

## Lecture 3: Stacks, Queues, and Dictionaries

CSE 373: Data Structures and Algorithms

## Warm Up

## Q: Would you use a LinkedList or ArrayList implementation for each of these scenarios?

ArrayList
uses an Array as underlying storage
ArrayList
state
data[]
size
behavior
get return data[index]
set data[index] = value $\overline{\text { add }}$ data[size] = value, if out of space grow data
insert shift values to make hole at index, data[index] = value, if out of space grow data delete shift following values forward
size return size


LinkedList
uses nodes as underlying storage

LinkedList

## state

Node front
size
behavior
get loop until index,
return node's value
set loop until index,
update node's value
add create new node,
update next of last
node
insert create new
node, loop until
index, update next
fields
delete loop until
index, skip node
size return size


Situation \#1: Choose a data structure that implements the List ADT that will be used to store a list of songs in a playlist.

Situation \#2: Choose a data structure that implements the List ADT that will be used to store the history of a bank customer's transactions.

Situation \#3: Choose a data structure that implements the List ADT that will be used to store the order of students waiting to speak to a TA at a tutoring center

## Instructions

## Take 2 Minutes

1. www.pollev.com/cse37 3activity for participating in our active learning questions. For this particular question label your answer with - what situation \#

- ArrayList/LinkedList - why.

2. https://www.pollev.co $\mathrm{m} / \mathrm{cse} 373$ studentqs to ask your own questions

## Design Decisions

Situation \#1: Write a data structure that implements the List ADT that will be used to store a list of songs in a playlist.

ArrayList - I want to be able to shuffle play on the playlist
Situation \#2: Write a data structure that implements the List ADT that will be used to store the history of a bank customer's transactions.

ArrayList - optimize for addition to back and accessing of elements
Situation \#3: Write a data structure that implements the List ADT that will be used to store the order of students waiting to speak to a TA at a tutoring center

LinkedList - optimize for removal from front
ArrayList - optimize for addition to back

## List ADT tradeoffs

Last time: we used "slow" and "fast" to describe running times. Let's be a little more precise.
Recall these basic Big-O ideas from 14X: Suppose our list has $N$ elements

- If a method takes a constant number of steps (like 23 or 5 ) its running time is $\mathrm{O}(1)$
- If a method takes a linear number of steps (like $4 N+3$ ) its running time is $\mathrm{O}(\mathrm{N})$

For ArrayLists and LinkedLists, what is the O() for each of these operations?

- Time needed to access $N^{\text {th }}$ element:
- Time needed to insert at end (the array is full!)


## What are the memory tradeoffs for our two implementations?

- Amount of space used overall


## - Amount of space used per element

| ArrayList<Character> | myArr |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 1 | 2 | 3 | 4 |


| 'h' | 'e' | 'l' | 'l' | ‘o' |
| :--- | :--- | :--- | :--- | :--- |

## LinkedList<Character> myLl



[^0]
## List ADT tradeoffs

Time needed to access $N^{\text {th }}$ element:

| - ArrayList: O(1) constant time | ArrayList<Character> myArr |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| - LinkedList: O(N) linear time | 0 | , | 2 | 3 | 4 |
| Time needed to insert at $N^{\text {th }}$ element (the array is full!) ArrayList: O(N) linear time | 'h' | 'e’ | 'ノ' | ‘' | '0' |

- LinkedList: $O(N)$ linear time

Amount of space used overall

- ArrayList: sometimes wasted space
- LinkedList: compact


Amount of space used per element

- ArrayList: minimal
- LinkedList: tiny extra


## Administrivia

- reminder: PO released on Wednesday, due next Wednesday. Lots of good setup questions on Piazza, continue to use that resource
- 4/1 Lecture is a panopto recording because we had to make some edits -- sorry for the inconvenience. If it's not published immediately in the future, it'll also be on Panopto and a little bit delayed.
- Section -- video/recording is being worked on and edited by our TAs right now, should be up soon. Handouts/Solutions/Slides always posted on the website -- the solutions/slides are up now. We'll make a Piazza announcement when the video is up.
- Student Slack -- Totally optional chatroom for y'all to join to build a community for this class (beyond piazza which is kinda rigid). You can use it to find a partner/coordinate with them, plan study sessions, or just chat with people in general! We won't be monitoring this closely, but please be kind and respectful to others. Feel free to report any incidents and we can look into it. Everyone registered should have received an invite.
- Office Hours today, see the calendar on course website for schedule and the Zoom tab on Canvas for meeting link



## Questions?

## Review: What is a Stack?

stack: A collection based on the principle of adding elements and retrieving them in the opposite order.

- Last-In, First-Out ("LIFO")

Elements are stored in order of insertion.
We do not think of them as having indexes.
Client can only add/remove/examine the last element added (the "top").

## Stack ADT

## state

Set of ordered items
Number of items
behavior
push(item) add item to top pop() return and remove item at top
peek() look at item at top size() count of items isEmpty() count of items is 0 ?

