# Introduction to Data Management CSE 344 

Lecture 8-9: Relational Algebra and Query Evaluation

## Announcements

- Webquiz due tomorrow
- Makeup lecture (not mandatory):

Tuesday, Jan 31st, 3:30-4:30, Room TBA

- Homework 3 due on Wednesday
- IISQLSRV
- SQL Azure
- Midterm:

Monday, Feb $6^{\text {th }}, 9: 30-10: 20$, in class

## Where We Are

- Motivation for using a DBMS for managing data
- SQL, SQL, SQL
- Declaring the schema for our data (CREATE TABLE)
- Inserting data one row at a time or in bulk (INSERT/.import)
- Modifying the schema and updating the data (ALTER/UPDATE)
- Querying the data (SELECT)
- Tuning queries (CREATE INDEX)
- Next step: More knowledge of how DBMSs work
- Client-server architecture
- Relational algebra and query execution


## Data Management with SQLite

## Desktop



## Client-Server Architecture

Server Machine: IISQLSRV

DBMS Server Process (SQL Server)

Data files

Client
Applications

Connection (JDBC, ODBC)


- One server running the database
- Many clients, connecting via the JDBC (Java Database Connectivity Protocol)


## Client-Server Architecture

- One server that stores the database (called DBMS or RDBMS):
- Your own desktop, or
- Some beefy system (IISQLSRV1), or
- A cloud service (SQL Azure)
- Many clients run apps and connect to DBMS - Microsoft's Management Studio (for SQL Server), or
- psql (for postgres)
- Some Java program or some C++ program
- Clients "talk" to server using JDBC protocol


## Using a DBMS Server

1. Client application establishes connection to server
2. Client must authenticate self
3. Client submits SQL commands to server
4. Server executes commands and returns results


## Query Evaluation Steps Review

SQL query


## Question: How does Query Evaluation Work?

## The WHAT and the HOW

- In SQL we write WHAT we want to get form the data
- The database system needs to figure out HOW to get the data we want
- The passage from WHAT to HOW goes through the Relational Algebra


## Physical Data Independence

## Overview: SQL = WHAT

Product(pid, name, price)
Purchase(pid, cid, store)
Customer(cid, name, city)

## SELECT DISTINCT x.name, z.name FROM Product $x$, Purchase y, Customer z WHERE x.pid $=$ y.pid and y.cid $=y . c i d ~ a n d$ x.price > 100 and z.city = 'Seattle'

It's clear WHAT we want, unclear HOW to get it

## Overview: Relational Algebra $=$ HOW

Product(pid, name, price) Purchase(pid, cid, store) Customer(cid, name, city)

price>100 and city='Seattle'

T1(pid,name,price,pid,cid,store)
Execution order is now clearly specified

## Sets v.s. Bags

- Sets: $\{a, b, c\},\{a, d, e, f\},\{ \}, \ldots$
- Bags: $\{a, a, b, c\},\{b, b, b, b, b\}, \ldots$

Relational Algebra has two semantics:

- Set semantics = standard Relational Algebra
- Bag semantics = extended Relational Algebra


## Relational Algebra Operators

- Union $\cup$, intersection $\cap$, difference -
- Selection $\sigma$
- Projection $П$
- Join $\bowtie$
- Rename $\rho$
- Duplicate elimination $\delta$
- Grouping and aggregation $\gamma$
- Sorting $\tau$


## Union and Difference

## R1 $\cup$ R2 <br> R1 - R2

## What do they mean over bags?

## What about Intersection?

- Derived operator using minus

$$
\text { R1 } \cap \mathrm{R} 2=\mathrm{R} 1-(\mathrm{R} 1-\mathrm{R} 2)
$$

- Derived using join (will explain later)

$$
R 1 \cap R 2=R 1 \bowtie R 2
$$

## Selection

- Returns all tuples which satisfy a condition
- Examples


## $\sigma_{\mathrm{c}}(\mathrm{R})$

- $\sigma_{\text {salary }>40000}$ (Employee)
- $\sigma_{\text {name }}=$ "Smith" $(E m p l o y e e)$
- The condition c can be $=,<, \leq,>, \geq,<>$


