

CSE 390 B Spring 2021

# Growth vs. Fixed Mindset & The ALU

Growth vs. Fixed Mindset, Goal-Setting and the ALU

*Significant material adapted from [www.nand2tetris.org](http://www.nand2tetris.org). © Noam Nisan and Shimon Schocken.*

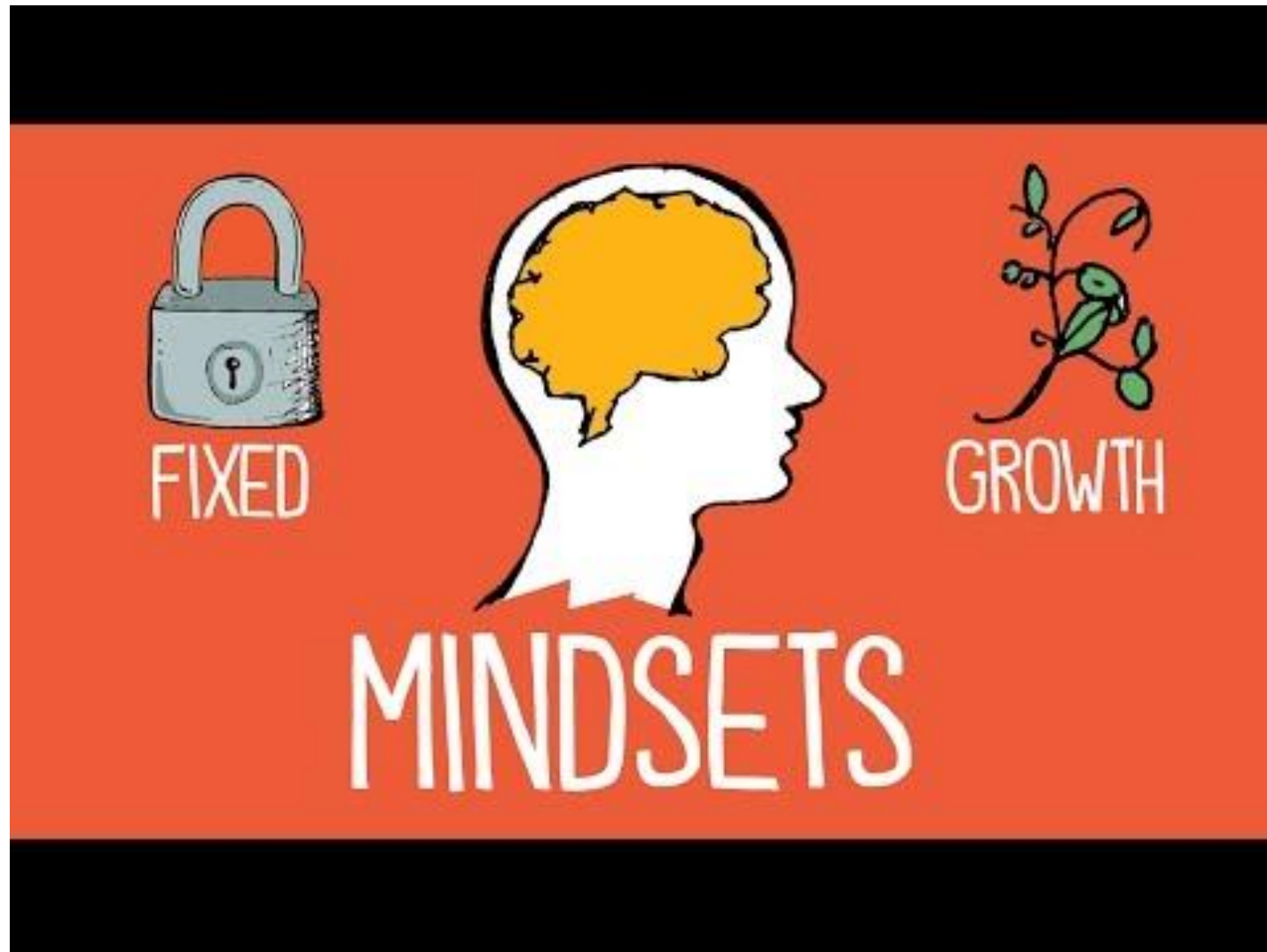
# Agenda

- ❖ Growth vs. Fixed Mindset
- ❖ Reading Review and Q&A
- ❖ If/Else Logic In Hardware
- ❖ Introduction to the Arithmetic Logic Unit (ALU)
- ❖ Project 2 Overview

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# Growth vs. Fixed Mindset



# Setting SMART Goals

- ❖ **S** -- Be specific, simple and significant.
- ❖ **M** -- Make sure your goals are measurable. How many times within a week, month, the quarter do you want to do x goal?
- ❖ **A** -- Make sure your goals are achievable. Is your goal within your scope of control?
- ❖ **R** -- Be realistic and reasonable.
- ❖ **T** -- Be time-bound. When will you accomplish x goal?

