=j$)

 add FIRST[Y_j] to FOLLOW[Y_i]

Until FIRST, FOLLOW, and nullable do not change