# CSE351 Spring 2014 – Midterm Exam (5 May 2014)

Please read through the entire examination first! We designed this exam so that it can be completed in 50 minutes and, hopefully, this estimate will prove to be reasonable.

There are 5 problems for a total of 90 points. The point value of each problem is indicated in the table below. Write your answer neatly in the spaces provided. If you need more space (you shouldn't), you can write on the back of the sheet where the question is posed, but please make sure that you indicate clearly the problem to which the comments apply. Do NOT use any other paper to hand in your answers. If you have difficulty with part of a problem, move on to the next one. They are independent of each other.

The exam is CLOSED book and CLOSED notes (no summary sheets, no calculators, no mobile phones, no laptops). Please do not ask or provide anything to anyone else in the class during the exam. Make sure to ask clarification questions early so that both you and the others may benefit as much as possible from the answers.

Name:		
ID#:		

Problem	Max Score	Score
1	15	
2	10	
3	20	
4	30	
5	15	
TOTAL	90	

#### 1. Warm-up (15 points)

A. If we have six (6) bits in which to represent integers, what is largest unsigned number and what is largest 2s complement number we can represent (in decimal)?

Largest unsigned number: \_\_\_\_\_\_

Largest 2s complement number: \_\_\_\_\_\_

B. If %eax stores x and %ebx stores y, what do the following lines of assembly compute? Note that the result is in %eax.

```
%ebx, %ecx
   mov
   add
           %eax, %ebx
   jе
           .L1
           %eax, %ecx
   sub
   jе
           .L1
           %eax, %eax
   xor
           .L2
   jmp
L1:
   mov
          $1, %eax
L2:
```

### 2. Floating Point Representation (10 points)

Suppose we have 16-bit floating point numbers where 6 bits are assigned to the exponent and 9 bits to the fraction and 1 to the sign bit.

A. What is the bias for this float?

B. Given the decimal number 3.625, calculate the <u>fraction (frac)</u> and <u>exponent (exp)</u> that would appear in the floating point representation. (Note: you may leave your answer in decimal for the exponent.)

### 3. C and Assembly Code (20 points)

Given the C code for the function foo, determine which IA32 and x86-64 code snippet corresponds to a correct implementation of foo.

```
int foo (int x, int y) {
    int c = x << (y + 3);

    if (x != 0) {
        return c;
    } else {
        return 1;
    }
}</pre>
```

A. Which of the following IA-32 implementations is correct for foo()? Circle the correct one and give at least one reason why the other two are not correct.

```
i)
     push
            %ebp
     mov
            %esp, %ebp
     mov
            0xc(%ebp), %ecx
            $0x3, %ecx
     add
            0x8(%ebp), %eax
     mov
            %eax, %ecx
     shl
            %ecx, %eax
     mov
            $0x8($ebp), $0
     cmp
            $0x808472 // two lines down to leave
     jne
            $0x1, %eax
     mov
     leave
     ret
ii)
    push
            %ebp
            %esp, %ebp
     mov
     mov
            0xc(%ebp), %ecx
     add
            $0x3, %ecx
     mov
            0x8(%ebp), %eax
     shl
            %ecx, %eax
            $0x8(%ebp), $0
     cmp
            $0x808472 // two lines down to leave
     jne
            $0x1, %eax
     mov
     leave
     ret
iii) push
            $ebp
     mov
            %esi, %ecx
            $0x3, %ecx
     add
            %edi, %eax
     mov
     shl
            %ecx, %eax
     test
            %edi, $0
     jne
            $0x808472 // two lines down to leave
            $0x1, %eax
     mov
     leave
     ret
```

B. Which of the following x86-64 implementations is correct for foo()? Circle the correct one and give at least one reason why the other two are not correct.

```
i)
            $0x3, %rsi
     add
            %rdi, rax
     mov
            %rsi, %rax
     shl
            %rdi, %rdi
     test
            $0x808472 // two lines down to leave
     jne
            $0x1, $rax
     mov
     leave
     ret
            $rbx
ii)
    push
     mov
            %rsi, %rbx
     add
            $0x3, %rbx
            %rdi, %rax
     mov
     shl
            %rbx, %rax
            %rdi, %rdi
     test
            $0x808472 // two lines down to leave
     jne
            $0x1, $rax
     mov
     leaveq
     ret
            %rdi, %rdx
iii) mov
     add
            $0x3, %rdx
            %rsi, %rax
     mov
            %rdx, %rax
     shl
            $0, %rdi
     test
            $0x808472 // two lines down to leave
     jne
     mov
            $0x1, %rax
     ret
```

#### 4. Stack Discipline (30 points)

The following function recursively computes the greatest common divisor of the integers a, b:

```
int gcd(int a, int b) {
    if (b == 0) {
        return a;
    } else {
        return gcd(b, a % b);
    }
}
```

