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## CSE341, Spring 2013, Final Examination June 13, 2013

## Please do not turn the page until 8:30.

Rules:

- The exam is closed-book, closed-note, except for both sides of one $8.5 \times 11$ in piece of paper.
- Please stop promptly at 10:20.
- You can rip apart the pages, but please staple them back together before you leave.
- There are $\mathbf{1 0 0}$ points total, distributed unevenly among $\mathbf{8}$ questions (many with multiple parts).
- When writing code, style matters, but do not worry much about indentation.

Advice:

- Read questions carefully. Understand a question before you start writing.
- Write down thoughts and intermediate steps so you can get partial credit.
- The questions are not necessarily in order of difficulty. Skip around. Make sure you get to all the problems.
- If you have questions, ask.
- Relax. You are here to learn.

Name: $\qquad$

## 1. ( $\mathbf{1 6}$ points)

(a) Without using any helper functions, write a Racket function filter-increasing, which works as follows:

- It takes three arguments (recall Racket supports multi-argument functions directly): (1) a function $f$ that takes list elements and, we assume, returns numbers, (2) a number $i$, and (3) a list xs.
- It returns a list that contains a subset of the elements in xs in the same order they appear in xs.
- An element of $x s$ is in the output if and only if $f$ applied to the element produces a number greater than $i$ and greater than the number produced by $f$ for all elements earlier (closer to the head) in the list.
(b) Write a Racket function filter-function-maker that takes two arguments that are the same as $f$ and $i$ in part (a) and returns a function that takes a list xs and returns the result of filter-increasing with $f, i$, and xs. Use your answer to part (a) as appropriate.
(c) Write a call to filter-function-maker that returns a function that works as follows:
- It filters out any list element that is not a positive number.
- It includes any positive numbers that are greater than previous positive numbers in the list.
- For example, the result for (list 0325 (list 19 24) \#f 7 3) would be ' (3 5 7).


## Solution:

(a) (define filter-increasing
(lambda (f i xs)
(if (null? xs)
null
(let ([j (f (car xs))])
(b) (define (filter-function-maker f i)
(lambda (xs) (filter-increasing fixs)))
(c) (filter-function-maker
(lambda (j) (if (number? j) j -1))
$0)$

Name: $\qquad$
2. ( $\mathbf{1 1}$ points) For each of the following programs, indicate what would be printed. Notice that in each program there are two print expressions and there are two calls to the function.

```
(a) (define (f1 x)
        (begin
        (print x)
        (set! x (+ x 7))
        (print x)))
    (f1 12)
    (f1 12)
(b) (define f2
        (let ([x 5])
            (lambda (a)
                (begin
                    (print x)
                    (set! x (+ x 7))
                    (print x)))))
    (f2 12)
    (f2 12)
(c) (define f3
(let ([x 5])
            (begin
                (print x)
                    (lambda (a)
                    (begin
                    (set! x (+ x 7))
                    (print x))))))
    (f3 12)
    (f3 12)
```


## Solution:

(There would not actually be spaces between the numbers, but we include them here for readability and did not grade on this detail.)
(a) 12191219
(b) 5121219
(c) 51219

Name: $\qquad$
3. ( $\mathbf{1 3}$ points) Write a Racket function some-multiple-of-n that works as follows:

- It takes a stream s and a number n . (Remember a stream is a thunk that returns a pair where the cdr is a stream.)
- It returns a list. The length of the list will be $k$ times n for some $k \geq 1$.
- The returned list contains elements from the stream in order. It always contains the first n elements. If the $\mathrm{n}^{\text {th }}$ element is \#f, then the list contains the \#f and another n elements. This continues until the first $k$ for which the $k \cdot \mathrm{n}^{\text {th }}$ stream element is not \#f, in which case this stream element is in the returned list as the last element.

Hint: You will need a recursive helper function that takes either two or three arguments, depending on how you organize your code.