## supported operations:

push(item): Add an element to the top of stack pop(): Remove the top element and returns it peek(): Examine the top element without removing it size(): how many items are in the stack?
isEmpty(): true if there are 1 or more items in stack, false otherwise

## Implementing a Stack with an Array

| Stack ADT |
| :--- |
| state |
| Set of ordered items |
| Number of items |
| behavior |
| push(item) add item to top |
| pop() return and remove |
| item at top |
| $\frac{\text { peek() look at item at top }}{\text { size() count of items }}$ |
| isEmpty() count of items is 0 ? |

$$
\begin{aligned}
& \text { push (3) } \\
& \text { push (4) } \\
& \text { pop () } \\
& \text { push (5) }
\end{aligned}
$$



Big O Analysis

```
pop() O(1) Constant
peek() O(1) Constant
size() O(1)Constant
isEmpty() O(1) Constant
push() O(N) linear if you have to resize
    O(1) otherwise
```


## Take 1 min to respond to activity

$$
\begin{aligned}
& \text { www.pollev.com/cse373activity } \\
& \text { What do you think the worst possible } \\
& \text { runtime of the "push()" operation will be? }
\end{aligned}
$$

## Implementing a Stack with Nodes


push (3)
push (4)
pop()

## LinkedStack<E>

state
state
Node top
size
behavior
push add new node at top
pop return and remove node at
top
peek return node at top
size return size
isEmpty return size $==0$


Big O Analysis

```
pop () O(1)Constant
peek() O(1) Constant
size() O(1)Constant
isEmpty() O(1) Constant
push() O(1)Constant
```


## Take 1 min to respond to activity

> www.pollev.com/cse373activity What do you think the worst possible runtime of the "push()" operation will be?


## Question Break

## Review: What is a Queue?

queue: Retrieves elements in the order they were added.

## - First-In, First-Out ("FIFO")

- Elements are stored in order of insertion but don't have indexes.

Client can only add to the end of the queue, and can only examine/remove the front of the queue.


## supported operations:

add(item): aka "enqueue" add an element to the back.
remove(): aka "dequeue" Remove the front element and return.
peek(): Examine the front element without removing it.
size(): how many items are stored in the queue?
isEmpty(): if 1 or more items in the queue returns true, false otherwise

## Implementing a Queue with an Array

```
    Queue ADT
state
    Set of ordered items
    Number of items
behavior
    add(item) add item to back
    remove() remove and return
    item at front
    peek() return item at front
    size() count of items
    isEmpty() count of items is 0?
```

    add (5)
    add (8)
    add (9)
    remove()
    | ArrayQueue<E> |
| :---: |
| ```state data[] Size front index back index``` |
| ```behavior add - data[size] = value, if out of room grow data remove - return data[size - 1], size-1 peek - return data[size - 1] size - return size isEmpty - return size == 0``` |

 front $=1$
back $=2$

Big O Analysis
remove () $\mathrm{O}(1)$ Constant
peek() O(1) Constant
size() O(1)Constant
isEmpty () O(1) Constant
add () $\quad \mathrm{O}(\mathrm{N})$ linear if you have to resize $O(1)$ otherwise

## Take 1 min to respond to activity

www.pollev.com/cse373activity What do you think the worst possible runtime of the "add()" operation will be?

Implementing a Queue with an Array > Wrapping Around

## add(7) add(4) add(1)



## Implementing a Queue with Nodes

| Queue ADT |
| :--- |
| state |
| Set of ordered items |
| Number of items |
| behavior |
| add(item) add item to back |
| remove() remove and return |
| item at front |
| peek() return item at front |
| size( count of items |
| isEmpty() count of items is $0 ?$ |

Queue ADT

Set of ordered items Number of items
behavior add(item) add item to back remove() remove and return item at front
peek() return item at front size() count of items
isEmpty() count of items is 0 ?
$\square$
LinkedQueue<E>

## state

Node front
Node back
size
behavior
add - add node to back
remove - return and remove
node at front
peek - return node at front
size - return size
isEmpty - return size $==0$

$$
\text { numberOfItems }=2
$$

add (5)
add (8)
remove ()


Big O Analysis

| remove () | $\mathrm{O}(1)$ Constant |
| :--- | :--- |
| peek() | $\mathrm{O}(1)$ Constant |
| size() | $\mathrm{O}(1)$ Constant |
| isEmpty () | $\mathrm{O}(1)$ Constant |
| add() | $\mathrm{O}(1)$ Constant |

Take 1 min to respond to activity

$$
\begin{aligned}
& \text { www.pollev.com/cse373activity } \\
& \text { What do you think the worst case } \\
& \text { runtime of the "add()" operation will be? }
\end{aligned}
$$



## Questions?

## Design Decisions ride 5 Mintes

Discuss in your Breakouts: For each scenario select the appropriate ADT and implementation to best optimize for the given scenario.

Situation: You are writing a program to schedule jobs sent to a laser printer. The laser printer should process these jobs in the order in which the requests were received. There are busy and slow times for requests that can have large differences in the volume of jobs sent to the printer. Which ADT and what implementation would you use to store the jobs sent to the printer?

