

Machine Programming

CSE 351 Autumn 2016

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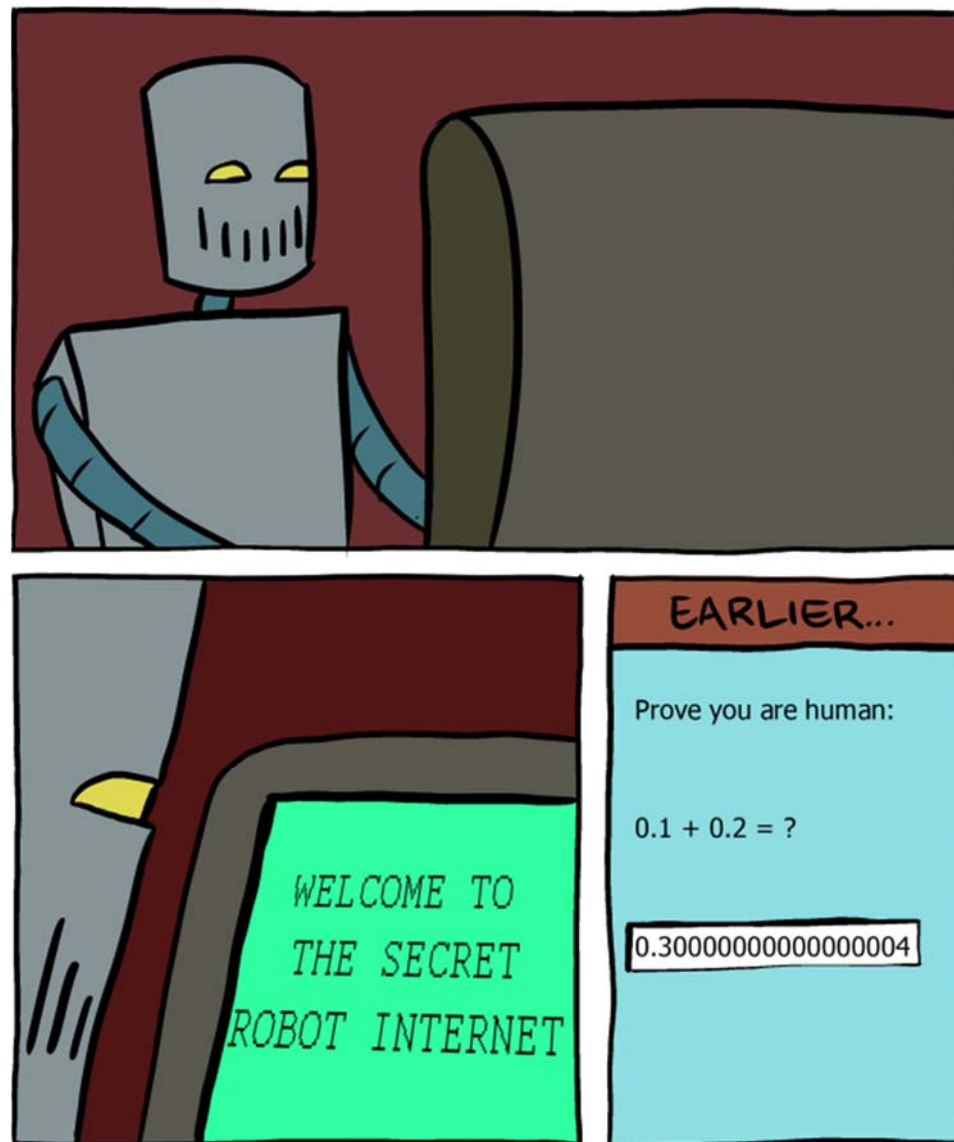
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<http://www.smbc-comics.com/?id=2999>

Administrivia

- ❖ Homework 1 released
 - On number representation (signed, unsigned, floating point) and x86 (starting today)
- ❖ Section room change: AD/AH now in EEB 045

Floating point topics

- ❖ Fractional binary numbers
 - ❖ IEEE floating-point standard
 - ❖ Floating-point operations and rounding
 - ❖ Floating-point in C
-
- ❖ There are many more details that we won't cover
 - It's a 58-page standard...



Rounding modes

❖ Possible rounding modes (money example):

	\$1.40	\$1.60	\$1.50	\$2.50	-\$1.50
■ Round-toward-zero	\$1	\$1	\$1	\$2	-\$1
■ Round-down ($-\infty$)	\$1	\$1	\$1	\$2	-\$2
■ Round-up ($+\infty$)	\$2	\$2	\$2	\$3	-\$1
■ Round-to-nearest	\$1	\$2	??	??	??
■ Round-to-even	\$1	\$2	\$2	\$2	-\$2

❖ Round-to-even avoids statistical bias in repeated rounding

- Rounds up about half the time, down about half the time
- This is the default rounding mode for IEEE floating-point

