CSE 344

APRIL 27TH – COST ESTIMATION

ADMINISTRIVIA

- HW5 Out
 - Please verify that you can run queries
- Midterm
 - May 9th 9:30-10:20 MLR 301
 - Review (in class) May 7th
 - Practice exam May 4th
 - Through parallelism: next week's material

INDEX BASED SELECTION

Example:

B(R) = 2000 T(R) = 100,000 V(R, a) = 20

cost of $\sigma_{a=v}(R) = ?$

Table scan: B(R) = 2,000 I/Os

Index based selection:

- If index is clustered: B(R) * 1/V(R,a) = 100 I/Os
- If index is unclustered: T(R) * 1/V(R,a) = 5,000 I/Os

Lesson: Don't build unclustered indexes when V(R,a) is small !



Join operator algorithms

- One-pass algorithms (Sec. 15.2 and 15.3)
- Index-based algorithms (Sec 15.6)

Note about readings:

- In class, we discuss only algorithms for joins
- Other operators are easier: read the book

JOIN ALGORITHMS

Hash join

Nested loop join

Sort-merge join

HASH JOIN

Hash join: $\mathbf{R} \bowtie \mathbf{S}$

Scan R, build buckets in main memory

Then scan S and join

Cost: B(R) + B(S)

Which relation to build the hash table on?

HASH JOIN

Hash join: $\mathbf{R} \bowtie \mathbf{S}$

Scan R, build buckets in main memory

Then scan S and join

Cost: B(R) + B(S)

Which relation to build the hash table on?

One-pass algorithm when $B(R) \le M$

• M = number of memory pages available





Step 1: Scan Patient and build hash table in memoryCan be done in
method open()Memory M = 21 pagesHash h: pid % 5





Step 2: Scan Insurance and probe into hash tableDone during
calls to next()Memory M = 21 pagesHash h: pid % 5



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Cost: B(R) + B(S)

NESTED LOOP JOINS

Tuple-based nested loop R ⋈ S

R is the outer relation, S is the inner relation

 $\begin{array}{l} \underline{\text{for}} \text{ each tuple } t_1 \text{ in } R \ \underline{\text{do}} \\ \underline{\text{for}} \text{ each tuple } t_2 \text{ in } S \ \underline{\text{do}} \\ \underline{\text{if}} \ t_1 \text{ and } t_2 \text{ join } \underline{\text{then}} \text{ output } (t_1, t_2) \end{array}$

NESTED LOOP JOINS

Tuple-based nested loop R >> S

R is the outer relation, S is the inner relation

 $\begin{array}{l} \label{eq:total_for_second} \hline \begin{tabular}{l} for each tuple t_1 in R do \\ \hline \begin{tabular}{l} for each tuple t_2 in S do \\ \hline \begin{tabular}{l} ft_1$ and t_2 join \underline{then} output (t_1,t_2) \\ \hline \end{tabular} \end{array}$

Cost: B(R) + T(R) B(S)

Multiple-pass since S is read many times

 $\begin{array}{l} \label{eq:starsest} \begin{array}{l} \mbox{for each page of tuples r in R } \mbox{do} \\ \mbox{for each page of tuples s in S } \mbox{do} \\ \mbox{for all pairs of tuples } t_1 \mbox{ in r, } t_2 \mbox{ in s} \\ \mbox{if } t_1 \mbox{ and } t_2 \mbox{ join } \mbox{then} \mbox{ output } (t_1,t_2) \end{array}$

Cost: B(R) + B(R)B(S)









Input buffer for Patient



Input buffer for Insurance

Keep going until read all of Insurance



Output buffer

Then repeat for next page of Patient... until end of Patient

Cost: B(R) + B(R)B(S)

BLOCK-NESTED-LOOP REFINEMENT

 $\begin{array}{l} \label{eq:starsest} \begin{array}{l} \mbox{for each group of M-1 pages r in R } \mbox{do} \\ \mbox{for each page of tuples s in S } \mbox{do} \\ \mbox{for all pairs of tuples } t_1 \mbox{ in r, } t_2 \mbox{ in s} \\ \mbox{if } t_1 \mbox{ and } t_2 \mbox{ join } \mbox{then} \mbox{ output } (t_1,t_2) \end{array}$

Cost: B(R) + B(R)B(S)/(M-1)

SORT-MERGE JOIN

Sort-merge join: R ⋈ S Scan R and sort in main memory Scan S and sort in main memory Merge R and S

Cost: B(R) + B(S)

One pass algorithm when B(S) + B(R) <= M

Typically, this is NOT a one pass algorithm

Step 1: Scan Patient and sort in memory



Step 2: Scan Insurance and sort in memory

Memory M = 21 pages





Step 3: Merge Patient and Insurance

Memory M = 21 pages



Step 3: Merge Patient and Insurance



Memory M = 21 pages



INDEX NESTED LOOP JOIN

 $\mathbf{R} \bowtie \mathbf{S}$

Assume S has an index on the join attribute

Iterate over R, for each tuple fetch corresponding tuple(s) from S

Cost:

If index on S is clustered:
B(R) + T(R) * (B(S) * 1/V(S,a))

If index on S is unclustered:
B(R) + T(R) * (T(S) * 1/V(S,a))





























Cost of Supply(pno) = Cost of Index join = Total cost:

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M=11
```



Cost of Supply(pno) = 4 Cost of Index join = Total cost:

```
M=11
```



Cost of Supply(pno) = 4 Cost of Index join = 4 Total cost: 8

```
M=11
```

QUERY OPTIMIZER SUMMARY

Input: A logical query plan

Output: A good physical query plan

Basic query optimization algorithm

- Enumerate alternative plans (logical and physical)
- Compute estimated cost of each plan
- Choose plan with lowest cost

This is called cost-based optimization

DISK SCHEDULING

- Query optimization
 - Good DB design
 - Good estimation
 - Hardware independent
- All Disk I/Os are not created equal
 - Sectors close to each other are more preferable to read