## CSE 351

## Section 2

$$
1 / 12 / 12
$$

## Agenda

- Review memory and data representation
- NAND Gate
- Binary/Decimal/Hex
- Memory Organization and Pointers
- Endianness


## NAND Gate

- Output is always high (1) except when both inputs are high
- That is, the opposite of an AND
- How does this circuit work?


Truth Table

| A | B | Out |
| :--- | :--- | :--- |
| 0 | 0 | 1 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |

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## Number Formats

- Three bases programmers normally work in
- Base 2: Binary
- Base 10: Decimal
- Base 16: Hexadecimal
- What do they mean?
- Each digit is a representation of the base raised to a power
- Decimal: $246_{10}=2^{*} 10^{2}+4^{*} 10^{1}+6^{*} 10^{0}$
- Binary: $11110110_{2}=1^{*} 2^{7}+1^{*} 2^{6}+1^{*} 2^{5}+1^{*} 2^{4}+0^{*} 2^{3}+1^{*} 2^{2}+$ $1^{*} 2^{1}+0^{*} 2^{0}=246_{10}$
- Hex: $\mathrm{F6}_{16}=0 \times F 6=15^{*} 16^{1}+6^{*} 16^{0}=246_{10}$
- Easy way to convert between Binary and Hex

1. Divide binary number into chunks of 4
2. Convert each chunk of 4 binary digits into a hex number

| 0000 |
| :--- |
| 0001 |
| 0010 |
| 0011 |
| 0100 |
| 0101 |
| 0110 |
| 0111 |
| 1000 |
| 1001 |
| 1010 |
| 1011 |
| 1100 |
| 1101 |
| 1110 |
| 1111 | e.g. $11110110_{2}=11110110=\mathrm{F} \quad 6=\mathrm{F6}_{16}$

## Memory Organization

| 64-bit <br> Words | 32-bit <br> Words | Bytes | Addr. |
| :---: | :---: | :---: | :---: |
|  |  |  | 0000 |
|  | Addr $=$ |  | 0001 |
|  | 0000 |  | 0002 |
| Addr |  |  | 0003 |
| 0000 |  |  | 0004 |
|  | Addr $=$ $=$ |  | 0005 |
|  | 0004 |  | 0006 |
|  |  |  | 0007 |
|  |  |  | 0008 |
|  | Addr |  | 0009 |
|  | = 0008 |  | 0010 |
| Addr |  |  | 0011 |
| 0008 |  |  | 0012 |
|  | Addr |  | 0013 |
|  | $0012$ |  | 0014 |
|  |  |  |  |

## Byte Ordering Example

- Big-Endian (PPC, Sparc, Internet)
- Least significant byte has highest address
- Little-Endian (x86)
- Least significant byte has lowest address
- Example
- Variable has 4-byte representation $0 \times 01234567$
- Address of variable is $0 \times 100$

Big Endian


## Byte Ordering Example

- Another way to visualize it

Big Endian

|  | 0x0FF |
| :---: | :---: |
| 01 | 0x100 |
| 23 | 0x101 |
| 45 | 0x102 |
| 67 | 0x103 |
|  | 0x104 |

Little Endian

|  | 0x0FF |
| :---: | :---: |
| 67 | 0x100 |
| 45 | 0x101 |
| 23 | 0x102 |
| 01 | 0x103 |
|  | 0x104 |

- Little Endian is Least significant byte first
- Big Endian is Most significant byte first


## Representing Integers

- int $A=12345$;
- int $B=-12345$;
- long int $C=12345$;

Decimal: 12345
Binary: 0011000000111001
Hex: $\quad 3 \quad 0 \quad 3 \quad 9$
IA32, x86-64 A Sun A

| 39 |
| :--- | :--- |
| 30 |
| 00 |
| 00 |

IA32, x86-64 B Sun B

| C 7 |
| :--- |
| CF |
| FF |
| FF |



| IA32 C | X86-64 C | Sun C |
| :--- | :--- | :--- |
| 39 <br> 30 <br> 00 <br> 00 | 39 <br> 30 <br> 00 <br> 00 | 00 <br> 00 <br> 30 |

Two's complement representation for negative integers (covered later)

## Addresses and Pointers

- Address is a location in memory
- Pointer is a data object that contains an address
- Address 0004
stores the value 351 (or $15 \mathrm{~F}_{16}$ )
- In C:

```
        int x = 351;
        //The compiler chooses to store x
//at address 0004. Could really be anywhere.
```



0000 0008 000C 0010 0014 0018 001C 0020 0024

## Addresses and Pointers

- Address is a location in memory
- Pointer is a data object
that contains an address
- Address 0004
stores the value 351 (or $15 F_{16}$ )
- Pointer to address 0004 stored at address 001C
- C:

$$
\text { int } x=351 ;
$$

int* $y=\& x$; //Pointer $y$ is the address of $x$

- That is, y points to where x is located
- Compiler chooses to put the pointer y at address 001C


0000 0004 0008 000C 0010 0014 0018 001C 0020 0024

## Addresses and Pointers

- Update the value of $x$ by using the pointer
- C :

$$
\begin{aligned}
& \text { int } x=351 ; \\
& \text { int }{ }^{*} y=\& x ; \\
& \text { *y } y ;
\end{aligned}
$$

- Read as "the value of the variable stored at the address in y gets 5 ". This is the same as doing " $x=5$ "



## Addresses and Pointers

- Pointer to a pointer in 0024
- C :

$$
\begin{aligned}
& \operatorname{int} x=351 ; \\
& \text { int } \\
& \text { *y } y=8 ; \\
& \text { int }^{* *} z=\& y ;
\end{aligned}
$$

- Pointer $z$ is stored at address 0024 by the compiler.
- $z$ points to y , and y points to x .
- Could do "**z" to get
the value of $x$.



## Addresses and Pointers

- What happens when you do $y=y+1$ ?
- C :

$$
\begin{aligned}
& \operatorname{int} x=351 ; \\
& \text { int }^{*} y=\& x ; \\
& * y=5 ; \\
& \text { int }^{* *} z=\& y ; \\
& y=y+1 ;
\end{aligned}
$$

- $y$ gets the previous address of $x$ plus 4 bytes (size of an int).
- $y$ no longer points to $x$



## HW 0

- http://www.cs.washington.edu/education/courses/cse351/12wi/homework-0.html


## Questions? What were your results?

