

Open Addressing: Linear Probing

- Why not use up the empty space in the table?
- Store directly in the array cell (no linked list)
- How to deal with collisions?
- If $h(\text{key})$ is already full,
 - try $(h(\text{key}) + 1) \% \text{TableSize}$. If full,
 - try $(h(\text{key}) + 2) \% \text{TableSize}$. If full,
 - try $(h(\text{key}) + 3) \% \text{TableSize}$. If full...
- Example: insert 38, 19, 8, 109, 10

0	
1	
2	
3	
4	
5	
6	
7	
8	38
9	

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Questions: Open Addressing: Linear Probing

How should **find** work? If value is in table? If not there?

Worst case scenario for **find**?

How should we implement **delete**?

How does **open addressing with linear probing** compare to **separate chaining**?

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Quadratic Probing Example

ith probe: $(h(\text{key}) + i^2) \% \text{TableSize}$

0	
1	
2	
3	
4	
5	
6	
7	
8	
9	

TableSize=10
Insert:
89
18
49
58
79

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Open Addressing: Double Hashing

ith probe: $(h(\text{key}) + i * g(\text{key})) \% \text{TableSize}$

0	
1	
2	
3	
4	
5	
6	
7	
8	
9	

$T = 10$ (TableSize)
Hash Functions:
 $h(\text{key}) = \text{key} \bmod T$
 $g(\text{key}) = 1 + ((\text{key}/T) \bmod (T-1))$

Insert these values into the hash table in this order. Resolve any collisions with double hashing:

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28
33
147
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