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# CSE 341 AA: Section 6

Porter Jones  
pbjones@cs.washington.edu  
Office Hours: Thursdays 5:30 - 7:30pm





## Fibonacci case study:

Here is one intuitive solution, but can we do better?

```
(define (fibonacci x)
  (if (or (= x 1) (= x 2))
      1
      (+ (fibonacci (- x 1))
         (fibonacci (- x 2))))))
```



# Memoization

- Why compute the same recursive call for a function twice when there are no major side-effects?
- Memoization is a way to “remember” previous calls
- Requires a way for the function to store both the input and the result of previous calls to that function



# Lexical-scope and mutation

```
(define count-calls-correct
  (let [(count 0)] ; This remembers the count from previous calls
    (lambda ()
      (begin (set! count (+ count 1)) count))))
```



# Lexical-scope and mutation

```
(define count-calls-wrong
  (lambda ()
    (let [(count 0)] ; This starts at 0 every time
      (begin (set! count (+ count 1)) count))))
```



# Mutable Lists

- Similar to regular lists and pairs but not the same datatype.
  - Mutable pairs have type `mpair`. Use `mcons` for creation, `mcar` to get the first thing and `mcd r` for the second
- `set-car!` and `set-cdr!` actually change the “fields” of a `mpair`
- Use mutable types only when necessary! Prefer immutable!



## Mutable Lists Example

```
(define mp (mcons 1 (mcons 2 null)))  
(mpair? mp) ; #t  
(mcar mp) ; get the first element in mp (car won't work!)  
(mcdr mp) ; get the second element in mp (cdr won't work!)  
(set-mcar! mp 5) ; change head of list in mp to 5  
(set-mcdr! mp (mcons 3 null)) ; change tail list of mp
```



# Associative Lists

- List of key/value pairs!
- Racket has a built in function `assoc` that takes a value (key), and a list, and returns the first pair with the given key it finds in the given list (false if there is no pair with the given key).

```
(define my-list (list (cons 1 2) (cons 3 4)))  
(assoc 1 my-list) ; returns the pair `(1 . 2)`  
(assoc 4 my-list) ; returns #f
```





# Putting it all together... a better fibonacci

```
(define memo-fibonacci
  (letrec([memo null]
    [f (lambda (x)
      (let ([ans (assoc x memo)])
        (if ans
          (cdr ans) ; return memoized answer
          (let ([new-ans (if (or (= x 1) (= x 2))
                            1
                            (+ (f (- x 1))
                                (f (- x 2)))]))
            (begin
              (set! memo (cons (cons x new-ans) memo))
              new-ans)))]))
    f))
```



# Streams

- A function that when evaluated results in a pair with a value in the car and another stream in the cdr
- Create an infinitely long stream of values!

```
(define (ones) (cons 1 ones))
```

```
(define natural-numbers  
  (letrec ([next-nat (lambda (x)  
                    (cons x (lambda ()  
                              (next-nat (+ x 1))))))] ; return next pair  
    (lambda () (next-nat 0)))) ; "seed" the stream
```