Here is the x86\_64 assembly for the same function:

```
4006c6 <gcd>:
                    $0x18, %rsp
4006c6:
          sub
4006ca:
                    %edi, 0x10(%rsp)
          mov
                    %esi, 0x08(%rsp)
4006ce:
          mov
4006d2:
                    $0x0, %esi
          cmpl
4006d7:
                    4006df <gcd+0x19>
          jne
4006d9:
                    0x10(%rsp), %eax
          mov
4006dd:
                    4006f5 <gcd+0x2f>
          jmp
4006df:
                    0x10(%rsp), %eax
         mov
4006e3:
         cltd
4006e4:
          idivl
                    0x08(%rsp)
                    0x08(%rsp), %eax
4006e8:
         mov
4006ec:
                    %edx, %esi
         mov
                    %eax, %edi
4006ee:
         mov
4006f0:
          callq
                    4006c6 <gcd>
                    $0x18, %rsp
4006f5:
          add
4006f9:
          retq
```

Note: **cltd** is an instruction that sign extends %eax into %edx to form the 64-bit signed value represented by the concatenation of [ %edx | %eax ].

Note: idiv1 <mem> is an instruction divides the 64-bit value [ %edx | %eax ] by the long stored at <mem>, storing the quotient in %eax and the remainder in %edx.

A. Suppose we call gcd(144, 64) from another function (i.e. main()), and set a breakpoint just before the statement "return a". When the program hits that breakpoint, what will the stack look like, starting at the top of the stack and going all the way down to the saved instruction address in main()? Label all return addresses as "ret addr", label local variables, and leave all unused space blank.

Memory address on stack	Value (8 bytes per line)
0x7ffffffffffffad0	Return address back to main
0x7fffffffffffac8	
0x7fffffffffffac0	
0x7fffffffffffab8	
0x7ffffffffffffab0	
0x7fffffffffffaa8	
0x7fffffffffffaa0	
0x7fffffffffffa98	
0x7fffffffffffa90	
0x7fffffffffffa88	
0x7fffffffffffa80	
0x7fffffffffffa78	
0x7fffffffffffa70	

<-%rsp points here at start of procedure

В.	How many total bytes of local stack space are created in each frame (in decimal)?
C.	When the function begins, where are the arguments (a, b) stored?
D.	From a memory-usage perspective, why are iterative algorithms generally preferred over recursive algorithms?

#### 5. Structs (15 points)

A. Draw a picture of the following struct, specifying the byte offset of each of the struct's fields and the size of any areas of fragmentation. Assume a 64-bit architecture.

```
typedef struct blah {
    char b;
    int l;
    char *a;
    char h;
} blahblahblah;
```

B. How many bytes of internal fragmentation does the struct contain? External fragmentation?

Intenal fragmentation:\_\_\_\_\_

External fragmentation:\_\_\_\_\_

C.	Reorder the fields of the struct to minimize fragmentation:
	typedef struct blah {
	<del></del>
	} blahblahblah;
D.	What is the size of the reordered struct?
E.	How many bytes of internal fragmentation does the struct contain? External?
	Intenal fragmentation:
	External fragmentation:

# **REFERENCES**

### Powers of 2:

$2^0 = 1$	
$2^1 = 2$	$2^{-1} = .5$
$2^2 = 4$	$2^{-2} = .25$
$2^3 = 8$	$2^{-3} = .125$
$2^4 = 16$	$2^{-4} = .0625$
$2^5 = 32$	$2^{-5} = .03125$
$2^6 = 64$	$2^{-6} = .015625$
$2^7 = 128$	$2^{-7} = .0078125$
$2^8 = 256$	$2^{-8} = .00390625$
$2^9 = 512$	$2^{-9} = .001953125$
$2^{10} = 1024$	$2^{-10} = .0009765625$

# **Assembly Code Instructions:**

push pop	push a value onto the stack and decrement the stack pointer pop a value from the stack and increment the stack pointer
call ret	jump to a procedure after first pushing a return address onto the stack pop return address from stack and jump there
mov lea	move a value between registers and memory compute effective address and store in a register
add sub and or sar	add src (1 <sup>st</sup> operand) to dst (2 <sup>nd</sup> ) with result stored in dst (2 <sup>nd</sup> ) subtract src (1 <sup>st</sup> operand) from dst (2 <sup>nd</sup> ) with result stored in dst (2 <sup>nd</sup> ) bit-wise AND of src and dst with result stored in dst bit-wise OR of src and dst with result stored in dst shift data in the dst to the right (arithmetic shift) by the number of bits specified in 1 <sup>st</sup> operand
jmp jne cmp test	jump to address conditional jump to address if zero flag is not set subtract src (1 <sup>st</sup> operand) from dst (2 <sup>nd</sup> ) and set flags bit-wise AND src and dst and set flags

### Register map for x86-64:

Note: all registers are caller-saved except those explicitly marked as callee-saved, namely, rbx, rbp, r12, r13, r14, and r15. rsp is a special register.

%rax	Return value
%rbx	Callee saved
%rcx	Argument #4
%rdx	Argument #3
%rsi	Argument #2
%rdi	Argument #1
%rsp	Stack pointer
%rbp	Callee saved

%r8	Argument #5
%r9	Argument #6
%r10	Caller saved
%r11	Caller Saved
%r12	Callee saved
%r13	Callee saved
%r14	Callee saved
%r15	Callee saved