ADT options:

- List
- Stack
- Queue

Implementation options:

- array
- linked nodes


## Breakout Instructions

1. Instructor will trigger breakout rooms
2. Accept the invite that pops up
3. Work with your partners to answer the question on slide 16
4. TAs will be coming in and out. Fill out this form to request a TA's assistance: https://forms.gle/b9NiC1s11FKBcpm89
5. Instructor will end the breakouts in 5 minutes

For detailed instructions on how breakouts work:
https://docs.google.com/presentation/d/15HiAPu6yYz2WWbkonRejBtUcq_FFhmoWFyT2|25G06 o/edit\#slide=id.g8289eae46a_0_694

## Design Decisions ride 5 Mintes

Discuss in your Breakouts: For each scenario select the appropriate ADT and implementation to best optimize for the given scenario.

Situation: You are writing a program to schedule jobs sent to a laser printer. The laser printer should process these jobs in the order in which the requests were received. There are busy and slow times for requests that can have large differences in the volume of jobs sent to the printer. Which ADT and what implementation would you use to store the jobs sent to the printer?

ADT options:

- List
- Stack
- Queue

Implementation options:

- array
- linked nodes


## Dictionaries

## Dictionaries (aka Maps)

## Every Programmer's Best Friend

You'll probably use one in almost every programming project.
Because it's hard to make a big project without needing one sooner or later.

```
// two types of Map implementations supposedly covered in CSE 143
Map<String, Integer> map1 = new HashMap<>();
Map<String, String> map2 = new TreeMap<>();
```


## Review: Maps

map: Holds a set of distinct keys and a collection of values, where each key is associated with one value.
a.k.a. "dictionary"

## Dictionary ADT

state
Set of items \& keys
Count of items
behavior
put(key, item) add item to collection indexed with key get(key) return item associated with key containsKey(key) return if key already in use
remove(key) remove item and associated key size() return count of items

## supported operations:

put(key, value): Adds a given item into collection with associated key,

- if the map previously had a mapping for the given key, old value is replaced.
get(key): Retrieves the value mapped to the key
containsKey(key): returns true if key is already associated with value in map, false otherwise
remove(key): Removes the given key and its mapped value



## Implementing a Dictionary with an Array

## Dictionary ADT

## state

Set of items \& keys Count of items

## behavior

put(key, item) add item to collection indexed with key get(key) return item associated with key containsKey(key) return if key already in use remove(key) remove item and associated key size() return count of items
containsKey ('c')
get ('d')
put ('b', 97)
put ('e', 20)


Big O Analysis - (if key is the last one looked at / not in the dictionary)

| put() | $\mathrm{O}(\mathrm{N})$ linear |
| :--- | :--- |
| get() | $\mathrm{O}(\mathrm{N})$ linear |
| containsKey() | $\mathrm{O}(\mathrm{N})$ linear |
| remove() | $\mathrm{O}(\mathrm{N})$ linear |
| size() | $\mathrm{O}(1)$ constant |

Big O Analysis - (if the key is the first one looked at)

```
put()
get()
\(\mathrm{O}(1)\) constant
get()
\(\mathrm{O}(1)\) constant
containskey() O(1) constant
remove () \(\mathrm{O}(1)\) constant
size()
```


## Implementing a Dictionary with Nodes

| Dictionary ADT |
| :--- |
| state |
| Set of items \& keys |
| Count of items |
| behavior |
| put(key, item) add item to |
| collection indexed with key |
| get(key) return item |
| associated with key |
| $\frac{\text { containsKey(key) return if key }}{\text { already in use }}$ |
| $\frac{\text { remove(key) remove item }}{\text { and associated key }}$ |
| size() return count of items |

```
containsKey('c')
get('d')
put('b', 20)
```


## Dictionary ADT

Set of items \& keys Count of items
behavior
put(key, item) add item to collection indexed with key get(key) containsKey(key) return if key already in use and associated key
size() return count of items

| LinkedDictionary<K, V> |
| :---: |
| state <br> front <br> size |
| behavior <br> put if key is unused, create new with pair, add to front of list, else replace with new value <br> get scan all pairs looking for given key, return associated item if found containskey scan all pairs, return if key is found <br> remove scan all pairs, skip pair to be removed <br> size return count of items in dictionary |



Big O Analysis - (if key is the last one looked at / not in the dictionary)
put()
$\mathrm{O}(\mathrm{N})$ linear
get()
$\mathrm{O}(\mathrm{N})$ linear
containsKey() $O(N)$ linear
remove () $\quad \mathrm{O}(\mathrm{N})$ linear
size()
O(1) constant
Big O Analysis - (if the key is the first one looked at)

| put() | $\mathrm{O}(1)$ constant |
| :--- | :--- |
| get() | $\mathrm{O}(1)$ constant |
| containsKey () | $\mathrm{O}(1)$ constant |
| remove() | $\mathrm{O}(1)$ constant |
| size() | $\mathrm{O}(1)$ constant |


[^0]:    CSE 37319 SU -- ROBBIE WEBER

