



Assembly Language Programming

Example programs and program segments illustrate the use of the MIPS instructions and the assembler conventions.

Programming a(b+c)

- Assume a, b and c are declared variables and that the result is saved in \$v0

```
lw    $t0, a      # Get value of a
lw    $t1, b      # Get value of b
lw    $t2, c      # Get value of c
add   $t1, $t1, $t2 # Add b and c
mult  $v0, $t0, $t1 # Multiply result times a
```

This 3-operand multiply pseudoinstruction might be generated as ...

```
mult  $t0, $t1    # Do multiply
mflo  $v0         # Get result assuming < 2x109
```

How can one test to see if the number was small enough?

Make a(b+c) Into A Procedure

- This distributive law procedure will receive a, b and c via the argument registers
- No other procedures are called, so nothing has to be saved

```
Dist: # A procedure to compute $a0($a1+$a2)
      add  $t1,$a1,$a2 # Add b and c
      mult $v0,$a0,$t1 # Multiply result times a
      jr   $ra        # Return to caller
```

The procedure **Dist** is called by ...

```
jal Dist
```

Procedures that do not call other procedures are sometimes called “leaf procedures”

Compute N factorial

- $N! = N * (N-1) * (N-2) * \dots * 2 * 1; 0! = 1$ and $1! = 1$
- Return result in \$v0

```
addi    $v0, $0, 1      # Initialize
beq     $a0, $0, Done   # 0! = 1
add     $s0, $a0, $0    # Move argument
Loop:   addi    $s1, $s0, -1  # Reduce arg and move
        beq     $s1, $0, Done  # Exit if we're finished
        mult   $v0, $v0, $s0  # Multiply next term
        addi   $s0, $s0, -1   # Find the next term
        j      Loop          # Continue until done
```

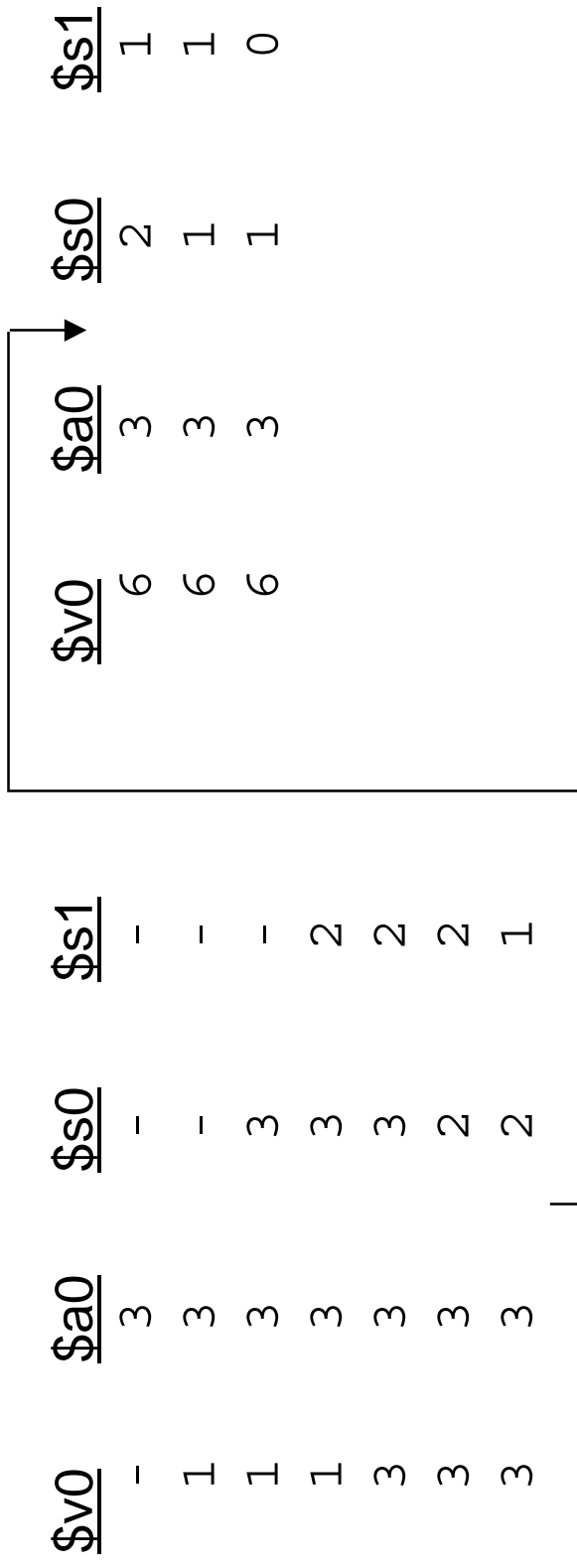
Done:

