## CSE 332: Abstractions

#### Stacks and Queues

Spring 2016 Richard Anderson Lecture 2

#### Announcements

- Homework requires you get the textbook (Either 2<sup>nd</sup> or 3<sup>rd</sup> Edition)
- Section Thursday
- Homework #1 out today (Wednesday)
   Due at the beginning of class next Wednesday(Apr 6).
- Program Assignment #1 is available
- Get environment set up and compile the program by Thursday

- Office hours:
  - Richard Anderson, MW, 3:30-4:30
  - Andrew Li, TuF, 3:30-4:30
    Hunter Zahn

















- Function call stack
- Removing recursion
- Balancing symbols (parentheses)
- Evaluating postfix or "reverse Polish" notation

# CSE 332: Data Abstractions Asymptotic Analysis

Richard Anderson, Spring 2016





### **Analyzing Performance**

We will focus on analyzing time complexity. First, we have some "rules" to help measure how long it takes to do things:

Basic operationsConstant timeConsecutive statementsSum of timesConditionalsTest, plus larger branch costLoopsSum of iterationsFunction callsCost of function bodyRecursive functionsSolve recurrence relation...

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Second, we will be interested in **Worse** performance (average and best case sometimes).









































### Constants are not unique

 $h(n) \in O(f(n))$  iff there exist positive constants c and  $n_0$ such that:  $h(n) \le c f(n)$  for all  $n \ge n_0$ 

Example:  $100n^2 + 1000 \le 1 (n^3 + 2n^2)$  for all  $n \ge 100$ 

 $100n^2 + 1000 \le 1/2 (n^3 + 2n^2)$  for all  $n \ge 198$ 

















- $h(n) \in \omega(g(n))$  iff There exists an  $n_0>0$  such that h(n) > c g(n) for all c>0 and  $n \ge n_0$ - This is equivalent to:  $\lim_{n \to \infty} h(n)/g(n) = \infty$
- $h(n) \in \Theta(f(n))$  iff  $h(n) \in O(f(n))$  and  $h(n) \in \Omega(f(n))$ 
  - This is equivalent to:  $\lim_{n \to \infty} h(n) / f(n) = c \neq 0$

### Big-Omega et al. Intuitively

Asymptotic Notation	Mathematics Relation	
0	$\leq$	
Ω	≥	
θ	=	
0	<	
ω	>	
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# Complexity cases (revisited)

#### Problem size N

- Worst-case complexity: max # steps algorithm takes on "most challenging" input of size N
- Best-case complexity: min # steps algorithm takes on "easiest" input of size N
- Average-case complexity: avg # steps algorithm takes on random inputs of size N
- Amortized complexity: max total # steps algorithm takes on M "most challenging" consecutive inputs of size N, divided by M (i.e., divide the max total by M).

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