

CSE332 Data Abstractions, Spring 2010 Homework 8

Due: **Friday, June 4, 2010** at the beginning of class. Your work should be readable as well as correct.

This assignment has **3** problems.

Problem 1. Simple Concurrency with B-Trees

Note: Real databases and file systems use very fancy fine-grained synchronization for B-Trees such as “hand-over-hand locking” (which we did not discuss), but this problem considers some relatively simpler approaches.

Suppose we have a B Tree supporting operations `insert` and `lookup`. A simple way to synchronize threads accessing the tree would be to have one lock for the entire tree that both operations acquire/release.

- (a) Suppose instead we have one lock per node in the tree. Each operation acquires the locks along the path to the leaf it needs and then at the end releases all these locks. Explain why this allegedly more fine-grained approach provides absolutely no benefit.
- (b) Now suppose we have one readers/writer lock per node and `lookup` acquires a read lock for each node it encounters whereas `insert` acquires a write lock for each node it encounters. How does this provide more concurrent access than the approach in part (a)? Is it any better than having one readers/writer lock for the whole tree (explain)?
- (c) Now suppose we modify the approach in part (b) so that `insert` acquires a write lock *only for the leaf node* (and read locks for other nodes it encounters). How would this approach increase concurrent access? When would this be *incorrect*? Explain how to fix this approach without changing the asymptotic complexity of `insert` by detecting when it is incorrect and in (only) those cases, starting the `insert` over using the approach in part (b) for that `insert`. Why would reverting to the approach in part (b) be fairly rare?

Problem 2. Concurrent/Parallel Graph Traversal

- (a) In Java or pseudocode, define an *unbounded stack* with operations `push` and `pop` that can be used by threads concurrently. Make the element type generic and use a linked list for the underlying implementation. A `pop` should not raise an error. Instead it should wait until the stack is not empty. Use a condition variable. (Java detail: The `wait` method throws an exception that Java requires you catch, but it doesn’t matter if you include this detail in your solution.)
- (b) The method `traverseFrom` in the code below uses your answer to part (a) to apply the `doIt` method to every node reachable from some node in a graph. The order `doIt` is applied to nodes does not matter. The code uses 4 threads to try to improve performance. All you need to do is write the `run` method (probably around 10 lines) for `GraphWalker` using the other code. Requirements:
 - No node should have `doIt` applied to it more than once. You can assume the `visited` field of each node is initially `false` for this purpose.
 - Use the stack to hold nodes that still need to be processed. That way threads not busy completing a `doIt` call can find useful work.
 - Avoid all synchronization errors. (Hint: Your code does not need any *explicit* synchronization since it can call other code that already performs synchronization.)
 - Because `doIt` may be expensive, do not hold any locks while calling it.

Note that after all reachable nodes have been processed, all threads will be blocked forever waiting for the stack to become non-empty. That is fine for a homework problem. Also note that you may or may not find `isVisited` helpful.

```

class GraphNode {
    boolean visited = false;
    GraphNode[] neighbors;
    // ... other fields, constructor,
    // etc. omitted ...
    synchronized boolean isVisited() {
        return visited;
    }
    synchronized boolean wasAndSetVisited(){
        boolean ans = visited;
        visited = true;
        return ans;
    }
}

class GraphWalker extends java.lang.Thread {
    Stack<GraphNode> stk;
    GraphWalker(Stack<GraphNode> s) {
        stk = s;
    }
    void doIt(GraphNode n) {/*...*/}

    // ... FOR YOU ...
}

class Main {
    public static final int NUM_THREADS = 4;
    void traverseFrom(GraphNode root) {
        Stack<GraphNode> stk =
            new Stack<GraphNode>();
        stk.push(root);
        for(int i = 0; i < NUM_THREADS; i++)
            new GraphWalker(stk).start();
    }
}

```

Problem 3. Minimum Spanning Trees

- (a) Weiss, problem 9.15(a). For Prim's algorithm, start with vertex A , show the resulting table (see Table 9.55 as an example), and indicate the order in which vertices are added. For Kruskal's algorithm, produce a table, similar to Table 9.56. Ties may be broken arbitrarily.
- (b) Weiss, problem 9.15(b).