## Solution:

```
(define (some-multiple-of-n s n)
    (letrec ([f (lambda (s m)
        (let ([pr (s)])
                        (cons (car pr)
                            (if (= m 1)
                                (if (car pr) null (f (cdr pr) n))
                                (f (cdr pr) (- m 1))))))])
        (f s n)))
```

Name: $\qquad$
4. ( $\mathbf{1 4}$ points) Here is the skeleton of the MUPL language and interpreter, including all the struct definitions that define the syntax of the language:

```
(struct var (string) #:transparent) ;; a variable, e.g., (var "foo")
(struct int (num) #:transparent) ;; a constant number, e.g., (int 17)
(struct add (e1 e2) #:transparent) ;; add two expressions
(struct ifgreater (e1 e2 e3 e4) #:transparent) ; if e1 > e2 then e3 else e4
(struct fun (nameopt formal body) #:transparent) ; ; a recursive(?) 1-argument function
(struct call (funexp actual) #:transparent) ;; function call
(struct mlet (var e body) #:transparent) ; ; a local binding (let var = e in body)
(struct apair (e1 e2) #:transparent) ;; make a new pair
(struct fst (e) #:transparent) ;; get first part of a pair
(struct snd (e) #:transparent) ;; get second part of a pair
(struct aunit () #:transparent) ; ; unit value -- good for ending a list
(struct isaunit (e) #:transparent) ;; evaluate to 1 if e is unit else 0
(struct closure (env fun) #:transparent)
(define (envlookup env str) ...)
(define (eval-under-env e env) ...)
(define (eval-exp e)
    (eval-under-env e null))
```

Below are four wrong calls to the MUPL interpreter. For each, identify which of these choices best describes what goes wrong and explain your answer in 1-3 English sentences by explaining what happens when the program runs. (There is room on the next page for your answers.)
A. Racket will raise an error before p is defined, so eval-exp will never get called.
B. eval-exp will get called, but with something that is not a legal MUPL program.
C. eval-exp will get called with a legal MUPL program, but evaluation will encounter a MUPL dynamic type-error.
(a) (define p (isaunit (ifgreater (int 1) (aunit) (int 3) (aunit)))) (eval-exp p)
(b) (define p (isaunit? (ifgreater (int 1) (aunit) (int 3) (aunit)))) (eval-exp p)
(c) (define p (aunit (ifgreater (int 1) (aunit) (int 3) (aunit)))) (eval-exp p)
(d) (define p (aunit? (ifgreater (int 1) (aunit) (int 3) (aunit)))) (eval-exp p)

## Solution:

See next page

Name: $\qquad$
Extra room for answers to Problem 4.

## Solution:

(a) (C) This is a legal MUPL program that tries to determine if the result of the ifgreater expression is (aunit). But ifgreater requires its first two subexpressions to evalate to MUPL integers, so a dynamic type-error occurs from the second ifgreater subexpression.
(b) (B) isaunit? is a Racket function that returns \#f if passed anything not created by the isaunit constructor. So p is \#f, which is not a MUPL program.
(c) (A) aunit is a Racket constructor that requires 0 arguments, but here is given 1 , so the definition of $p$ fails.
(d) (B) aunit? is a Racket function that returns \#f if passed anything not created by the aunit constructor. So p is \#f, which is not a MUPL program.

Name: $\qquad$
5. ( $\mathbf{1 2}$ points) In this problem, we assume the purpose of the Java type system is to prevent "method missing" errors at run-time. We consider what would happen if we removed interfaces from the language, i.e., the language still had classes but there is simply no notion of interfaces or classes implementing them. For each answer below, explain your answer in 1-3 English sentences.
(a) Would this revised language have a sound type system?
(b) Would this revised language have a complete type system?
(c) Are interfaces enough like Ruby mixins that implementing something like Ruby's Comparable or Enumerable in Java is easier with interfaces in the language than without?
(d) If we added multiple inheritance at the same time we removed interfaces, how could we encode the same concept as interfaces?