Mathematical Properties of FP Operations

- ❖ Exponent overflow yields $+\infty$ or $-\infty$
- ❖ Floats with value $+\infty$, $-\infty$, and NaN can be used in operations
 - Result usually still $+\infty$, $-\infty$, or NaN; but not always intuitive
- ❖ Floating point operations do not work like real math, due to **rounding**
 - Not associative: $(3.14+1e100)-1e100 \neq 3.14+(1e100-1e100)$
 $\qquad\qquad\qquad 0 \qquad\qquad\qquad 3.14$
 - Not distributive: $100*(0.1+0.2) \neq 100*0.1+100*0.2$
 $\qquad\qquad\qquad 30.0000000000000003553 \qquad\qquad\qquad 30$
 - Not cumulative
 - Repeatedly adding a very small number to a large one may do nothing



Floating Point in C

- ❖ C offers two (well, 3) levels of precision

float	1.0f	single precision (32-bit)
double	1.0	double precision (64-bit)
long double	1.0L	(<i>“double double” or quadruple</i>) precision (64-128 bits)

- ❖ `#include <math.h>` to get `INFINITY` and `NAN` constants
- ❖ Equality (`==`) comparisons between floating point numbers are tricky, and often return unexpected results, so just avoid them!



Floating Point Conversions in C

- ❖ Casting between `int`, `float`, and `double` **changes the bit representation**
 - `int` → `float`
 - May be rounded (not enough bits in mantissa: 23)
 - Overflow impossible
 - `int` or `float` → `double`
 - Exact conversion (all 32-bit `ints` representable)
 - `long` → `double`
 - Depends on word size (32-bit is exact, 64-bit may be rounded)
 - `double` or `float` → `int`
 - Truncates fractional part (rounded toward zero)
 - “Not defined” when out of range or NaN: generally sets to `Tmin` (even if the value is a very big positive)

Floating Point and the Programmer

```
#include <stdio.h>
```

```
int main(int argc, char* argv[]) {  
    float f1 = 1.0;  
    float f2 = 0.0;  
    int i;  
    for (i = 0; i < 10; i++)  
        f2 += 1.0/10.0;
```

```
    printf("0x%08x  0x%08x\n", *(int*)&f1, *(int*)&f2);  
    printf("f1 = %10.8f\n", f1);  
    printf("f2 = %10.8f\n\n", f2);
```

```
    f1 = 1E30;  
    f2 = 1E-30;  
    float f3 = f1 + f2;  
    printf("f1 == f3? %s\n", f1 == f3 ? "yes" : "no" );
```

```
    return 0;
```

```
}
```

```
$ ./a.out  
0x3f800000  0x3f800001  
f1 = 1.000000000  
f2 = 1.0000000119  
  
f1 == f3? yes
```


Floating Point Summary

- ❖ Floats also suffer from the fixed number of bits available to represent them
 - Can get overflow/underflow
 - “Gaps” produced in representable numbers means we can lose precision, unlike `ints`
 - Some “simple fractions” have no exact representation (e.g., 0.2)
 - “Every operation gets a slightly wrong result”
- ❖ Floating point arithmetic not associative or distributive
 - Mathematically equivalent ways of writing an expression may compute different results
- ❖ **Never** test floating point values for equality!
- ❖ **Careful** when converting between ints and floats!

Number Representation Really Matters

- ❖ **1991:** Patriot missile targeting error
 - clock skew due to conversion from integer to floating point
- ❖ **1996:** Ariane 5 rocket exploded (\$1 billion)
 - overflow converting 64-bit floating point to 16-bit integer
- ❖ **2000:** Y2K problem
 - limited (decimal) representation: overflow, wrap-around
- ❖ **2038:** Unix epoch rollover
 - Unix epoch = seconds since 12am, January 1, 1970
 - signed 32-bit integer representation rolls over to TMin in 2038
- ❖ **Other related bugs:**
 - 1982: Vancouver Stock Exchange 10% error in less than 2 years
 - 1994: Intel Pentium FDIV (floating point division) HW bug (\$475 million)
 - 1997: USS Yorktown “smart” warship stranded: divide by zero
 - 1998: Mars Climate Orbiter crashed: unit mismatch (\$193 million)

Roadmap

C:

```
car *c = malloc(sizeof(car));
c->miles = 100;
c->gals = 17;
float mpg = get_mpg(c);
free(c);
```

Java:

```
Car c = new Car();
c.setMiles(100);
c.setGals(17);
float mpg =
    c.getMPG();
```

Assembly language:

```
get_mpg:
    pushq   %rbp
    movq   %rsp, %rbp
    ...
    popq   %rbp
    ret
```

Machine code:

```
0111010000011000
100011010000010000000010
1000100111000010
110000011111101000011111
```

Computer system:



- Memory & data
- Integers & floats
- Machine code & C**
- x86 assembly
- Procedures & stacks
- Arrays & structs
- Memory & caches
- Processes
- Virtual memory
- Memory allocation
- Java vs. C