Compute 3!

```

addi   $v0, $0, 1      # Initialize
beq    $a0, $0, Done  # 0! = 1
add    $s0, $a0, $0   # Move argument
Loop:  addi   $s1, $s0, -1 # Reduce arg and move
      beq    $s1, $0, Done # Exit if we're finished
      mult  $v0, $v0, $s0 # Multiply next term
      addi  $s0, $s0, -1  # Find the next term
      j     Loop         # Continue until done
Done:

```



Calling the Dist Procedure

- The factorial can be written as

- $\{[N(N-1)](N-2)\}(N-3) \dots$

- `Dist(Dist(Dist(N,N,-1),N,-2),N,-3)`

```
addi $v0, $0, 1      # Initialize
beq  $a0, $0, Done   # 0! = 1
add  $v0, $a0, $0     # Move argument
add  $s0, $a0, $0     # Save arg register
addi $s1, $0, 1      # Get 1 constant
add  $a1, $a0, $0     # Move N
Loop: add $a0, $v0, $0 # Move running product
      sub $a2, $0, $s1 # Negate and move
      jal Dist        # Go to subroutine
      addi $s1, $s1, 1 # Bump count
      bne $s1, $a1, Loop# Continue until done
Done: add $a0, $s0, $0 # Put argument back
```

Compute 3!

```

addi    $v0, $0, 1      # Initialize
beq     $a0, $0, Done   # 0! = 1
add     $v0, $a0, $0    # Move argument
add     $s0, $a0, $0    # Save arg register
addi    $s1, $0, 1     # Get 1 constant
add     $a1, $a0, $0    # Move N
Loop:   add     $a0, $v0, $0    # Move running product
        sub     $a2, $0, $s1   # Negate and move
        jal     Dist          # Go to subroutine
        addi    $s1, $s1, 1    # Bump count
        bne    $s1, $a1, Loop # Continue until done
Done:   add     $a0, $s0, $0    # Put argument back

```

	<u>\$v0</u>	<u>\$a0</u>	<u>\$a1</u>	<u>\$a2</u>	<u>\$s0</u>	<u>\$s1</u>
-	3	-	-	-	-	-
1	3	-	-	-	-	-
3	3	-	-	-	-	-
3	3	-	-	3	-	-
3	3	-	-	3	1	1
3	3	3	-	3	1	1

	<u>\$v0</u>	<u>\$a0</u>	<u>\$a1</u>	<u>\$a2</u>	<u>\$s0</u>	<u>\$s1</u>
	3	3	3	-	3	1
	3	3	3	-1	3	1
3(3-1)	6	3	3	-1	3	2
	6	6	3	-1	3	2
6(3-2)	6	6	3	-2	3	2
	6	6	3	-2	3	3

Saving Registers

- At the start of the procedure, save everything that must be preserved ... at the end, put it back
- Since this factorial is not recursive ...

	<u>Start of Procedure</u>	<u>End of Procedure</u>
Fact:	addi \$sp, \$sp, -24	lw \$a0, 20(\$sp)
	sw \$a0, 20(\$sp)	lw \$a1, 16(\$sp)
	sw \$a1, 16(\$sp)	lw \$a2, 12(\$sp)
	sw \$a2, 12(\$sp)	lw \$ra, 8(\$sp)
	sw \$ra, 8(\$sp)	lw \$s0, 4(\$sp)
	sw \$s0, 4(\$sp)	lw \$s1, 0(\$sp)
	sw \$s1, 0(\$sp)	addi \$sp, \$sp, 24
		jr \$ra