## Solution:

(a) Yes, Java starts with a sound type system and without interfaces only fewer programs would type-check, so we would still not accept any programs that cause method-missing errors.
(b) No, there would still be plenty of safe programs that would not type-check, such as one with a statement like if (false) \{x.m(); /* x has no m method */ \}
(c) No, mixins are not well-supported in Java with or without interfaces. Mixins define methods, but interfaces indicate only the types of methods.
(d) Each interface can become a class with all abstract methods (with one abstract method for each method signature in the interface). Then a class can extend the abstract class instead of implementing the corresponding interface.

Name: $\qquad$
6. ( $\mathbf{6}$ points) Write a Ruby method called curry that takes one argument and works as follows:

- We assume the argument is an instance of Proc with a call method that expects two arguments.
- It returns an instance of Proc that is a curried version of the argument: it takes one argument and returns another Proc.
- For example, this use of curry should assign 16 to v3:

```
v1 = curry (lambda {|a,b| a + b})
v2 = v1.call 7
v3 = v2.call 9
```


## Solution:

```
def curry p
    lambda {|x| lambda {|y| p.call(x,y)}}
end
```

Name: $\qquad$
7. ( $\mathbf{1 5}$ points) Consider the following silly ML code:

```
datatype the_type = A of string | B of int | C of int * int
fun f x =
    case x of
            A s => s ~ " is coming!"
        | _ => ""
fun g (x,y) =
    case x of
        B i => i + y
        | C(i,j) => i + j + y
        | A _ => y
val foo = (f(A "summer"), g(A "winter",7))
```

(a) What is foo bound to after this program is evaluated?
(b) Port this code to Ruby as follows:

- Use an OOP style with multiple class definitions. Do not define methods outside of these classes.
- Use initialize methods, other methods, and instance variables as appropriate.
- Have foo hold a two-element array.
(There is more room on the next page in case you need it.)


## Solution:

(a) ("summer is coming!",7)
(b) See next page

Name: $\qquad$

Extra room for answers to Problem 7.

## Solution:

(b)

```
class TheType
    def f # also fine to duplicate this in B and C, in which case do not need
        "" # a TheType class (grading flexible)
    end
end
class A < TheType
    def initialize s
        @s = s
    end
    def f
        @s + " is coming!"
    end
    def g y
        y
    end
end
class B < TheType
    def initialize i
        @i = i
    end
    def g y
        @i + y
    end
end
class C < TheType
    def initialize (i,j)
        @i = i
        @j = j
    end
    def g y
            @i + @j + y
    end
end
foo = [A.new("summer").f, A.new("winter").g(7)]
```

Name: $\qquad$
8. ( $\mathbf{1 3}$ points) In this problem, we consider a language like in lecture containing (1) records with mutable fields, (2) higher-order functions, and (3) subtyping. We do not require explanations for your answers.
(a) For each of the following questions, answer "yes" if and only if the proposed subtyping relationship is sound, meaning it would not allow a program to type-check that could then try to access a field in a record that did not have that field.
i. Is $\{f 1$ : string, $f 2$ : string\} a subtype of \{f1 : string, f2 : string, f3 : string\} ?
ii. Is \{f1 : string, f2: \{g1 : string, g2 : string\} \} a subtype of \{f1 : string, f2 : \{g1 : string\} \} ?
iii. Is string $\rightarrow$ \{f1 : string, f2 : int, f3 : int $\}$ a subtype of string -> \{f3 : int, f2 : int\} ?
iv. Is \{f1 : string, f2 : int, f3 : int\} -> string a subtype of \{f3 : int, f2 : int\} -> string ?
v. Is int $->$ \{f1 : string, $\mathrm{f} 2:\{\mathrm{g} 1:$ string\} \} a subtype of int -> \{f1 : string, f2 : \{g1 : string, g2 : string\} \} ?
(b) If we change the language so that records are immutable (you cannot update contents of a field), which, if any, of your answers to part (a) change?

## Solution:

(a) i. No
ii. No
iii. Yes
iv. No
v. No
(b) Part (ii) only

