















Double precision Takes 2 words (64 bits) Exponent 11 bits (instead of 8) ... what's the bias?

Mantissa 52 bits (instead of 23)

Still biased exponent and normalized numbers

Still 0 is represented by all zeros

We can still have *overflow* (the exponent cannot handle super big numbers) and *underflow* (the exponent cannot handle super small numbers)

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Example Add decimal: $0.375 + 0.75$ $3/2^3 + 3/2^2 = 0.011 + 0.11 = 1.1 \times 2^{-2} + 1.1 \times 2^{-1}$ Now add: Align fractions: $0.11 \times 2^{-1} + 1.1 \times 2^{-1}$	1
$3/2^3 + 3/2^2 = 0.011 + 0.11 = 1.1 \times 2^{-2} + 1.1 \times 2^{-1}$ Now add:	1
Now add:	1
Align fractions: 0.11 x 2 ⁻¹ + 1.1 x 2 ⁻¹	
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Add fractions: 10.01 x 2 ⁻¹	
Normalize: $10.01 \times 2^{-1} = 1.001 \times 2^{0}$	
Round: Not needed	
$1.001 \times 2^{\circ} = 1 + 1/2^{\circ} = 1 + 1/8 = 1.125$ decimal	
In IEEE single precision 0.75 i.e. 0.11 is	
0 0111 1110 100 0000 0000 0000 0000 wh	w2
0 0111 1110 100 0000 0000 0000 0000 00	iy:





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