# Breakout Rooms

## SPRING QUARTER GOALS

What are skills, practices or habits that are not strengths YET?

## SPHERE OF CONTROL

Getting a 4.0 in a course

VS.

Attending course office hours

## SMART GOAL FRAMEWORK

**S** -- Specific

**M** -- Measurable

**A** -- Achievable.

**R** -- Realistic

**T** -- Timebound

Attending CSE 390B office hours at least 5x this quarter (or once every other week)

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# Two's Complement

- Way of interpreting binary numbers to represent negative values
- Give a negative weight to the most significant digit, then compute the value like normal
- Example: 1101 in a 4-bit representation
  - $-2^3 + 2^2 + 2^0 = -8 + 4 + 1 = -3$
- For a value  $x$ ,  $-x = \sim x + 1$ 
  - Example:  $x = 4 = 0100$
  - $-x = \sim x + 1 = \sim 0100 + 1 = 1011 + 1 = 1100 = -8 + 4 = -4$

# Two's Complement 4-bit Values

Binary	2's Complement Value
0000	0
0001	1
0010	2
0011	3
0100	4
0101	5
0110	6
0111	7
1000	-8
1001	-7
1010	-6
1011	-5
1100	-4
1101	-3
1110	-2
1111	-1

# Two's Complement Addition

- Can use exactly the same addition process for both unsigned and signed (two's complement) binary!
- Hardware doesn't need to know the sign of the values it is working on, just does the same calculation
- Example:  $1001 + 0010 = 1011$ 
  - Unsigned interpretation:  $9 + 2 = 11$
  - Signed interpretation:  $-7 + 2 = -5$

carry	0	0	0	
	-----			
x	1	0	0	1
y	0	0	1	0
	-----			
result	1	0	1	1

# Reading Q&A

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# Making If/Else Decisions In Hardware

- In programming languages like Java, we write if/else statements with the notion that only one of the branches will execute!
  - For example, in the following code we only expect to compute either `a & b` **or** `a | b`, not both:

```
if (c == 0) {  
    out = a & b;  
} else {  
    out = a | b;  
}
```

