

Removing indirect left recursion

- Pseudocode from Cooper & Torczon:

```
impose an order on the nonterminals,  $A_1, A_2, \dots, A_n$ 

for  $i \leftarrow 1$  to  $n$  do;
  for  $j \leftarrow 1$  to  $i - 1$  do;
    if  $\exists$  a production  $A_i \rightarrow A_j \gamma$ 
      then replace  $A_i \rightarrow A_j \gamma$  with one or more
        productions that expand  $A_j$ 
    end;
  rewrite the productions to eliminate
    any direct left recursion on  $A_i$ 
end;
```

■ FIGURE 3.6 Removal of Indirect Left Recursion.

- Rather conservative: no need to push A_j into A_i if you know that $A_j \not\Rightarrow \alpha A_i \beta$ for any α, β

Grammar 1

0. $S ::= a B \mid a w$
1. $B ::= C x \mid y$
2. $C ::= \epsilon \mid z$

Grammar 3

0. $S ::= S B \mid a \mid w$
1. $B ::= C x \mid y$
2. $C ::= \epsilon \mid z$

Grammar 2

0. $S ::= a B$
1. $B ::= C x \mid y$
2. $C ::= \epsilon \mid x$

Grammar 4

0. $S ::= B w \mid a B$
1. $B ::= S \mid z x$

Example pseudocode of a recursive-descent parser for grammar 2:

```
// S ::= aB                                // B ::= Cx | y
void S() {                                  void B() {
    match(a)                                if next is y {
    B()                                     match(y)
}                                           } else {
                                           C()
                                           match(x)
                                           }
                                           }

// C ::=  $\epsilon$  | x
// *One* implementation of
// the C() method
void C() {
    if next is x {
        match(x)
    } else if (lookahead is
        not in follow set for C){
        error
    }
    // else, epsilon so do
    // nothing
}
```