## Employee

| SSN | Name | Salary |
| :---: | :---: | :---: |
| 1234545 | John | 200000 |
| 5423341 | Smith | 600000 |
| 4352342 | Fred | 500000 |

$\sigma_{\text {Salary }>40000}($ Employee $)$

| SSN | Name | Salary |
| :---: | :---: | :---: |
| 5423341 | Smith | 600000 |
| 4352342 | Fred | 500000 |

## Projection

- Eliminates columns


## $\Pi_{\mathrm{A} 1, \ldots, \mathrm{An}}(\mathrm{R})$

- Example: project social-security number and names:
- $\Pi_{\text {ssn, Name }}$ (Employee)
- Answer(SSN, Name)

Different semantics over sets or bags! Why?

## Employee

| SSN | Name | Salary |
| :---: | :---: | :---: |
| 1234545 | John | 20000 |
| 5423341 | John | 60000 |
| 4352342 | John | 20000 |

$\Pi_{\text {Name,Salary }}$ (Employee)

| Name | Salary |
| :---: | :---: |
| John | 20000 |
| John | 60000 |
| John | 20000 |

Bag semantics

| Name | Salary |
| :---: | :---: |
| John | 20000 |
| John | 60000 |

Set semantics

Which is more efficient?

## Cartesian Product

- Each tuple in R1 with each tuple in R2


## $\mathrm{R} 1 \times \mathrm{R} 2$

- Very rare in practice; mainly used to express joins


## Employee

| Name | SSN |
| :--- | :--- |
| John | 999999999 |
| Tony | 777777777 |

## Dependent

| EmpSSN | DepName |
| :--- | :--- |
| 9999999999 | Emily |
| 777777777 | Joe |

## Employee $\times$ Dependent

| Name | SSN | EmpSSN | DepName |
| :--- | :--- | :--- | :--- |
| John | 999999999 | 999999999 | Emily |
| John | 999999999 | 777777777 | Joe |
| Tony | 777777777 | 999999999 | Emily |
| Tony | 777777777 | 777777777 | Joe |

## Renaming

- Changes the schema, not the instance


## $\rho_{\mathrm{B} 1, \ldots, \mathrm{Bn}}$ (R)

- Example:
$-\rho_{\mathrm{N}, \mathrm{s}}($ Employee $) \rightarrow$ Answer(N, S)

Not really used by systems, but needed on paper

## Natural Join

## R1 $\downarrow$ R2

- Meaning: $\mathrm{R} 1 \bowtie \mathrm{R} 2=\Pi_{A}(\sigma(\mathrm{R} 1 \times \mathrm{R} 2))$
- Where:
- The selection $\sigma$ checks equality of all common attributes
- The projection eliminates the duplicate common attributes


## Natural Join

R

| $\mathbf{A}$ | $\mathbf{B}$ |
| :---: | :---: |
| $X$ | $Y$ |
| $X$ | $Z$ |
| $Y$ | $Z$ |
| $Z$ | $V$ |

S

| $\mathbf{B}$ | $\mathbf{C}$ |
| :---: | :---: |
| $Z$ | $U$ |
| $V$ | $W$ |
| $z$ | $V$ |

$\mathbf{R} \bowtie \mathbf{S}=$
$\Pi_{A B C}\left(\sigma_{R . B=S . B}(R \times S)\right)$

| A | B | C |
| :---: | :---: | :---: |
| $X$ | $Z$ | $U$ |
| $X$ | $Z$ | $V$ |
| $Y$ | $Z$ | $U$ |
| $Y$ | $Z$ | $V$ |
| $Z$ | $V$ | $W$ |

Dan Suciu - CSE 344, Winter 2012

## Natural Join

- Given schemas $R(A, B, C, D), S(A, C, E)$, what is the schema of $R \bowtie S$ ?
- Given $R(A, B, C), S(D, E)$, what is $R \bowtie S$ ?
- Given $R(A, B), S(A, B)$, what is $R \bowtie S$ ?