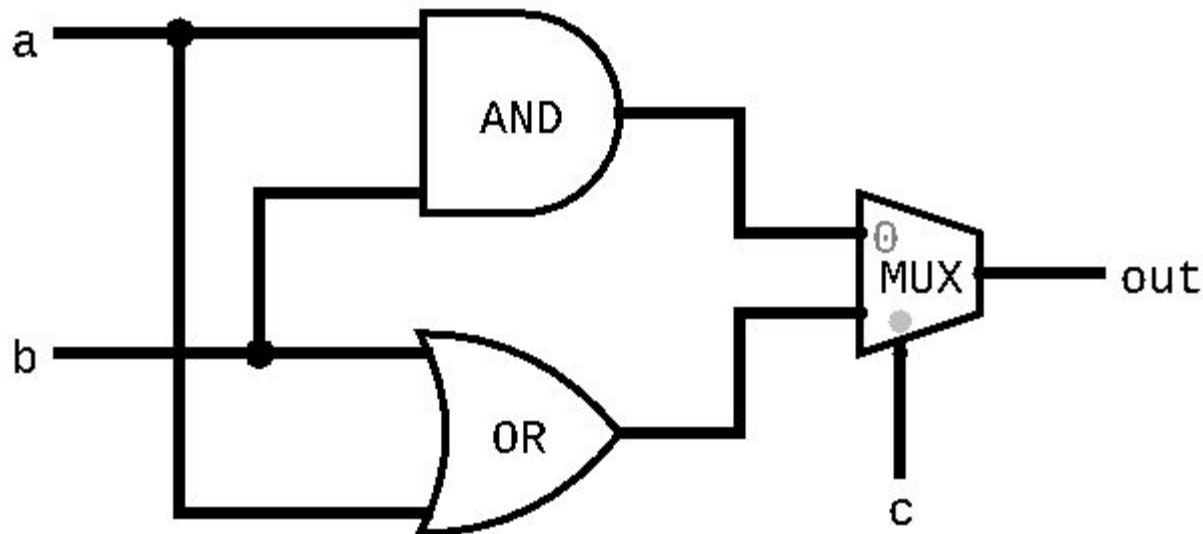
# Making If/Else Decisions In Hardware

- In hardware, all of our circuits are executing at all times
  - Can't "turn off" a circuit based on a condition
- Instead of expecting only one circuit to execute, we write circuits for different cases and choose which output we want to use based on a condition
- We can use Mux gates to choose which input!!!

# Example:

High level view of implementing the following code:

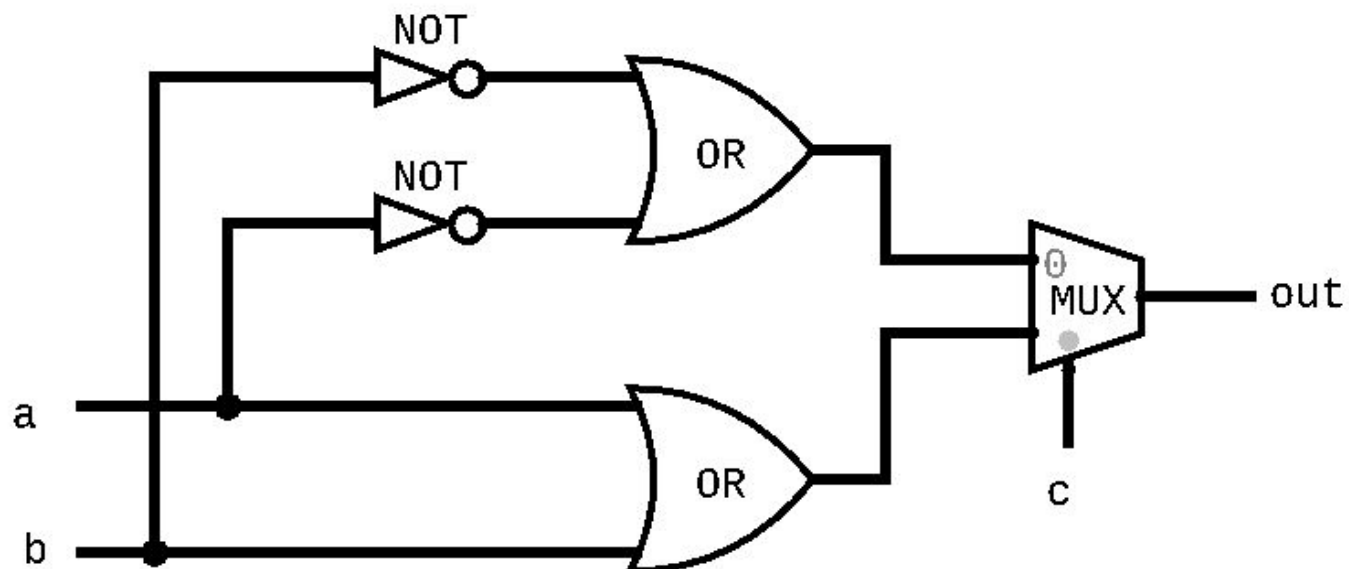
```
if (c == 0) {  
    out = a & b;  
} else {  
    out = a | b;  
}
```



# Practice problem 1

Implement the following pseudo-code in hardware:

