## Priority Queue ADT

## Priority Queue ADT

State:

- Set of comparable elements - Order based on "priority"

Operations:

- insert(element)
- deleteMin() - returns the element with the smallest priority, removes it from the collection
- findMin()

- Assume each item has a "priority"
- The lesser item is the one with the greater priority
- So "priority 1 " is more important than "priority 4"
- Just a convention, could also do a maximum priority

| Preliminary Implementations of Priority Queue ADT |  |  |
| :---: | :---: | :---: |
|  | insert | deleteMin |
| Unsorted Array |  |  |
| Unsorted Linked-List |  |  |
| Sorted Circular Array |  |  |
| Sorted Linked-List |  |  |
| Binary Search Tree (BST) |  |  |
| 6/29/2022 $\quad$ Notes: Worst case, Assume arrays have enough space |  |  |

9

## Q: Some More Tree Terminology

depth(B):


6/29/2022
15

## Now Formalizing: Binary Min-Heap Datastructure

More commonly known as a binary heap or simply a heap

- Structure Property:

A complete [binary] tree

- Heap-Order Property:

Every non-root node has a priority value larger than (or possibly equal to) the priority of its parent


6/29/2022
22

Note: Exercises and P2 start counting from 0

## Array Representation of a Binary Heap

From node i:
left child:
right child:
parent:


- We skip index 0 to make the math simpler
- Actually, it can be a good place to store the current size of the heap

6/29/2022

Note: Exercises and P2 start counting from 0

## Example

1. insert: $16,32,4,57,80,43,2$
2. deleteMin


## Note: Exercises and P2 start counting from 0

## Floyd's buildHeap Method

percolateDown, bottom-up:

- Leaves are already in heap order
- Work up toward the root one level at a time

```
void buildHeap() {
    for(i = size/2; i>0; i--) {
        val = arr[i];
        hole = percolateDown(i,val);
        arr[hole] = val;
    }
}
```

6/2020022
51