## Theta Join

- A join that involves a predicate

$$
\mathrm{R} 1 \bowtie_{\theta} \mathrm{R} 2=\sigma_{\theta}(\mathrm{R} 1 \times \mathrm{R} 2)
$$

- Here $\theta$ can be any condition


## Eq-join

- A theta join where $\theta$ is an equality

$$
R 1 \bowtie_{A=B} R 2=\sigma_{A=B}(R 1 \times R 2)
$$

- This is by far the most used variant of join in practice


## So Which Join Is It?

- When we write $R \bowtie S$ we usually mean an eqjoin, but we often omit the equality predicate when it is clear from the context


## More Joins

- Outer join
- Include tuples with no matches in the output
- Use NULL values for missing attributes
- Variants
- Left outer join
- Right outer join
- Full outer join


## Outer Join Example

AnonPatient $P$

| age | zip | disease |
| :--- | :--- | :--- |
| 54 | 98125 | heart |
| 20 | 98120 | flu |
| 33 | 98120 | lung |

AnnonJob J

| job | age | zip |
| :--- | :--- | :--- |
| lawyer | 54 | 98125 |
| cashier | 20 | 98120 |


| age | zip | disease | job |
| :--- | :--- | :--- | :--- |
| 54 | 98125 | heart | lawyer |
| 20 | 98120 | flu | cashier |
| 33 | 98120 | lung | null |

## From SQL to RA

Product(pid, name, price)
Purchase(pid, cid, store)
Customer(cid, name, city)

## SELECT DISTINCT x.name, z.name FROM Product $x$, Purchase y, Customer z WHERE x.pid $=y$. pid and y.cid $=y . c i d ~ a n d$ x.price > 100 and z.city = 'Seattle'

## From SQL to RA

Product(pid, name, price)
Purchase(pid, cid, store)
Customer(cid, name, city)

```
\delta
|
\(\Pi\)
x.name,z.name
```

$\sigma$
price>100 and city='Seattle’


## An Equivalent Expression

Query optimization = finding cheaper, equivalent expressions
$\delta$

$\Pi$
x.name,z.name


## Extended RA: Operators on Bags

- Duplicate elimination $\delta$
- Grouping $\gamma$
- Sorting $\tau$


## Logical Query Plan

SELECT city, count(*)
FROM sales GROUP BY city HAVING sum(price) > 100

T3(city, c)
$\prod_{\text {city, c }}$
T2 (city,p,c)

$$
\sigma_{p>100}
$$

T1 (city,p,c)
$\gamma_{\text {city }}$ sum(price) $\rightarrow \mathrm{p}$, count( $\left.{ }^{*}\right) \rightarrow \mathrm{c}$ 1
sales(product, city, price)

## Typical Plan for Block (1/2)



## Typical Plan For Block (2/2) having $_{\text {condition }}$

$\gamma$ fields, sum/count/min/max(fields)


## How about Subqueries?

SELECT Q.sno FROM Supplier Q<br>WHERE Q.sstate = 'WA' and not exists (SELECT *<br>FROM Supply P<br>WHERE P.sno = Q.sno and P.price > 100)

## How about Subqueries?

SELECT Q.sno FROM Supplier Q<br>WHERE Q.sstate = 'WA' Correlation! and not exists (SELECT *<br>FROM Supply P<br>WHERE P.sno = Q.sno and P.price > 100)

## How about Subqueries?

SELECT Q.sno FROM Supplier Q<br>WHERE Q.sstate = 'WA' and not exists (SELECT *<br>FROM Supply P<br>WHERE P.sno = Q.sno and P.price > 100)

## De-Correlation

## How about Subqueries?

## (SELECT Q.sno FROM Supplier Q WHERE Q.sstate = 'WA') EXCEPT <br> (SELECT P.sno <br> FROM Supply P WHERE P.price > 100)

EXCEPT = set difference

## Un-nesting

SELECT Q.sno
FROM Supplier Q
WHERE Q.sstate = 'WA' and Q.sno not in
(SELECT P.sno
FROM Supply P
WHERE P.price > 100)

## How about Subqueries?

## (SELECT Q.sno FROM Supplier Q WHERE Q.sstate = 'WA') EXCEPT <br> (SELECT P.sno FROM Supply P WHERE P.price > 100)