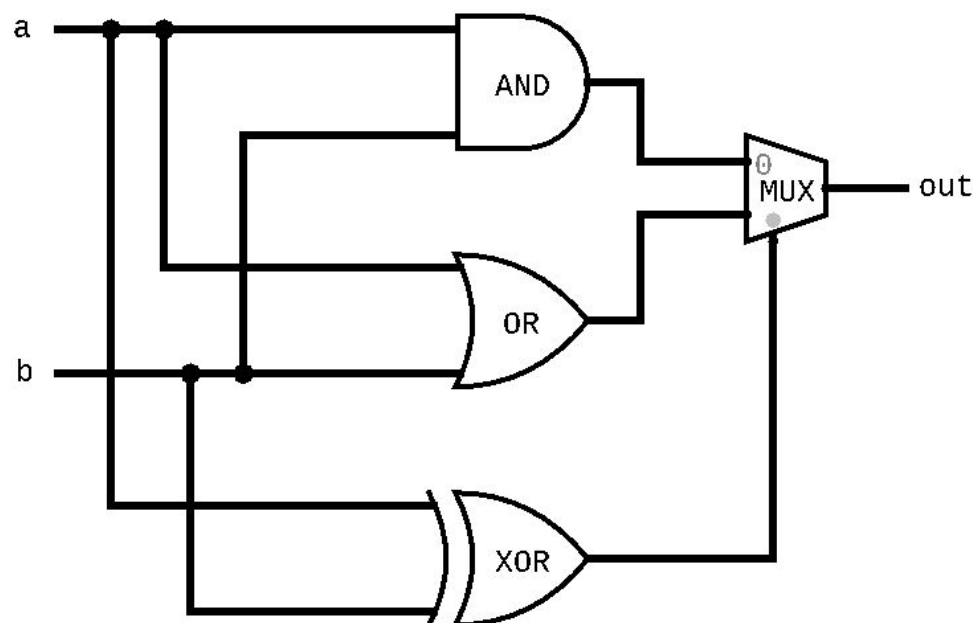
```
if (c == 0) {  
    out = ~a | ~b;  
} else {  
    out = a | b;  
}
```



## Practice problem 2

Implement the following pseudo-code in hardware:

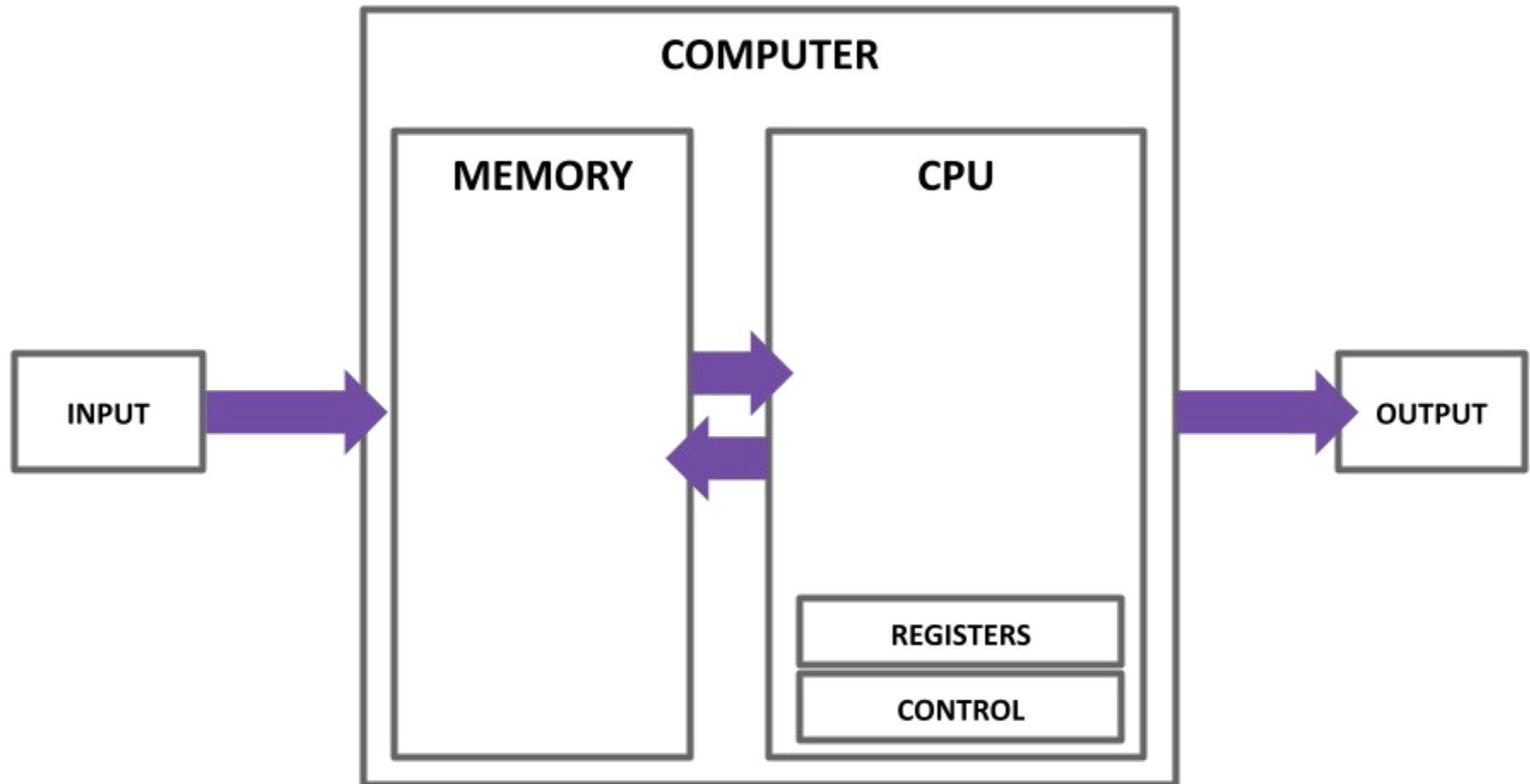
```
if (a == b) {  
    out = a & b;  
} else {  
    out = a | b;  
}
```



