CSE 390Z: Mathematics for Computation Workshop

QuickCheck: Induction Proof (due Monday, November 6)

Please submit a response to the following questions on Gradescope. We do not grade on accuracy, so please submit your best attempt. You may either typeset your responses or hand-write them. Note that hand-written solutions must be legible to be graded.

We have created **this template** if you choose to typeset with Latex. **This guide** has specific information about scanning and uploading pdf files to Gradescope.

0. Induction Junction, what's your function?

The sum of integers up to n can be represented as $0+1+2+3+...+n = \frac{n(n+1)}{2}$, where $n \in \mathbb{N}$ (this fact can actually be proven using induction).

Prove the following equality for all $n \in \mathbb{N}$

$$(0+1+2+...+n)^2 = 1^3 + 2^3 + ... + n^3$$

Hint: If the sum of integers up to n equals $\frac{n(n+1)}{2}$, then how would you represent the sum of integers up to n, squared? What about the sum of integers up to $n+1$?

1. Video Solution

Watch **this video** on the solution **after** making an initial attempt. Then, answer the following questions.

(a) What is one thing you took away from the video solution?

(b) In our next workshop, on Tuesday, November 7th, we will be doing a practice 311 midterm. What is one thing you plan to do, or have already done, to prepare for the 311 exam?