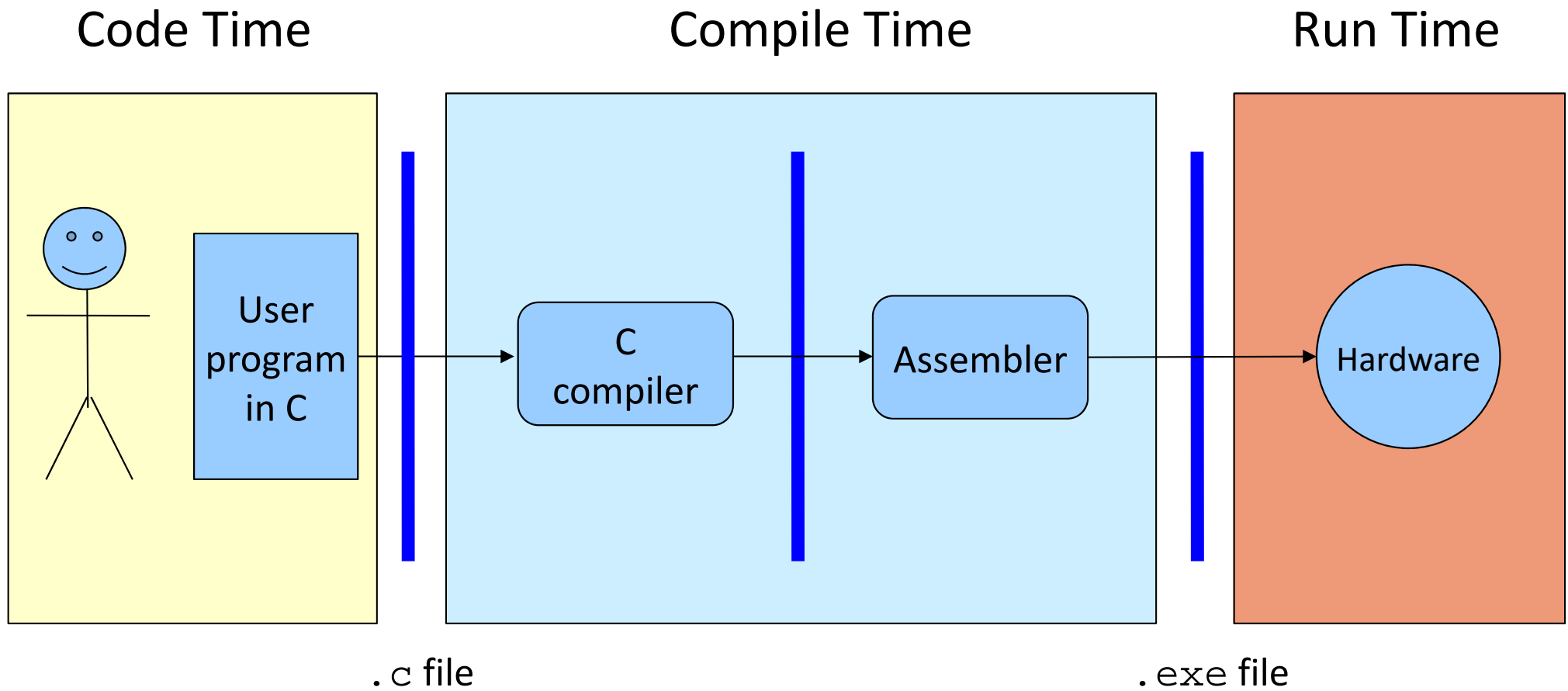
OS:



Basics of Machine Programming & Architecture

- ❖ What is an ISA (Instruction Set Architecture)?
- ❖ A brief history of Intel processors and architectures
- ❖ C, assembly, machine code

Translation



What makes programs run fast(er)?