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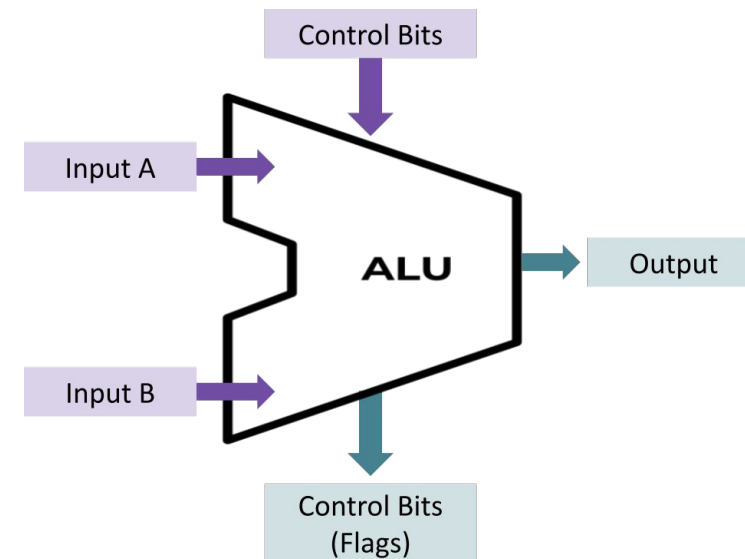
# The Von Neumann Architecture



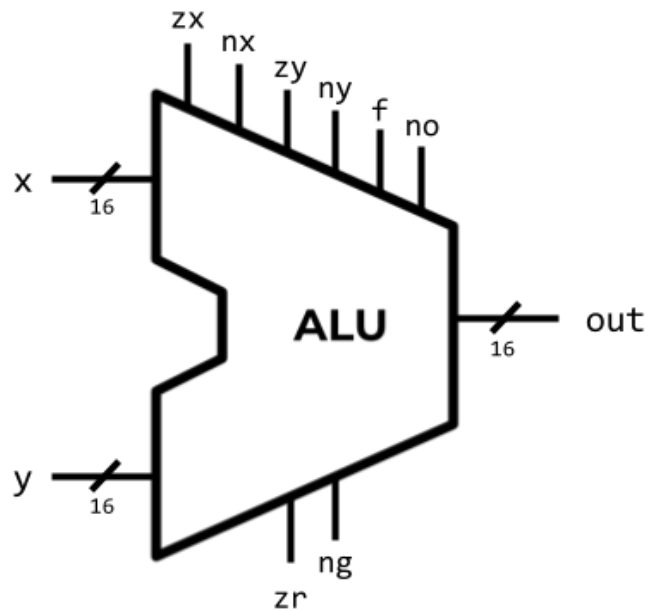
(This picture will get more detailed as we go!)

