CSE 332: Data Structures and Parallelism	
Fall 2022 Richard Anderson Lecture 7: Адельсо́н-Ве́льский Ла́ндис деревья	
Lecture 7: AVL Trees 10/12/2022 CSE 332	1

























A simpler bound:  $S_k \ge 2^{k/2}$   $S_0 = 1, S_1 = 2, S_k = 1 + S_{k-1} + S_{k-2}$  1, 2, 4, 7, 12, 20, 33, 54, ...Growing faster than the Fibonacci sequence Observation:  $S_k \ge 2 S_{k-2}$ 











## Insert: detect potential imbalance Insert the new node as in a BST (a new leaf) For each node on the path from the root to the new leaf, the insertion may (or may not) have changed the node's height So after recursive insertion in a subtree, detect height imbalance and perform a *rotation* to restore balance at that node All the action is in defining the correct rotations to restore balance Facts that an implementation can ignore: There must be a deepest element that is imbalanced after the insert (all descendants still balanced) After rebalancing this deepest node, every node is balanced So at most one node needs to be rebalanced

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