HW Interface Affects Performance

Source code

Different applications or algorithms

Compiler

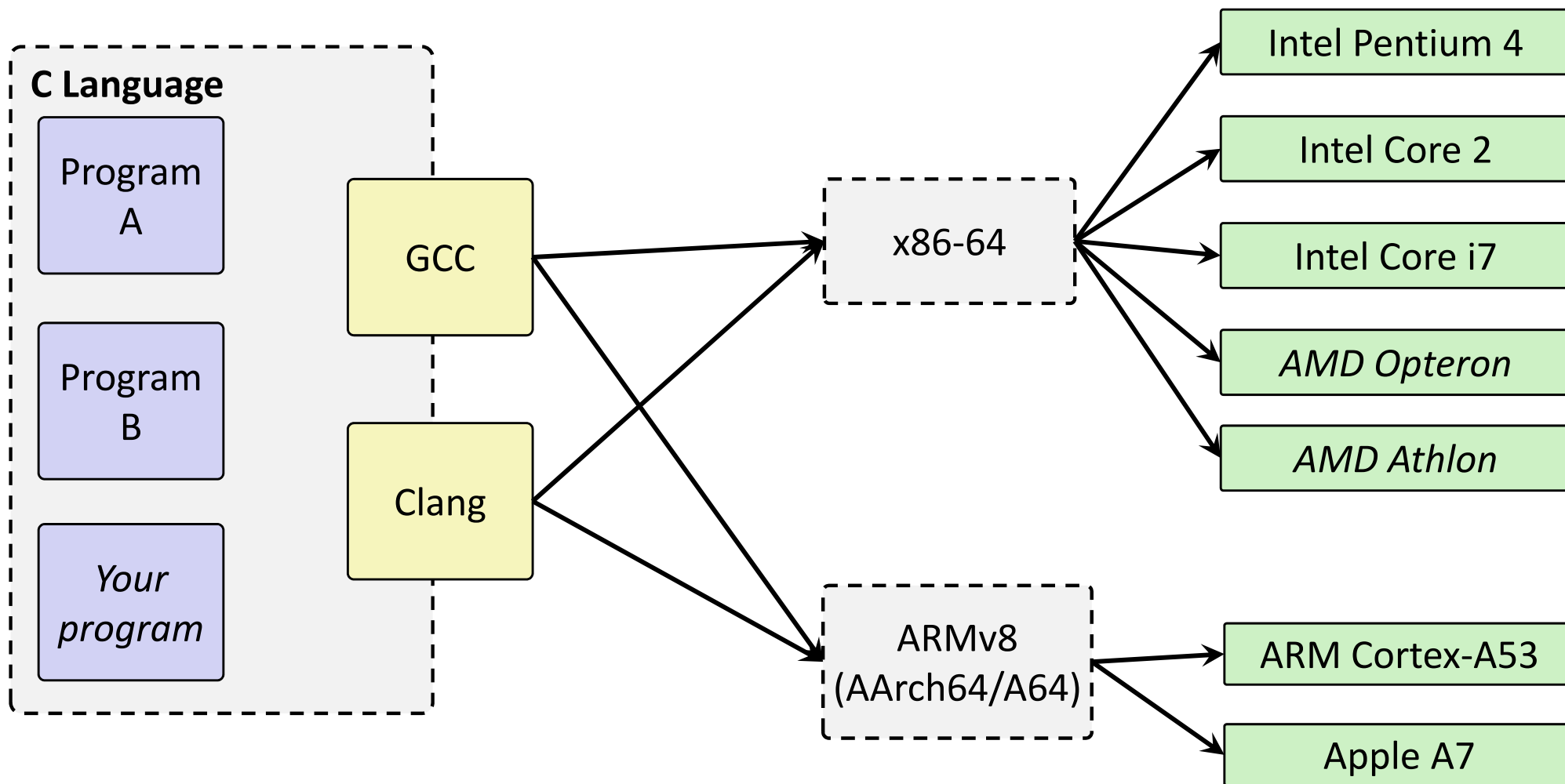
Perform optimizations, generate instructions

Architecture

Instruction set

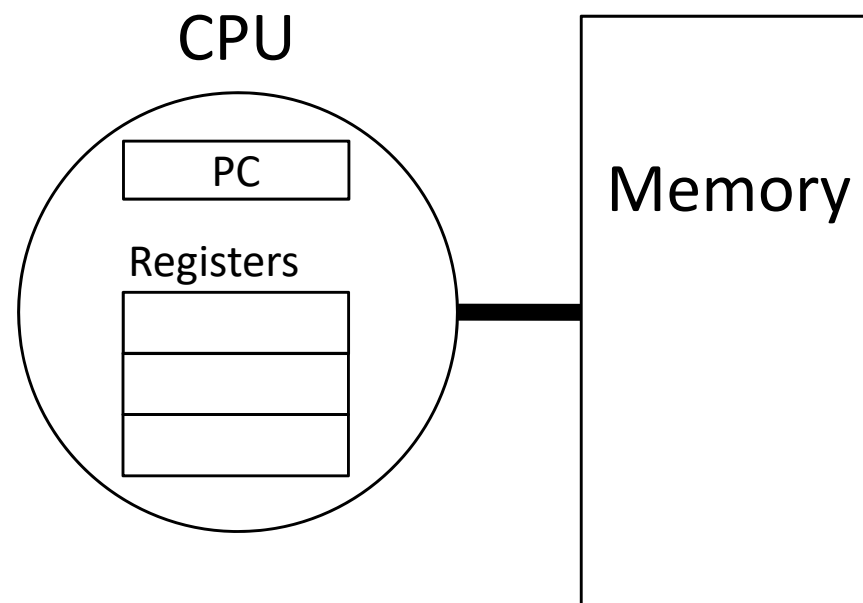
Hardware

Different implementations



Instruction Set Architectures

- ❖ The ISA defines:
 - The system's state (e.g. registers, memory, program counter)
 - The instructions the CPU can execute
 - The effect that each of these instructions will have on the system state



Instruction Set Philosophies

- ❖ *Complex Instruction Set Computing (CISC)*: Add more and more elaborate and specialized instructions as needed
 - Lots of tools for programmers to use, but hardware must be able to handle all instructions
 - x86-64 is CISC, but only a small subset of instructions encountered with Linux programs
- ❖ *Reduced Instruction Set Computing (RISC)*: Keep instruction set small and regular
 - Easier to build fast hardware
 - Let software do the complicated operations by composing simpler ones

General ISA Design Decisions

❖ Instructions

- What instructions are available? What do they do?
- How are they encoded?