# The Arithmetic Logic Unit

- Computes a function on two inputs to produce output
- Input Control Bits specify what should be computed
  - Supports some combo of logical (And, Or) and arithmetic (+, -)
- Indicate properties of the result with Output Control Bits (commonly called Flags)



# Our ALU Implementation



- Inputs & Output
  - 16-bit
  - Interpret as two's complement
- Input Control Bits
  - 6 bits specify which function
  - 18 functions to choose from
- Output Control Bits (Flags)
  - 2 bits describe properties of the output

# ALU Functions: “Black Box” View

- We support 18 different functions
  - 3 that simply give constant values (ignoring operands)
  - 10 that change a single operand, possibly with a constant
  - 5 that combine both operands using some operation
- To select a function, set the control bits to the corresponding combination

zx	nx	zy	ny	f	no	out
1	0	1	0	1	0	0
1	1	1	1	1	1	1
1	1	1	0	1	0	-1
0	0	1	1	0	0	x
1	1	0	0	0	0	y
0	0	1	1	0	1	!x
1	1	0	0	0	1	!y
0	0	1	1	1	1	-x
1	1	0	0	1	1	-y
0	1	1	1	1	1	x+1
1	1	0	1	1	1	y+1
0	0	1	1	1	0	x-1
1	1	0	0	1	0	y-1
0	0	0	0	1	0	x+y
0	1	0	0	1	1	x-y
0	0	0	1	1	1	y-x
0	0	0	0	0	0	x&y
0	1	0	1	0	1	x y

# ALU Functions: Implementer's View

- “18 functions” is really clever combination of 6 core operations
- First, preprocess inputs
  - If  $zx$  is set, then zero out  $x$
  - If  $nx$  is set, then negate  $x$
  - If  $zy$  is set, then zero out  $y$
  - If  $ny$  is set, then negate  $y$
- Next compute the operation
  - If  $f$  is set, compute  $x + y$ , else compute  $x \& y$
- Finally postprocess the output
  - If  $no$ , negate the output

$zx$	$nx$	$zy$	$ny$	$f$	$no$	out
1	0	1	0	1	0	0
1	1	1	1	1	1	1
1	1	1	0	1	0	-1
0	0	1	1	0	0	$x$
1	1	0	0	0	0	$y$
0	0	1	1	0	1	$!x$
1	1	0	0	0	1	$!y$
0	0	1	1	1	1	$-x$
1	1	0	0	1	1	$-y$
0	1	1	1	1	1	$x+1$
1	1	0	1	1	1	$y+1$
0	0	1	1	1	0	$x-1$
1	1	0	0	1	0	$y-1$
0	0	0	0	1	0	$x+y$
0	1	0	0	1	1	$x-y$
0	0	0	1	1	1	$y-x$
0	0	0	0	0	0	$x\&y$
0	1	0	1	0	1	$x y$

# ALU Functions: Implementer's View

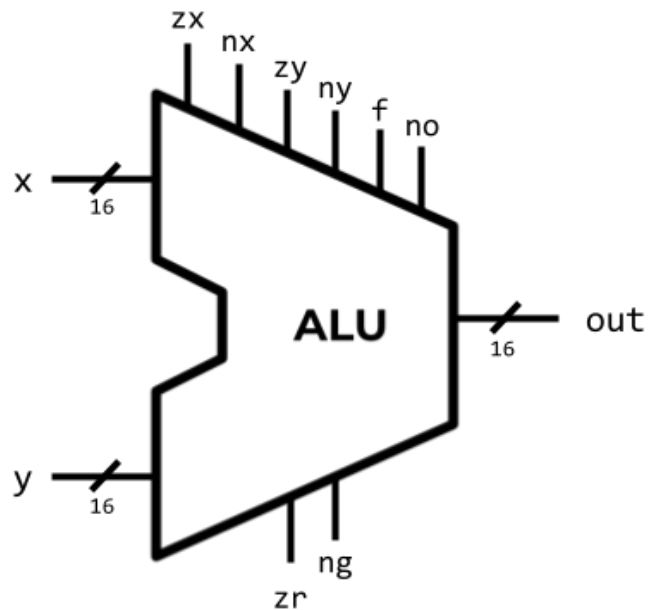
- Example: Computing  $x-1$

- Given inputs  $x=0101$  (5),  $y=0010$  (2)
- For  $x-1$ ,  $zx=0$ ,  $nx=0$ ,  $zy=1$ ,  $ny=1$ ,  $f=1$ ,  $no=0$

zx	nx	zy	ny	f	no	out
0	0	1	1	1	0	x-1

- $zx=0$  so **don't** zero out  $x$
- $nx=0$  so **don't** negate  $x$
- $zy=1$  so **do** zero out  $y$ 
  - $y$  becomes 0000
- $ny=1$  so **do** negate  $y$ 
  - $y$  becomes 1111
- $f=1$  so compute  $x + y$ 
  - $x$  hasn't changed, but  $y$  has become 1111 (or -1!), so this is equivalent to  $x + (-1)$
- $no=0$  so **don't** negate output
  - $out = x + (-1) = 0101 + 1111 = 0100$  (4)

