

# CSE 332

## Data Abstractions

## P3

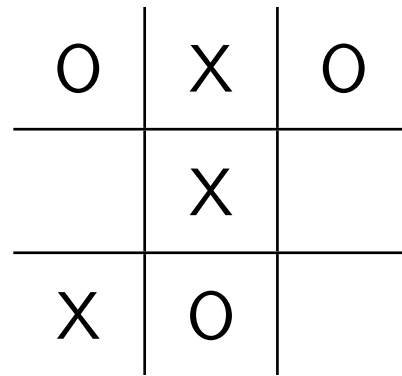
### Synchronization

1

- P3 out today!
- Make your groups today!
- Decide on several weekly meeting times!
- The exercises due today will help you with P3!

### Tic-Tac-Toe

2



No matter what happens at this point, it's a draw.

### Solving Tic-Tac-Toe

3

```

1 // Let's assume I'm X
2 win(Board b) {
3   if (0 can win on the next move) {
4     block it
5   }
6   else if (the center square is open) {
7     take it
8   }
9   else if (a corner square is open) {
10    take it
11  }
12  else if (...) {
13    ...
14  }
15 }

```

#### Do We Really Want To Do This?

- Difficult to code
- Different for every game
- How do we even know we're right?
- **Way** too much thinking—that's what computers are for!

### Recursion To The Rescue

4

```

1 boolean win(Board b) {
2   if (b.threeXs()) {
3     return true;
4   }
5   else {
6     for (Move m : every possible move) {
7       if (win(b.do(move))) {
8         return true;
9       }
10    }
11    return false;
12  }

```

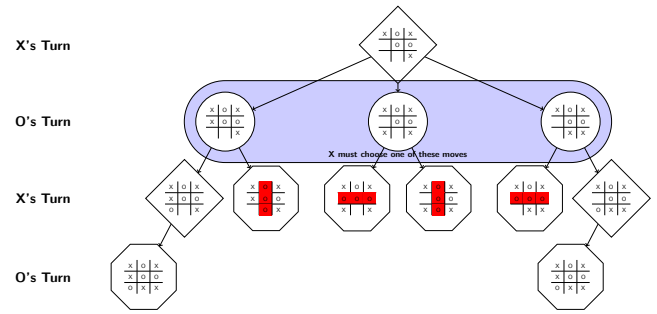
#### There's An Issue Here!

- When we make a move, it's not our turn any more.
- So the recursive call should be to **our opponent's option**
- Key Insight: Instead of guessing what the opponent is going to do, **assume she plays optimally!**

```

1 // +1 is a win; +0 is a draw; -1 is a loss
2 int eval(Board b) {
3   if (b.gameOver()) {
4     if (b.hasThree(me)) {
5       return 1;
6     }
7     else if (b.hasThree(them)) {
8       return -1;
9     }
10    else {
11      return 0;
12    }
13  }
14  else {
15    int best = -1;
16    for (Move m : every possible move) {
17      best = max(best, eval(b.apply(move)));
18    }
19    return best;
20  }

```

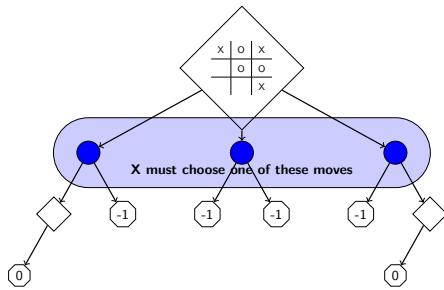


X's Turn

O's Turn

X's Turn

O's Turn

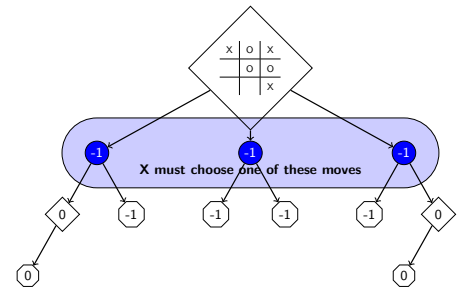


X's Turn

O's Turn

X's Turn

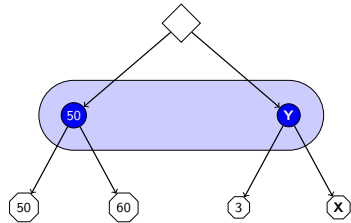
O's Turn



Max's Turn

Min's Turn

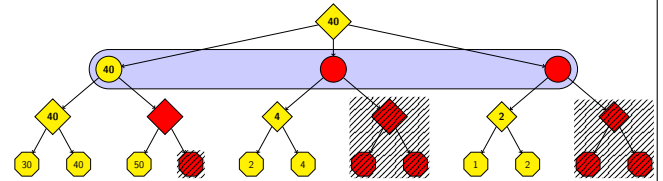
Max's Turn



To fill in  $Y$ , **MIN** will take  $\min(3, X)$ . So, there are two cases:

- $4 = X > 3$ . Then,  $Y = \min(3, 4) = 3$ . So, the box is 50.
- $2 = X < 3$ . Then,  $Y = \min(3, 2) = 2$ . So, the box is 50.

**The values of  $X$  and  $Y$  don't matter! Don't calculate them!**



Do we check the next node?

We currently have no information. So, yes!

Do we check the next node?

The current bounds are  $[-\infty, 40]$ . So, we **might** do better!

Do we check the next node?

Max will choose  $x \geq 50$  which is already worse than the 40.

The current bounds are  $[50, 40]$ . Don't bother.

Do we check the next node?

Min will choose  $x \leq 4$  which is already worse than the 40.

The current bounds are  $[40, 4]$ . Don't bother.

The algorithm we just ran is called **AlphaBeta**.

P3 combines **graph algorithms** (more on this later) with **parallelism**.

You will implement four algorithms:

- Minimax (the first one we discussed)
- Parallel Minimax
- Alpha-Beta Pruning (the second one we discussed)
- Jamboree (a parallel alpha-beta)

Each of these four algorithms has their own wrinkles. Each builds on the last.

A **branching factor** is how many times a node splits at each level. In chess, for a random position, the average branching factor is:

35

The average chess game lasts about

40 Moves

If we wanted to evaluate the whole game, we would be evaluating  $35^{40}$  **leaves**. If we were able to evaluate **1 trillion** leaves a second, we would need  $10^{48}$  seconds.

In addition to writing these bots, you'll get to watch them play.

A demo is worth 1000 words.