❖ Registers

- How many registers are there?
- How wide are they?

❖ Memory

- How do you specify a memory location?

Mainstream ISAs



x86

Designer	Intel, AMD
Bits	16-bit, 32-bit and 64-bit
Introduced	1978 (16-bit), 1985 (32-bit), 2003 (64-bit)
Design	CISC
Type	Register-memory
Encoding	Variable (1 to 15 bytes)
Endianness	Little

Macbooks & PCs
(Core i3, i5, i7, M)
[x86-64 Instruction Set](#)



ARM architectures

Designer	ARM Holdings
Bits	32-bit, 64-bit
Introduced	1985; 31 years ago
Design	RISC
Type	Register-Register
Encoding	AArch64/A64 and AArch32/A32 use 32-bit instructions, T32 (Thumb-2) uses mixed 16- and 32-bit instructions. ARMv7 user-space compatibility ^[1]
Endianness	Bi (little as default)

Smartphone-like devices
(iPhone, iPad, Raspberry Pi)
[ARM Instruction Set](#)



MIPS

Designer	MIPS Technologies, Inc.
Bits	64-bit (32→64)
Introduced	1981; 35 years ago
Design	RISC
Type	Register-Register
Encoding	Fixed
Endianness	Bi

Digital home & networking
equipment
(Blu-ray, PlayStation 2)
[MIPS Instruction Set](#)

Intel x86 Evolution: Milestones

<i>Name</i>	<i>Date</i>	<i>Transistors</i>	<i>MHz</i>
❖ 8086	1978	29K	5-10
▪ First 16-bit Intel processor. Basis for IBM PC & DOS			
▪ 1MB address space			
❖ 386	1985	275K	16-33
▪ First 32 bit Intel processor , referred to as IA32			
▪ Added “flat addressing,” capable of running Unix			
❖ Pentium 4E	2004	125M	2800-3800
▪ First 64-bit Intel x86 processor, referred to as x86-64			
❖ Core 2	2006	291M	1060-3500
▪ First multi-core Intel processor			
❖ Core i7	2008	731M	1700-3900
▪ Four cores			

Intel x86 Processors

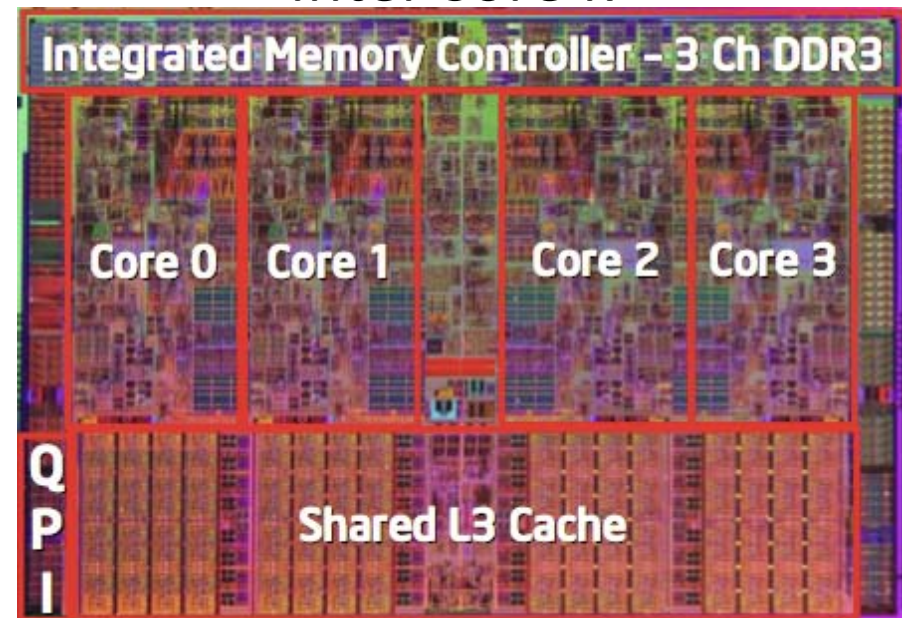
❖ Machine Evolution

■ 486	1989	1.9M
■ Pentium	1993	3.1M
■ Pentium/MMX	1997	4.5M
■ Pentium Pro	1995	6.5M
■ Pentium III	1999	8.2M
■ Pentium 4	2001	42M
■ Core 2 Duo	2006	291M
■ Core i7	2008	731M

❖ Added Features

- Instructions to support multimedia operations
 - Parallel operations on 1, 2, and 4-byte data (“SIMD”)
- Instructions to enable more efficient conditional operations
- Hardware support for virtualization (virtual machines)
- More cores!