# ALU Output Control Bits



- **zr** is 1 if **out** == 0
- **ng** is 1 if **out** < 0
- We'll use these in a later project
  - The basis of **comparison!**  
To evaluate if  $x == 4$ , compute  $x - 4$  and check **zr** flag!
- These are deceptively hard to implement. Don't put them off too long!

# Implementation Strategy

- We suggest doing the ALU in three parts:
  - First deal with zeroing out/negating inputs (x and y) and negating the output
    - Ignore the f bit (only compute And) and ignore flag outputs
    - Test your implementation using **ALU-nostat-noadd.tst**
  - Next support both And and Add operations by incorporating f
    - Test your implementation using **ALU-nostat.tst**
  - Finally implement the logic for the status flags (zr and ng)
    - Test your full ALU using **ALU.tst**

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# Project 2 Overview

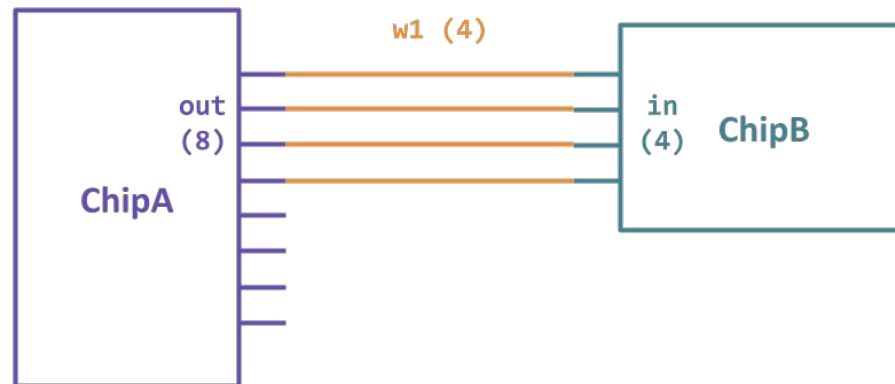
- **Part I: 24-Hour Time Audit**
- **Part II: Boolean Arithmetic**
  - Goal: implement our ALU, which performs the core computations we need (+/&)
  - First implement HalfAdder, FullAdder, Add16
  - Then implement the ALU in the order suggested by the spec
  - Remember the textbook chapters can be helpful!!
- **Part III: Social Computer Reflection Prompt #1**

# HDL Tips: Slicing

- Sometimes want to connect only part of a multi-bit bus
- HDL lets us with **slicing notation**
- Example: Say ChipA has 8 output pins, and we want to connect the first 4 to ChipB's 4 inputs:

```
ChipA (out [0..3]=w1) ;
```

```
ChipB (in=w1) ;
```

