# University of Washington - Computer Science \& Engineering 

Spring 2018 Instructor: Justin Hsia 2018-05-15

## CSE 369 QUIZ 2

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## Please do not turn the page until 10:00.

## Instructions

- This quiz contains 4 pages, including this cover page. You may use the backs of the pages for scratch work.
- Please clearly indicate (box, circle) your final answer.
- The quiz is closed book and closed notes.
- Please silence and put away all cell phones and other mobile or noise-making devices.
- Remove all hats, headphones, and watches.
- You have 25 minutes to complete this quiz.


## Advice

- Read questions carefully before starting. Read all questions first and start where you feel the most confident to maximize the use of your time.
- There may be partial credit for incomplete answers; please show your work.
- Relax. You are here to learn.

| Question | Points | Score |
| :--- | :---: | :---: |
| (1) SL \& Timing | 6 | 6 |
| (2) FSM Implementation | 9 | 9 |
| (3) FSM Design | 11 | 11 |
|  | Total: | $\mathbf{2 6}$ |
| $\mathbf{2 6}$ |  |  |

## Question 1: Sequential Logic \& Timing [6 pts]

Consider the following circuit diagram with $t_{\text {period }}=\mathbf{1 5 0} \mathbf{n s}\left(10^{-9} \mathrm{~s}\right), t_{C 2 Q}=\mathbf{4 5} \mathbf{n s}, t_{\text {setup }}=15$ ns , and $t_{\text {hold }}=10 \mathrm{~ns}$.

(A) Assume that In does not violate any timing constraints. Calculate the maximum NAND gate delay that will allow the circuit to function correctly. Make sure to include units. [3 pts]

$$
t_{N A N D, \max }=90 \mathrm{~ns}
$$

Both paths through the NAND are equally long.
So we need $t_{C 2 Q}+t_{N A N D} \leq t_{\text {period }}-t_{\text {setup }}$.
Then $t_{N A N D} \leq 150-15-45=90 \mathrm{~ns}$.
(B) Within what range of times (measured from each clock trigger) will changing the input In not cause a timing violation? Answer using inclusive interval notation: $\left[t_{\text {start }}, t_{\text {end }}\right]$. [3 pts]

$$
10,135] \mathrm{ns}
$$

By definition, a timing violation will occur if an input to a register changes in either the first $t_{\text {hold }}$ or the last $t_{\text {setup }}$ of the clock period. Since In is directly attached to a register input, we can directly use the provided timing constant values.

Question 2: Finite State Machine Implementation [9 pts]
(A) Fill in the provided truth table based on the FSM shown. [2 pts]


| $\mathbf{P S}_{\mathbf{1}}$ | $\mathbf{P S}_{\mathbf{0}}$ | In | $\mathbf{N S}_{\mathbf{1}}$ | $\mathbf{N S}_{\mathbf{0}}$ | Out $_{\mathbf{1}}$ | Out $_{\mathbf{0}}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 1 | 0 | 1 | 1 |
| 0 | 1 | 0 | X | X | X | X |
| 0 | 1 | 1 | X | X | X | X |
| 1 | 0 | 0 | $\mathbf{1}$ | 1 | 1 | 0 |
| 1 | 0 | 1 | 0 | 0 | 0 | 1 |
| 1 | 1 | 0 | 1 | 1 | $\mathbf{1}$ | 0 |
| 1 | 1 | 1 | 0 | 0 | 0 | $\mathbf{1}$ |

(B) Complete the circuit diagram below using minimal logic based on the truth table shown below. You are welcome to use 2- and 3 -input logic gates. [7 pts]

| PS | In $_{\mathbf{1}}$ | In $_{\mathbf{0}}$ | NS | Out |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | X | X |
| 0 | 1 | 0 | 0 | 1 |
| 0 | 1 | 1 | 1 | 0 |
| 1 | 0 | 0 | 1 | 0 |
| 1 | 0 | 1 | X | X |
| 1 | 1 | 0 | 0 | 0 |
| 1 | 1 | 1 | 1 | 0 |

Wire connection:


Wire crossing:


$$
\overline{N S}=I n_{0}+P s \cdot I_{n_{1}} \quad \quad \quad \quad a_{t} t=\overline{P S} \cdot I n_{1} \cdot I I_{n_{0}}
$$



## Question 3: Finite State Machine Design [11 pts]

For this problem, consider the FSM below:

(A) Answer the following about the corresponding truth table. [2 pt]

| 2 state bits, 1 input bit. | Rows: 8 | Rows of Don't Cares: 0 |
| :--- | :--- | :--- |

(B) Complete the testbench initial block to thoroughly test the state diagram. Even though they may be unnecessary, please fill in all blanks. You are welcome to fill out the Verilog comments to help you keep track of state, but these will not be graded. [5 pts]

| initial begin |  |  |
| :---: | :---: | :---: |
|  | In <= 0___; | // state: 00 |
| @(posedge clk); | In <= 1; | // state: 00 |
| @(posedge clk); | In <= 1; | // state: 01 |
| @(posedge clk); | In <= 1; | // state: 11 |
| @(posedge clk); | In <= 0___; | // state: 11 |
| @(posedge clk); | In <= 1__; | // state: 10 |
| @(posedge clk); | In <= 0___; | // state: 01 |
| @(posedge clk); | In <= 0___; | // state: 10 |
| @(posedge clk); |  | // state: 00 |
| \$stop(); |  |  |
| end |  |  |

(C) What two input sequences does this FSM "recognize" (i.e. when it outputs a 1)? [4 pt]

| 010 | 101 |
| :---: | :---: |