Intel Core i7



More information

- ❖ References for Intel processor specifications:
 - Intel's "automated relational knowledgebase":
 - <http://ark.intel.com/>
 - Wikipedia:
 - http://en.wikipedia.org/wiki/List_of_Intel_microprocessors

x86 Clones: Advanced Micro Devices (AMD)

- ❖ Same ISA, different implementation
- ❖ Historically AMD has followed just behind Intel
 - A little bit slower, a lot cheaper
- ❖ Then recruited top circuit designers from Digital Equipment Corporation (DEC) and other downward-trending companies
 - Built Opteron: tough competitor to Pentium 4
 - Developed x86-64, their own extension of x86 to 64 bits

Intel's Transition to 64-Bit

- ❖ Intel attempted radical shift from IA32 to IA64 (2001)
 - Totally different architecture (Itanium) and ISA than x86
 - Executes IA32 code only as legacy
 - Performance disappointing
- ❖ AMD stepped in with *evolutionary* solution (2003)
 - x86-64 (also called “AMD64”)
- ❖ Intel felt obligated to focus on IA64
 - Hard to admit mistake or that AMD is better
- ❖ Intel announces “EM64T” extension to IA32 (2004)
 - Extended Memory 64-bit Technology
 - Almost identical to AMD64!
- ❖ Today: all but low-end x86 processors support x86-64
 - But, lots of code out there is still just IA32

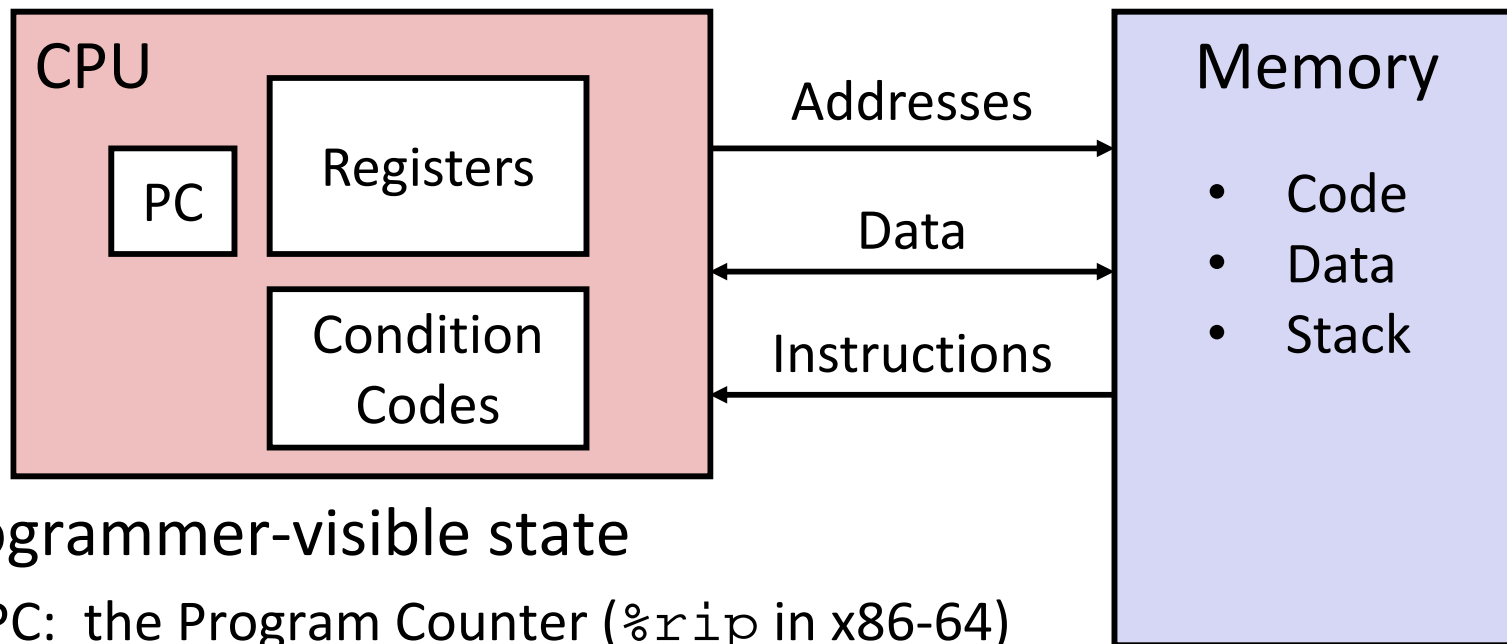
Our Coverage in 351

- ❖ x86-64
 - The new 64-bit x86 ISA – all lab assignments use x86-64!
 - Book covers x86-64
- ❖ Previous versions of CSE 351 and 2nd edition of textbook covered IA32 (traditional 32-bit x86 ISA) **and** x86-64
 - We will only cover x86-64 this quarter

Definitions

- ❖ **Architecture (ISA):** The parts of a processor design that one needs to understand to write assembly code
 - “What is directly visible to software”
- ❖ **Microarchitecture:** Implementation of the architecture
 - CSE/EE 469, 470
- ❖ Are the following part of the architecture?
 - Number of registers?
 - How about CPU frequency?
 - Cache size? Memory size?