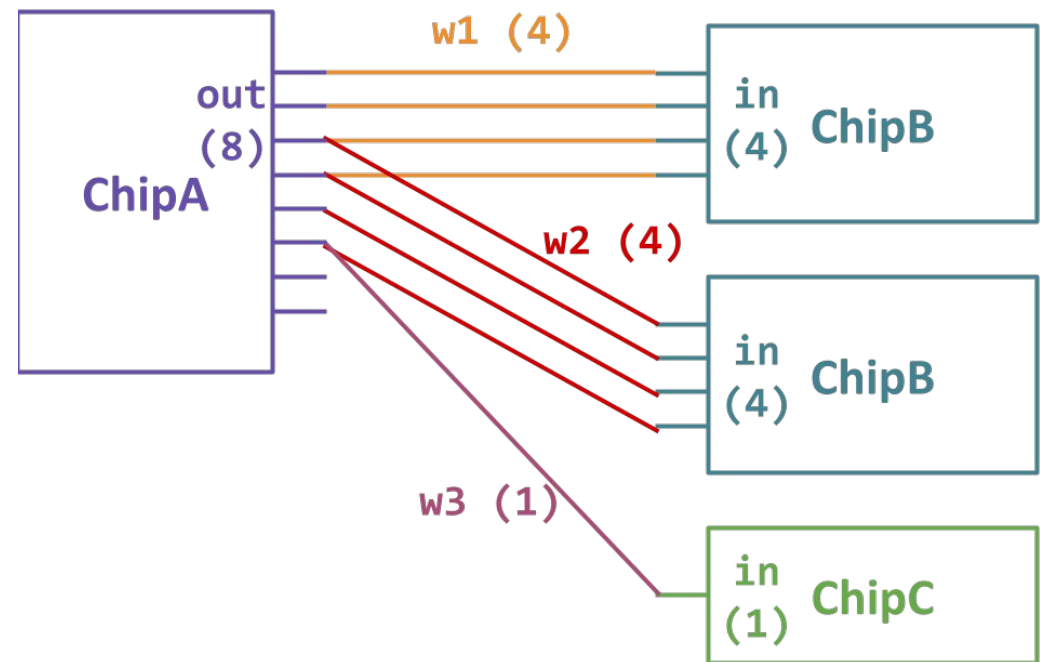


- Note: Can ONLY slice chip connections, can't slice internal wires (e.g.  $w1[0..3]$  not allowed!)
  - Need to use half an 8-bit wire? Instead, make two 4-bit wires and slice the output they're connected to

# HDL Tips: Connections

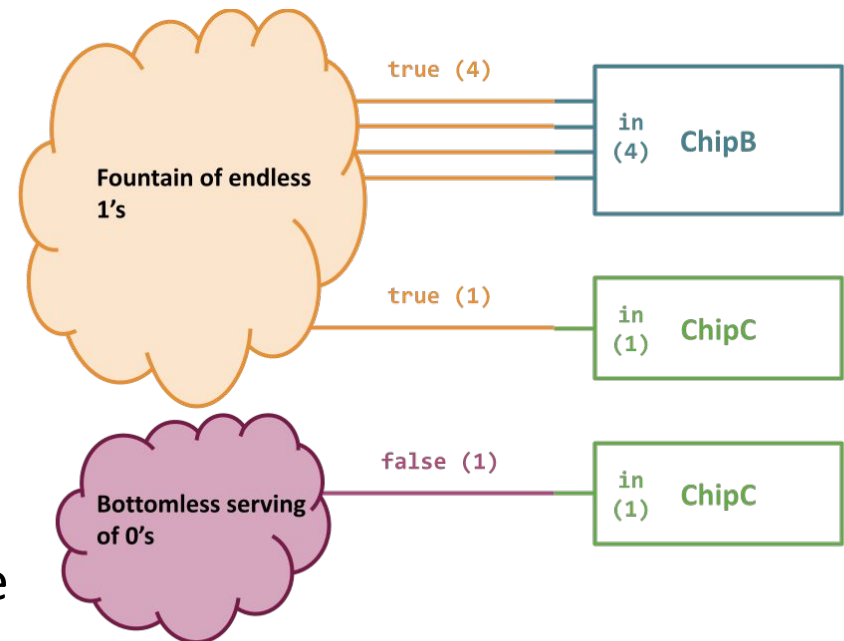
- Can connect a chip output multiple times, or not at all!
  - Hint: In Add16, do we need to use the last carry bit?

```
ChipA (  
  out[0..3]=w1,  
  out[2..5]=w2,  
  out[5]=w3  
);  
ChipB (in=w1);  
ChipB (in=w2);  
ChipC (in=w3);
```



# HDL Tips: Constants

- The special buses `true` and `false` contain all 1s and all 0s, and can implicitly act as whatever width is needed
- Example: Say ChipB has 4 inputs and ChipC has 1 input
  - `ChipB (in=true)` ; assigns all 4 inputs the value of 1 (true)
  - `ChipC (in=true)` ; assigns the one input the value of 1 (true)
  - `ChipC (in=false)` ; assigns the one input the value of 0 (false)



# Wrapping Up

## What's in store for Week 3?

- ❖ Sequential Logic & Building Memory
- ❖ Note-Taking Practices
- ❖ Project 3 Released

## Reminders

- ❖ Project 1 Due Tonight 4/8 11:59PM PDT
- ❖ Join the discord channel