

## Basic Types and Arrays

## - Basic Types

, integer, real (floating point), boolean ( 0,1 ), character

- Arrays
, A[0..99] : integer array
A
A

$\qquad$ $\square^{99}$

A [5]

## Records and Pointers

- Record (also called a struct or data object)
, Group data together that are related

, To access the fields we use "dot" notation.

> X.real_part
> x.imaginary_part

## Record Definition

- Record definition creates a new type

Definition
record complex : (
real_part : real,
imaginary_part : real
)
Use in a declaration
X : complex


## Creating a Record

- We use the "new" operator to create a record.
P : pointer to blob;
P $\square \quad$ (null pointer)
P := new blob;


Pointers and Lists - Lecture 5
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## Simple Linked List

- A linked list
, Group data together in a flexible, dynamic way.
, We'll describe several list ADTs later.

record node : (
data : integer
next : node pointer
)


## Memory Management -

 Global Allocator- Global Allocator's store - always get and return blocks to global allocator
+ Necessary for dynamic memory.
+ Blocks of various sizes can be merged if they reside in contiguous memory.
- Allocator may not handle blocks of different sizes well.
- Allocator may be slower than a private store.


## Memory Management -

 Garbage Collection- Garbage collection - run time system recovers inaccessible blocks from time-to-time. Used in Lisp, Smalltalk, Java.
+ No need to return blocks to an allocator or keep them in a private store.
- Care must be taken to make unneeded blocks inaccessible.
- When garbage collection kicks in there may be undesirable response time.


## Mergesort pseudocode

Mergesort ( p : node pointer) : node pointer \{
Case
p = null : return p; //no elements
p.next = null : return p; //one element
else
d : duo pointer; // duo has two fields first, second d := Split(p);
return Merge (Mergesort (d.first), Mergesort (d.second));
\}
duo
first second

## List Mergesort

- Overall sorting plan
sort $\square$ sort recursively $\quad \square$ split into equal size lists $\square \square \square \square \square \square \square \square \quad \square \square \square \square \square \square \square \square$ $\square \square \square \square \square \square \square \square$
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## Split

```
Split(p : node pointer) : duo pointer {
d : duo pointer;
    Case {
    p = null : d := new duo; return d
    p.next = null : d := new duo; d.first := p ; return d
    else :
        d := Split(p.next.next)
        := Split(p.next.next)
        d.first := p.next.
        p.next := d.second
        d.second := p;
        return d;
}


\section*{Merge Pseudocode Exercise}

Merge(p,q : node pointer) : node pointer \(\{\) \precondition \(p\) and \(q\) point to sorted lists
if \(p=\) null return \(q ;\)
if \(q=\) null return \(p ;\)
if \(p\).data < q.data then
p.next := merge(p.next,q); return p;
else
q. next := merge(p,q.next); return \(q\)
\}

Implementing Pointers in Arrays - "Cursor Implementation"
- This is needed in languages like Fortran, Basic, and assembly language
- Easiest when number of records is known ahead of time.
- Each record field of a basic type is associated with an array.
- A pointer field is an unsigned integer indicating an array index.

\section*{Try DeleteFront}
- Class Participation
- Define the cursor implementation of DeleteFront which removes the first member of the list when there is one.
, Remember to add garbage to free list.
    q : integer; \(\quad\) if not (Free \(=0\) ) then \(q:=\) Free
    if not (Free \(=0\) ) then \(q\) :
else return "overflow";
    Free := N[Free];
    \(\mathrm{D}[\mathrm{q}]:=\mathrm{x}\);
    \(\mathrm{N}[\mathrm{q}]:=\mathrm{L}\)
    L: \(=q\);
```

DeleteFront(L : integer) {
???
}

```

\section*{Pointer Summary}
- Pointers can be implemented in several ways
, Explicit using "dot" notation in most high level languages
, Explicit using arrays of indices in all high level languages. (Cursor implementation)
, Implicit using calculation instead of storage. (Commonly used in nice structures like trees)

\section*{DeleteFront Solution}

DeleteFront (L : integer) \{
q : integer;
if \(L=0\) then return "underflow"
else \{
\(\mathrm{q}:=\mathrm{L}\);
\(\mathrm{L}:=\mathrm{N}[\mathrm{L}]\);
\(\mathrm{N}[\mathrm{q}]:=\) Free
Free := q;
\}```