Assembly Programmer's View



❖ Programmer-visible state

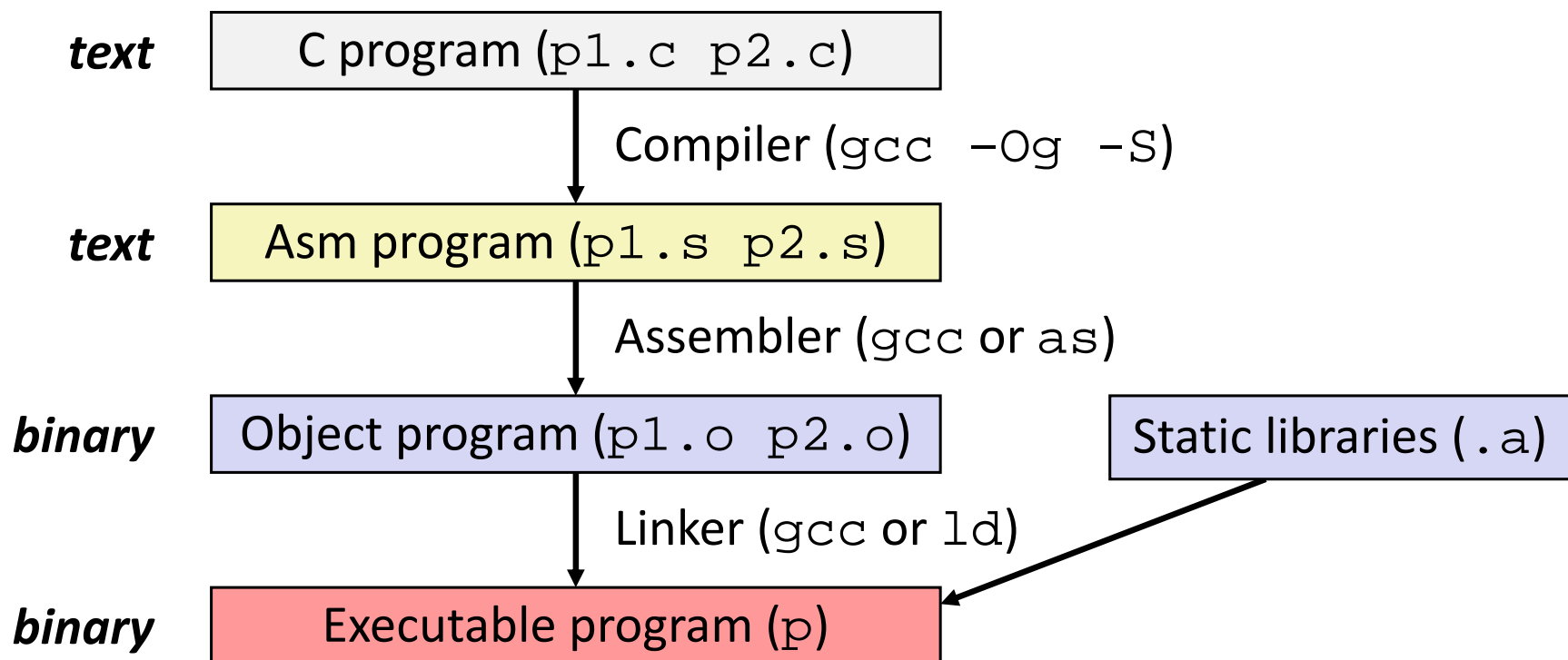
- PC: the Program Counter (`%rip` in x86-64)
 - Address of next instruction
- Named registers
 - Together in “register file”
 - Heavily used program data
- Condition codes
 - Store status information about most recent arithmetic operation
 - Used for conditional branching

❖ Memory

- Byte-addressable array
- Code and user data
- Includes *the Stack* (for supporting procedures)

Turning C into Object Code

- ❖ Code in files `p1.c` `p2.c`
- ❖ Compile with command: `gcc -Og p1.c p2.c -o p`
 - Use basic optimizations (`-Og`) [New to recent versions of GCC]
 - Put resulting machine code in file `p`



Compiling Into Assembly

❖ C Code (sum.c)

```
void sumstore(long x, long y, long *dest) {  
    long t = x + y;  
    *dest = t;  
}
```

❖ x86-64 assembly (gcc -Og -S sum.c)

- Generates file sum.s (see <https://godbolt.org/g/pQUhIZ>)

```
sumstore(long, long, long*):  
    addq    %rdi, %rsi  
    movq    %rsi, (%rdx)  
    ret
```

Warning: You may get different results with other versions of gcc and different compiler settings

Machine Instruction Example

```
*dest = t;
```

❖ C Code

- Store value `t` where designated by `dest`

```
movq %rsi, (%rdx)
```

❖ Assembly

- Move 8-byte value to memory
 - Quad word (`q`) in x86-64 parlance

■ Operands:

`t` Register `%rsi`

`dest` Register `%rdx`

`*dest` Memory `M[%rdx]`

```
0x400539: 48 89 32
```

❖ Object Code

- 3-byte instruction (in hex)
- Stored at address `0x40059e`

Object Code

Function *starts* at
this address

0x00400536 <sumstore>:
0x48
0x01
0xfe
0x48
0x89
0x32
0xc3

Total of 7 bytes
• Each instruction
here is 1-3 bytes
long

- ❖ **Assembler** translates `.s` into `.o`
 - Binary encoding of each instruction
 - Nearly-complete image of executable code
 - Missing linkages between code in different files
- ❖ **Linker** resolves references between files
 - Combines with static run-time libraries
 - e.g., code for `malloc`, `printf`
 - Some libraries are *dynamically linked*
 - Linking occurs when program begins execution

Disassembling Object Code

❖ Disassembled:

```
0000000000400536 <sumstore>:  
 400536: 48 01 fe      add    %rdi,%rsi  
 400539: 48 89 32      mov    %rsi,(%rdx)  
 40053c: c3           retq
```

❖ **Disassembler** (`objdump -d sum`)

- Useful tool for examining object code (`man 1 objdump`)
- Analyzes bit pattern of series of instructions
- Produces approximate rendition of assembly code
- Can run on either a `.out` (complete executable) or `.o` file

Alternate Disassembly in GDB

```
$ gdb sum
(gdb) disassemble sumstore
Dump of assembler code for function sumstore:
   0x0000000000400536 <+0>:      add    %rdi,%rsi
   0x0000000000400539 <+3>:      mov    %rsi,(%rdx)
   0x000000000040053c <+6>:      retq
End of assembler dump.

(gdb) x/7bx sumstore
0x400536 <sumstore>: 0x48  0x01  0xfe  0x48  0x89  0x32  0xc3
```

- ❖ Within gdb debugger (gdb sum):
 - disassemble sumstore: disassemble procedure
 - x/7bx sumstore: show 7 bytes starting at sumstore

What Can be Disassembled?

```
% objdump -d WINWORD.EXE

WINWORD.EXE:      file format pei-i386

No symbols in "WINWORD.EXE".
Disassembly of section .text:

30001000 <.text>:
30001000:
30001001:
30001003:
30001005:
3000100a:
```

**Reverse engineering forbidden by
Microsoft End User License Agreement**

- ❖ Anything that can be interpreted as executable code
- ❖ Disassembler examines bytes and attempts to reconstruct assembly source

Summary

- ❖ Converting between integral and floating point data types *does* change the bits
- ❖ Floating point rounding is a HUGE issue!
 - Limited mantissa bits cause inaccurate representations
 - In general, floating point arithmetic is NOT associative or distributive
- ❖ x86-64 is a complex instruction set computing (CISC) architecture
- ❖ An executable binary file is produced by running code through a **compiler**, **assembler**, and **linker**

BONUS SLIDES

More details for the curious. **We won't be using or testing you on any of these extras in 351.**

- ❖ Rounding strategies
- ❖ Floating Point Puzzles

Closer Look at Round-To-Even

- ❖ Default Rounding Mode
 - Hard to get any other kind without dropping into assembly
 - All others are statistically biased
 - Sum of set of positive numbers will consistently be over- or under- estimated

- ❖ Applying to Other Decimal Places / Bit Positions
 - When exactly halfway between two possible values
 - Round so that least significant digit is even
 - E.g., round to nearest hundredth

1.2349999	1.23	(Less than half way)
1.2350001	1.24	(Greater than half way)
1.2350000	1.24	(Half way—round up)
1.2450000	1.24	(Half way—round down)

Rounding Binary Numbers

- ❖ Binary Fractional Numbers
 - “Half way” when bits to right of rounding position = $100..._2$
- ❖ Examples
 - Round to nearest $1/4$ (2 bits right of binary point)

Value	Binary	Rounded	Action	Round Val
$2 + \frac{3}{32}$	10.00011_2	10.00_2	($<1/2$ —down)	2
$2 + \frac{3}{16}$	10.00110_2	10.01_2	($>1/2$ —up)	$2 + \frac{1}{4}$
$2 + \frac{7}{8}$	10.11100_2	11.00_2	($1/2$ —up)	3
$2 + \frac{5}{8}$	10.10100_2	10.10_2	($1/2$ —down)	$2 + \frac{1}{2}$

Floating Point Puzzles



❖ For each of the following C expressions, either:

- Argue that it is true for all argument values
- Explain why not true

```
int x = ...;
float f = ...;
double d = ...;
double d2 = ...;
```

Assume neither d nor f is NaN

- 1) $x == (\text{int})(\text{float}) x$
- 2) $x == (\text{int})(\text{double}) x$
- 3) $f == (\text{float})(\text{double}) f$
- 4) $d == (\text{double})(\text{float}) d$
- 5) $f == -(-f);$
- 6) $2/3 == 2/3.0$
- 7) $(d+d2)-d == d2$